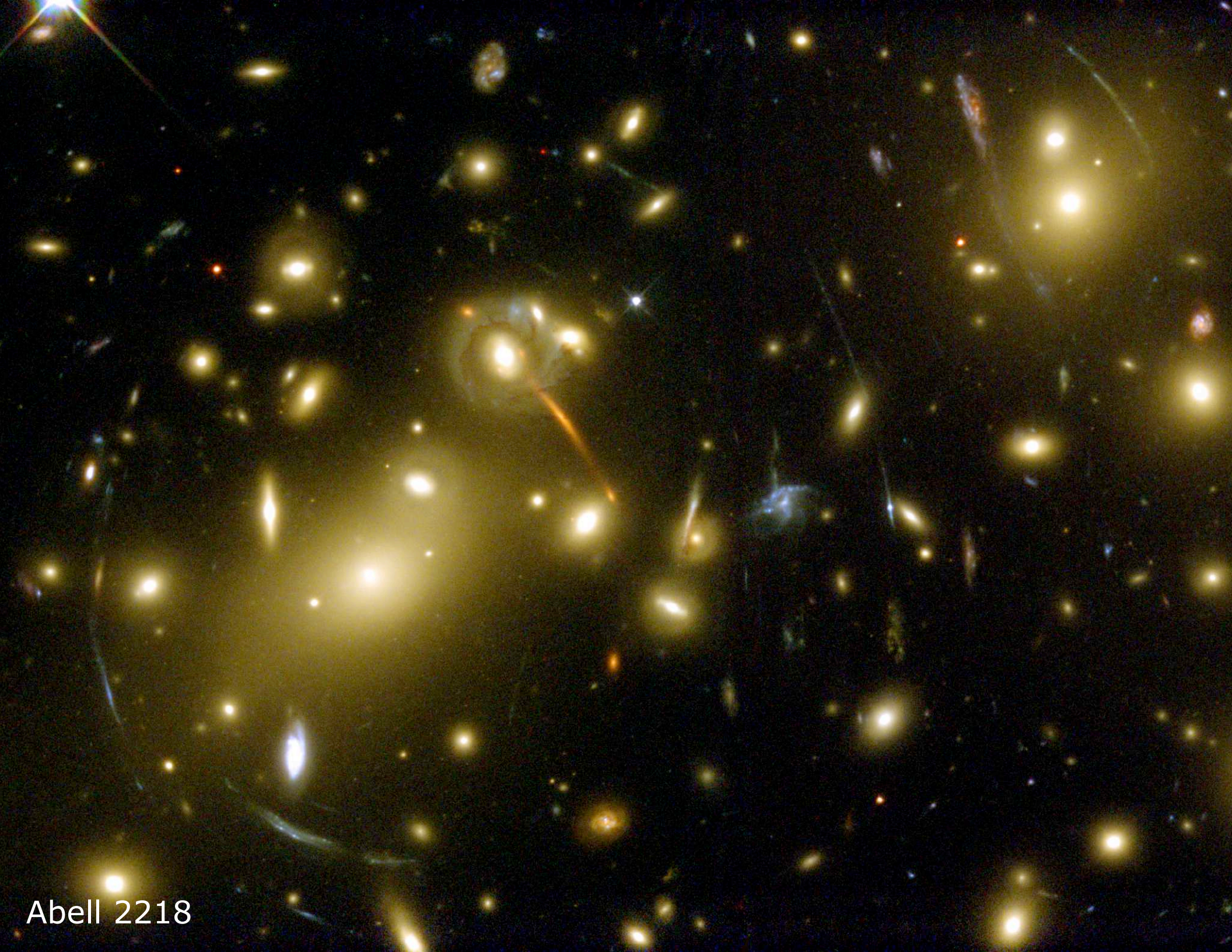


# Testing gravity on cosmological scales with weak lensing

JPL Postdoc Seminar Series

August 13, 2009

Ali Vanderveld (JPL, Caltech)



