

# Sea quark polarization and nucleon structure

Ch. Weiss (JLab), PVAS Workshop, BNL, Apr. 26–27, 2007

Q: “How” do polarized sea quarks appear in nucleon?

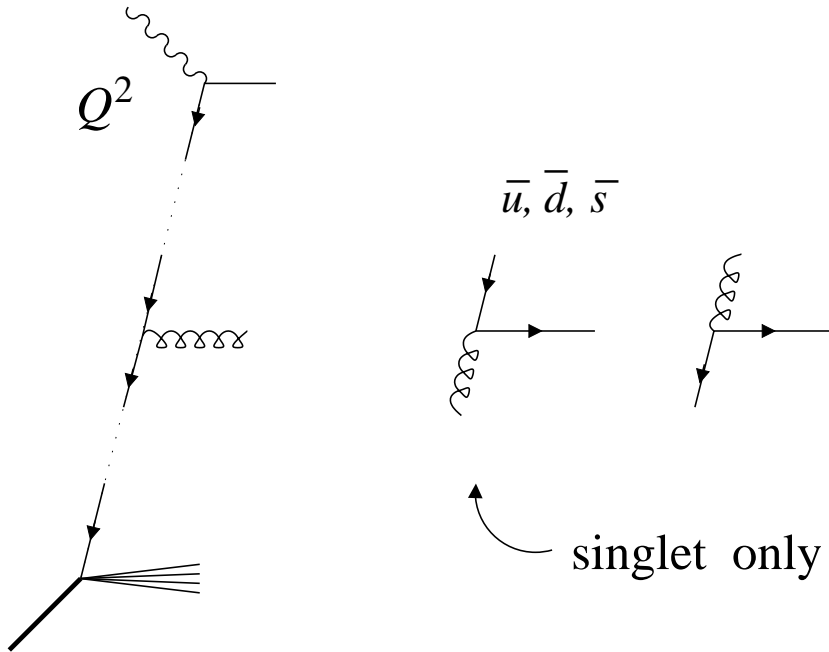
- Dynamical models of nucleon structure

“Pion cloud,” Pauli blocking

- General properties of QCD

Chiral dynamics, large- $N_c$  limit, . . .

# PDFs in QCD: Non-singlets vs. singlet



$\bar{u} + \bar{d} + \bar{s}$     singlet  
 $\bar{u} - \bar{d}$         non-singlet  
 $\bar{u} + \bar{d} - 2\bar{s}$     non-singlet

- Non-singlet sea quark distributions do not mix with gluon  
cf. valence  $q - \bar{q}$

- Total numbers conserved in LO

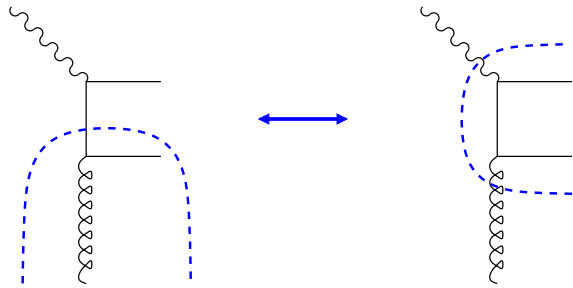
$$\int dx [\bar{u} - \bar{d}] (x, Q^2) = \text{const}$$

$$\Delta\bar{u} - \Delta\bar{d} \quad \text{etc.}$$

NLO: Weak  $Q^2$ -dependence

Non-perturbative origin!  
"Creation, not evolution"

# PDFs in QCD: Scheme dependence at NLO



$$C_q \times \Delta q(x)$$

$$C_g \times \Delta G(x)$$

- NLO: PDFs generally depend on **factorization scheme**

- Non-singlets much less affected than singlets

cf. Leader, Stamenov, Sidorov 98:  
 $\Delta q_v(x)$  vs.  $\Delta G(x)$  in  
 JET, AB,  $\overline{\text{MS}}$  schemes

