

(d,p) with extended gas target  
basic motivation

- D<sub>2</sub> 2 electrons

CD<sub>2</sub> 8 electrons

Factor 4 in energy loss or countrate

- No background from C

- Measure depth in target, where reaction occurs

Gives beam energy for reaction

Target might be very thick

- Other reactions, other targets, He

Density of hydrogen 0.090 g/l or 0.090 mg/cm<sup>3</sup>.

300 MeV <sup>96</sup>Zr loose 144 MeV in 1 mg/cm<sup>2</sup> hydrogen.

Then 300 MeV <sup>96</sup>Zr loose 72 MeV in 1 mg/cm<sup>2</sup> deuterium.

400 MeV <sup>132</sup>Sn loose 180 MeV in 1 mg/cm<sup>2</sup> hydrogen.

Then 400 MeV <sup>132</sup>Sn loose 90 MeV in 1 mg/cm<sup>2</sup> deuterium.

1 mg/cm<sup>2</sup> hydrogen corresponds to 11.1 cm at atm. pressure.

therefore 1 cm corresponds to 13 resp. 16 MeV energy loss for the two beams.

for deuterium the density is twice as high, but talking per length, nothing changes.

### Angular straggling in $\Delta E$ detector

SRIM calculations give:

3 MeV protons after 65  $\mu$  Si FWHM 110 mrad or 6 deg

5 MeV protons after 70  $\mu$  Si FWHM 50 mrad or 3 deg

10 MeV protons after 80  $\mu$  Si FWHM 20 mrad or 1 deg

20 MeV protons after 130  $\mu$  Si FWHM 20mrad or 1 deg

This is an important contribution, that also limits this approach to forward angles in the lab.

\* position  $\times \frac{1}{\sin \alpha}$

$d(100, P) 101 Q = +3 \text{ MeV}$

$E_b = 300 \text{ MeV}$

$\frac{dE}{dQ} / \frac{dE}{d\theta_{\text{lab}}} \left[ \frac{1^\circ}{100 \text{ keV}} \right]^*$

2.5

2.0

1.5

1.0

0.5

$dE/dQ$

$0.01 \frac{dE}{dQ} / \frac{dE}{dE_b}$

0

30

60

90

120

150

180

20

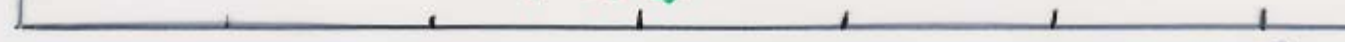
40

60

$\theta_{\text{cm}}$

120

$\theta_{\text{lab}}$



# Mechanics

- 5  $\mu$  Mylar should be ok and easy

$$\Delta E = 100 \text{ keV for } 3 \text{ MeV p}$$

- 65  $\mu$  Si is available  $\leq$  1mm resolution

means 5 cm between detectors

.1 mm allows smaller size, Si drift detectors?

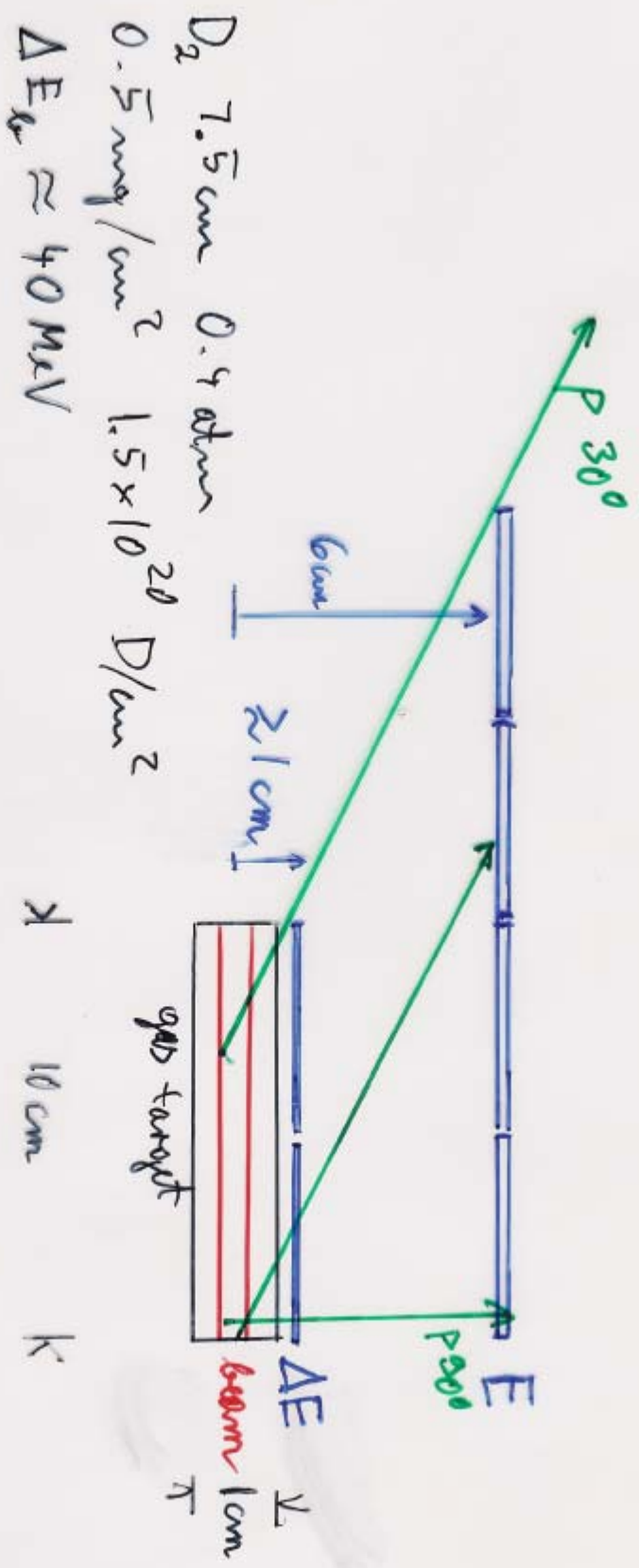
5 mm resolution in  $\phi$  is sufficient

$$\Delta E = 1.7 \text{ MeV at } 3 \text{ MeV}, 2 \times 0.3 \text{ MeV at } 20 \text{ MeV}$$

- at 30 deg 1.035+0.065 mm stop 20 MeV

At 30 deg most Si needed

- Mechanical arrangement with little dead space



$D_2$  7.5 cm 0.4 atm

$0.5 \text{ mg/cm}^2$   $1.5 \times 10^{20} \text{ D/cm}^2$

$\Delta E_{\text{gas}} \approx 40 \text{ MeV}$

$\lambda$  10 cm

K

$\Delta E$  65  $\mu\text{Si}$  2x8 dot x 2 strips 5 mm wide  
 $E$   $\approx$  1000  $\mu\text{Si}$  4x8 dot x 10 strips 5 mm wide

# Conclusions

- about 200 to 300 keV resolution feasible  
angle and beam energy better defined
- factor 10 detection efficiency over  $(\text{CH}_2)_n$  target
- angles from  $\leq 30$  to  $\geq 100$  deg
- might be combined with  $\gamma$ -measurement
- $\gamma$ - and p-energy might separate isobars

Detection efficiency makes it worthwhile for any “major” program