Abell 2218

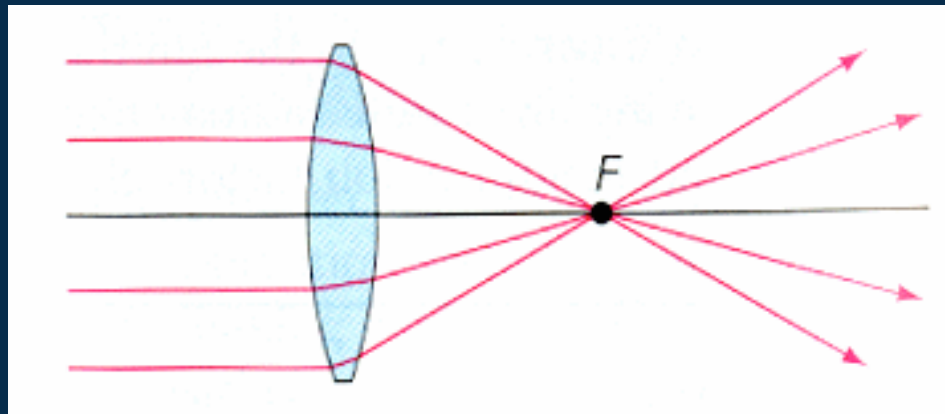
Image distortions



Abell 2218

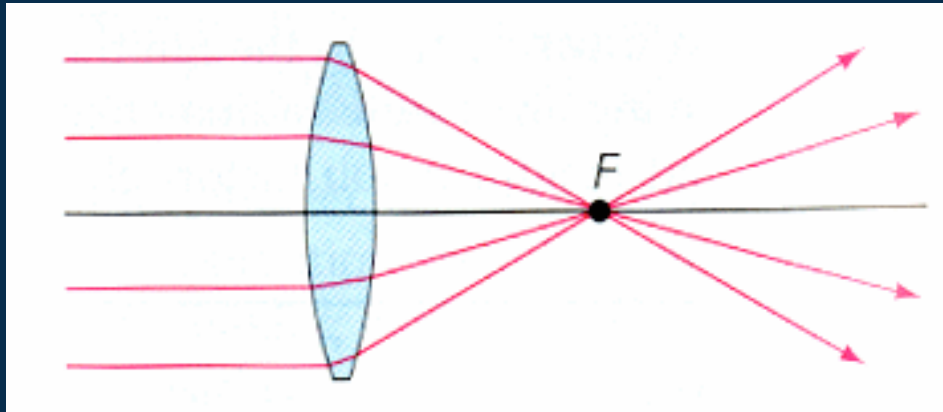
# Two kinds of lenses

## (1) Lensing via refraction



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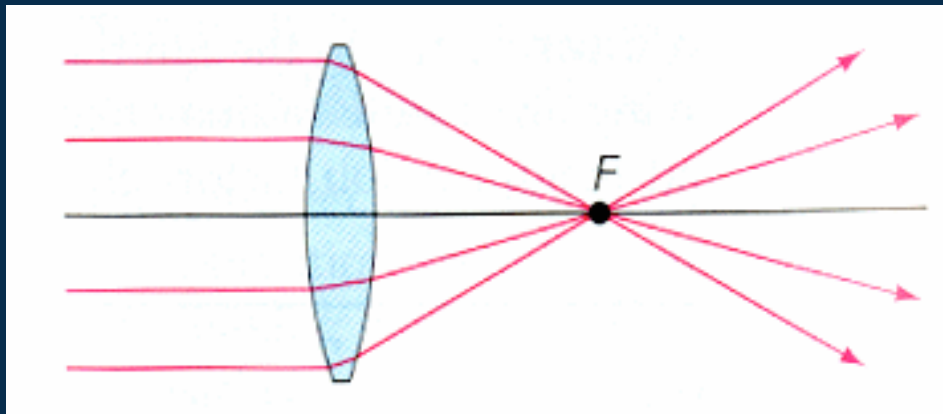
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Light rays move at a different speed in the lens medium