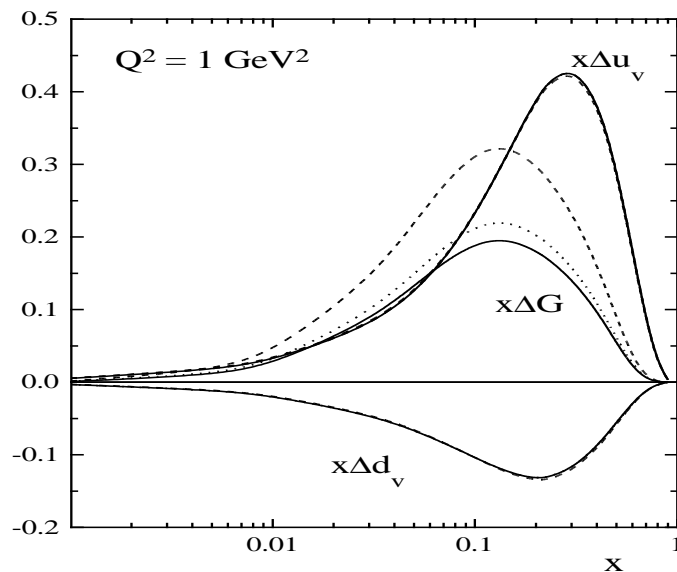
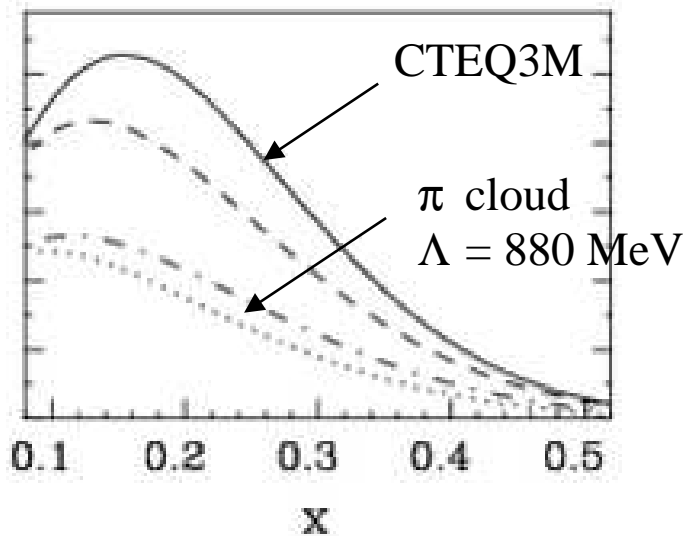
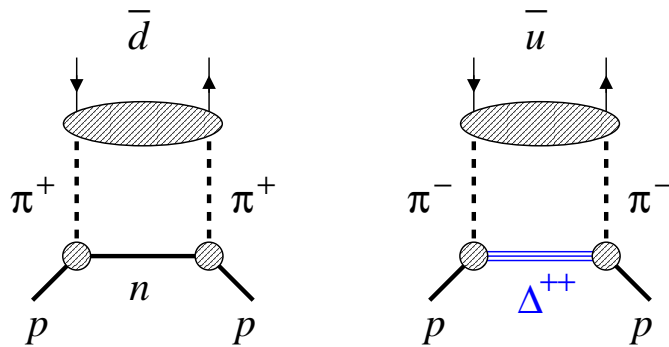


Fig. 2

Easy matching pQCD  $\leftrightarrow$   
 non-perturbative models  
 in non-singlet sector

