Micro-Mesoscopic Modeling of Heterogeneous Chemically Reacting Flows (MMMHCRF) over Catalytic/Solid Surfaces

Presented by

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Goal

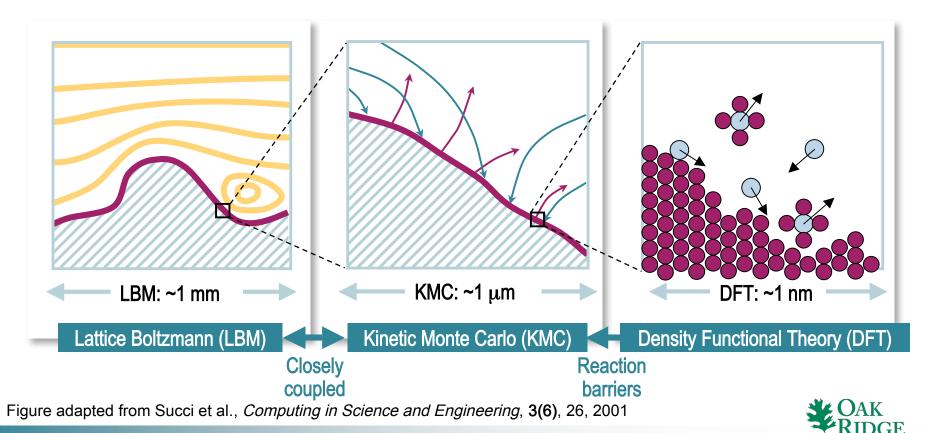


Develop a multiphysics and multiscale mathematics framework for accurate modeling of heterogeneous reacting flows over catalytic surfaces



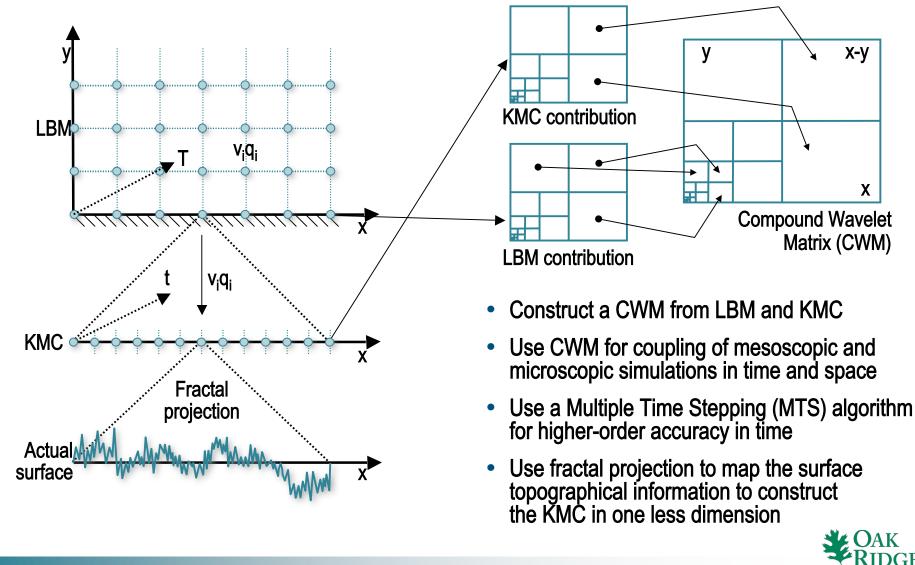
Flow over a catalyst surface

- Chemically reactive flow over a surface is a basic building block that is central to many energy-related applications
- Illustrative benchmark to demonstrate the capability to integrate scales of several orders of magnitude



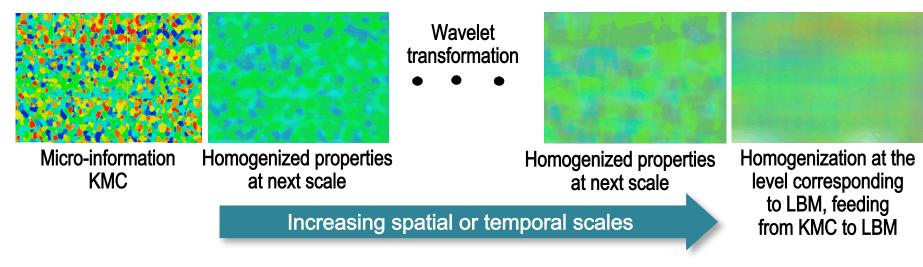
Approach: KMC-LBM coupling through Compound Wavelet Matrix





CWM methodology in work: Transferring information from KMC to LBM





Objective:

Develop algorithms to construct projection operators and time integration methods to connect the microscale (e.g., KMC) and the mesoscale (e.g., LBM) The interactions between various physical processes at different scales are encapsulated by CWM and can be employed in control and design of reacting surfaces