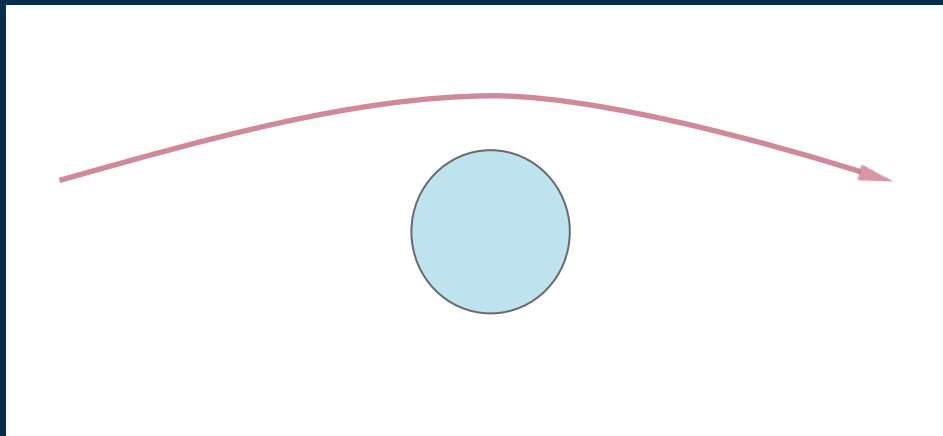
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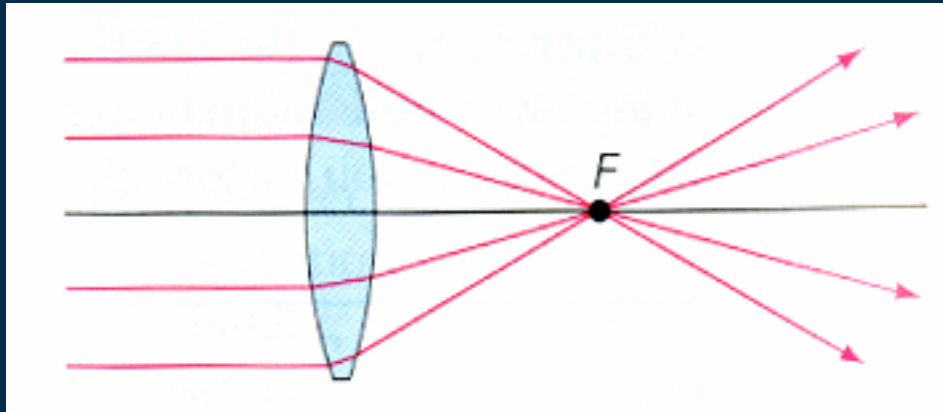
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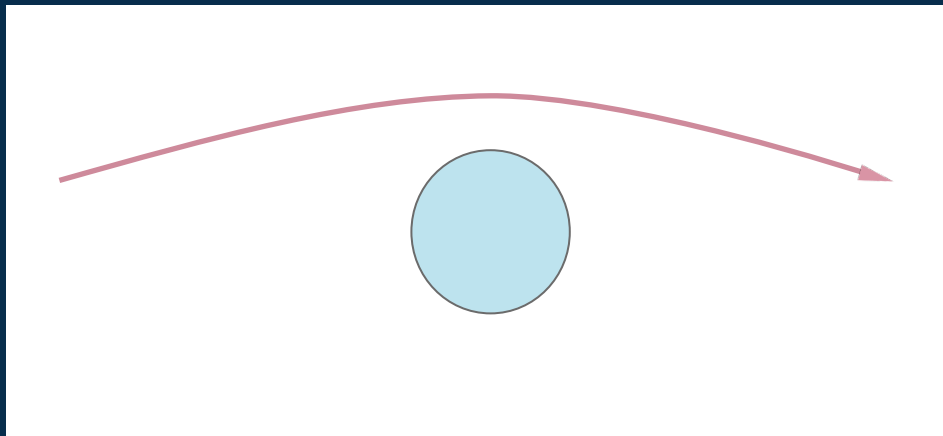
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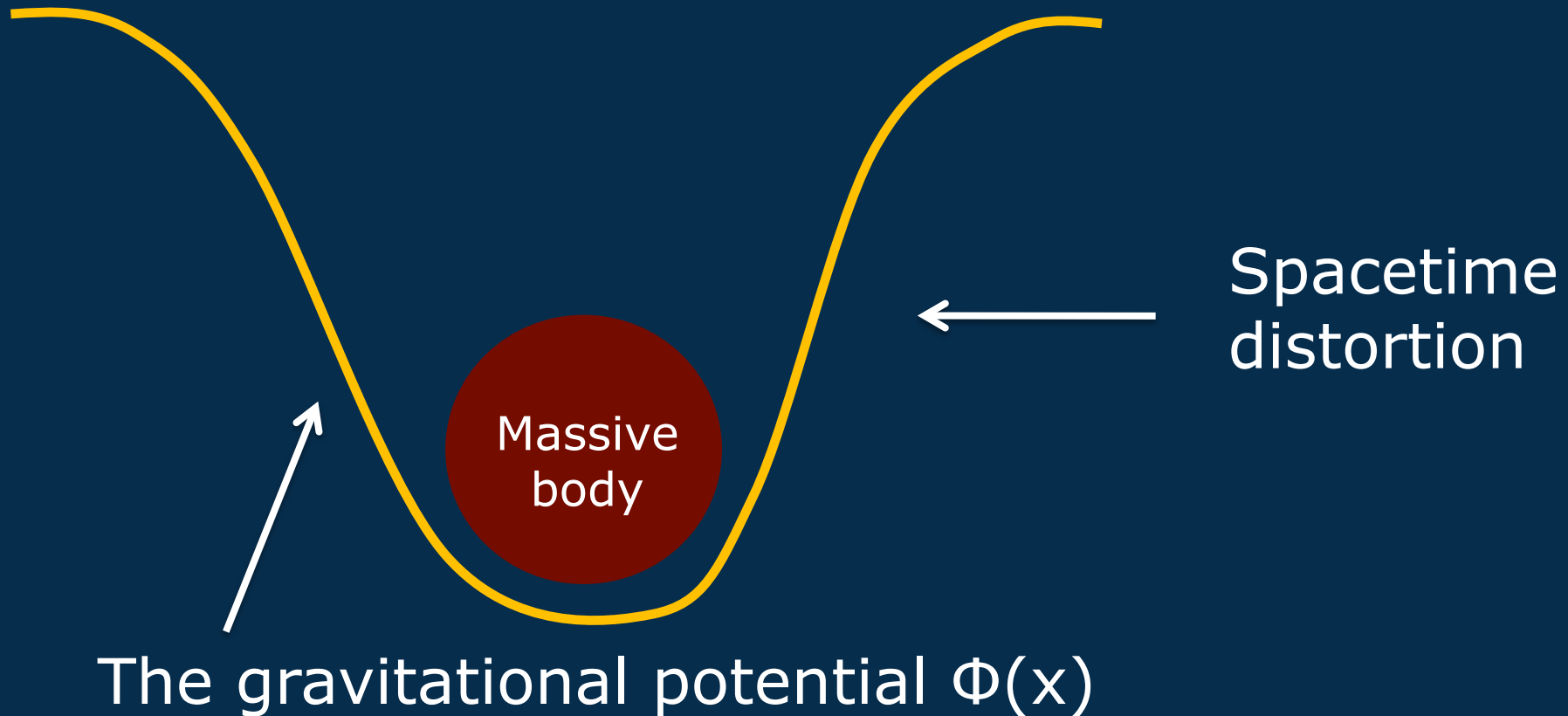
Photons gravitate towards the massive object