# Pion cloud: Flavor asymmetry $\bar{d} - \bar{u}$

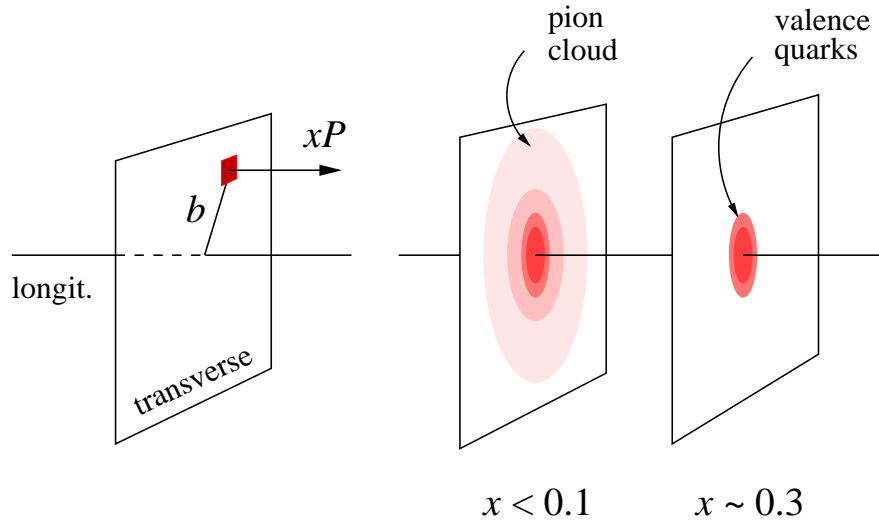


Koepf et al., PRD 53, 2586 (1996)

- Qualitatively explains why  $\bar{d} > \bar{u}$  in proton [Sullivan 72, Thomas 83]
- Quantitative fit of data requires unrealistic hard  $\pi N$  formfactors  $\Lambda > 1 \text{ GeV}$  (cf. Bonn potential) [Jülich group 90's, . . . ]
- More realistic soft formfactors give at most 50% of exp. value [Koepf, Frankfurt, Strikman 95]

Consistent with chiral dynamics?

# Pion cloud: Impact parameter representation



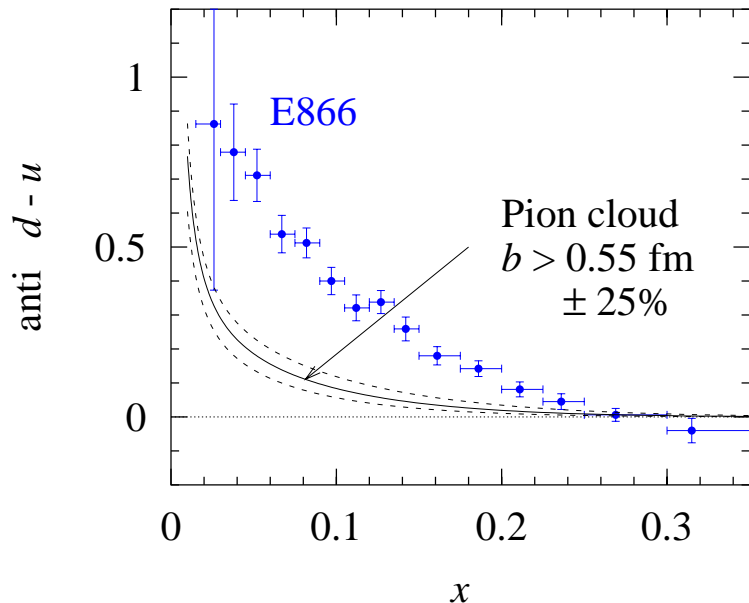
- Impact parameter–depend. PDF

$$q(x) = \int d^2b q(x, b)$$

- Pion cloud unique contribution at

$$b \sim 1/M_\pi \quad \text{“Yukawa tail”}$$

$$x < M_\pi/M_N$$

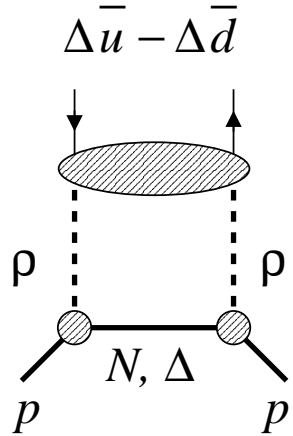


- Large– $b$  region accounts for only small part of exp. asymmetry!

Model–independent formulation,  
consistent with chiral dynamics

Strikman, CW 03/07

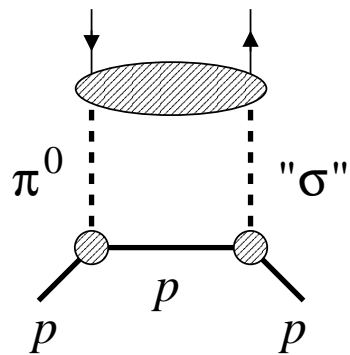
# Pion cloud: Polarization



- $\pi\pi$  gives zero polarized asymmetry

- Various models with vector meson exchange give very small polarized asymmetry . . . not distinctive . . . arbitrary!

