

Old and New Paradigms for Aerosol-Cloud-Precipitation studies

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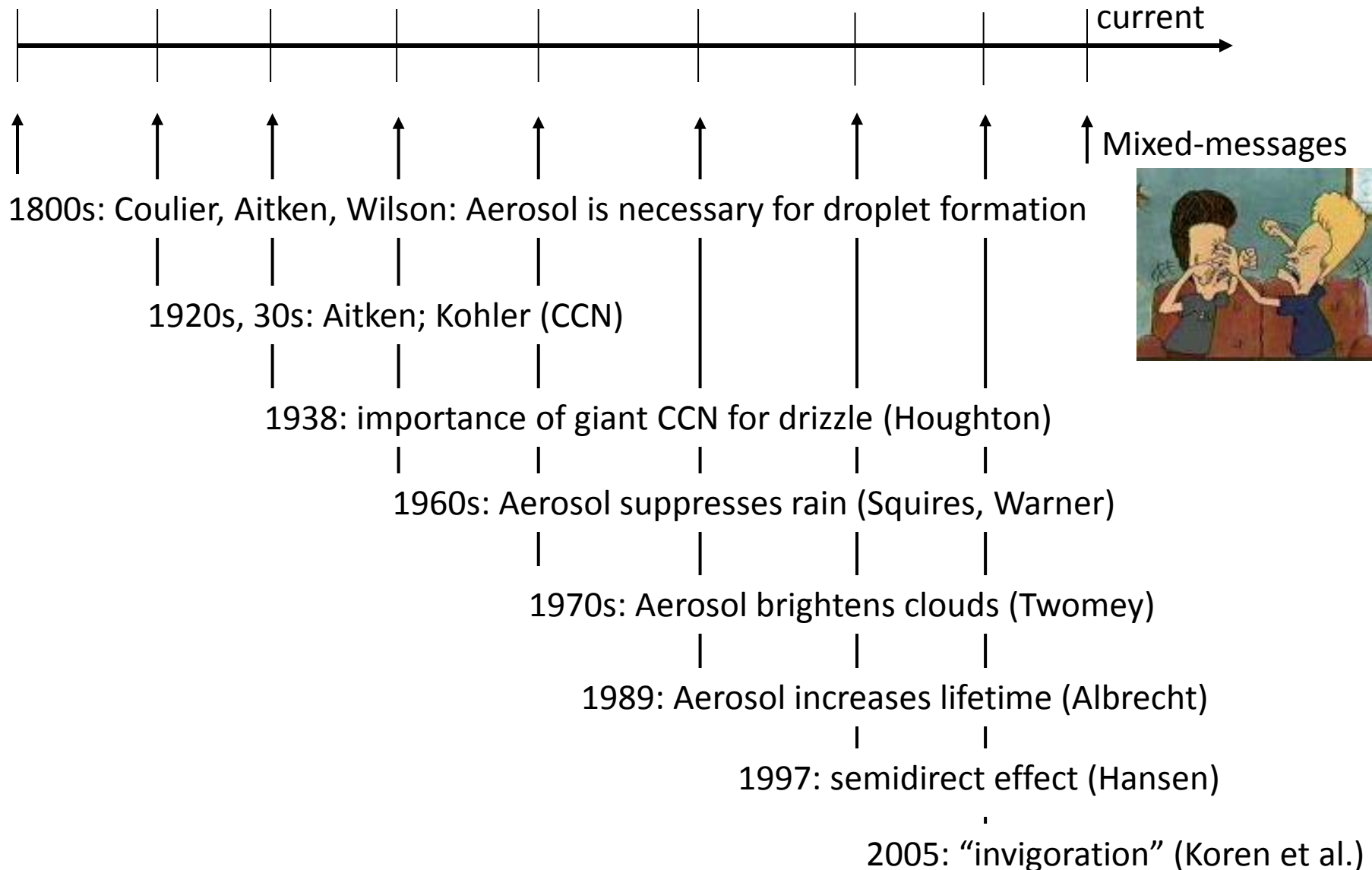
Contributions from Ilan Koren, S.-S. Lee, Patrick Chuang, Hailong Wang,
H. Morrison, G. deBoer, J. Harrington, M. Shupe, K. Sulia

DOE/ASR Science Team Meeting

March 13, 2012



A brief history of the world...



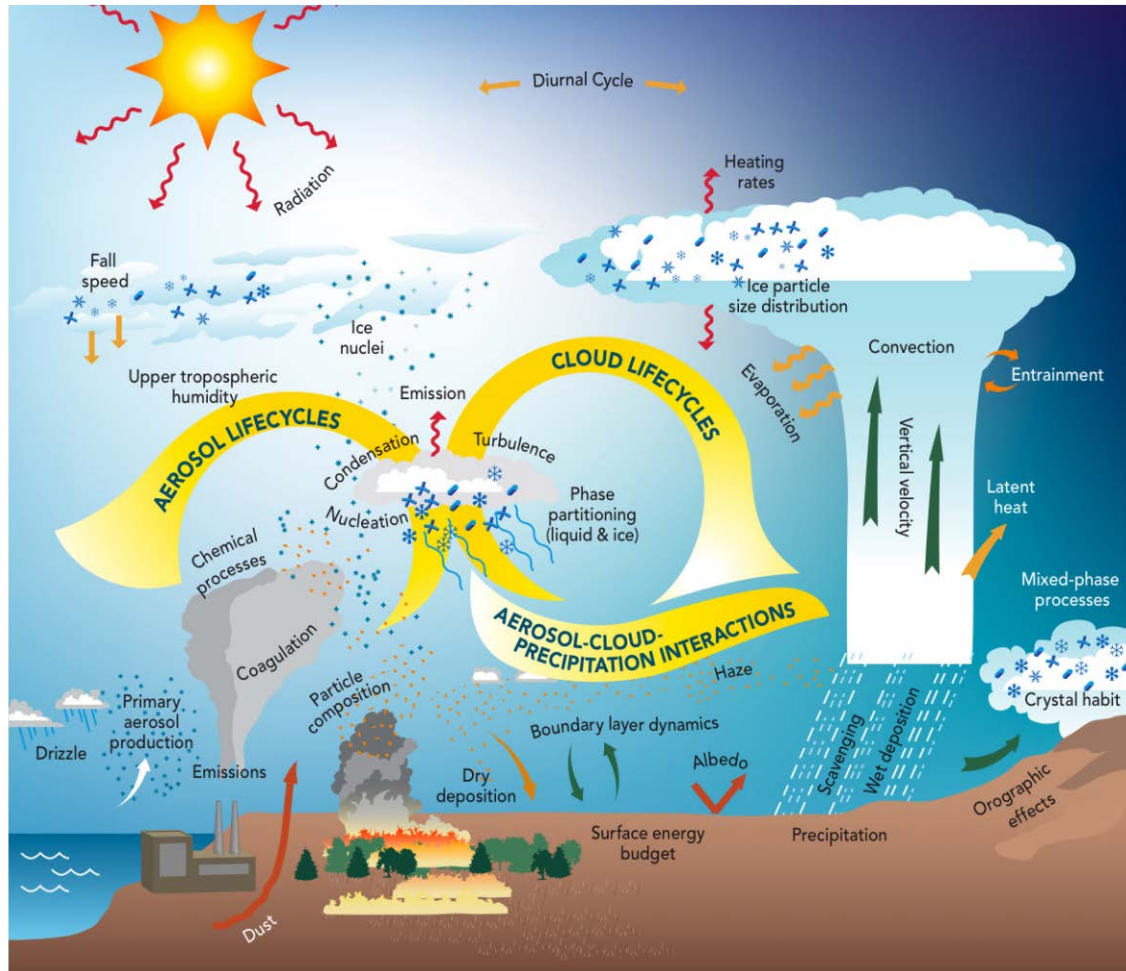
The outcome

- A series of aerosol indirect effects
 - 1st, 2nd.. nth
 - often poorly defined
 - misinterpreted
 - shoe-horned into climate models, often without regard to scale, aggregation

This Talk

- The Mesoscopic view
- Order
- Preferred Modes
- Robustness of Modes
- Transitions between Modes
- Simplified Equation Sets

Strongly coupled system: Aerosol-Cloud-Dynamics-Radiation-Land Surface



From DOE/ASR Science and Program Plan

- Complexity at a huge range of spatiotemporal scales
- Number of degrees of freedom of this system is staggering
- Important implications for climate

Mesoscopic Order

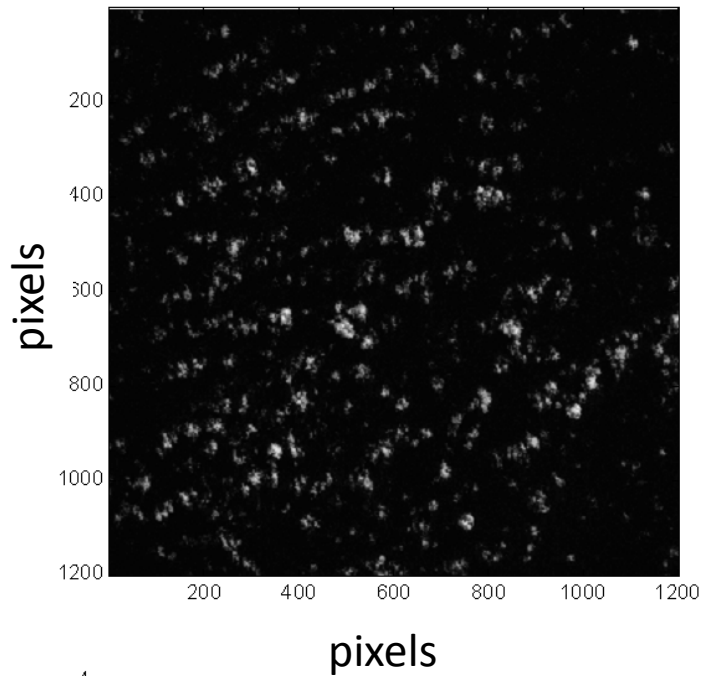


Microscopic = individual birds or grains of sand
Mesoscopic = bird flock or sand dune

Don't need to model every bird or every grain of sand to obtain the emergent properties of the system

Order

- Cloud Size distributions follow power laws

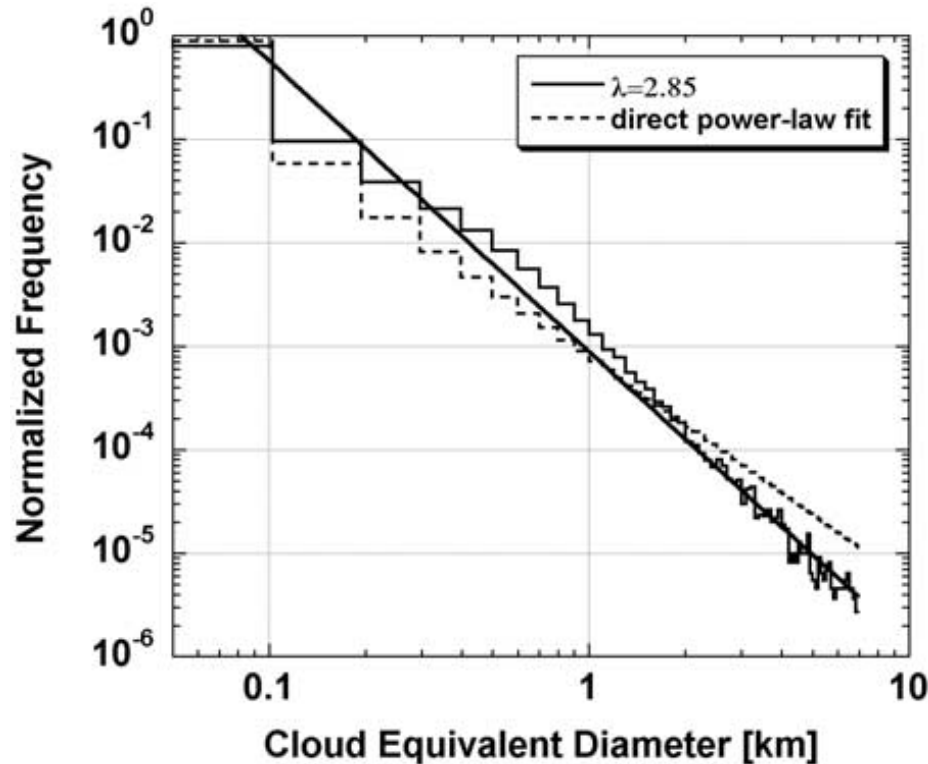


Landsat 30 m imagery



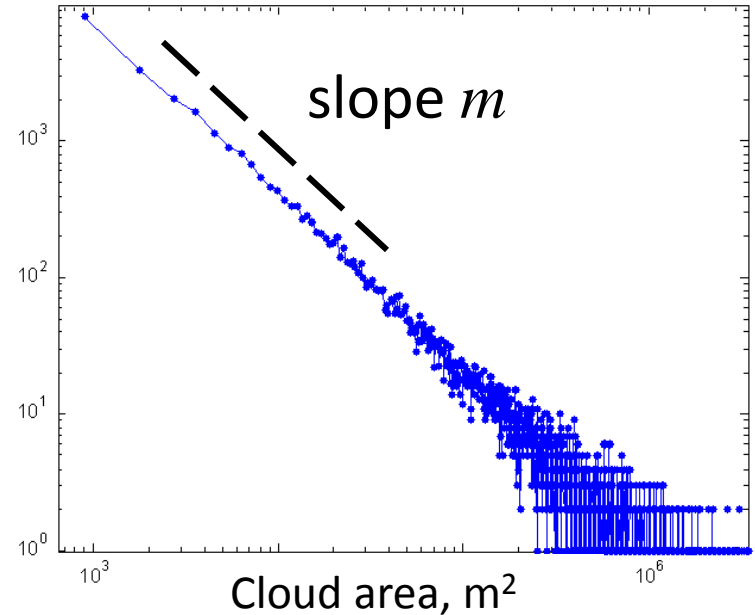
Photo: Barbados (CIRPAS Twin Otter)