# How matter bends light

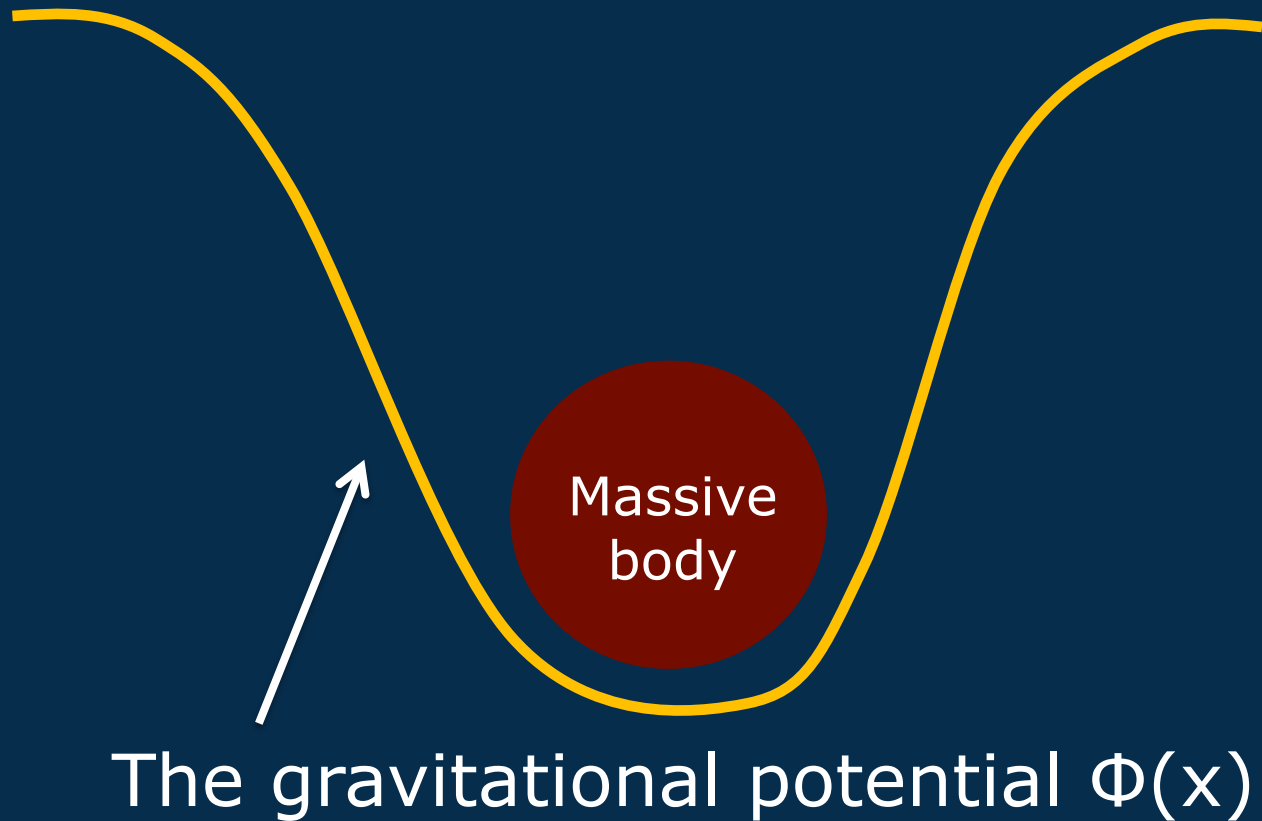




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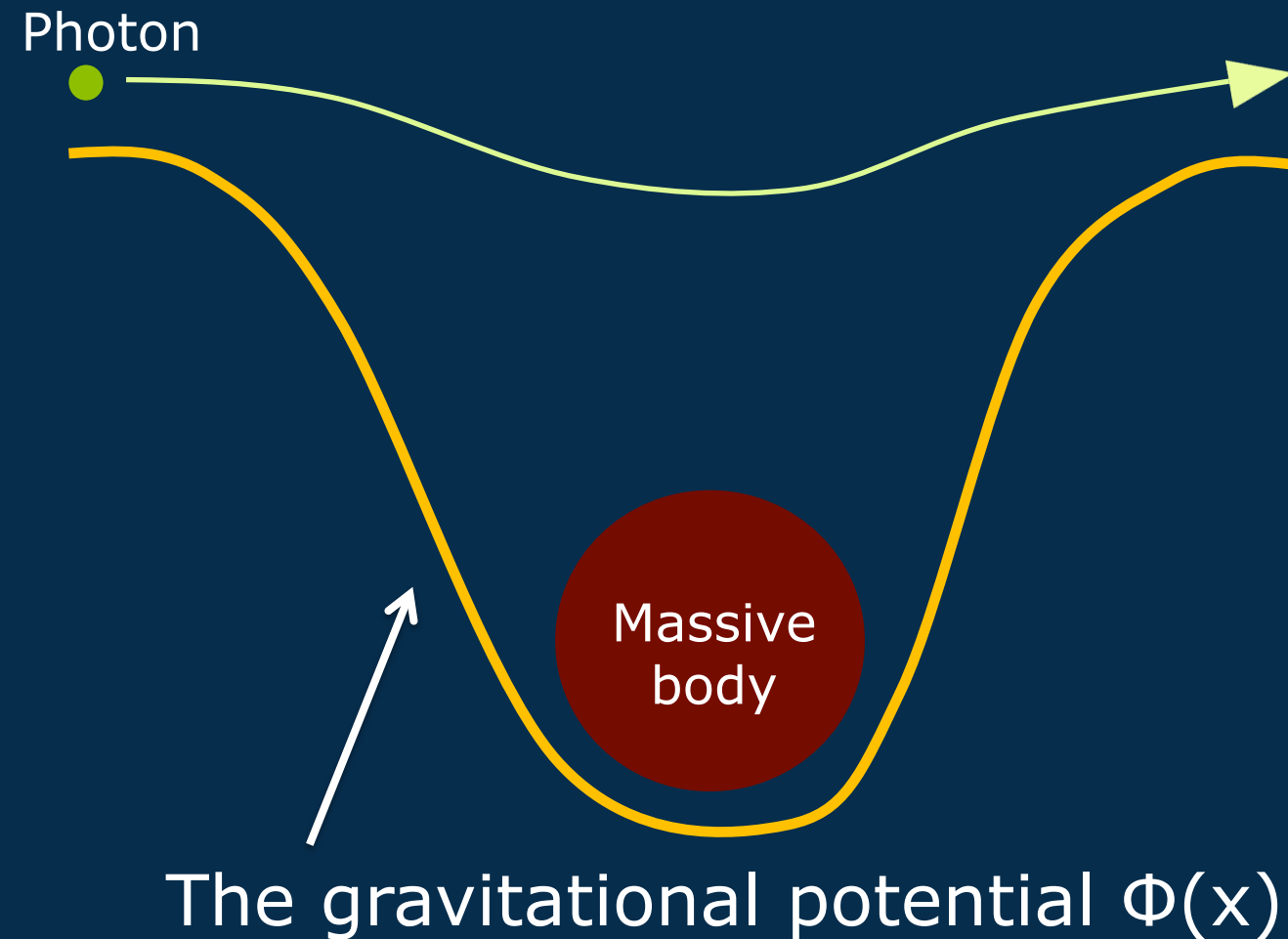
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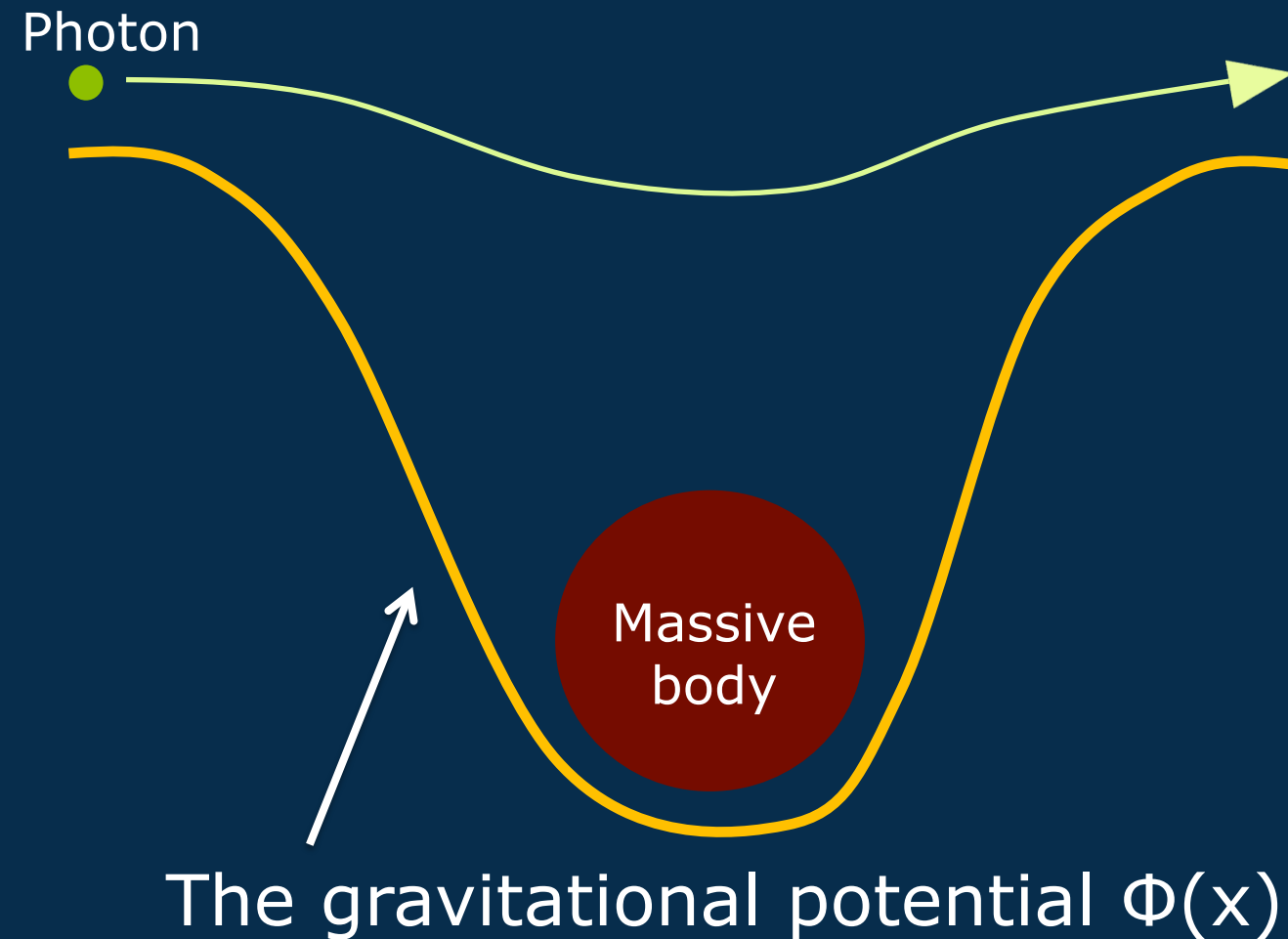
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# Image distortions

