

Science, Service, Stewardship



Probability-based catch levels: OFLs, ABCs, ACLs, & ACTs

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Outline

- Cliffs Notes review of probability-based approaches
- MSRA framework
 - OFL, ABC, ACL, ACT
 - Scientific uncertainty, management uncertainty
- Catch levels for “next” year
- Catch levels for multiple years
- Example: Atlantic vermilion snapper



P approach*

- Define P^* as the acceptable probability of overfishing
- Smaller P^* provides larger buffer against overfishing
- Methods in this talk treat P^* as input



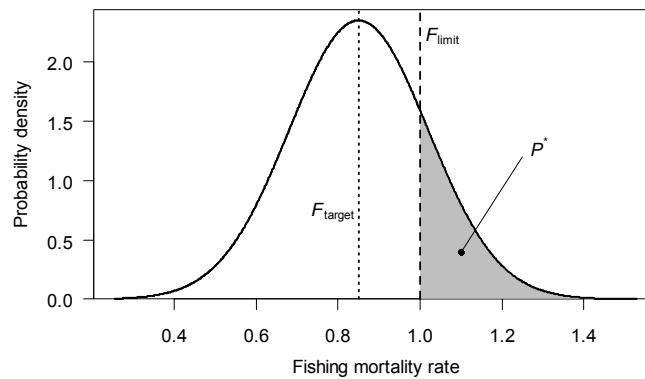
P background*

- Key to this discussion are *targets* and *limits*
 - Targets are management quantities to be achieved
 - Limits are bounds on exploitation not to be exceeded
- Caddy & McGarvey (NAJFM, 1996) computed target fishing rates, given three inputs:
 - P^*
 - implementation uncertainty
 - limit fishing rate (e.g., F_{MSY})



Caddy & McGarvey (1996) approach to setting a target fishing rate

$$P^* = \Pr(F_t > F_{\text{limit}}) = \int_{F_{\text{limit}}}^{\infty} \phi_{F_t}(F) dF$$



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P background*

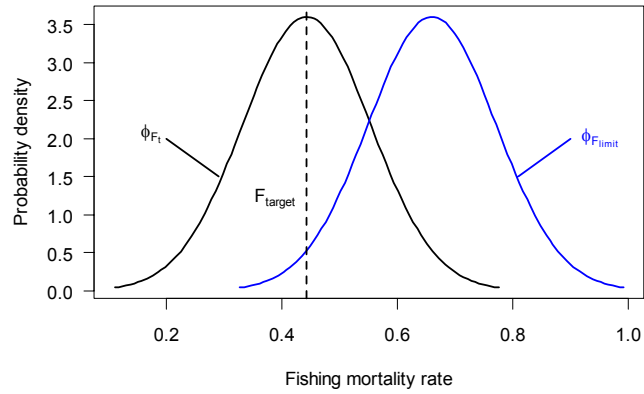
- Prager et al. (NAJFM, 2003) extended the Caddy & McGarvey approach to include uncertainty in the limit fishing rate as well

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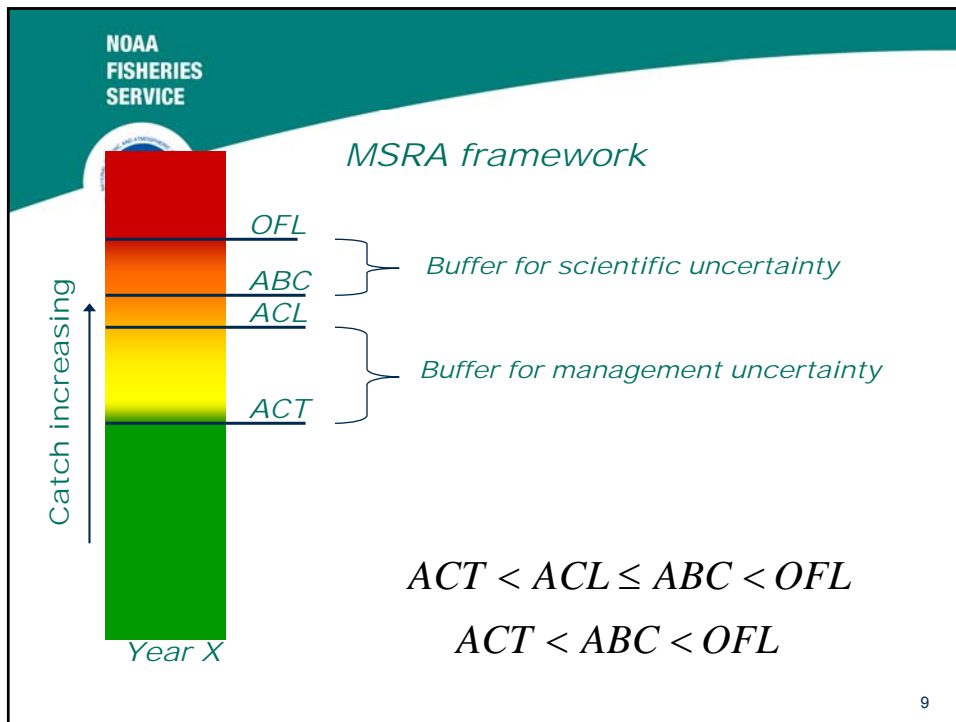
Prager et al. (2003) approach