Time separation between methods and scales simplifies the problem

The method recovers the mean field behavior in the macroscopic limit



Recent results*



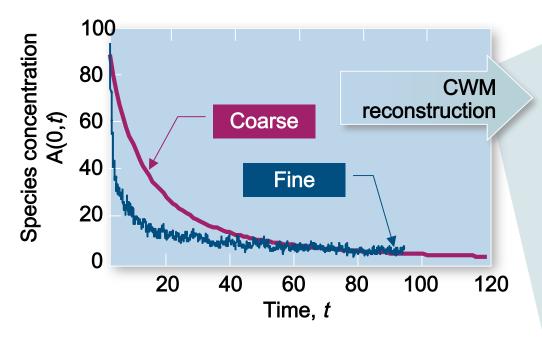
- 1-D reaction/diffusion simulation performed at two different length and time scales:
 - Fine (KMC and diffusion equation using finite difference at fine scale)
 - Coarse (analytical species solution and diffusion equation using finite difference at coarse scale)
- Pseudo-2-D reaction diffusion multiscale simulations with error analysis
- A dynamic CWM implementation for non-stationary processes
- Reconstructed the fine simulation results to reasonable accuracy using CWM at fraction of cost
- Method allows for bi-directional transfer of information, i.e., upscaling and downscaling



^{*}Frantziskonis et al., *International Journal for Multiscale Computational Engineering*, **5-6**, 755, 2006 Mishra et al. (*SIAM J. of Sci. Comp.* – under review), Muralidharan et al. (*Phy. Rev. E* – under review)

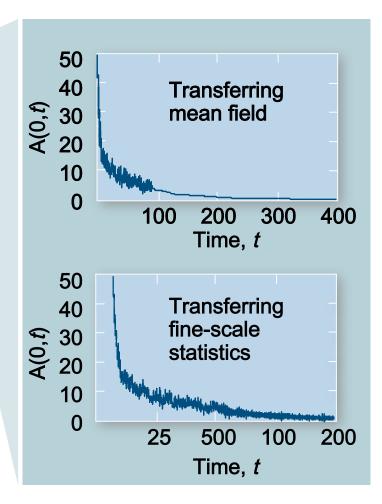
Example 1: 1-D reaction diffusion system*







 A unique, rigorous, and powerful way to bridge temporal and spatial scales for multiphysics/multiscale simulations

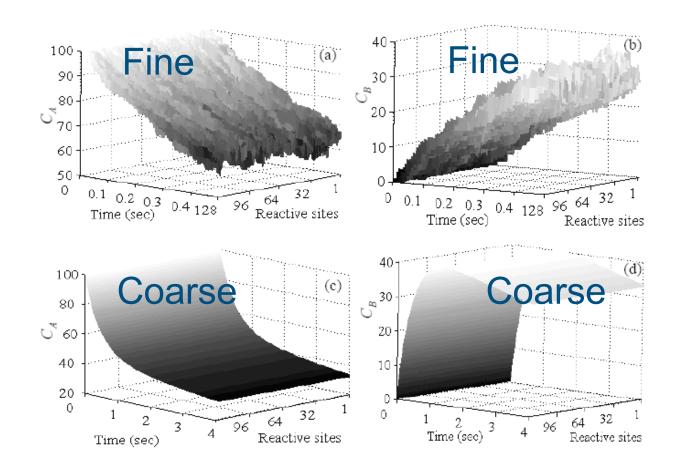




^{*}Frantziskonis et al., International Journal for Multiscale Computational Engineering, 5-6, 755, 2006