Cloud Size Distributions



Zhao and DiGirolamo 2007
ASTER 15 m imagery

See also Benner and Curry, 1998

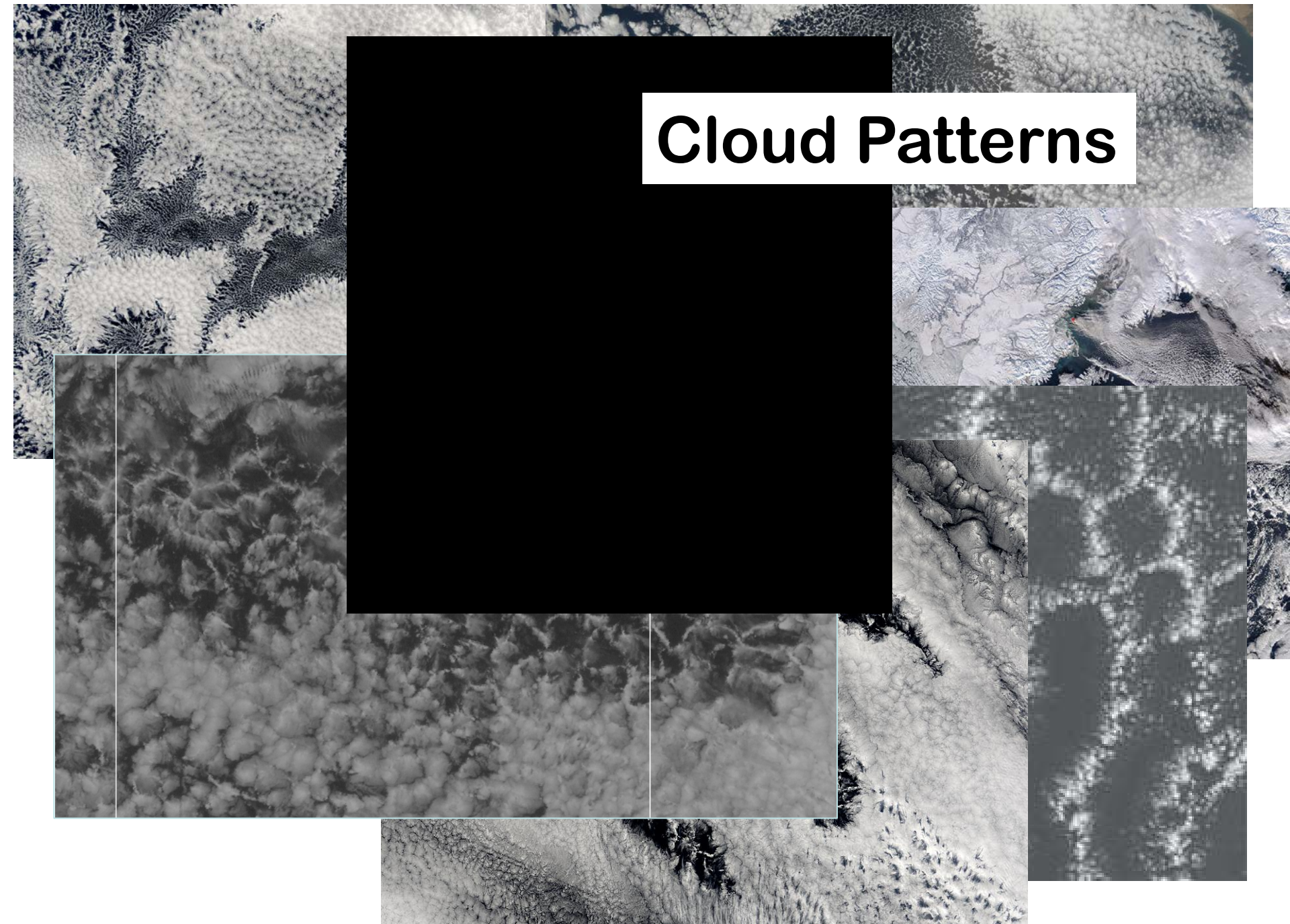


$$n(a) = ba^{-m}$$

a = area of individual cloud

Koren, et al., 2008
Landsat 30 m

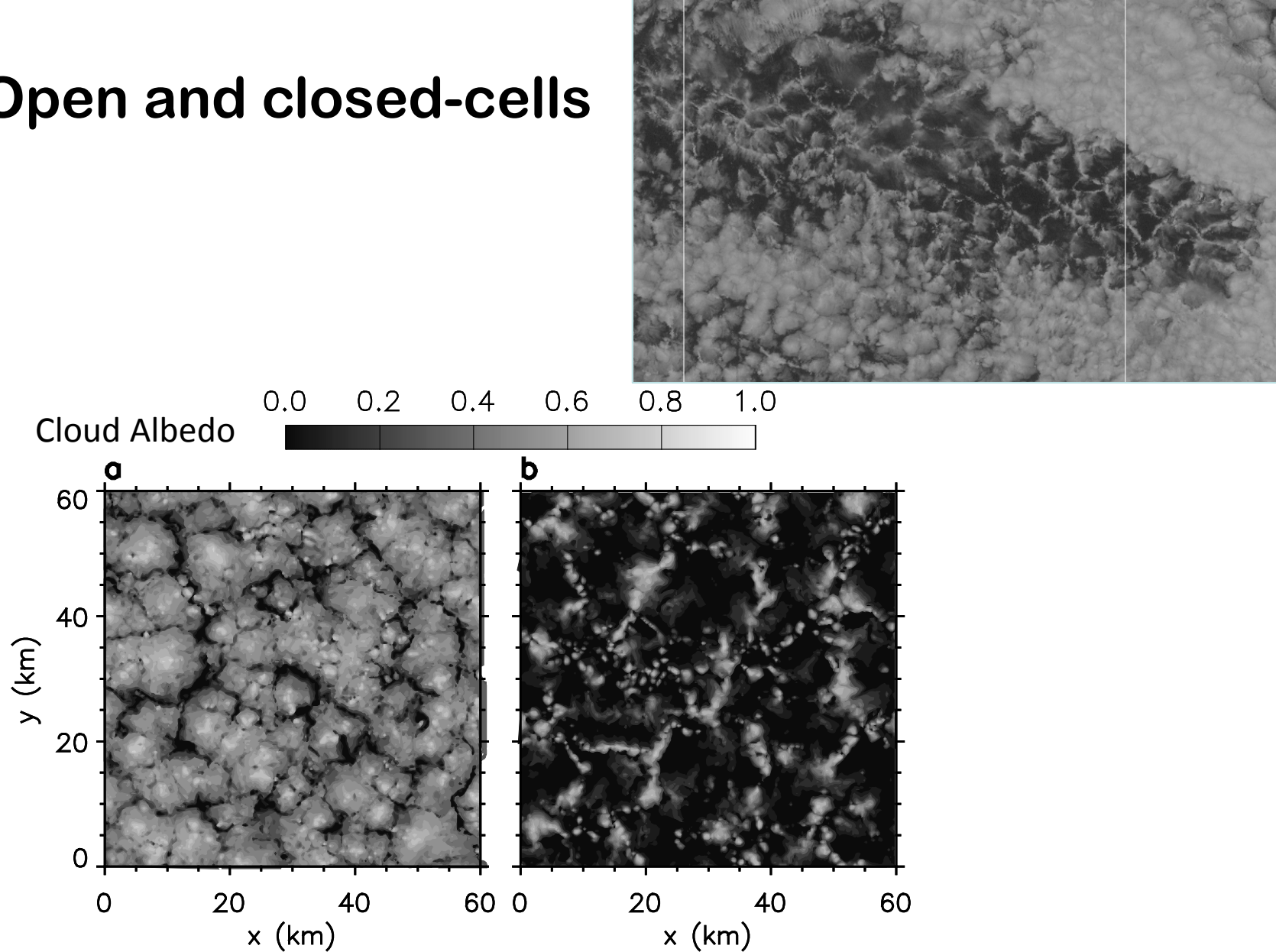
Cloud Patterns



MODIS, MISR, GOES images

Preferred Modes

Open and closed-cells

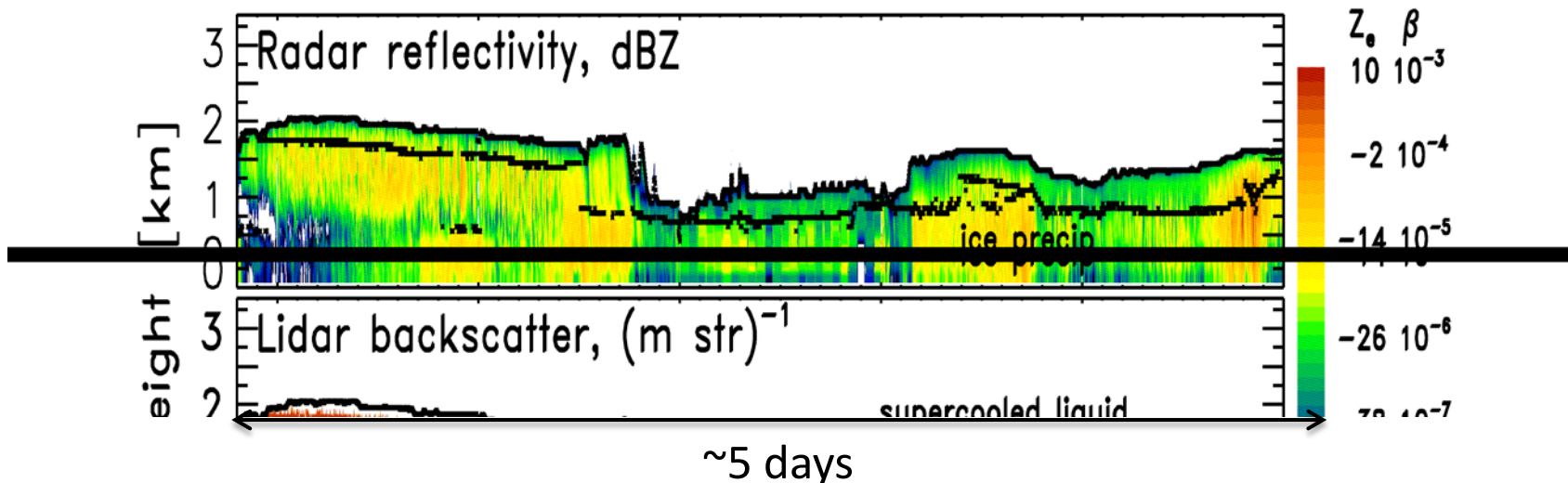


Feingold, Koren, Wang, Xue, Brewer (2010)

See also Bretherton et al. 2004; Stevens et al. 2005; Savic-Jovicic and Stevens 2008; Xue et al. 2008; Wang and Feingold 2009

Resilient Mixed Phase Arctic Stratus

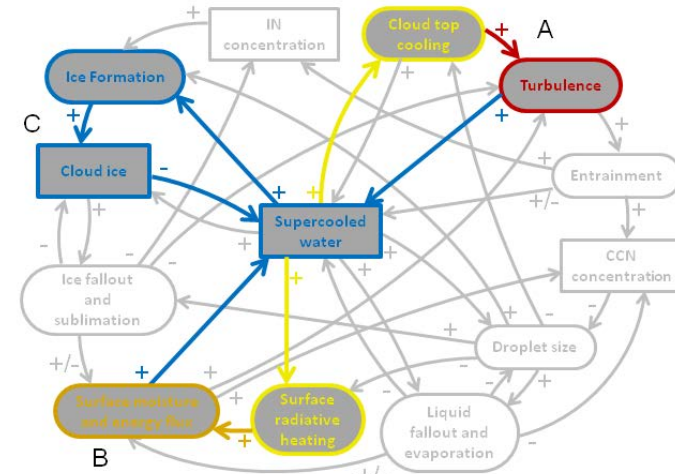
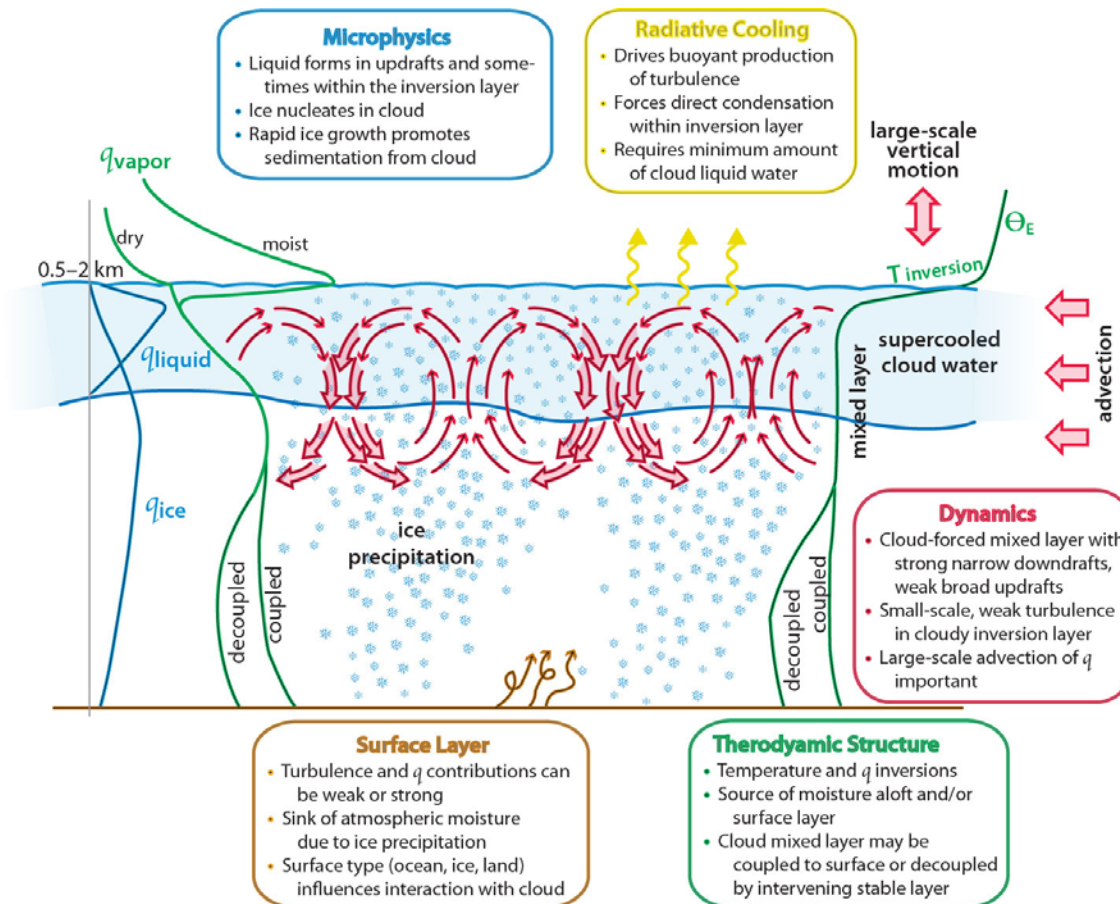
Thin liquid water cloud



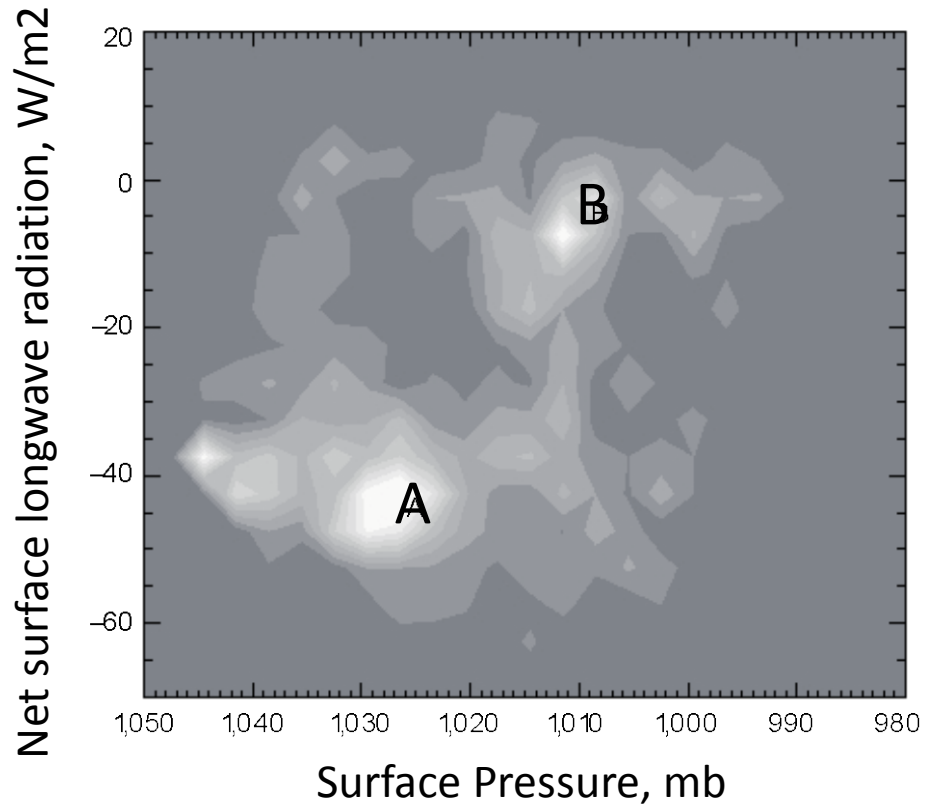
Clouds persist for days on end

Why is this cloud system stable when ice is present??

Many complex interactions → system wide order



Preferred States



A and B are resilient stable states

A = Radiatively clear

B = Cloudy

Transition between States

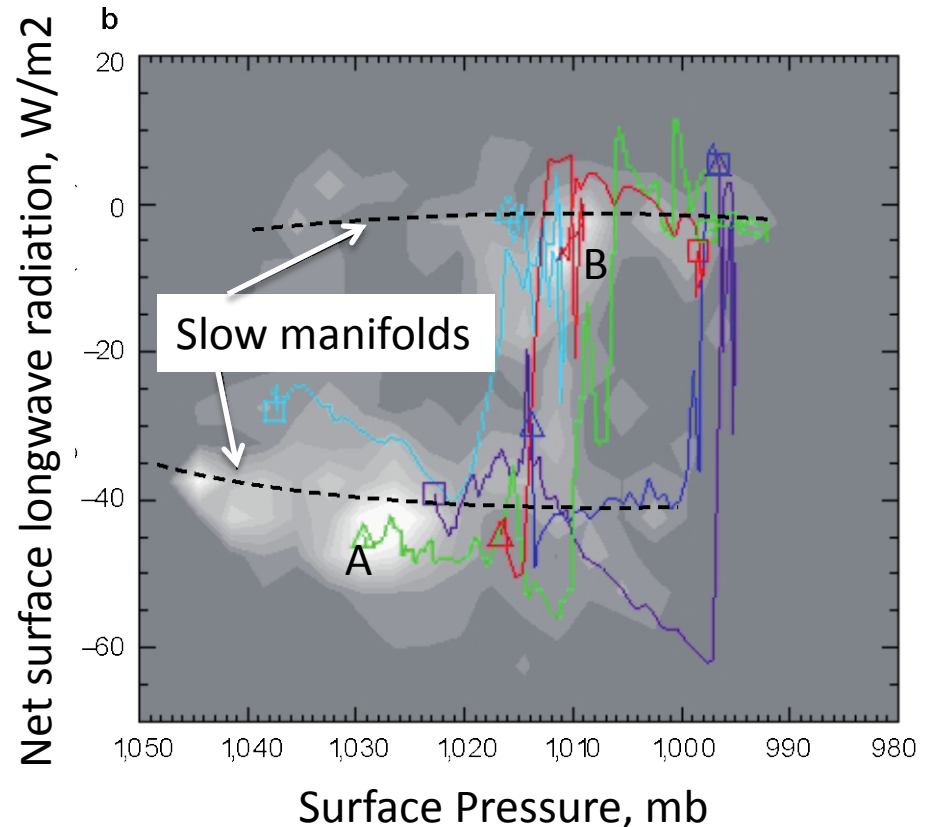
Fast processes: local interactions

Slow processes: broad meteorological environment

Fast processes “slave” system to the slow manifold

Transitions occur when changes to the largescale environment are significant

Support from LES (e.g., Solomon 2011)