$$P^* = \Pr(F_t > F_{\text{limit}}) = \int_0^{\infty} \int_{F_{\text{limit}}}^{\infty} \phi_{F_t}(\theta) d\theta \left[\phi_{F_{\text{limit}}}(F) dF \right]$$



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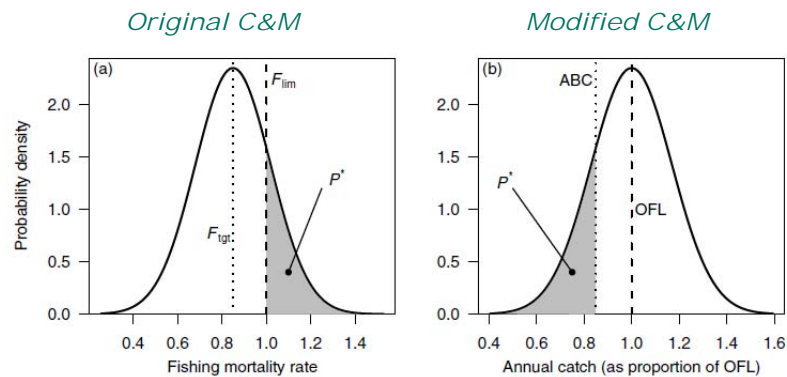


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ABC (and ACT) "next" year

- Given the distribution of OFL, the Caddy & McGarvey approach could be modified to compute an ABC



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Distribution of OFL

- It is preferable that the distribution of OFL be provided as assessment output.
- It is possible to compute the distribution post-hoc, given uncertainty in F_{MSY} and $B_{current}$, using the catch equation.
- However, our experience is that post-hoc analyses—numerical and analytical, log and arithmetic space, with and without covariance—do not work as well!

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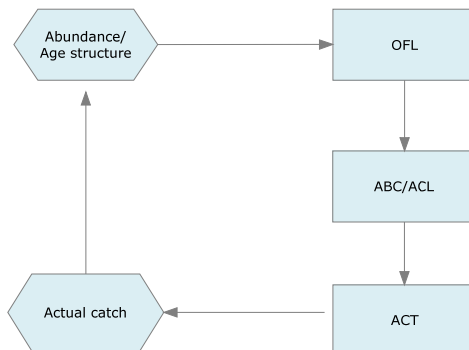
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Multi-year catch levels

- Setting catch levels for multiple years requires a projection model, because of feedback among catch levels and the stock
- ABCs and ACTs should not be set independently





Multi-year catch levels

- Common projection models only require modest modification to accommodate the P^* approach
 - Projection input is P^*
 - Projected F and catch are output
- Shertzer, Prager, & Williams. 2008. A probability-based approach to setting annual catch levels. Fish. Bull.
 - $OFL \rightarrow ACT$
- NS1 Working Group tech memo chapter: consistency with NS1 Guidelines
 - $OFL \rightarrow ABC$ and $OFL \rightarrow ACT$