Example 2: 2-D diffusion with reacting boundary plane



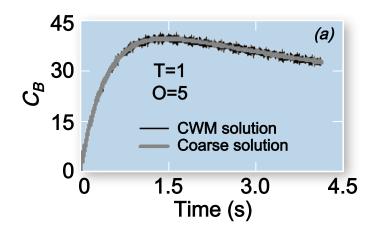


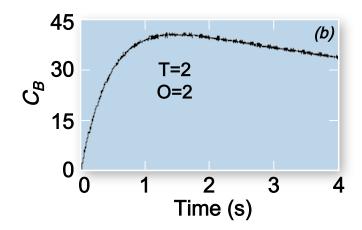
Evolution of reactants A and B

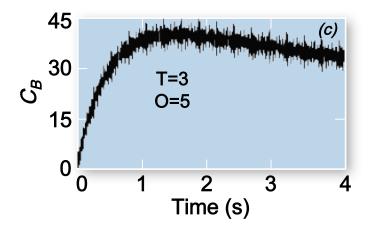


Example 2: 2-D diffusion with reacting boundary plane







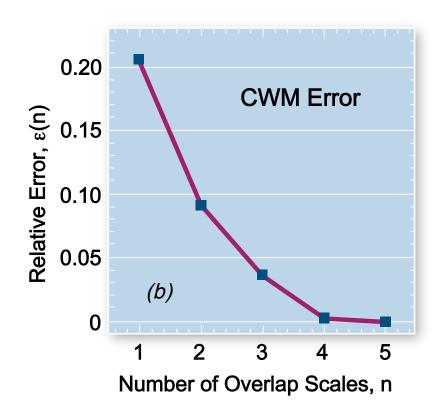


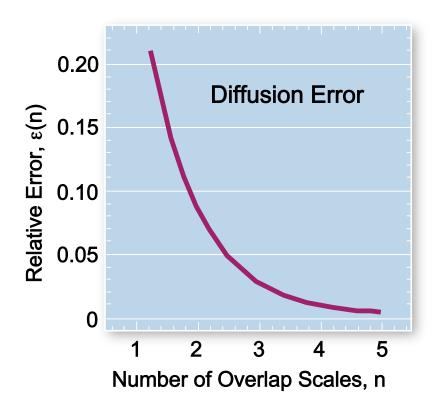
Reconstructed species profile (effect of overlap and thresholding)



Example 2: 2-D diffusion with reacting boundary plane





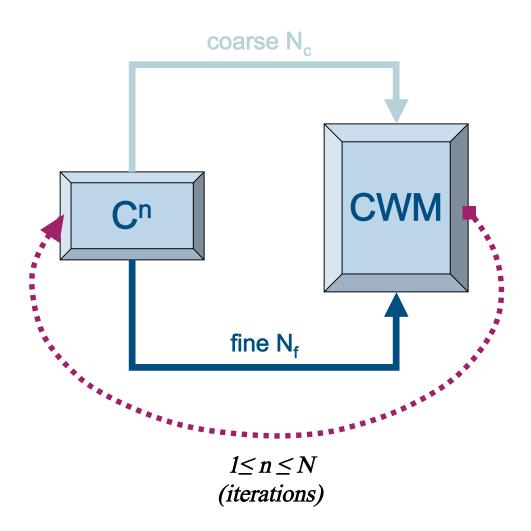


The error is dominated by the discretization errors in solving the diffusion equation



Dynamic CWM (dCWM): Dynamic coupling of coarse and fine methods





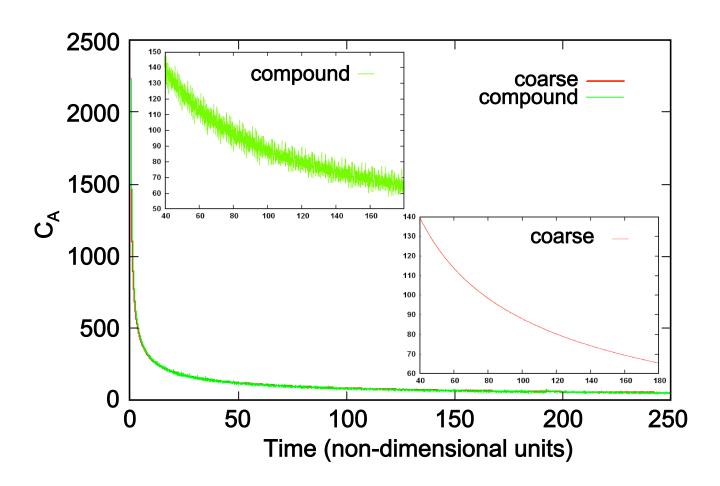
- Coupling of the dynamics of both coarse and fine methods for non-stationary problems (similar to gap-tooth method)
- Better exploration of phasespace due to inclusion of stochasticity from fast scales
- Long-term behavior feedback to fast scales from coarse representation



Example 3: 1-D diffusion with reacting boundary plane with dCWM



$$N_c = 16384$$
; $N_f = 2048$; $N = 8$

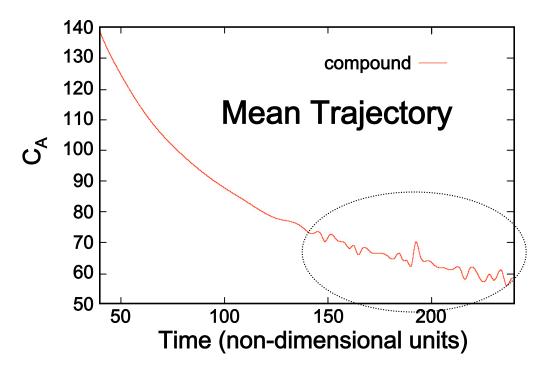




Example 3: 1-D diffusion with reacting doundary plane with dCWM



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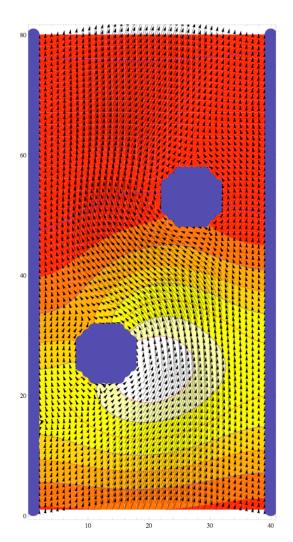
dCWM is able to capture the later-time fluctuations in the mean trajectory when there is competition between diffusion and reaction processes