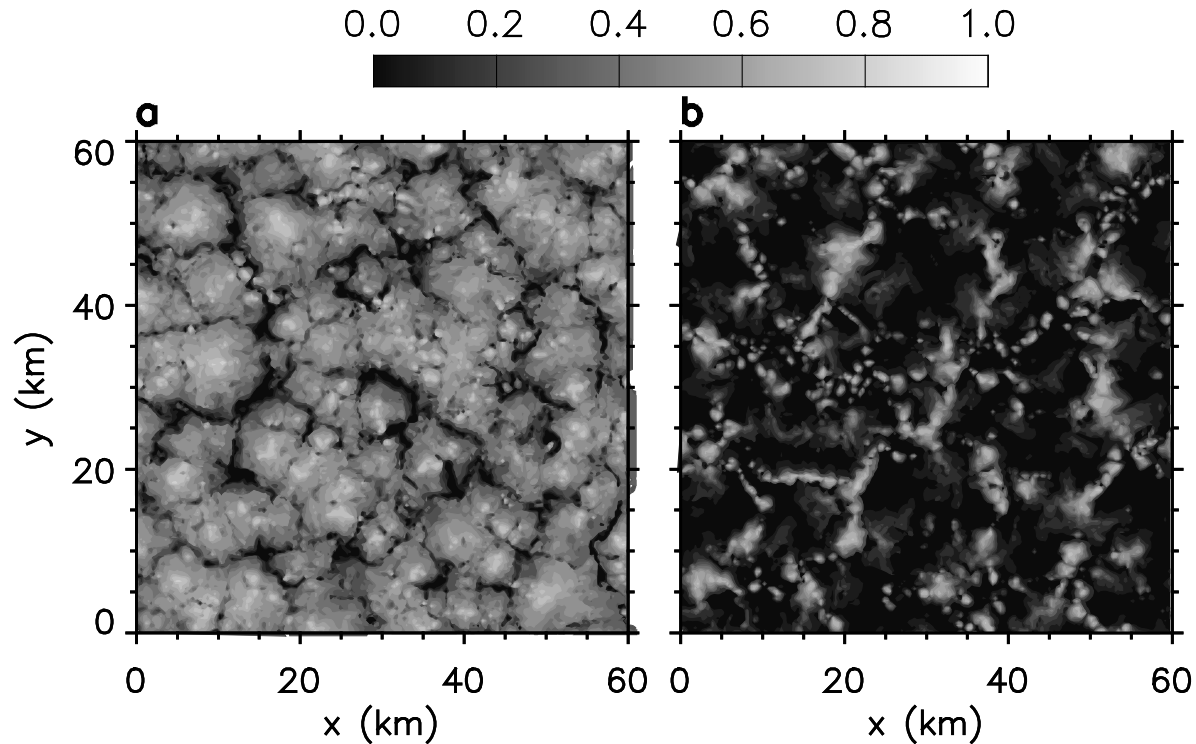
Colored trajectories: transition between states
Triangle = start; square = end

A = Radiatively clear

B = Cloudy

Aerosol Influences

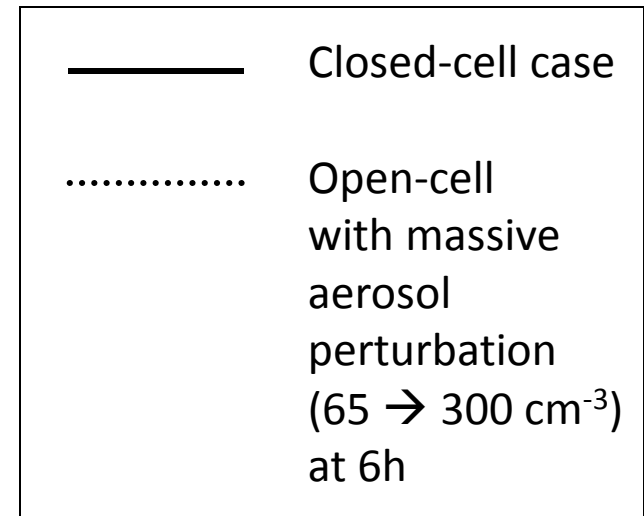
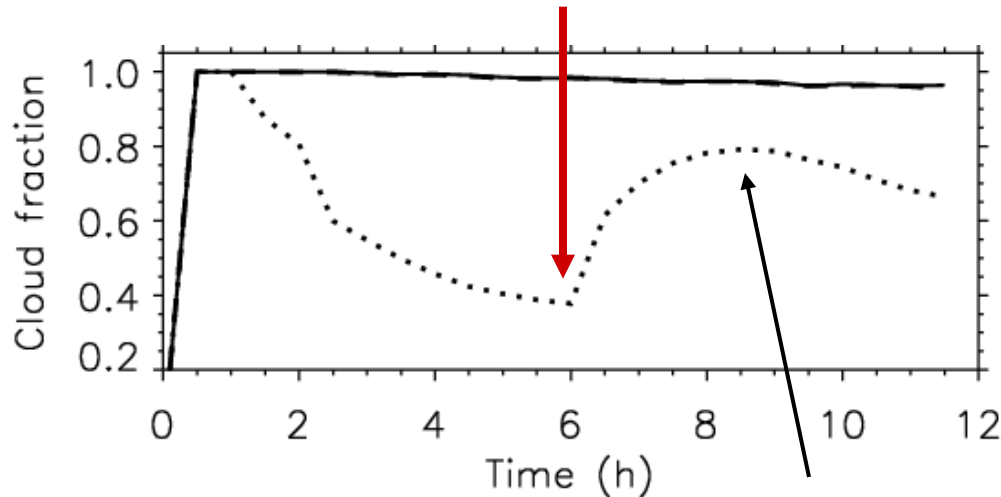
How resilient are the open and closed-cell states?



Resilience

Self-organising systems are resilient to change

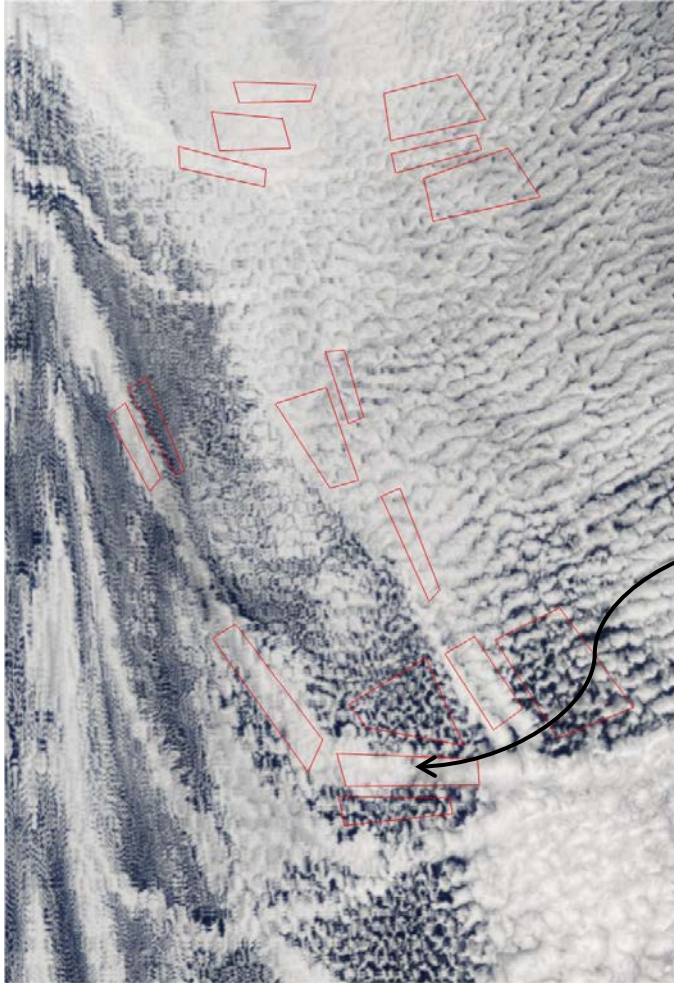
Massive aerosol perturbation



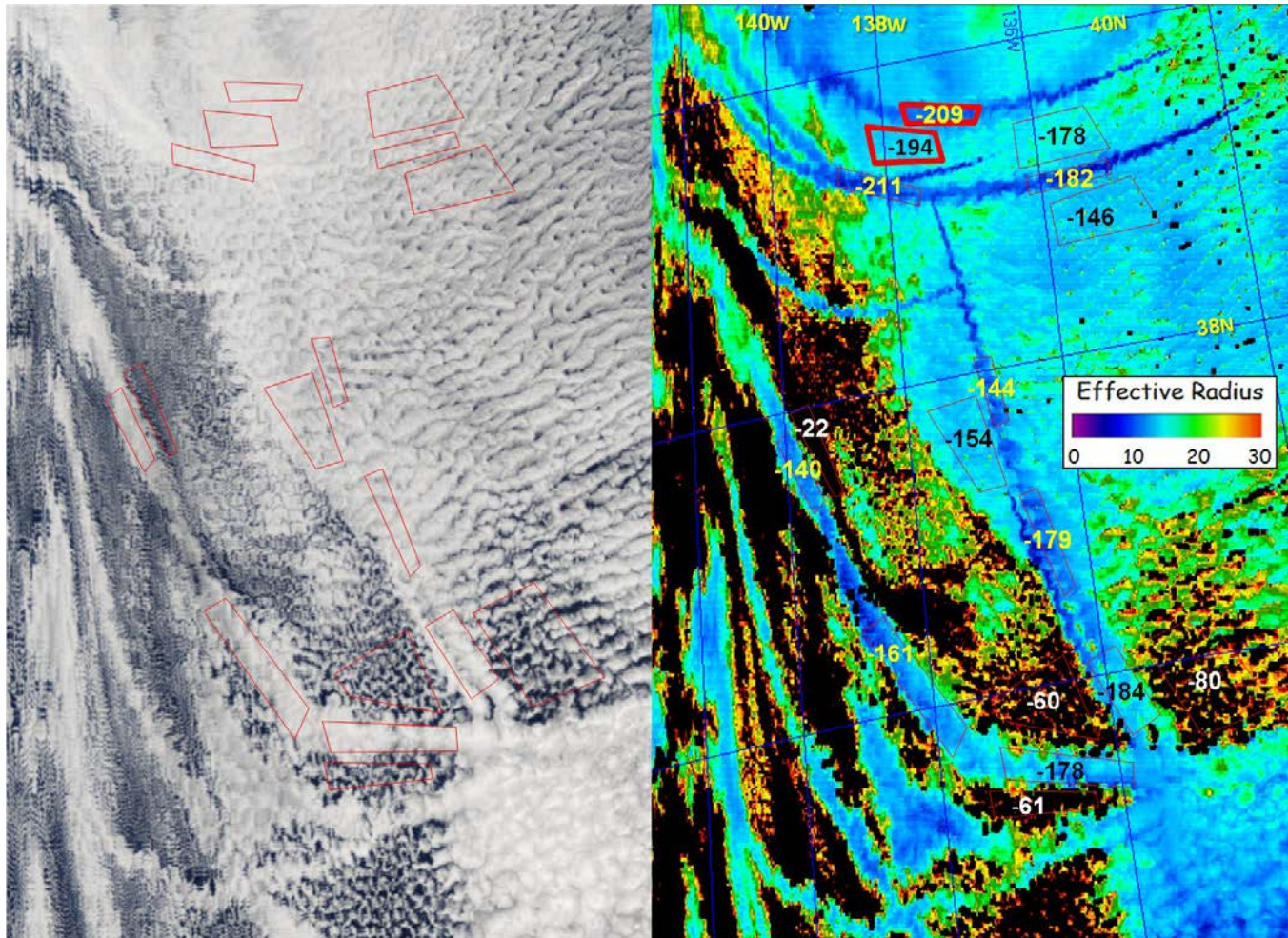
- Thin “anvil cloud” lacks dynamical support
- Cells remain open

- *a certain amount of random perturbation may facilitate rather than hinder self-organization*
- *possible implications for geoengineering (Wang et al. 2011)*

The counter example!



*Distinct closing of open cells
by ship tracks*



Aerosol influences in trade cumulus

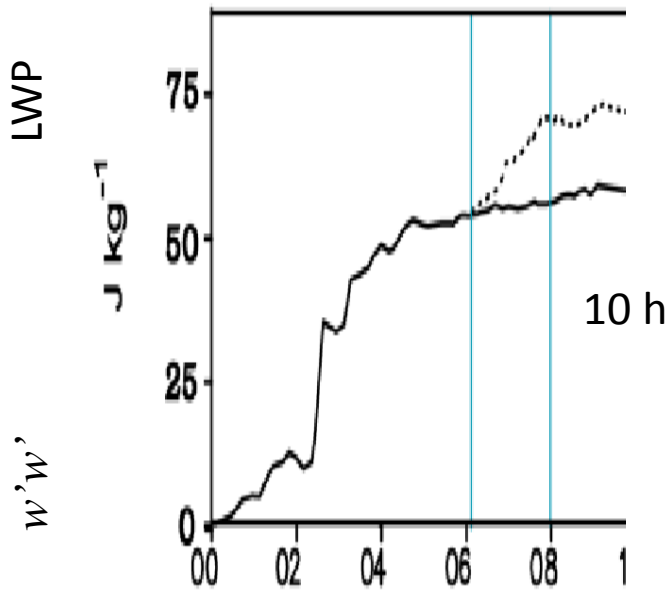


Photo Jen Small
RICO clouds

Robust features vs. Transients

RICO

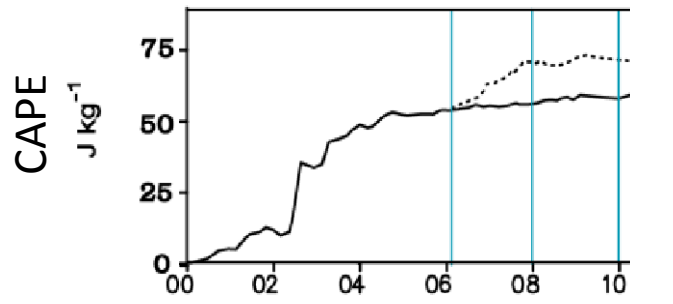
e



τ for inversion adjustment: days
 τ for thermodynamic adjustment ~ 0.5 days

10 h

e

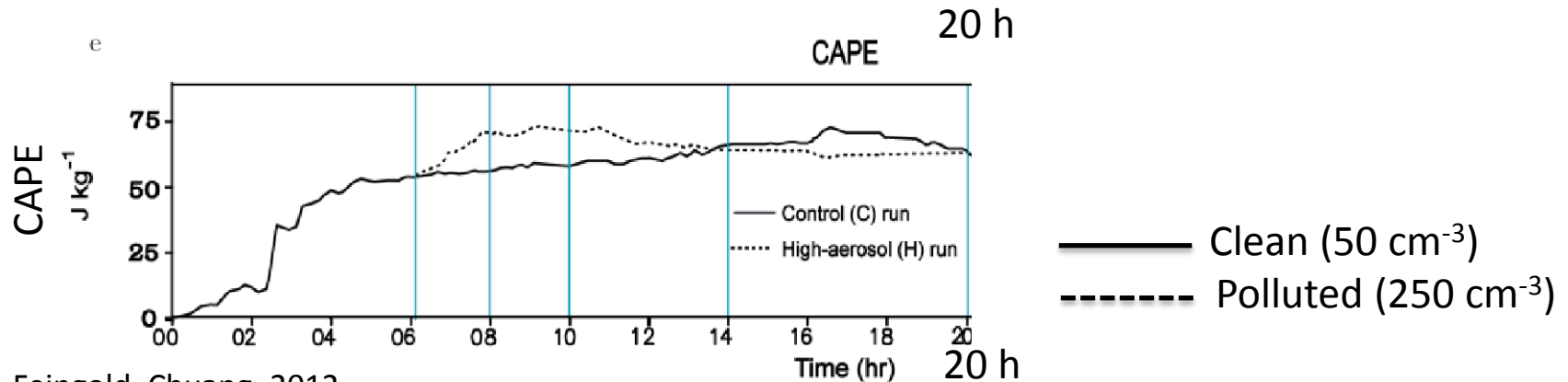
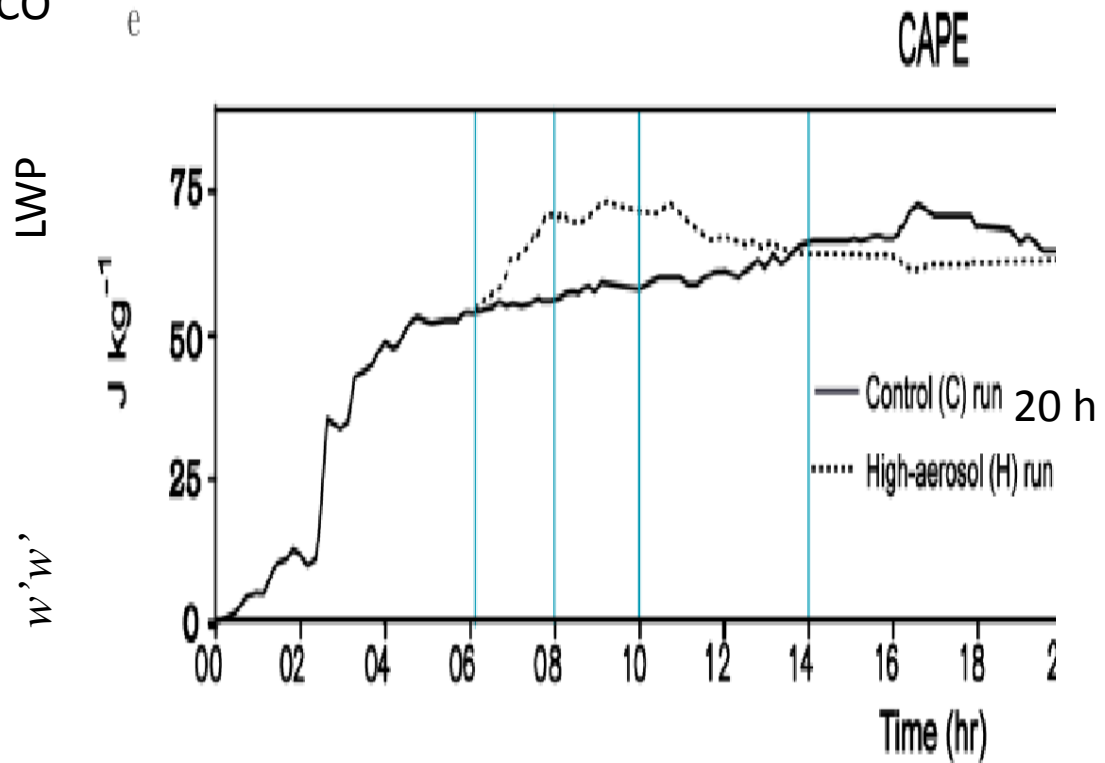