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Another buffer to consider

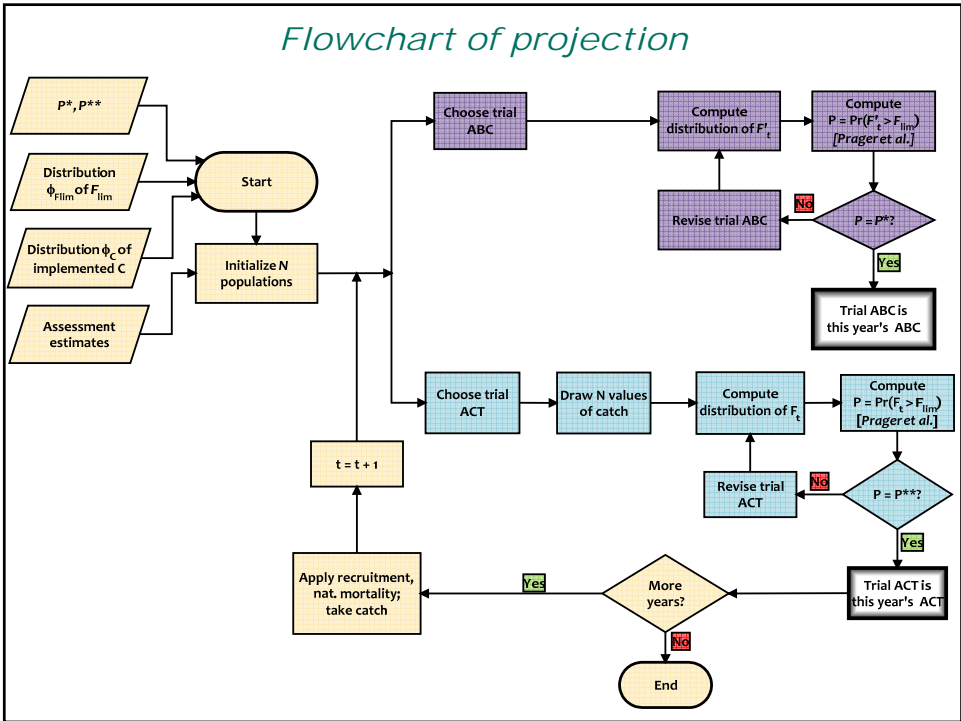
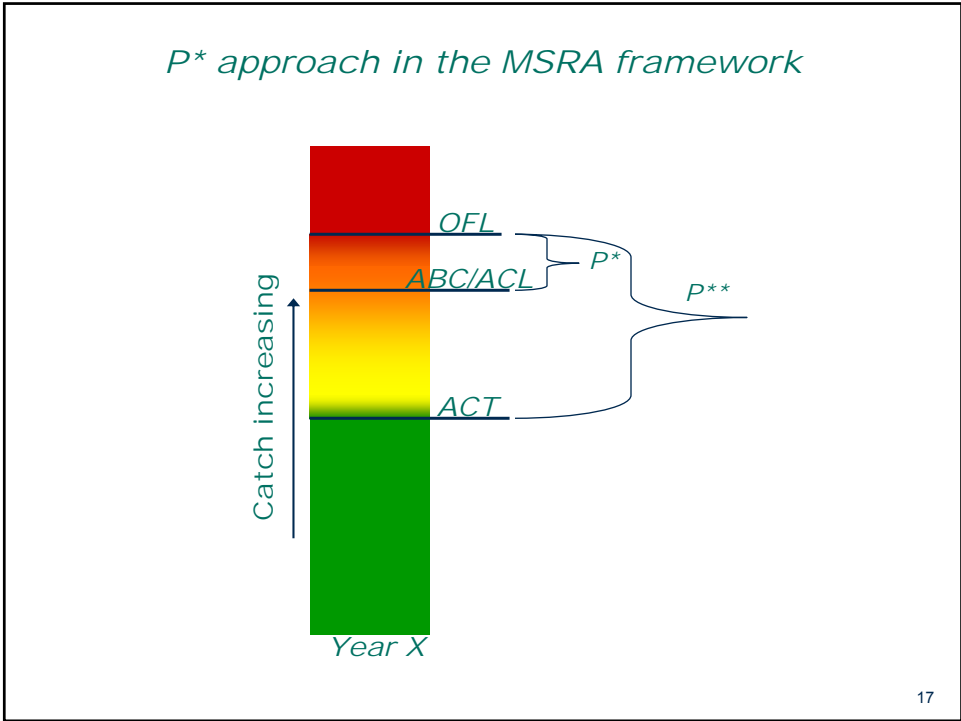
Definitions