Work in progress: Reactive boundary with LBM

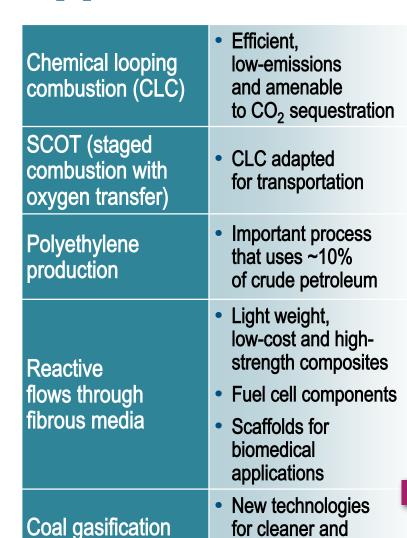


- Chemical reactions in the flow are represented by mass source on RHS
- Development of new boundary conditions for reactive boundary:
 - Transport from bulk fluid to boundary (flux/Neumann)
 - Reaction (concentration/Dirichlet)
 - Transport from boundary to bulk fluid (flux/Neumann)
 - Reactive term must reproduce correct density change rates for reactants, and total heat/release absorption per surface area
- Development of new combined flowspecies transport with non-reflecting boundary conditions (absorbing layer, extrapolation method)



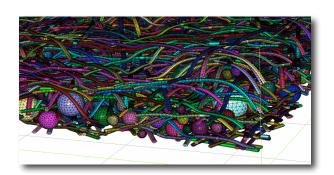


Applications



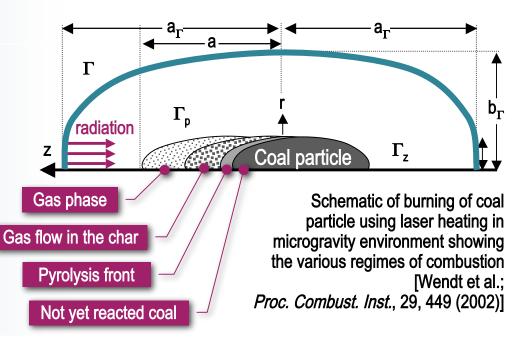
efficient coal

combustion



2

- Fibrous substrate for discontinuous fiber substrate
- The voids found by probing the substrate with a fixed-size sphere are denoted by spheres





and combustion

Additional applications: Nuclear fuel coating process

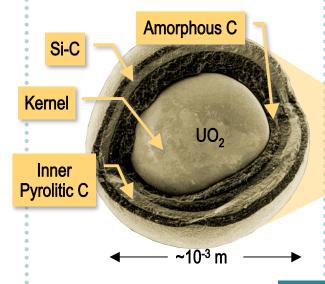
Hopper

flow

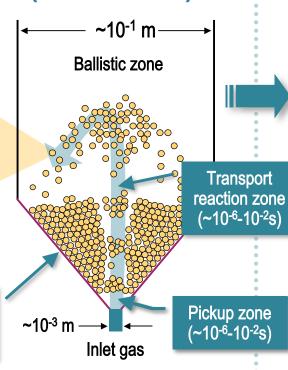
zone (~s)



Coated fuel particle (small scale)



Spouted bed coater (device scale)



- Design challenge:
 Maintain optimal
 temperatures, species,
 residence times in each
 zone to attain right
 microstructure
 of coating layers
 at nm scale
- Truly multiscale problem:
 ~O(13) time scales
 ~O(8) length scales

• 0.5- to 1-mm particles

- Coating encapsulates fission products
- Failure rate < 1 in 10⁵
- Quality depends on surface processes at nm length scale and ns time scales
- Coating at high temperature (1300–1500°C) in batch spouted bed reactor for ~10⁴ s
- Particles cycle thru deposition and annealing zones where complex chemistry occurs

Links
multiscale
mathematics
with petascale
computing
and GNEP



Going forward



- Generalize the process of constructing the CWM in the overlapping scales
- Energy matching
- Smooth variation of cross-correlation across the bridging scales
- Invoke conservation laws?
- Thermal LBM with chemistry
- LBM coupled with KMC and CWM
- Coarsening of KMC in space
- MTS comparison to dCWM for time coupling
- Application to NiO system and other realistic systems
- Parallel framework to couple multiphysics code
 - Will be released as open source on completion
 - Advertise to have other groups (applied math and computational scientists) involved to make additional improvements



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