— Clean (50 cm^{-3})
 - - - Polluted (250 cm^{-3})

10 h

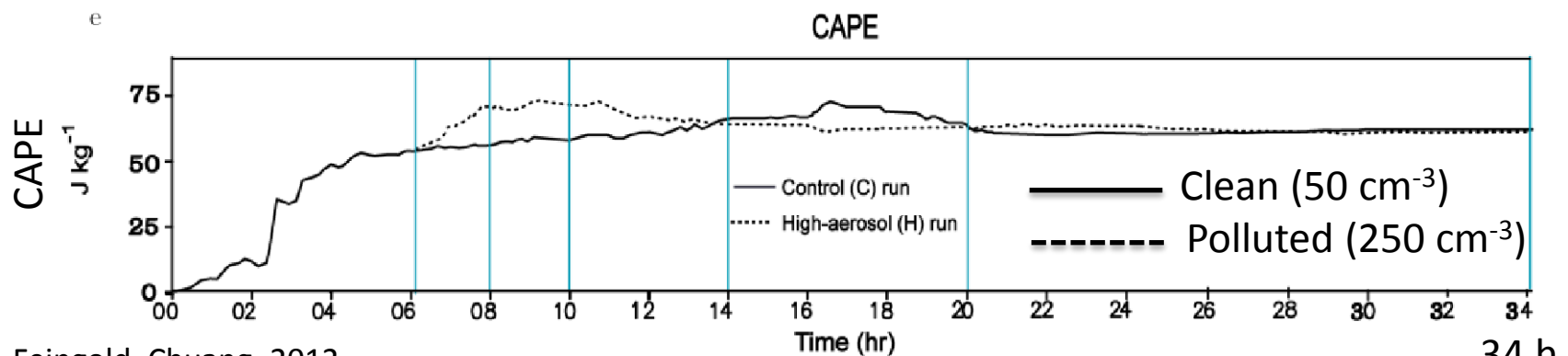
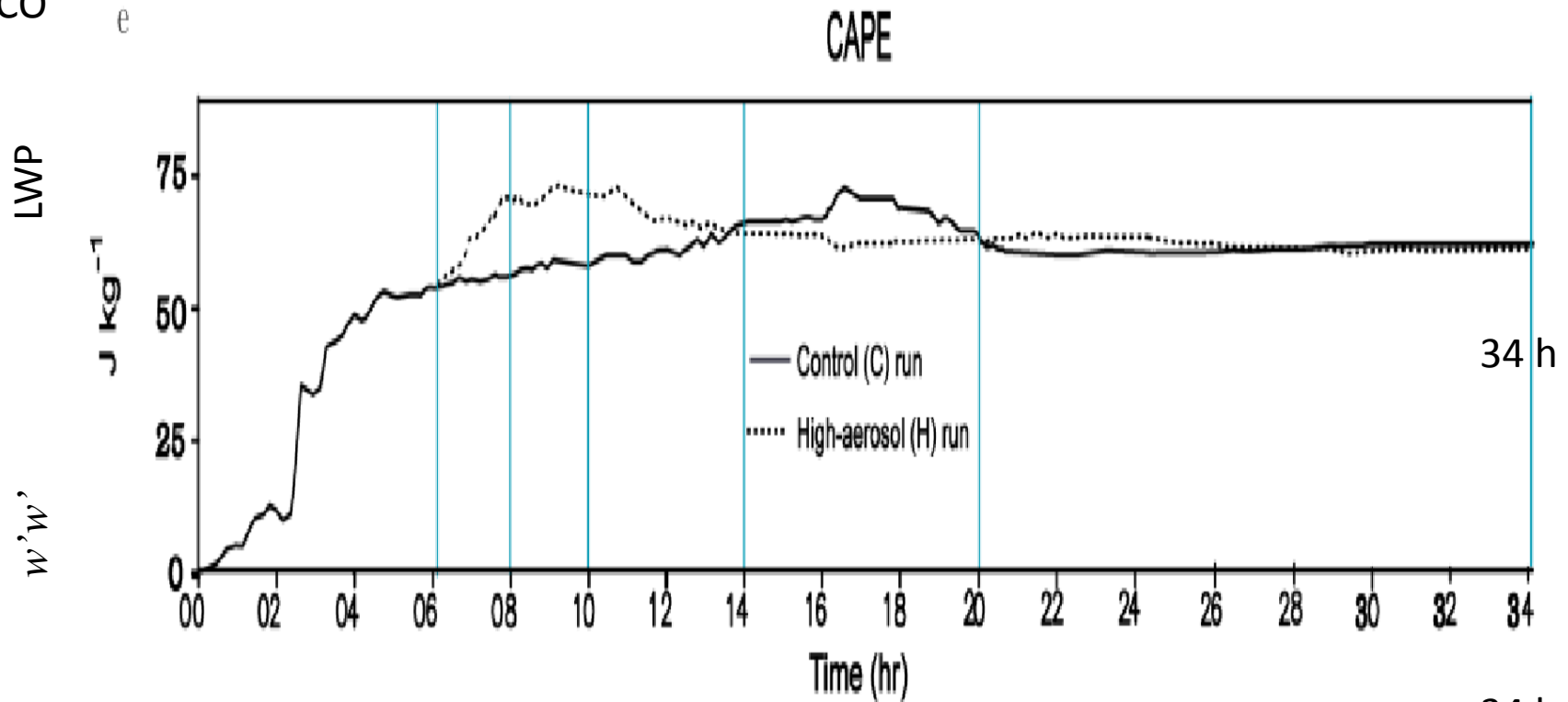
Robust features vs. Transients

RICO

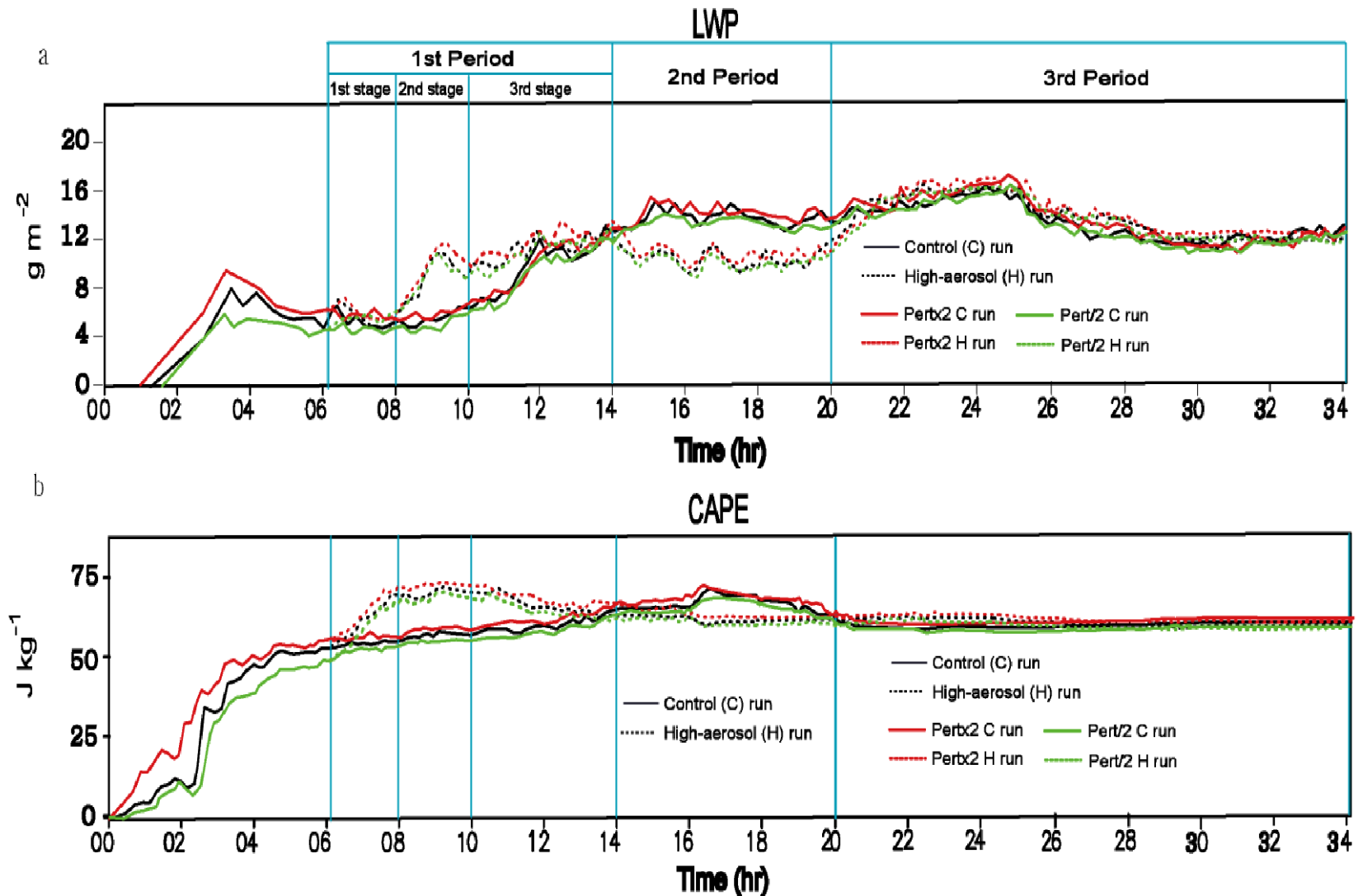


Robust features vs. Transients

RICO

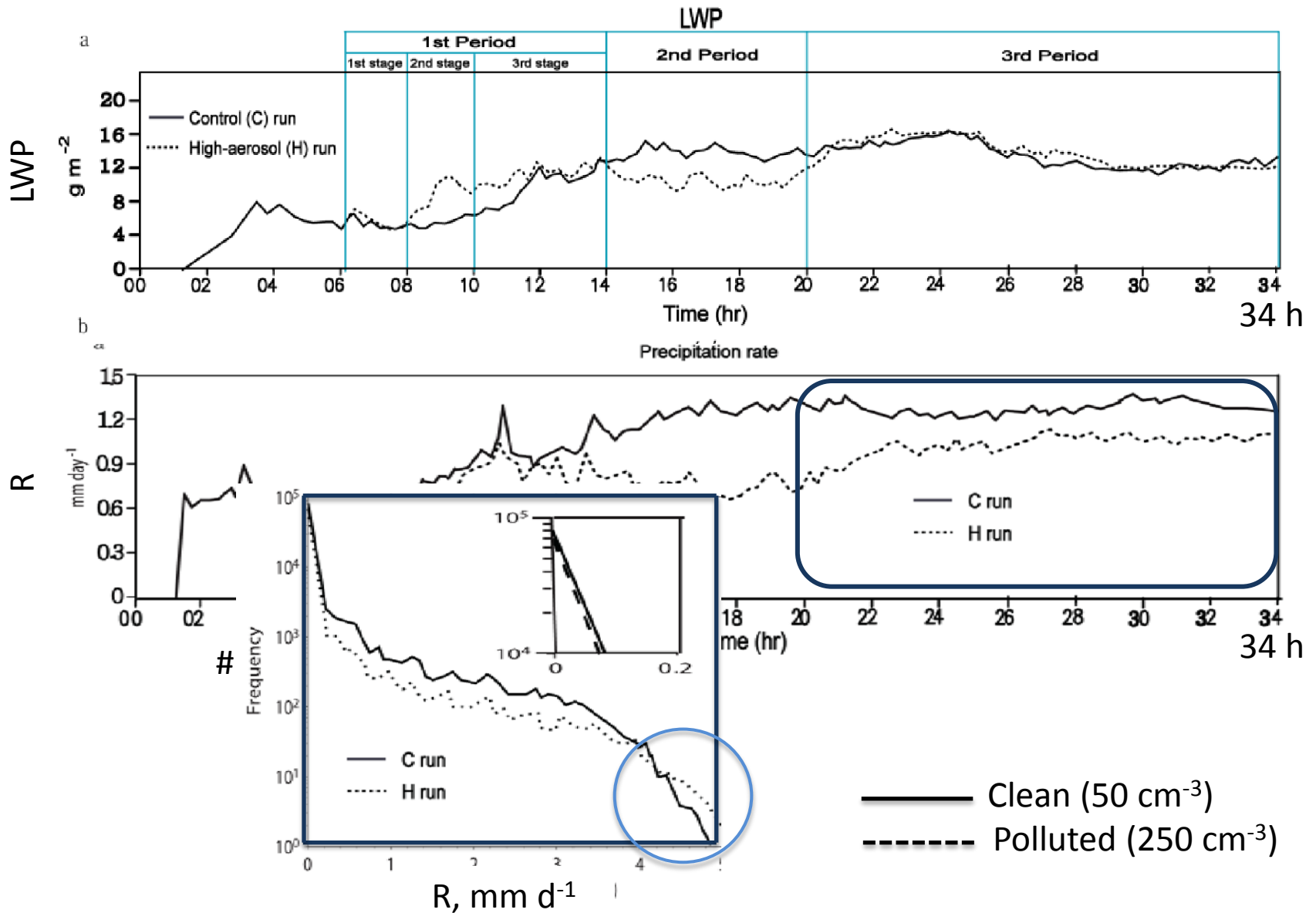


“RICO Ensemble”