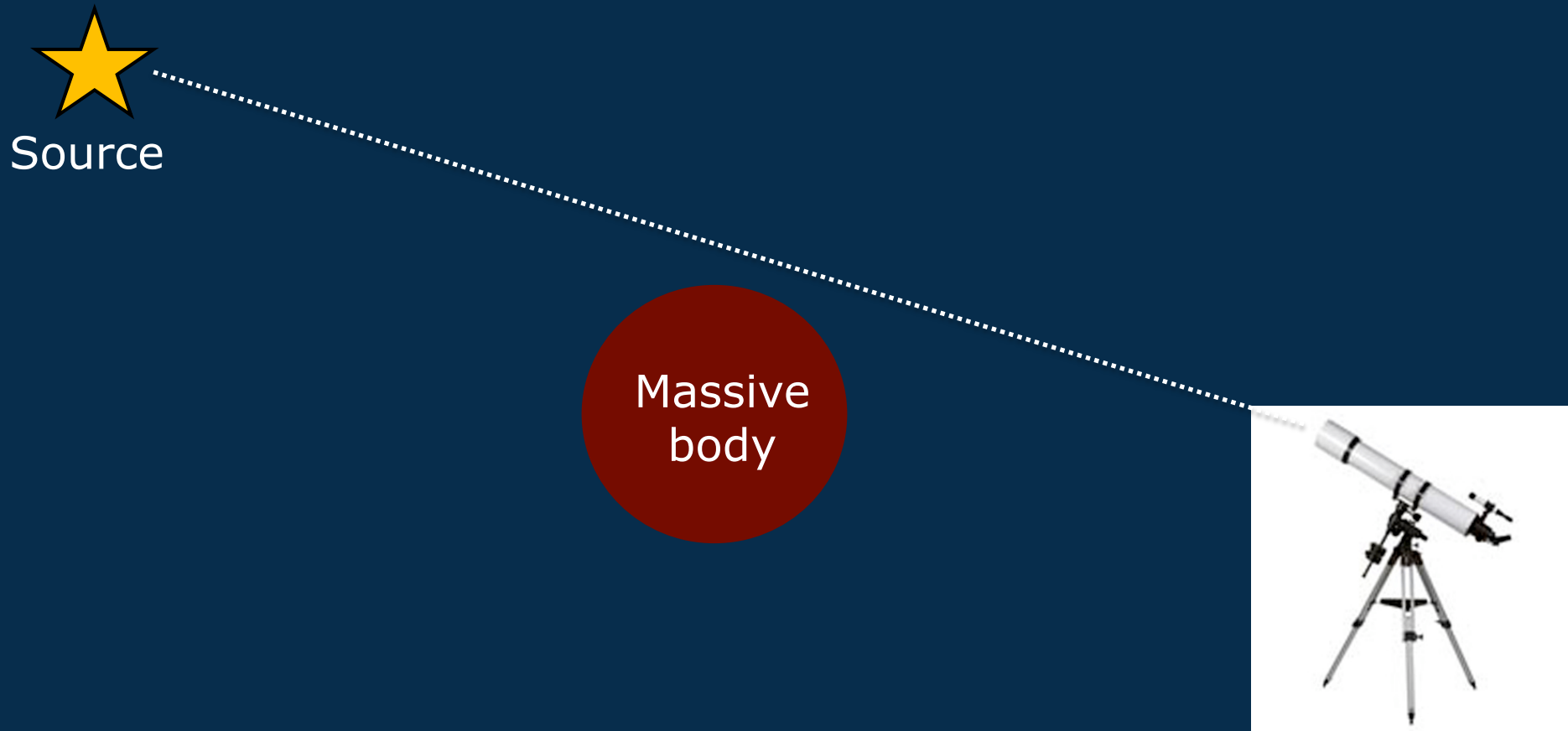


Source

Massive  
body



# Image distortions



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