[Fries et al. 98; Boreskov et al. 98, Cao et al. 01, . . . ]

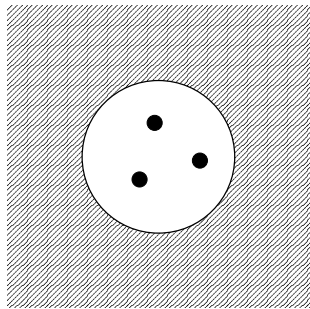


- $\pi$ -" $\sigma$ " interference with hard formfactors gives large positive  $\Delta \bar{u} - \Delta \bar{d}$   
 $\rightarrow$  qualitative agreement with quark models!

[Dressler et al. 99; Fries, Schäfer, CW 02]

$\pi\sigma$  closest analog to  $\pi\pi$  in polarized case  
 . . . qualitative picture!

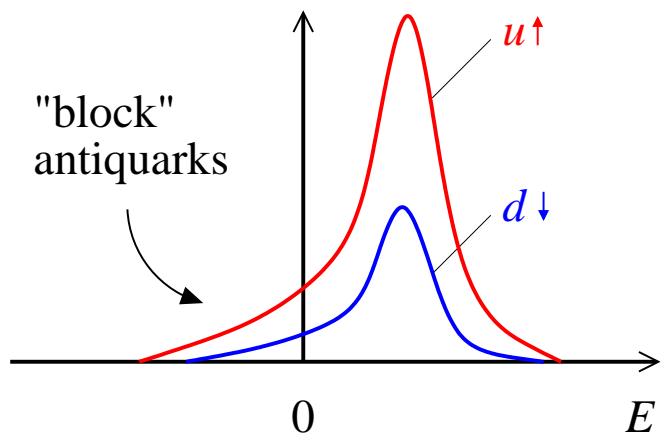
# Quark models: Pauli blocking



- Dirac wave function of confined quark has negative energy components
- Cavity creates non-perturbative sea of  $\bar{q}q$  pairs (cf. "Temperature"  $T \neq 0$ )

- Pauli blocking:  
 $u \uparrow, d \downarrow$  reduce  $\bar{u} \downarrow, \bar{d} \uparrow$   
 $\rightarrow \bar{d} - \bar{u} > 0, \quad \Delta\bar{u} - \Delta\bar{d} > 0.$

Qualitative picture,  
predicts  $\Delta\bar{u} - \Delta\bar{d} > 0$



## Large- $N_c$ limit: Scaling of PDFs

- General  $N_c$  scaling of PDFs ( $x \sim 1/N_c$ ) [Diakonov et al. 96]

$$\bar{u} + \bar{d}, \quad \Delta\bar{u} - \Delta\bar{d} \sim N_c^2 \times \text{function}(N_c x) \quad \text{leading} \quad \leftarrow$$

$$\bar{u} - \bar{d}, \quad \Delta\bar{u} + \Delta\bar{d} \sim N_c \times \text{function}(N_c x) \quad \text{subleading}$$

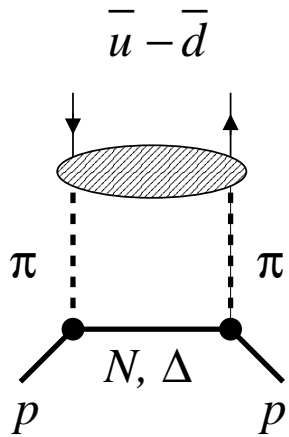
- Generally works well quantitatively

$$\text{cf. } g_A^{(3)} \sim N_c \quad [\text{num: } 1.26], \quad g_A^{(0)} \sim N_c^0 \quad [\text{num: } \sim 0.3]$$

Large- $N_c$  limit suggests  $|\Delta\bar{u} - \Delta\bar{d}| \gg |\bar{u} - \bar{d}|$   
... no dynamics yet!