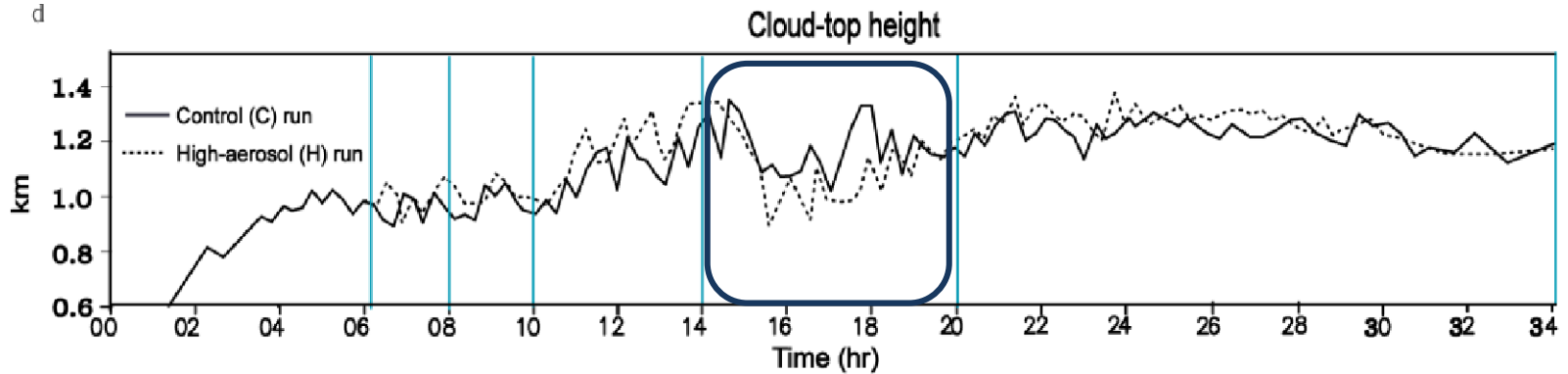


Many fields converge to a steady state

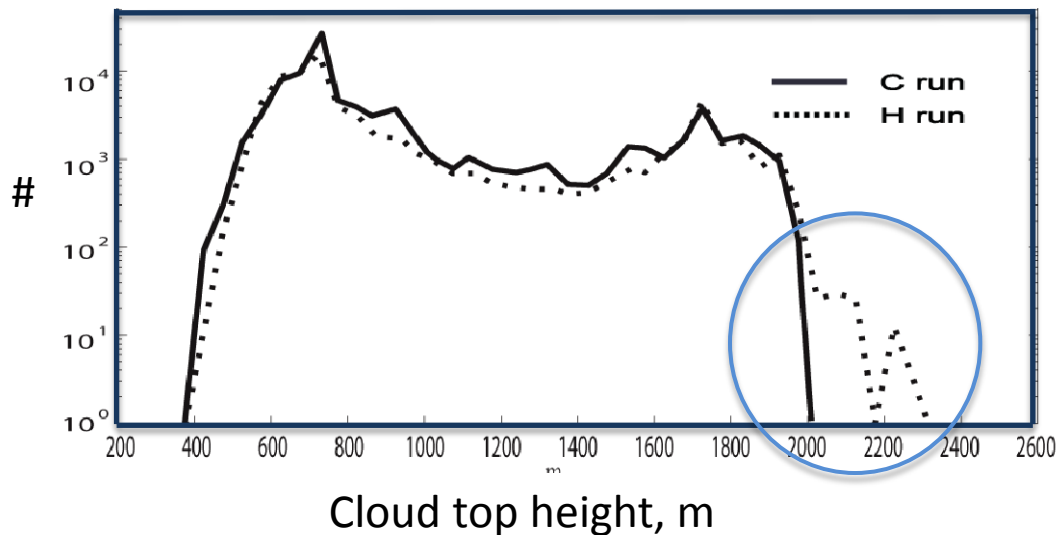
Rainrate



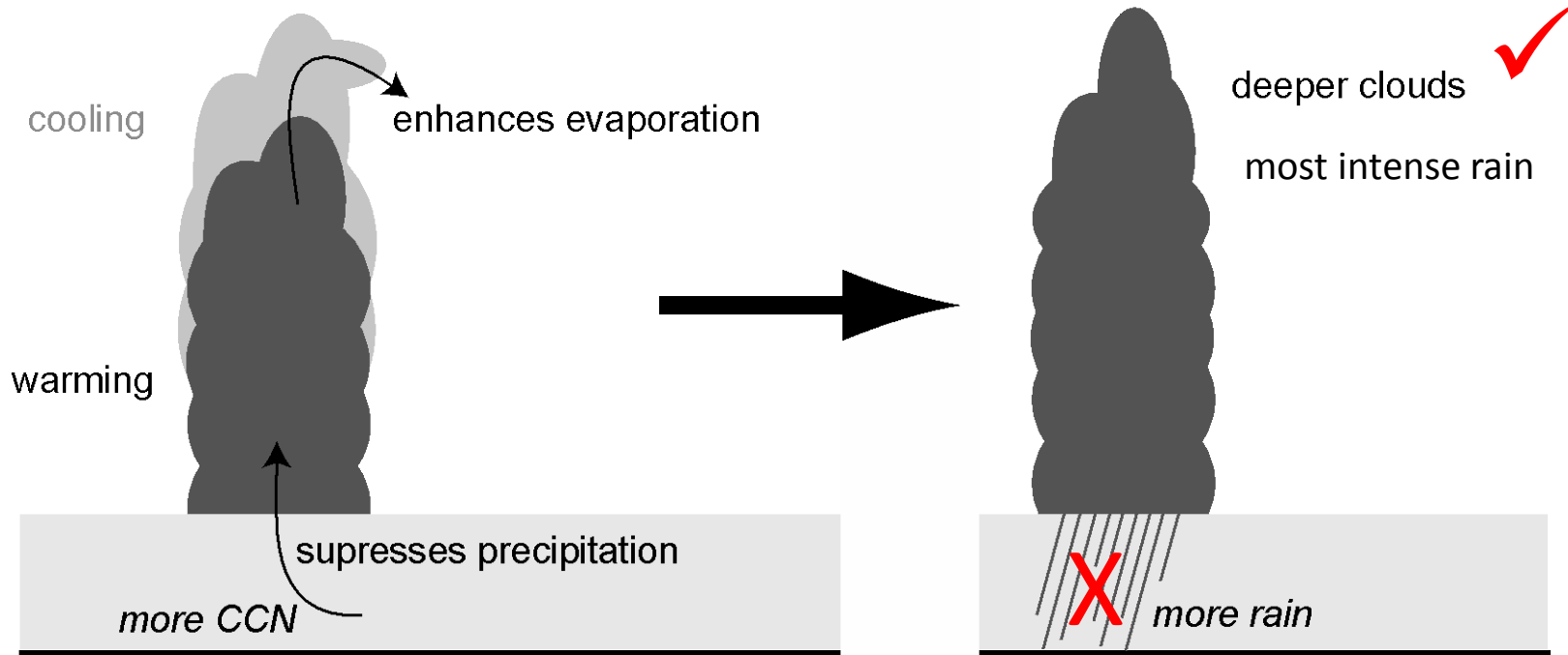
Cloud-top height



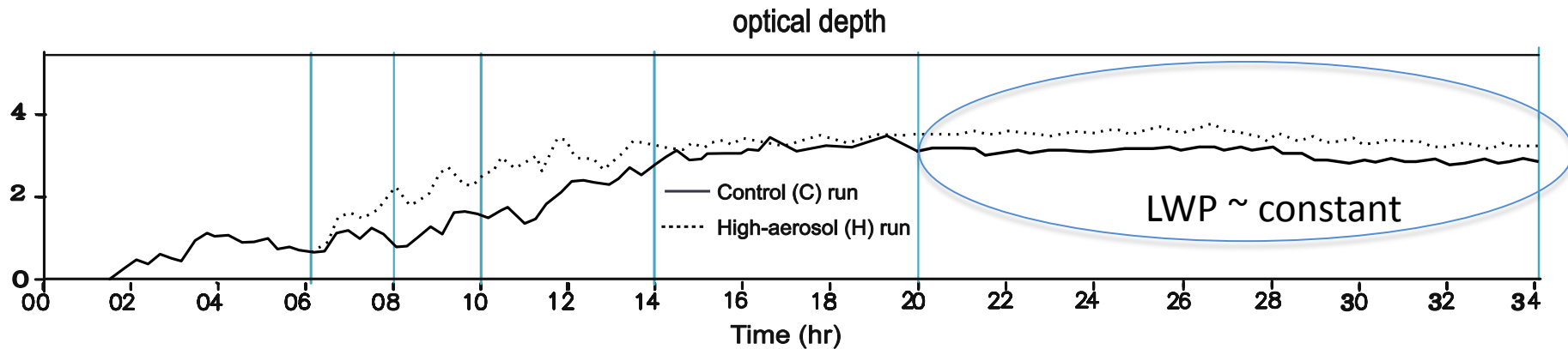
— Clean (50 cm^{-3})
- - - - - Polluted (250 cm^{-3})



Even when the clean case is more active, the deepest clouds are associated with high aerosol



Influence on cloud optical depth



Only about half of the Twomey increase in albedo is realised

i.e., $1/2 \times (250/50)^{1/3}$

— Clean (50 cm^{-3})
- - - - - Polluted (250 cm^{-3})

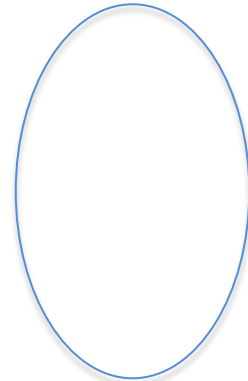
**Aerosol influences on deep
convective clouds**

Preferred modes?

TWP-ICE: Strongly forced: very weak aerosol influence on mean R

Precipitation rate

TWP-ICE

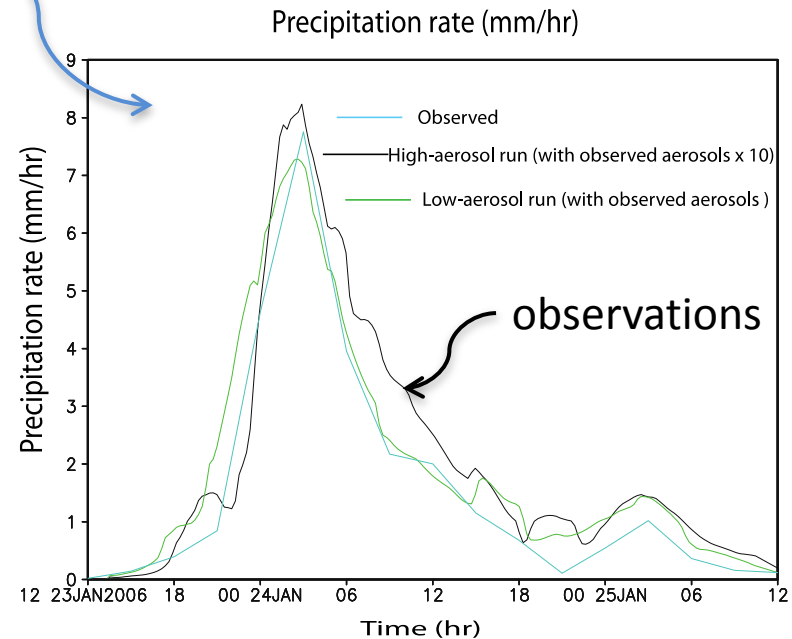


Morrison and Grabowski (2011)
EULAG + M-microphysics

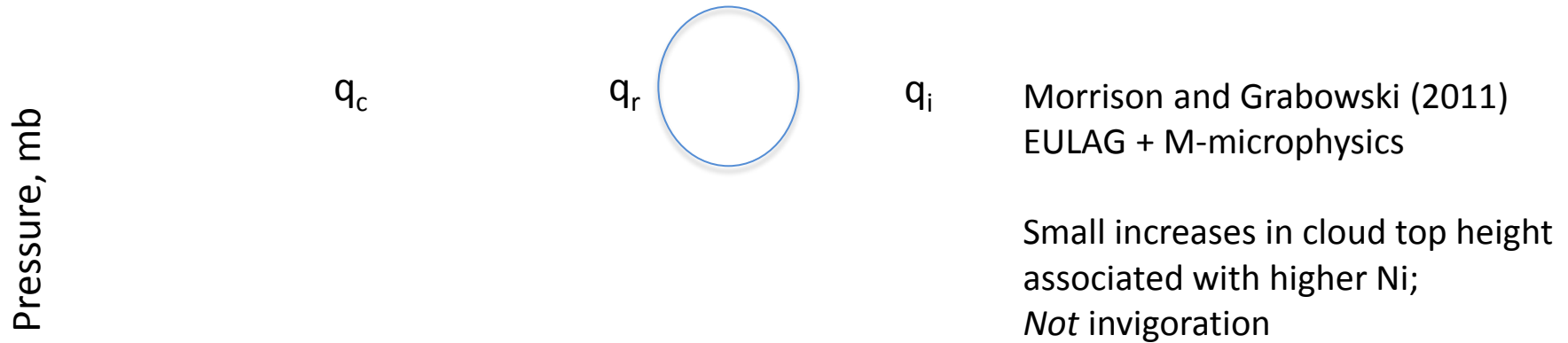
3 ~ superimposed lines for different aerosol

- Similar mean R
- < 10% increase in total precip over 2 day period for 10x increase in aerosol

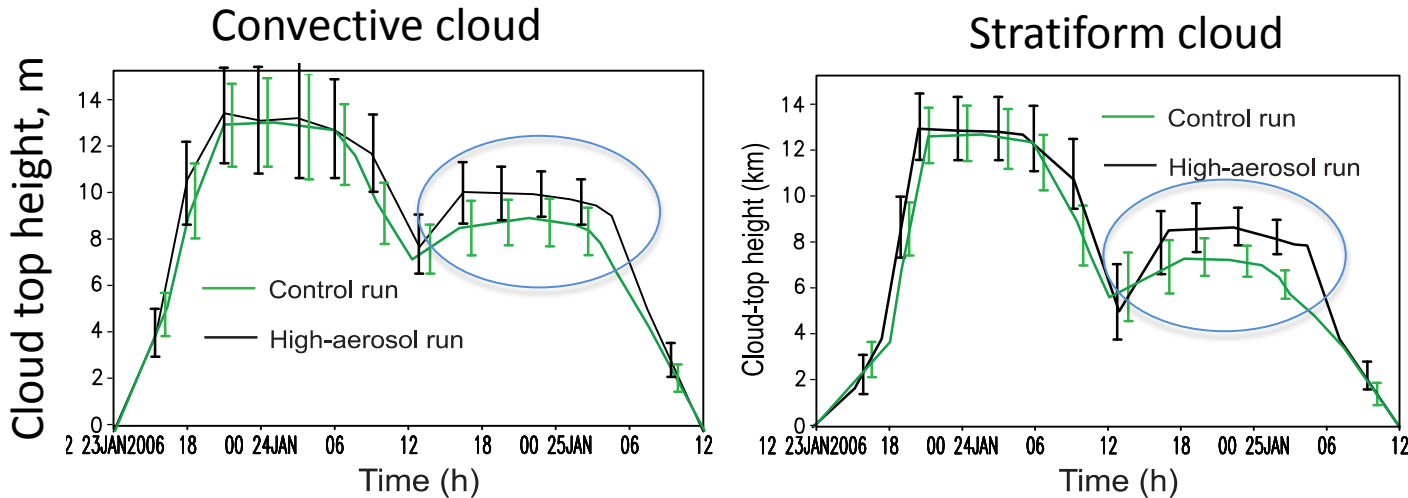
Lee and Feingold (2012)
GCE+RAMS microphysics



TWP-ICE: Invigoration?



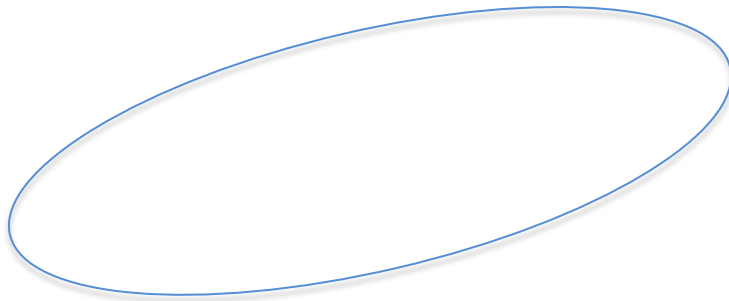
Little to no influence of aerosol on cloud top height



Lee and Feingold (2012)
GCE+RAMS microphysics

Cloud top height elevation (> 1 km) for higher aerosol in less active period

Cloud top temperature



SGP

Li et al., 2011 10 yrs ground-based data

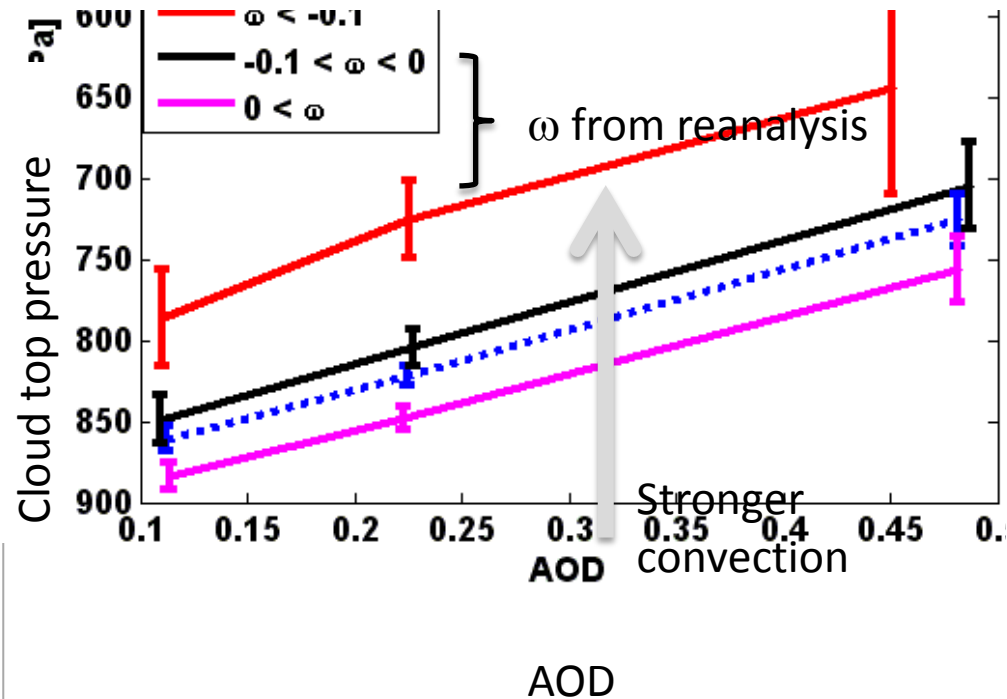
For mixed-phase, convective clouds:
- Higher cloud tops correlate with higher surface CN concentrations

Surface CN concentration

Atlantic ocean (tropics)

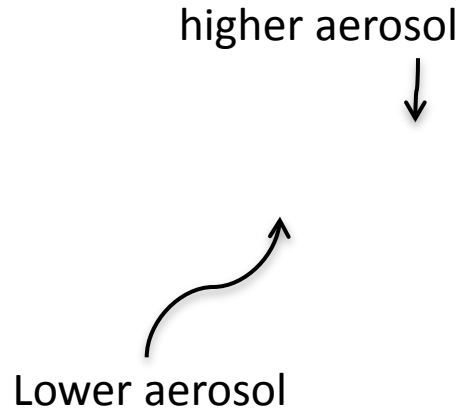
Koren et al. 2010

- Mixed-phase, convective clouds
- Higher cloud tops correlate with higher AOD
- Vertical velocity dominates AOD effect



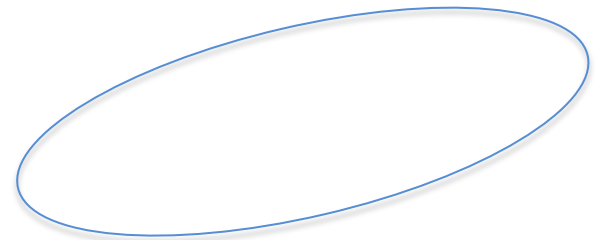
Li et al., 2011 SGP, 10 yrs
ground based data

*Higher frequency of heavier rain
for high aerosol loading*



Model results:

*Increase in rain amount with increasing
aerosol for warm-base summertime
Convection (weak shear)*



TRMM rainrates:

- Reanalysis provides meteorology (updraft, RH)
- Meteorology dominates R
- R increases with increasing AOD
- Note: heavier TRMM rainrates, not total precip.