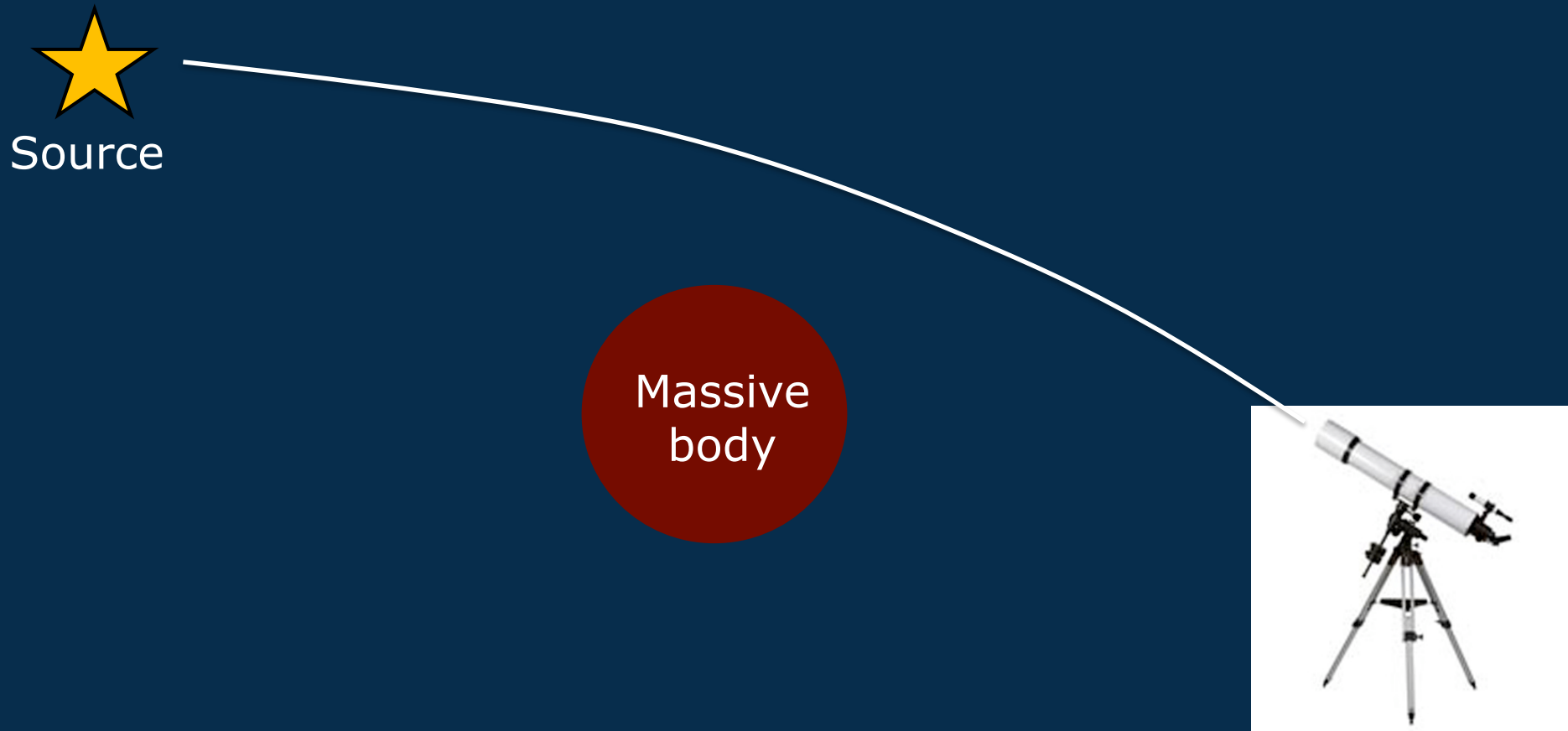
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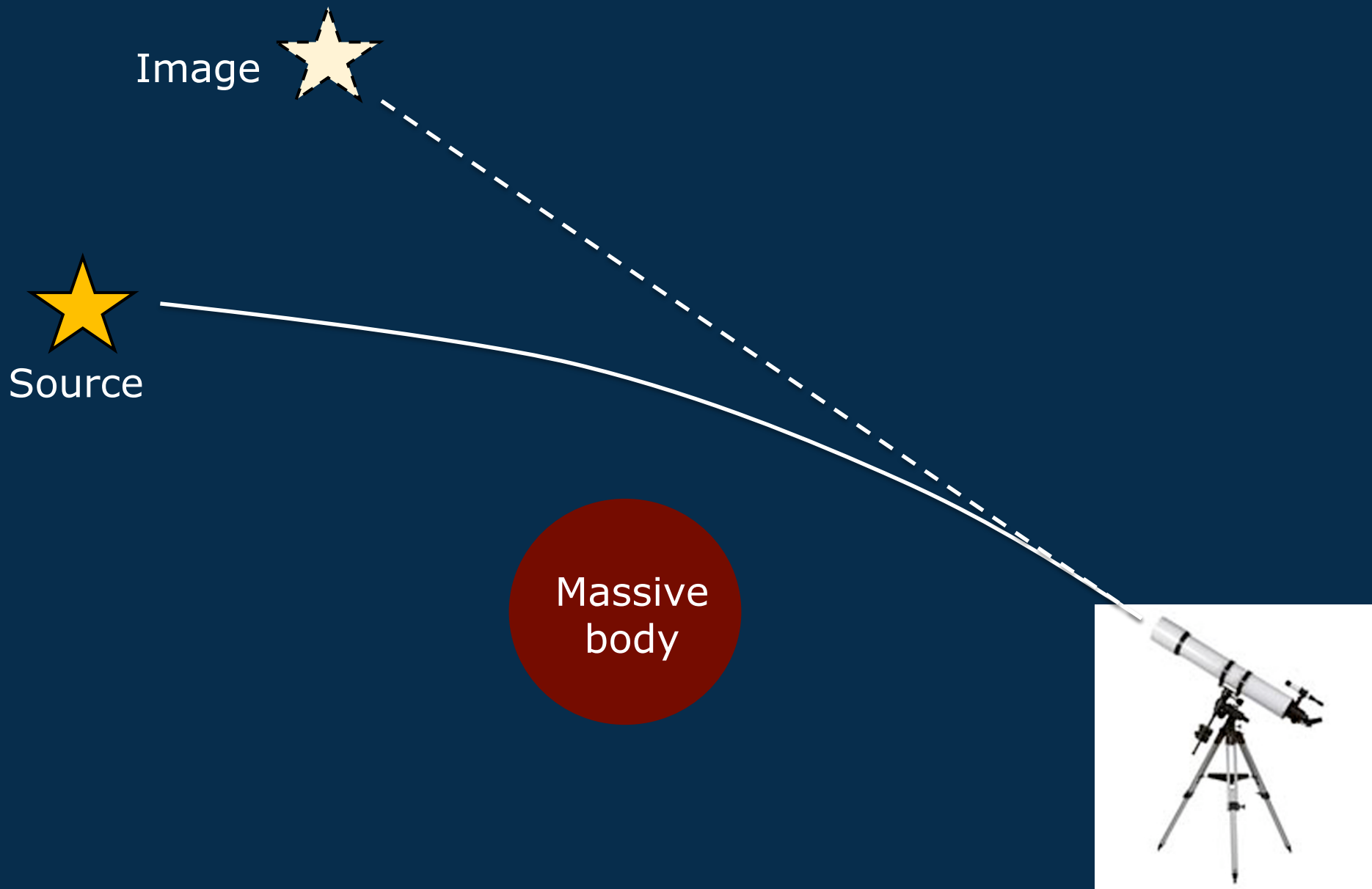