# Large- $N_c$ limit: Pion cloud in $\bar{d} - \bar{u}$



$$g_{\pi NN} \sim N_c^{3/2}$$

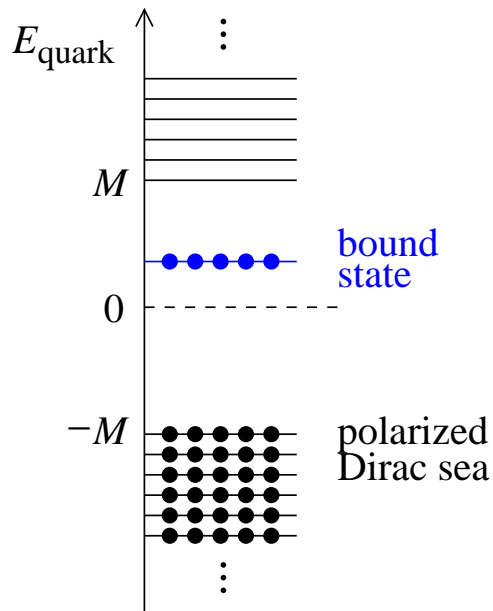
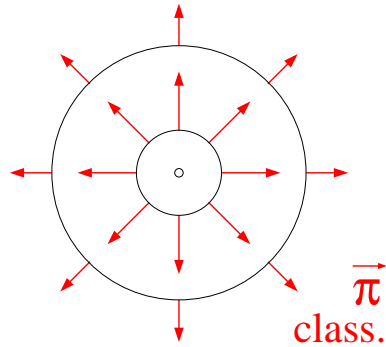
$$x_\pi \sim N_c^{-1}$$

- Nucleon intermediate state alone gives  $\bar{u} - \bar{d} \sim N_c^2 \times \text{function}(N_c x)$  ⚡ subleading!
- $N$  and  $\Delta$  degenerate at large  $N_c$ :  

$$M_N - M_\Delta \sim N_c^{-1}, \quad g_{\pi N\Delta} = \frac{3}{2}g_{\pi NN}$$
- Cancellation between  $N$  and  $\Delta$  restores proper subleading behavior

Pion cloud contribution to  $\bar{u} - \bar{d}$  absent in large- $N_c$  limit!

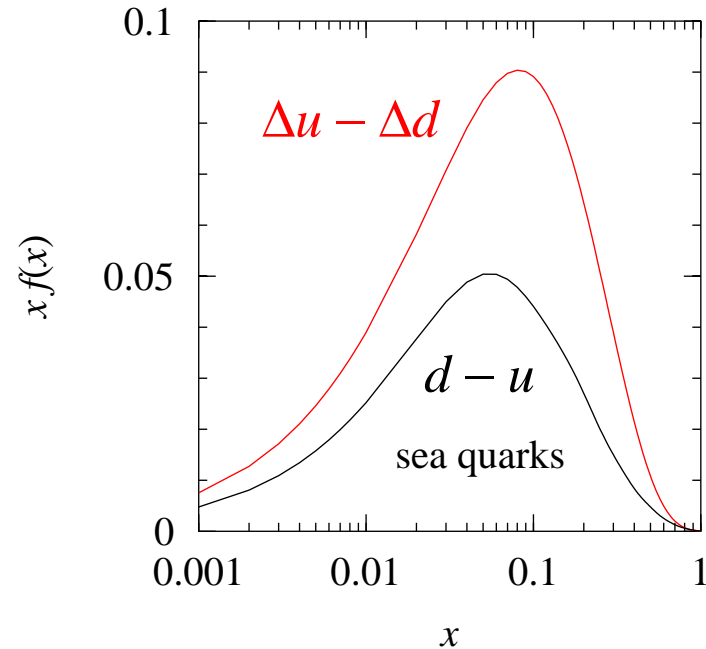
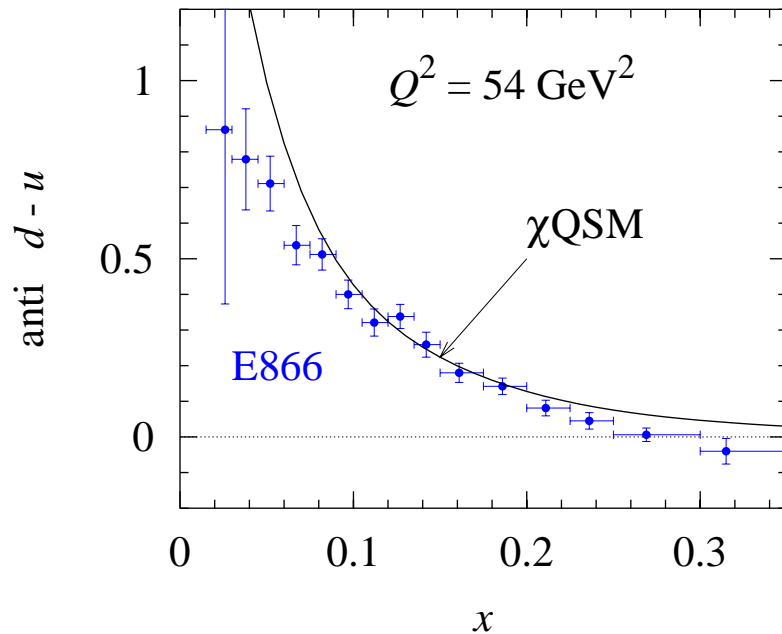
# Chiral quark–soliton model: Concept