- P^* is the allowable probability that the ABC will exceed the overfishing level
- P^{**} is the allowable probability that catch from an ACT will exceed the OFL

Comments

- P^{**} must be less than P^* , to ensure that $ACT < ABC$
- Controls the expected probability of overfishing explicitly (P^{**}), which may be a desirable property

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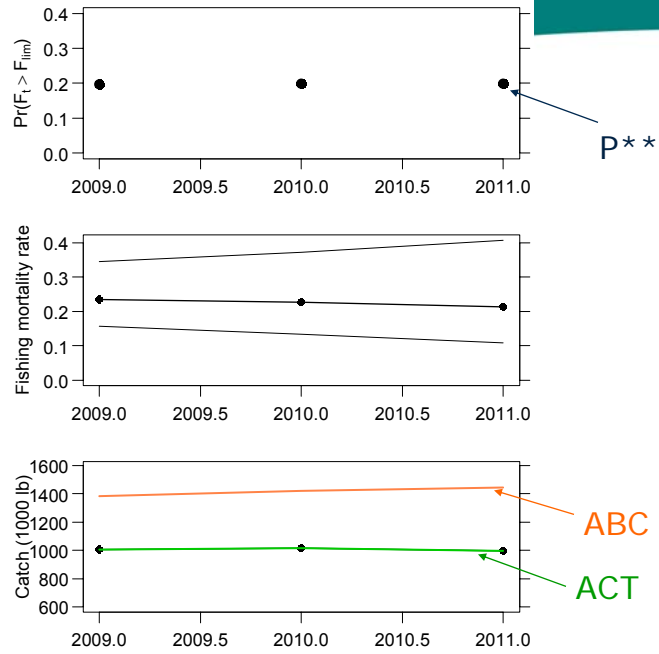
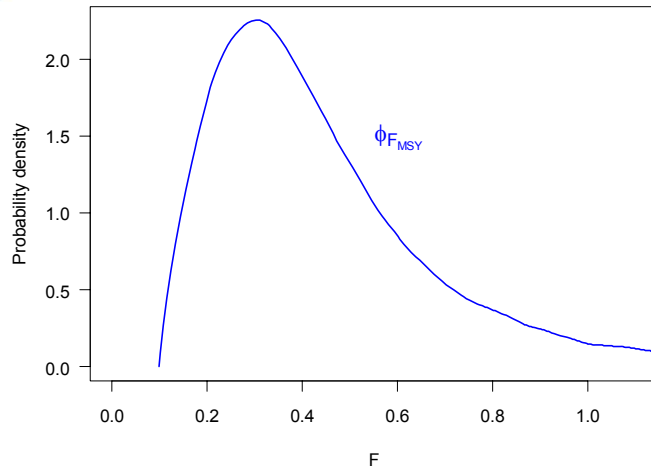


Example: Atlantic vermilion snapper

- Stochastic projection with parameters from recent SEDAR assessment
 - lognormal variation in recruitment
 - variation in initial conditions (numbers at age)
- End of assessment in 2007; Beginning of new management in 2009; Fixed catch assumed in 2008.
- Uncertainty in F_{MSY} described by empirical distribution from bootstrap
- Implementation uncertainty assumed Gaussian with $CV=0.2$
- $P^*=0.4$ and $P^{**}=0.2$