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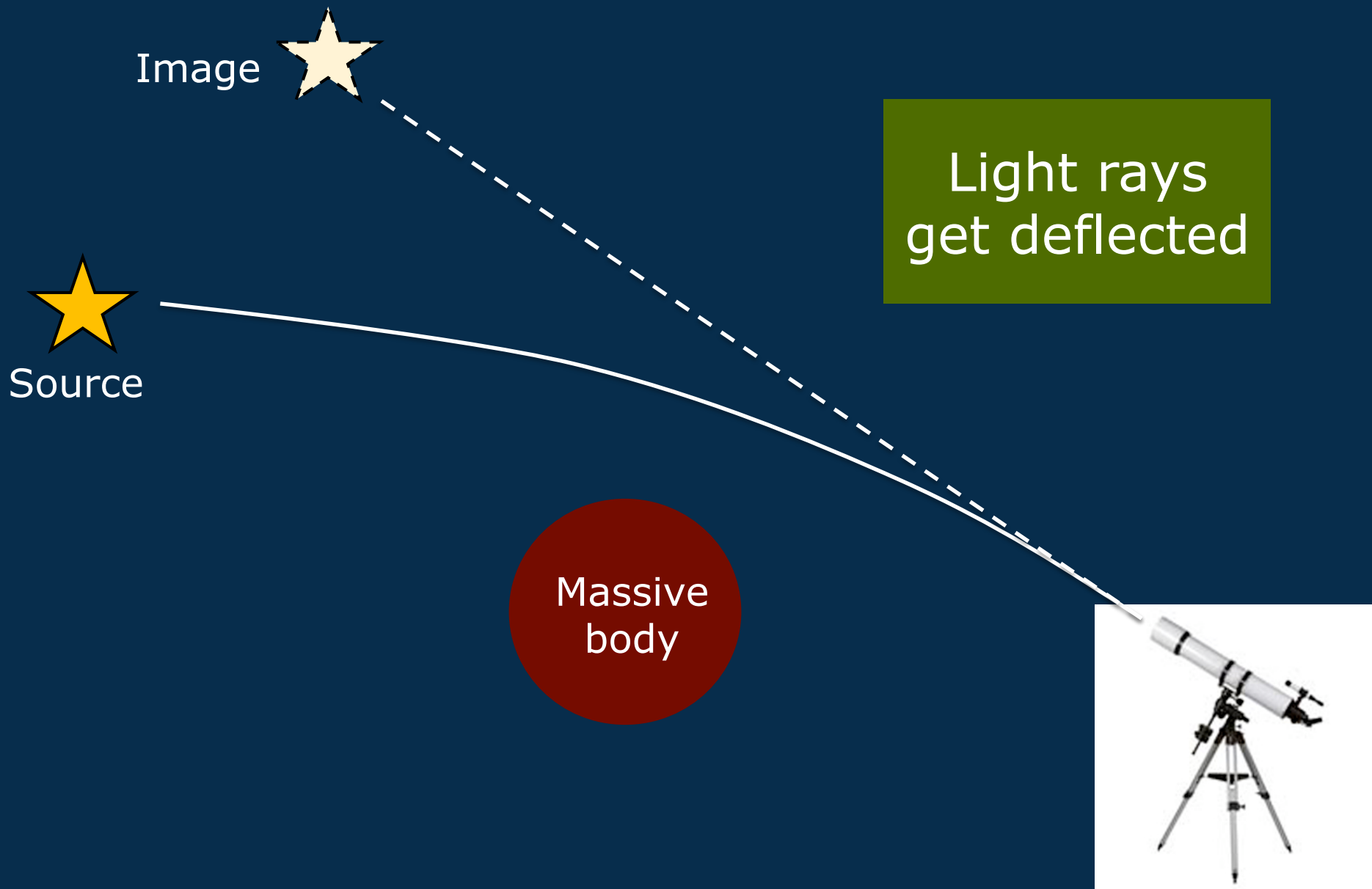