Rain rate, mm/h

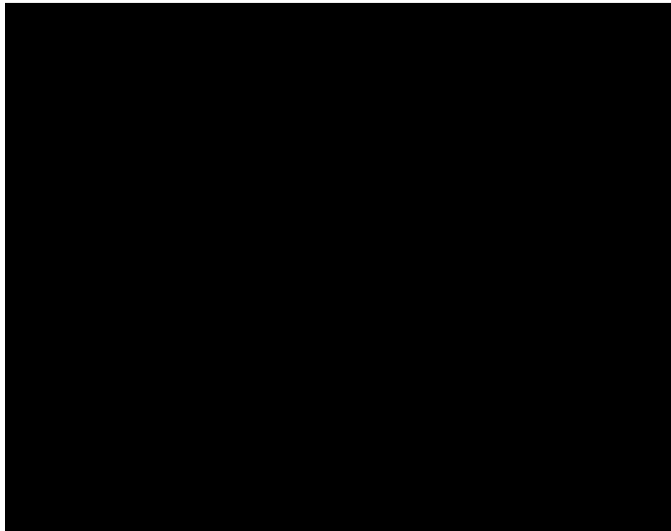
Stronger convection



Simplified Equation Sets

Predator-Prey Model

Lotka-Volterra Equations
(circa 1926)



$x = \text{prey}$

$y = \text{predator}$

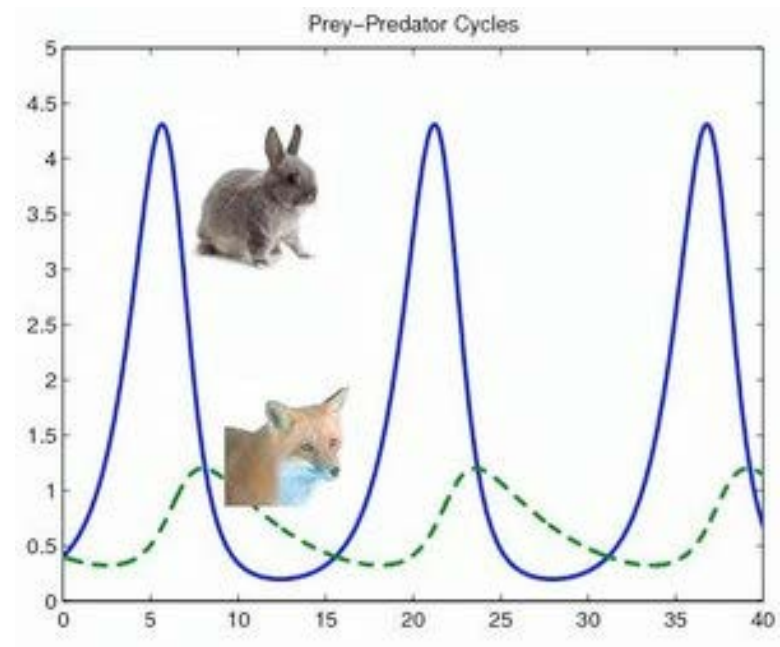


Image courtesy of Wikipedia

4 parameters:



Predator-Prey Model

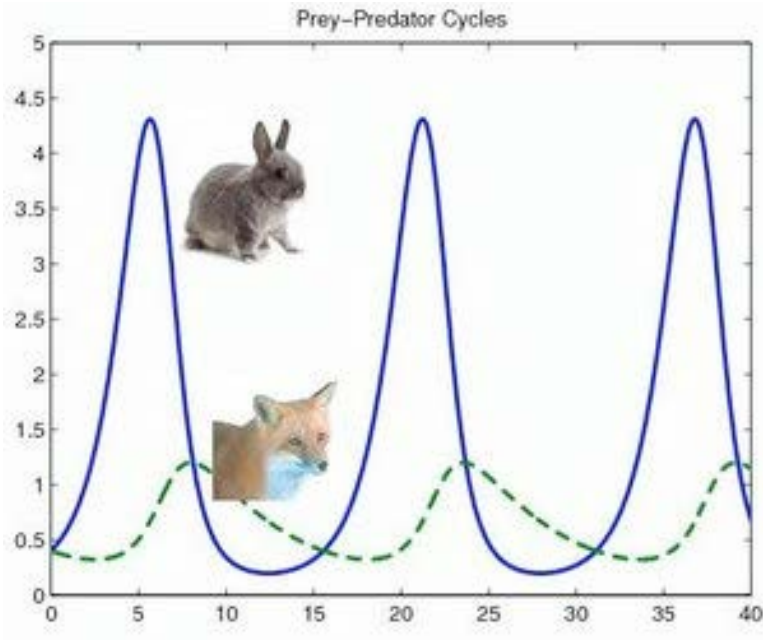


Image courtesy of Wikipedia

Many possible predator-prey pairs:

Rain; Cloud (Koren and Feingold)

Convection; Instability (Nober and Graf)

Droplets; Supersaturation

Ice; Water (Bergeron-Findeisin; U. Wacker)

4 parameters:

$$\alpha, \beta, \gamma, \delta$$

Predator-Prey model for Convection

$$\frac{dn_i}{dt} = n_i F_i + \sum_{j=1}^N K_{ij} n_i n_j$$

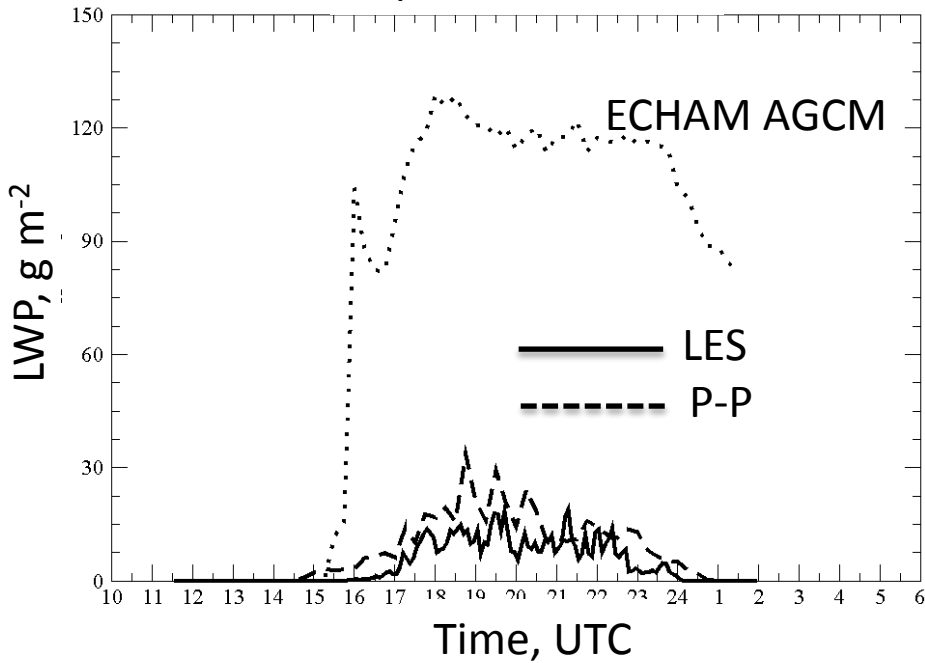
$i=1, n$

n_i = number of clouds of type i

F_i = “food supply” (instability)

K_{ij} = interaction matrix

Liquid Water Path



Cloud size distribution

Cloud radius, m

Clouds = Predators
Instability = Prey

ECHAM Single Column Model

Precipitation rate

SGP IOP 1997

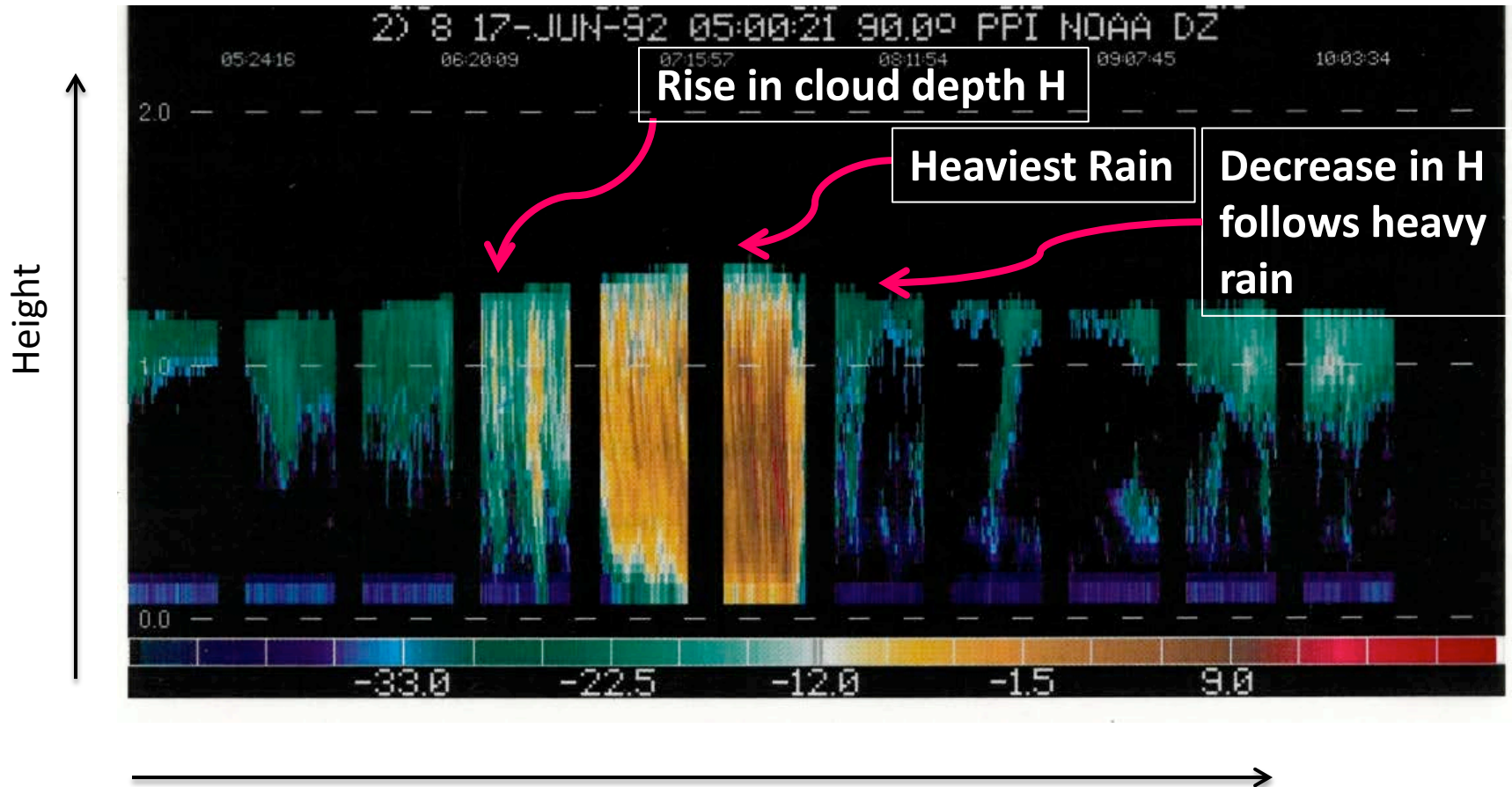
— Observations
- - - P-P model

Precipitation rate

Darwin TWP-ICE 2005

Predator-Prey Model for Aerosol-Cloud-Precipitation

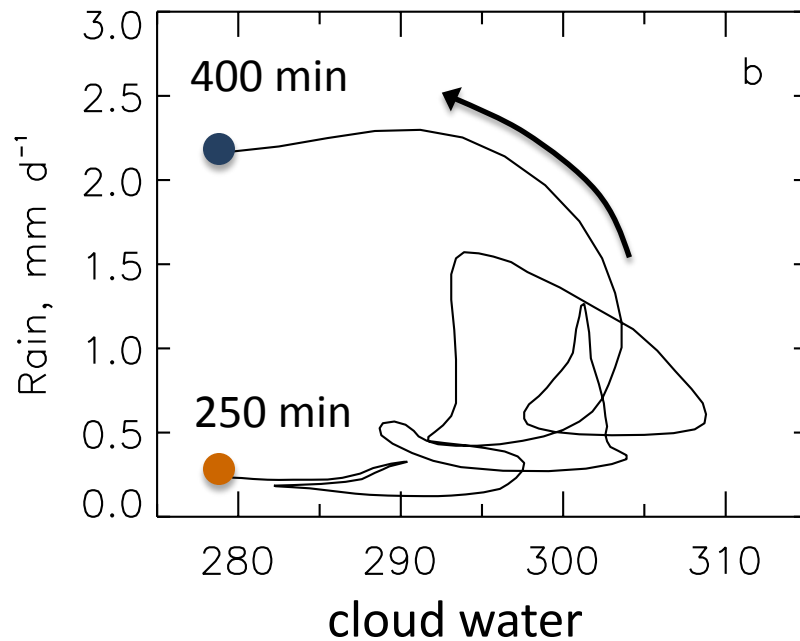
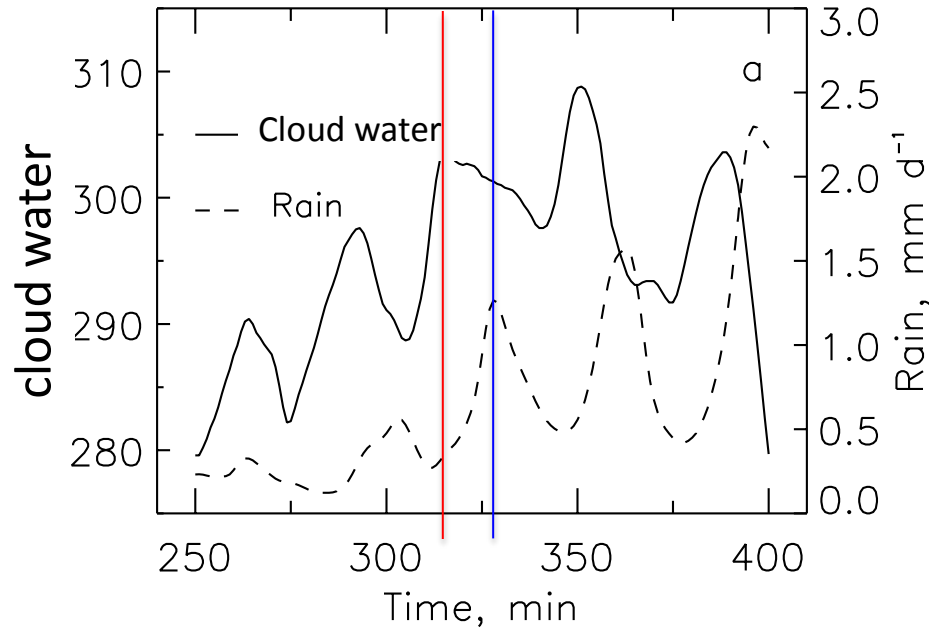
Vertical Profile of Radar reflectivity (a proxy for Rainrate) from N. Atlantic (Azores, Porto Santo, 1992; ASTEX)



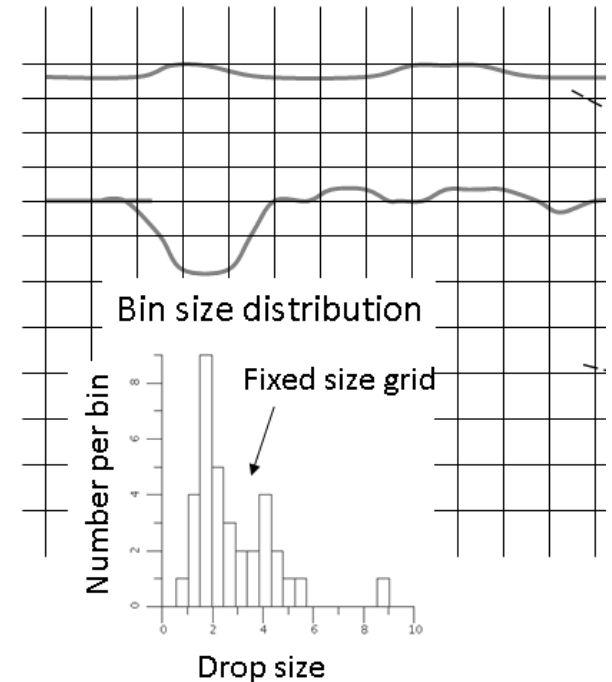
Rain = Predator
Cloud = Prey

Data courtesy NOAA WPL Radar Group

Large Eddy Simulation of Aerosol-Cloud-Precipitation



Large Eddy Simulation:
Solution to Navier-Stokes Eqns on
3-D grid ($\sim 200 \times 200 \times 200$)



