



Molecular Studies of the Electric Double Layer: Effects of Ion Size

Brian Giera¹, Neil Henson², Ed Kober², Todd M. Squires¹

¹ Department of Chemical Engineering, University of California Santa Barbara, Santa Barbara, CA 93106-5080

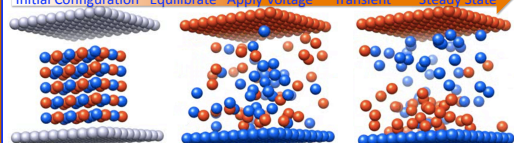
² Institute for Multiscale Materials Studies, Los Alamos National Laboratory, Los Alamos, NM 87545

Introduction

- The electric double layer (EDL) forms when thermal and electrostatic forces balance causing ions in electrolytes or ionic liquids to form a diffuse nanoscale cloud that screens surface charges.
- Green energy storage devices called supercapacitors that store energy electrochemically across the EDL operate in regimes where continuum based models fail.
- Rational design and engineering of supercapacitors require more advanced double-layer models of electrolytic and ionic liquid systems.

Model Details

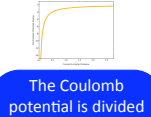
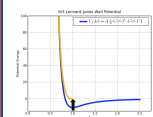
Initial Configuration → Equilibrate → Apply Voltage → Transient → Steady State



Ions are charged Lennard-Jones (LJ) particles whose radius is σ . Within a distance of σ , particles are repelled from the walls or each other.

A Langevin thermostat introduces frictional drag and a randomized force to simulate interactions with an implicit solvent.

By varying ion size and concentration, surface charge density, & system geometry, we can assess when and how continuum theories fail



$m_c = m_{Na} = 3.8E-26$ kg
 $q_c = q_e = 1.6E-19$ C
 $\epsilon_c = 1$ k_BT = 4.1E-21 J
 $l_c = \lambda_B = 7$ Å
 $\tau_c = 2$ picoseconds

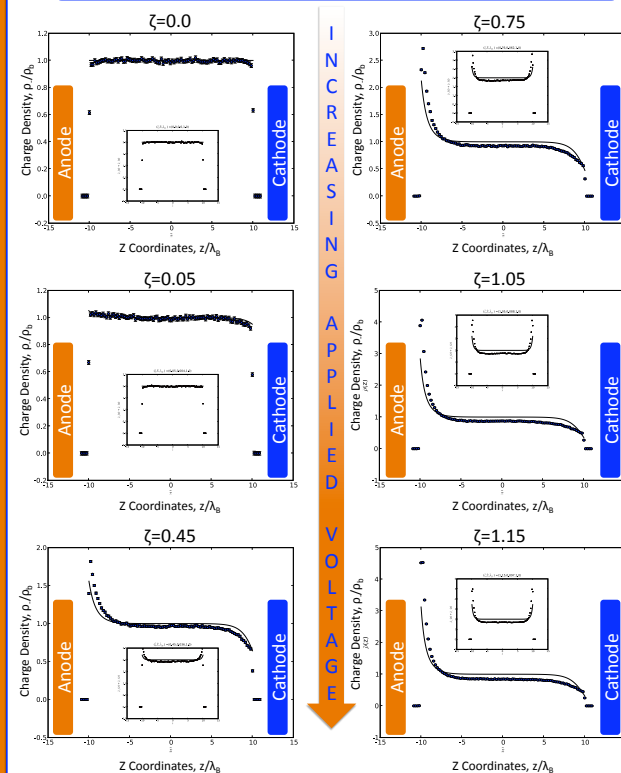
Ions are contained by repulsive LJ wall potentials.

The Coulomb potential is divided into short and long-range components with the latter being calculated in Fourier space for faster convergence.

The model is non-dimensionalized by these characteristic scales.

Results

Concentration profiles are mapped against the Poisson-Boltzmann theory for various dimensionless applied voltages, ζ .



Theory

The Poisson-Boltzmann theory gives voltage and concentration profiles that extend from a charged interface that is electrostatically screened by a diffuse cloud of ions. It assumes:

- point-sized ions
- an ideal electrolyte of uniform permittivity
- the potential of mean force equals the average electrostatic potential

$$\epsilon_0 \epsilon_r \nabla^2 \psi = -\rho_f = -e \sum_i z_i n_{i,\infty} \exp\left(-\frac{e z_i \psi}{k_B T}\right)$$

Poisson's Equation

Boltzmann Distribution

Conclusions & Future Work

- Effects of model parameters on the EDL formation and structure such as the Langevin damping coefficient, system temperature, ion charge and concentrations are to be investigated.
- Radial distribution functions will be generated to determine the structure of the electrolyte.
- The model can be adjusted to simulate explicit solvent and ionic liquid systems.

Acknowledgments

- This model was created using LAMMPS, an open-source program developed at Sandia National Lab that parallelizes molecular dynamics code
- Andy Pascal & the Squires Group