- Generic model of nucleon based on
  - Large- $N_c$  limit
  - Effective chiral dynamics
- Quarks move independently in self-consistent classical pion field (“soliton”)
- Fully relativistic, field-theoretical description:
  - Completeness of states
    - Partonic sum rules
    - Positivity  $q(x), \bar{q}(x) > 0$
- Describes PDFs at scale  $\mu \sim 600$  MeV (“cutoff” of chiral symmetry breaking)

[Basics: Diakonov, Petrov, Pobylitsa 88;  
PDFs: Diakonov et al. 96+]

# Chiral quark–soliton model: Polarized sea quarks



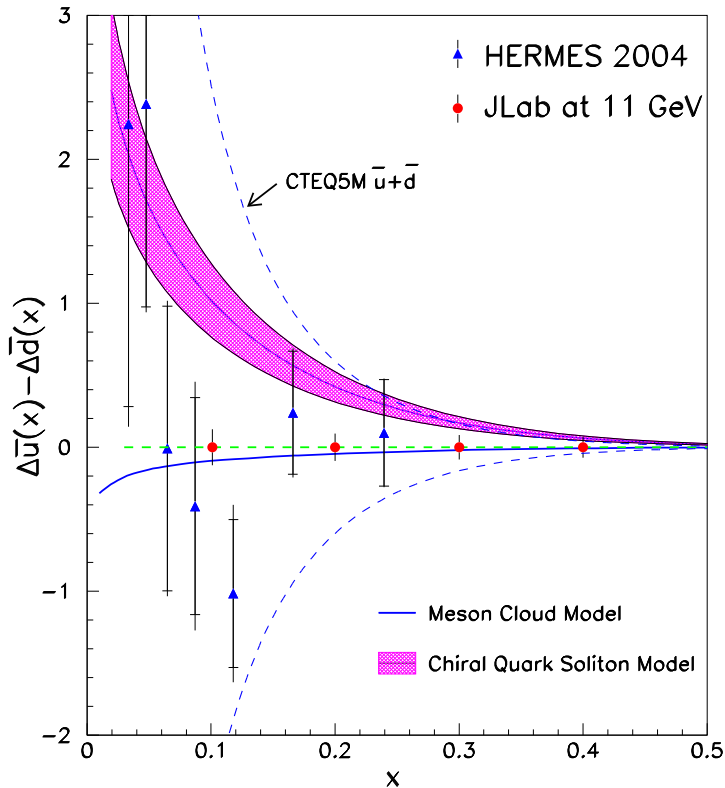
- Describes  $\bar{d} - \bar{u}$  data parameter-free!