Anticlockwise loops in R ; Cloud phase space

Rain = Predator
Cloud = Prey

Balance Equations: average system state

Cloud Depth H

$$\frac{dH}{dt} = \frac{H_0 - H}{\tau_1} + \dot{H}_r(t - T)$$

Loss term due to rain

Rainrate R

$$R = \alpha H^3 N_d^{-1}$$

Empirically and theoretically based

$$R(t) = \frac{\alpha H^3 (t - T)}{N_d (t - T)}$$

Delay function
(time for rain to develop)

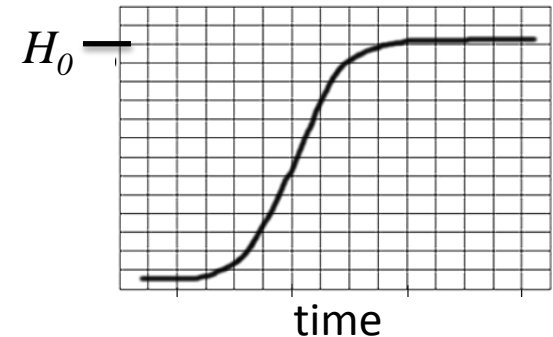
Drop concentration N_d

$$\frac{dN_d}{dt} = \frac{N_0 - N_d}{\tau_2} + \dot{N}_d(t - T)$$

Loss term due to rain

Notes:

Source terms represent a range of forcings that result in exponential rise to H_0 or N_0 within a few τ



N_d (or aerosol) modulates H - R interaction

Balance Equations

Cloud Depth H

$$\frac{dH}{dt} = \frac{H_0 - H}{\tau_1} + \dot{H}_r(t - T)$$

Rainrate R

$$R(t) = \frac{\alpha H^3(t - T)}{N_d(t - T)}$$

Drop concentration N_d

$$\frac{dN_d}{dt} = \frac{N_0 - N_d}{\tau_2} + \dot{N}_d(t - T)$$

Notes:

Five parameters:

Carrying Capacity: H_0, N_0

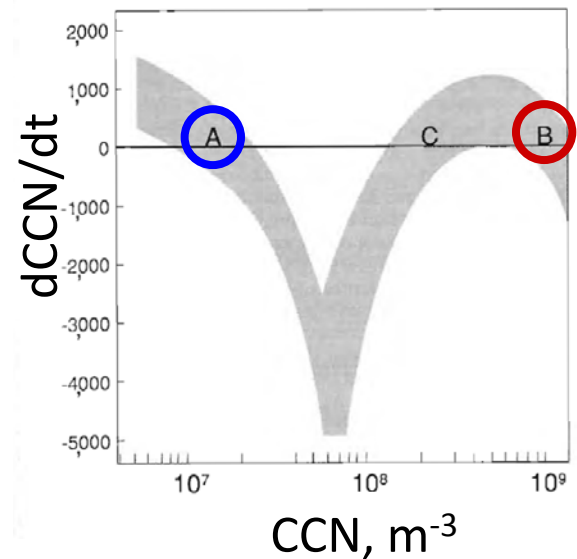
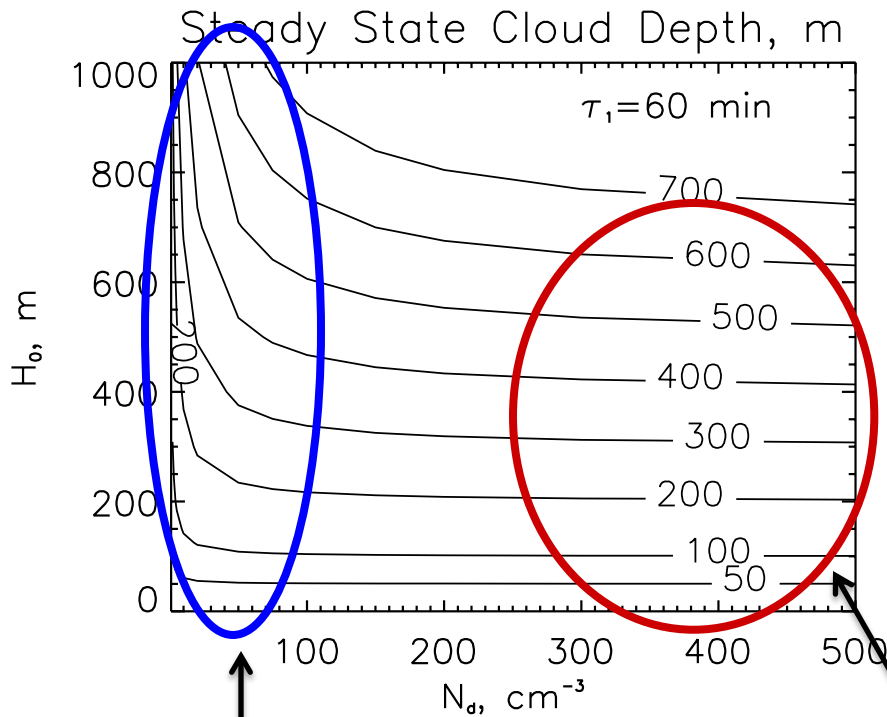
Time constants: τ_1, τ_2

Delay time: T

Aerosol protects cloud from rain

Steady State Solution to Cloud Depth H

$$\frac{dH}{dt} = \frac{H_0 - H}{\tau_1} + \dot{H}_r(t - T) = 0 \quad H = \frac{(N_d^2 + 4\gamma\tau_1 N_d H_0)^{\frac{1}{2}} - N_d}{2\gamma\tau_1}$$



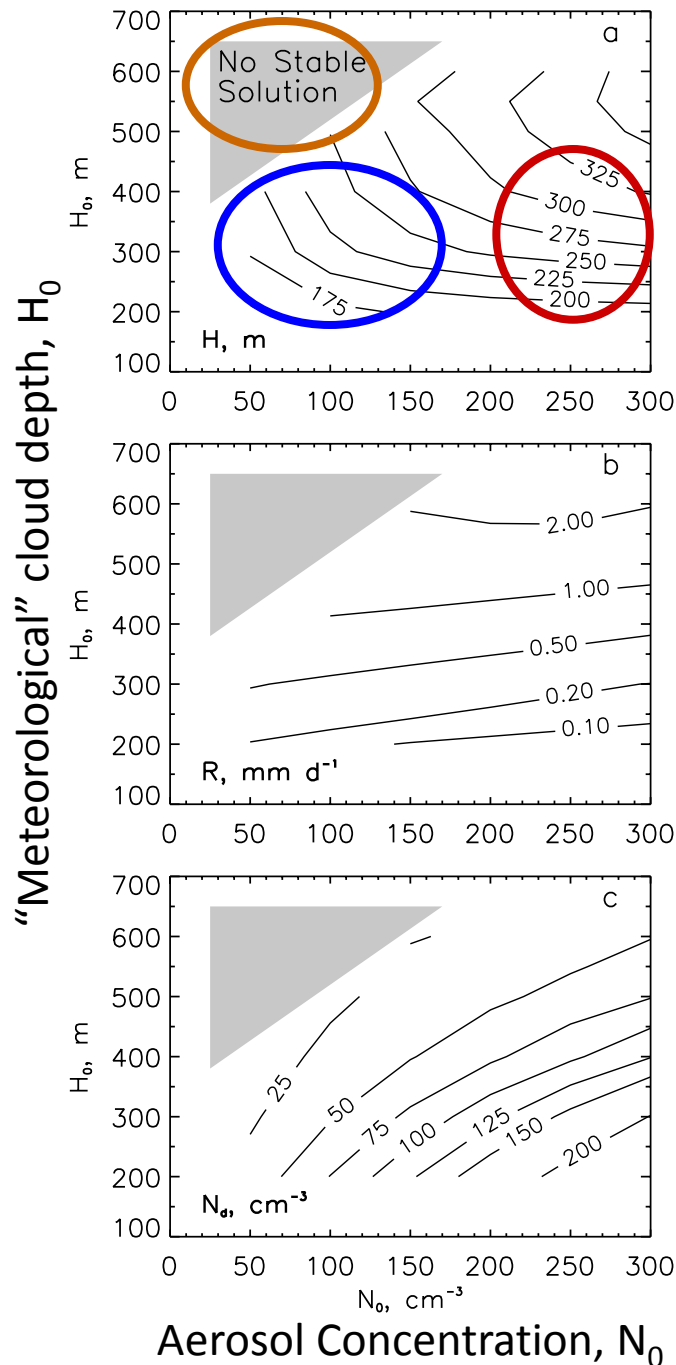
Baker and Charlson, 1990

Time-Dependent Steady State Solutions

$$\frac{dH}{dt} = \frac{H_0 - H}{\tau_1} + \dot{H}_r(t - T)$$

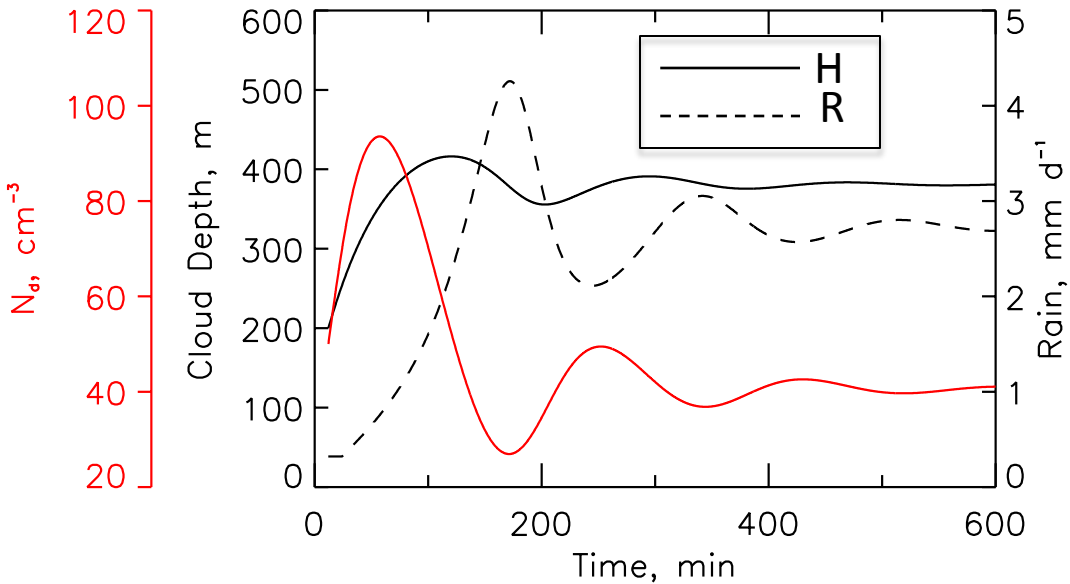
$$R(t) = \frac{\alpha H^3(t - T)}{N_d(t - T)}$$

$$\frac{dN_d}{dt} = \frac{N_0 - N_d}{\tau_2} + \dot{N}_d(t - T)$$



Collapsed boundary layer

Oscillating Solutions: Steady State

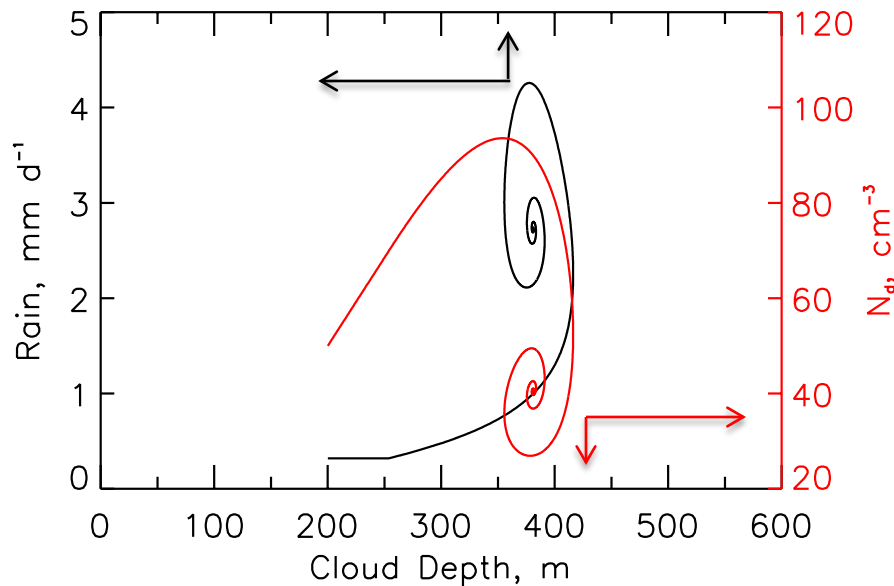


*At steady state:
Aerosol sources are sufficient
to maintain balance between
sources and rainfall removal*

$$H_0 = 530 \text{ m}$$
$$N_0 = 180 \text{ cm}^{-3}$$

$$\tau_1 = \tau_2 = 60 \text{ min}$$

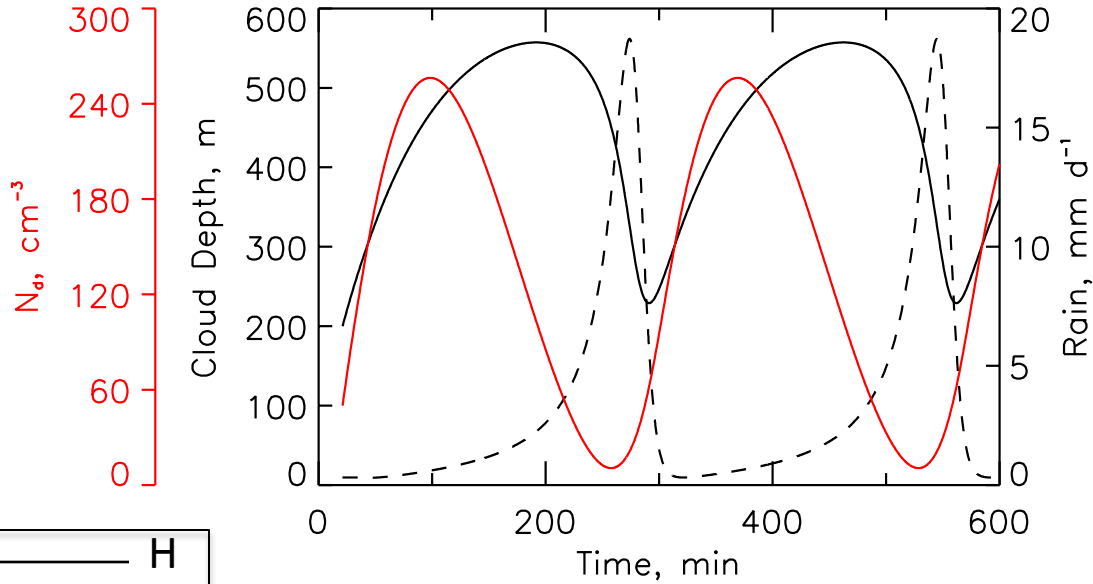
$$T = 10 \text{ min}$$



— H ; N
— H ; R

7 day simulation

Oscillating Solutions: No Steady State



$$\frac{dH}{dt} = \frac{H_0 - H}{\tau_1} + \dot{H}_r(t - T)$$

$$R(t) = \frac{\alpha H^3(t - T)}{N_d(t - T)}$$

$$\frac{dN_d}{dt} = \frac{N_0 - N_d}{\tau_2} + \dot{N}_d(t - T)$$

$$H_0 = 670 \text{ m}$$

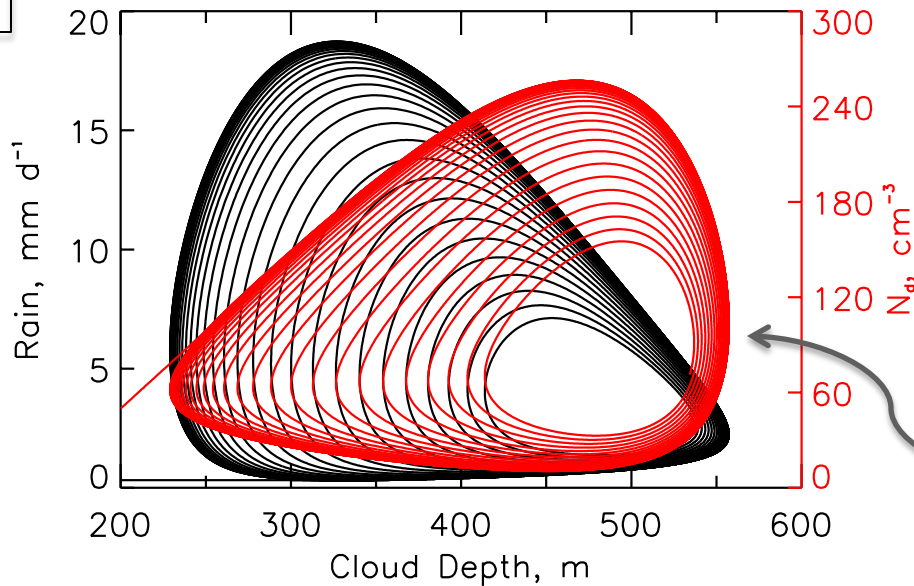
$$N_0 = 515 \text{ cm}^{-3}$$

$$\tau_1 = \tau_2 = 84 \text{ min}$$

$$T = 21.5 \text{ min}$$

— $H; N$

— $H; R$



Oscillation around
a steady state

7 day simulation

Stability

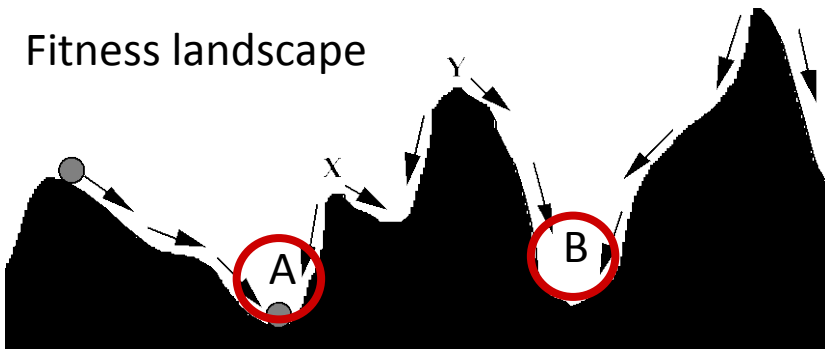
How stable are the stable states?