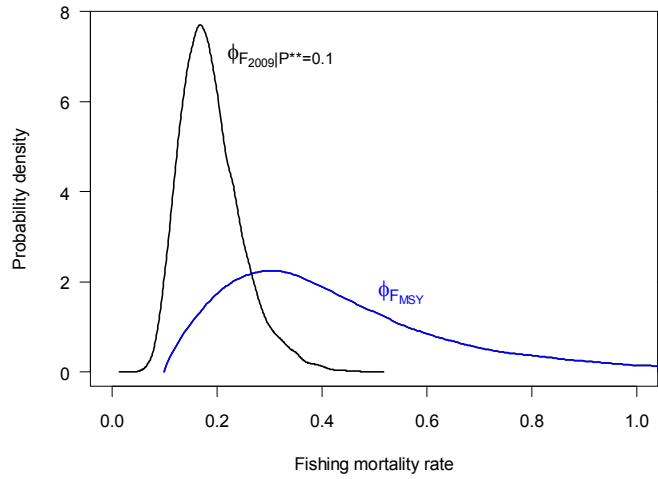


Distribution of F_{MSY}

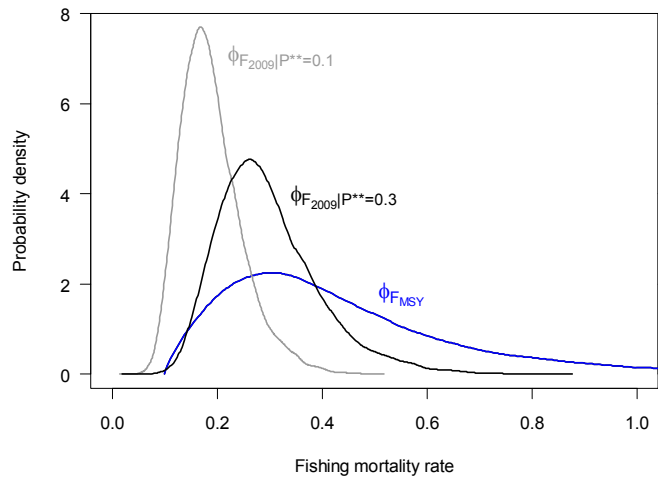




Effect of P^{**}

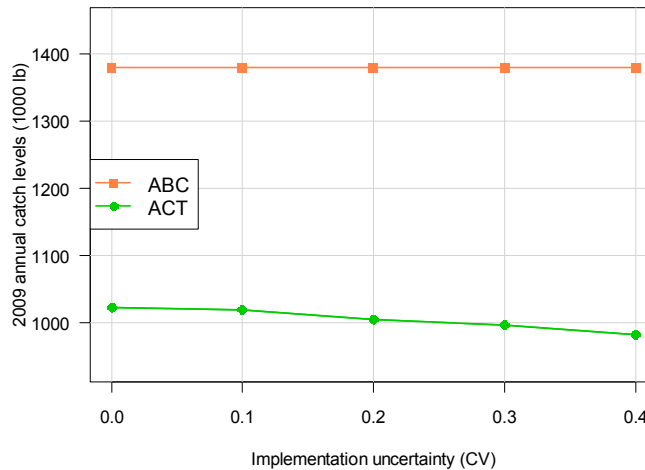


Effect of P^{**}





Effect of implementation uncertainty ($P^=0.4$, $P^{**}=0.2$)*



Summary

- Probability-based approach to compute ABCs and ACTs
 - Uncertainty in future stock dynamics (stochastic projection model)
 - Uncertainty in F_{limit} or OFL (from assessment: parametric or empirical)
 - Uncertainty in management implementation
- Formalizes risk through P^* and P^{**}
 - Note: Risk is often defined as the product of occurrence probability and expected consequence. Not so here.
 - However, one could adjust P^* based on expected consequences, e.g., as indicated by productivity-susceptibility analysis
- All else equal, precision in management allows larger catch levels



Conclusions

- General framework: details can be customized to stock
- It does not require radical departure from the types of projections currently in use
- It has some desirable features:
 - Accommodates key sources of uncertainty
 - Managers can choose the levels of risk that they consider acceptable
 - Risk is quantified and transparent (P* and P**)
- Avoiding something bad (overfishing) is not the same as achieving something good (OY). The framework here maximizes fishing given the constraint of P* (or P**).

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The End

Probability of questions

$$P = \left\{ \frac{\sigma^{2(\alpha+1)} y^\alpha}{(1-p)^\alpha (2-p)} \right\} \left\{ \frac{1}{n! \Gamma(n\alpha) y} \right\} \exp \left\{ -\frac{1}{\sigma^2} \left(\frac{\max(y,0)^{2-p}}{(1-p)(2-p)} - \frac{y\mu^{1-p}}{1-p} + \frac{\mu^{2-p}}{2-p} \right) \right\}$$

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