- Predicts large  $\Delta\bar{u} - \Delta\bar{d} > 0$

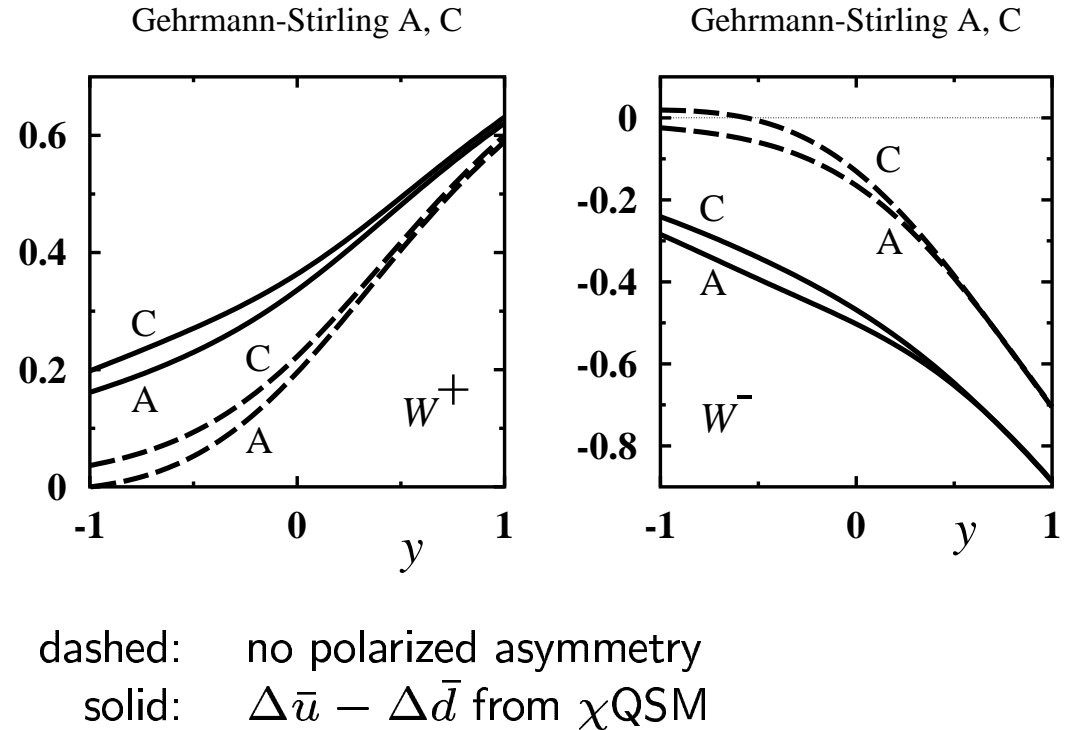
- SU(3) symmetry:  $\Delta\bar{u} + \Delta\bar{d} - 2\Delta\bar{s} = \frac{3F - D}{F + D}(\Delta\bar{u} - \Delta\bar{d})$  [num: 5/9]

[Diakonov et al. 96, Pobylitsa et al. 98]

# Chiral quark–soliton model: Polarized experiments



$\Delta\bar{u} - \Delta\bar{d}$  extracted from  $A_1^{\pi,K}$  in SIDIS  
 [HERMES, JLab 12 GeV]  
 Dressler et al., EPJC 14, 147 (2000)



LO predictions for SSA  $A_L$  in  $W^\pm$  [RHIC]  
 Dressler et al. EPJC 18, 719 (2001)

## Summary

- Sea quark flavor asymmetries (“non-singlets”) clean probe of nucleon structure, cf. valence quark distributions
- Simple qualitative pictures seem to agree on  $\Delta\bar{u} - \Delta\bar{d} > 0$
- Chiral quark–soliton model predicts  $\Delta\bar{u} - \Delta\bar{d} > |\bar{u} - \bar{d}|$

## Further studies

- Polarized quark distributions concentrated at smaller transverse distances than unpolarized ones (cf. GPDs) [Strikman, CW, in progress]
  - more central  $pp$  collisions
  - different event characteristics (multiplicity)
  - new “handle” on transverse structure!