How readily does the system transition from one state to another?

States A and B are stable and self-sustaining

Small perturbations strengthen the resilience of the state

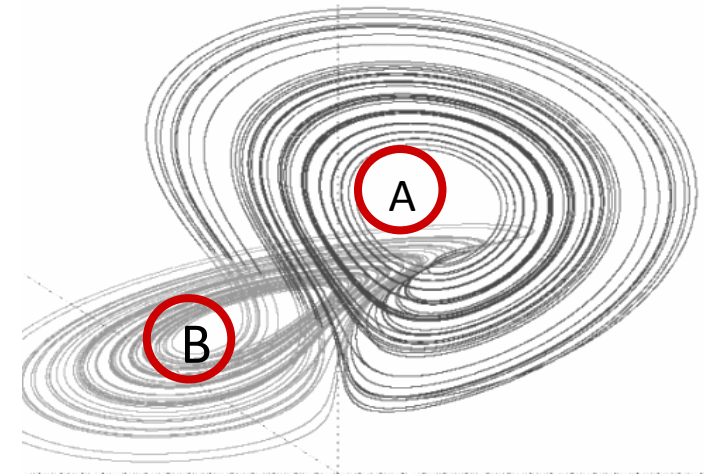
Fitness landscape



A, B: Attractors (low potential, high fitness)

Heylighen

Attractors

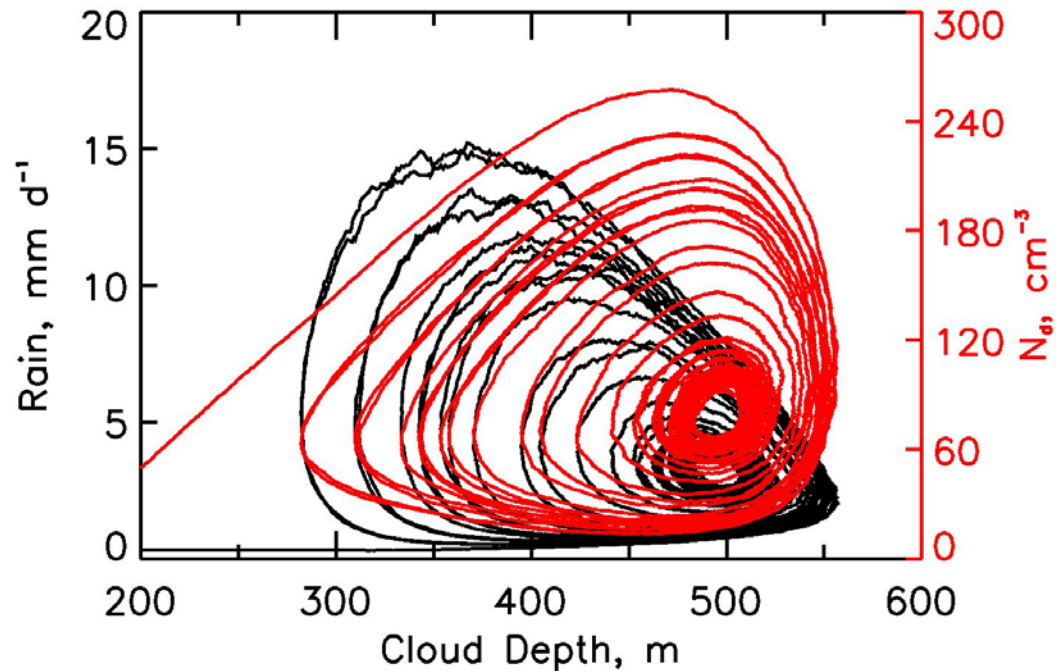
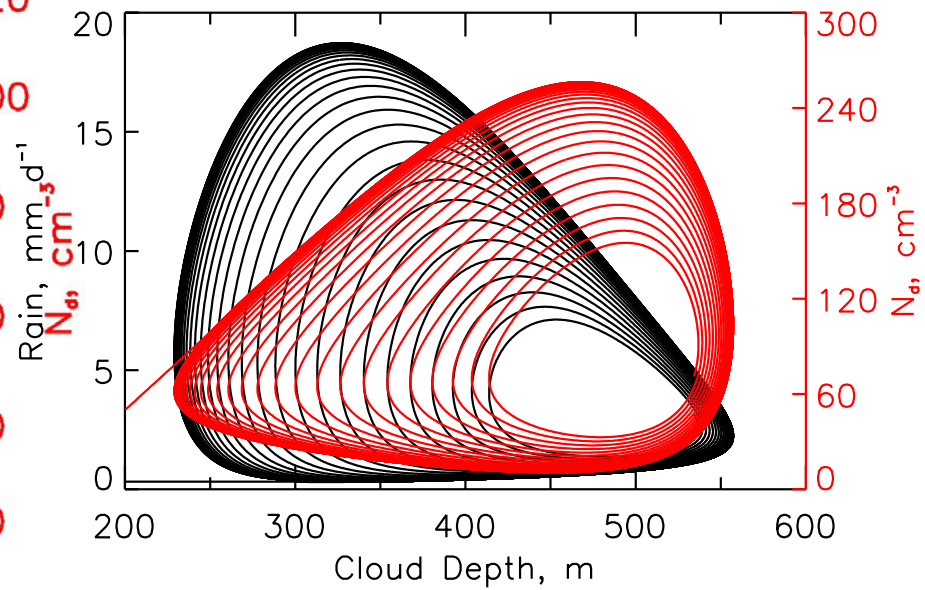
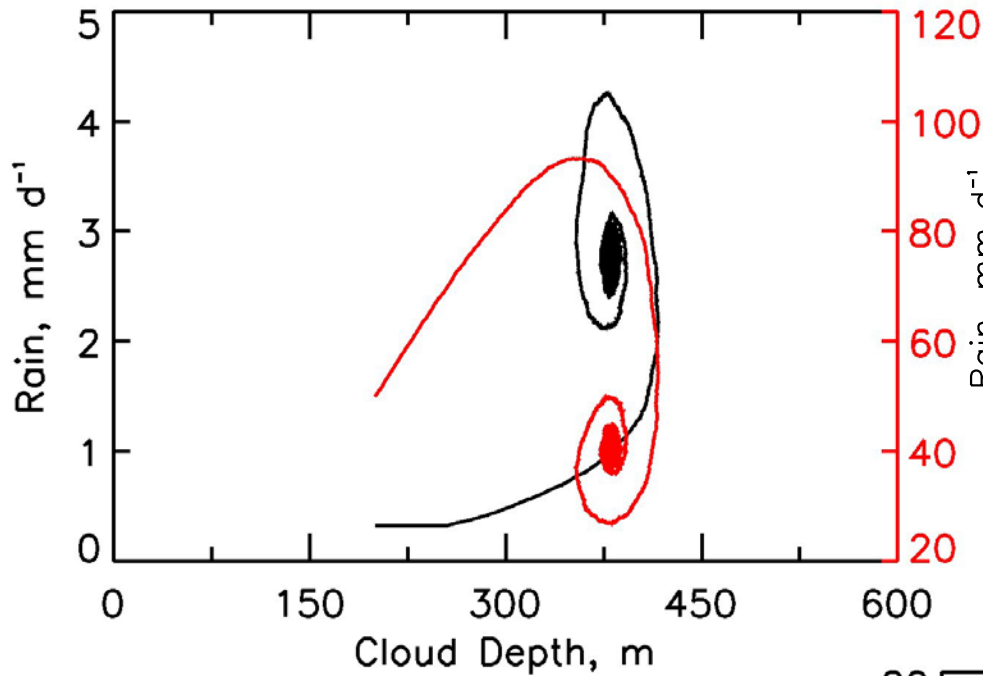


Lorenz, 1963

$$\frac{dx}{dt} = \sigma(y - x)$$

$$\frac{dy}{dt} = x(\rho - z) - y$$

$$\frac{dz}{dt} = xy - \beta z$$



± 50% perturbations to H_0 and N_0 every second: Solutions are robust

Small perturbations strengthen the resilience of the state;

Large enough perturbations will lead to collapse

The Parameterization Paradigm

- Empiricism used to represent physics

Examples:

- Autoconversion $\sim \text{LWC}^a N^b$
 - $d\ln r_e / d\ln N = -\alpha$
- Scale issues, averaging/aggregation issues
 - “scale-aware parameterizations”
 - E.g. Bennartz et al. (2011) for autoconversion/accretion

Self-organizing systems approach

- Coupled *simple* prognostic equations representing emergent properties of the system
 - E.g., cloud-precip cycles, bistability, robustness
 - Small number of free parameters, tuned to mimic system-wide behaviour in different conditions/regimes

- Slow manifolds (Bretherton et al. 2010)

$$dz_i/dt = w_e(z_i) - Dz_i$$

Balance equation for BL depth z_i

- Convective parameterizations
- “Org” parameter (Mapes)
- Lorenz (1960s)

$$\frac{dH}{dt} = \frac{H_0 - H}{\tau_1} + \dot{H}_r(t - T)$$

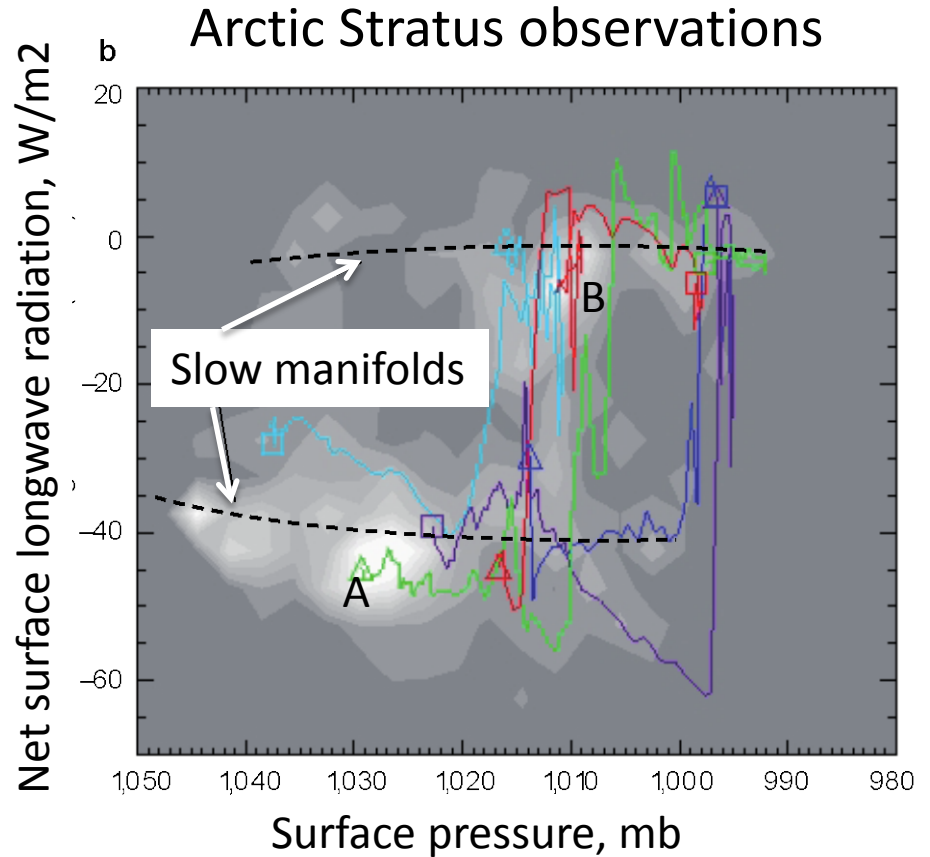
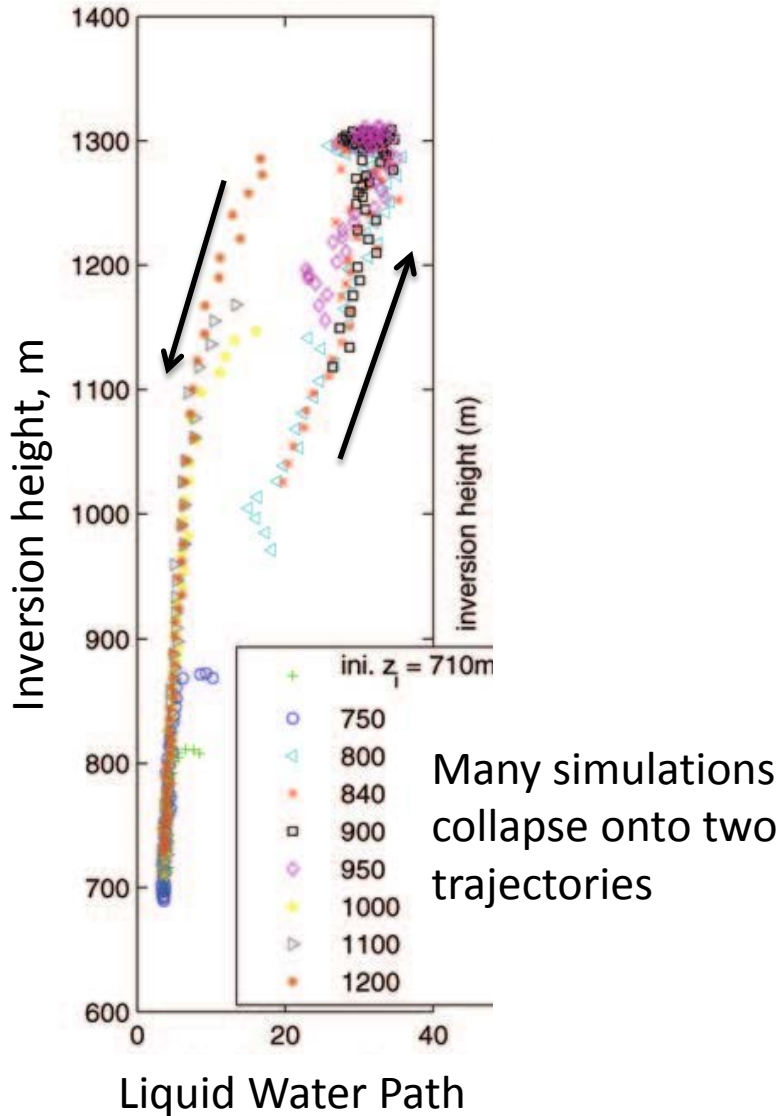
$$R(t) = \frac{\alpha H^3(t - T)}{N_d(t - T)}$$

$$\frac{dN_d}{dt} = \frac{N_0 - N_d}{\tau_2} + \dot{N}_d(t - T)$$

Prognostic predator-prey equations for cloud water (H), rainwater (R) and drop concentration (N)

Slow manifolds

LES of Stratocumulus



Colored trajectories: transition between states
 Triangle = start; square = end

A = Radiatively clear

B = Cloudy

Final Thoughts

- Maintain the effort on the process level understanding
 - These are the local interactions that generate emergent behaviour
- Retain/refine the fundamental physics of the 1st, 2nd nth indirect effects (e.g. aerosol effects on N_d , collision-coalescence, etc..)
 - Discard these simple constructs when attempting to include these processes in large scale models
 - E.g., hardwiring of cloud lifetime to autoconversion parameterizations
- Develop the mesoscopic, systems view
 - Example: Predator-Prey model for convection or aerosol-cloud-precipitation, slow manifolds, etc..