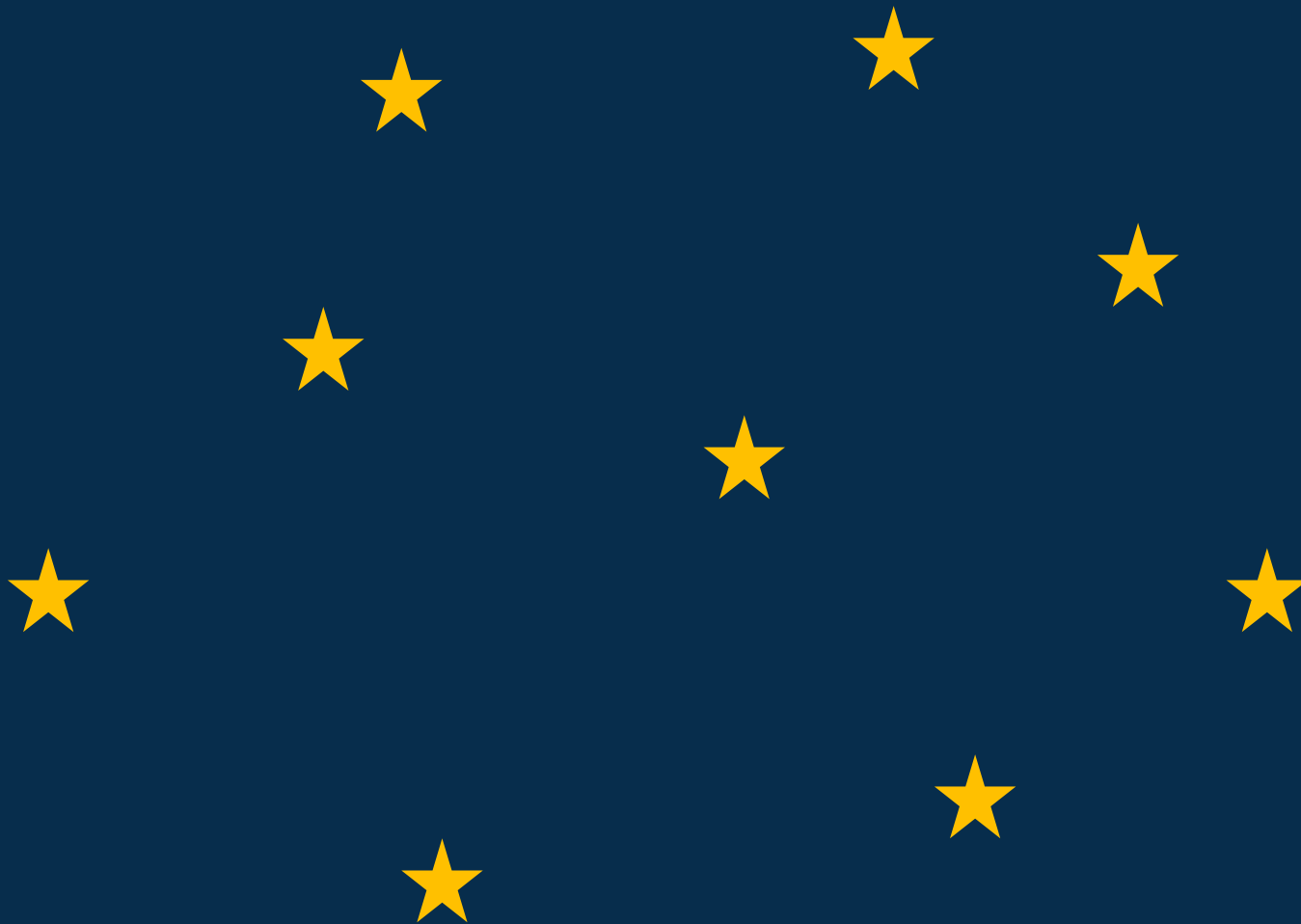
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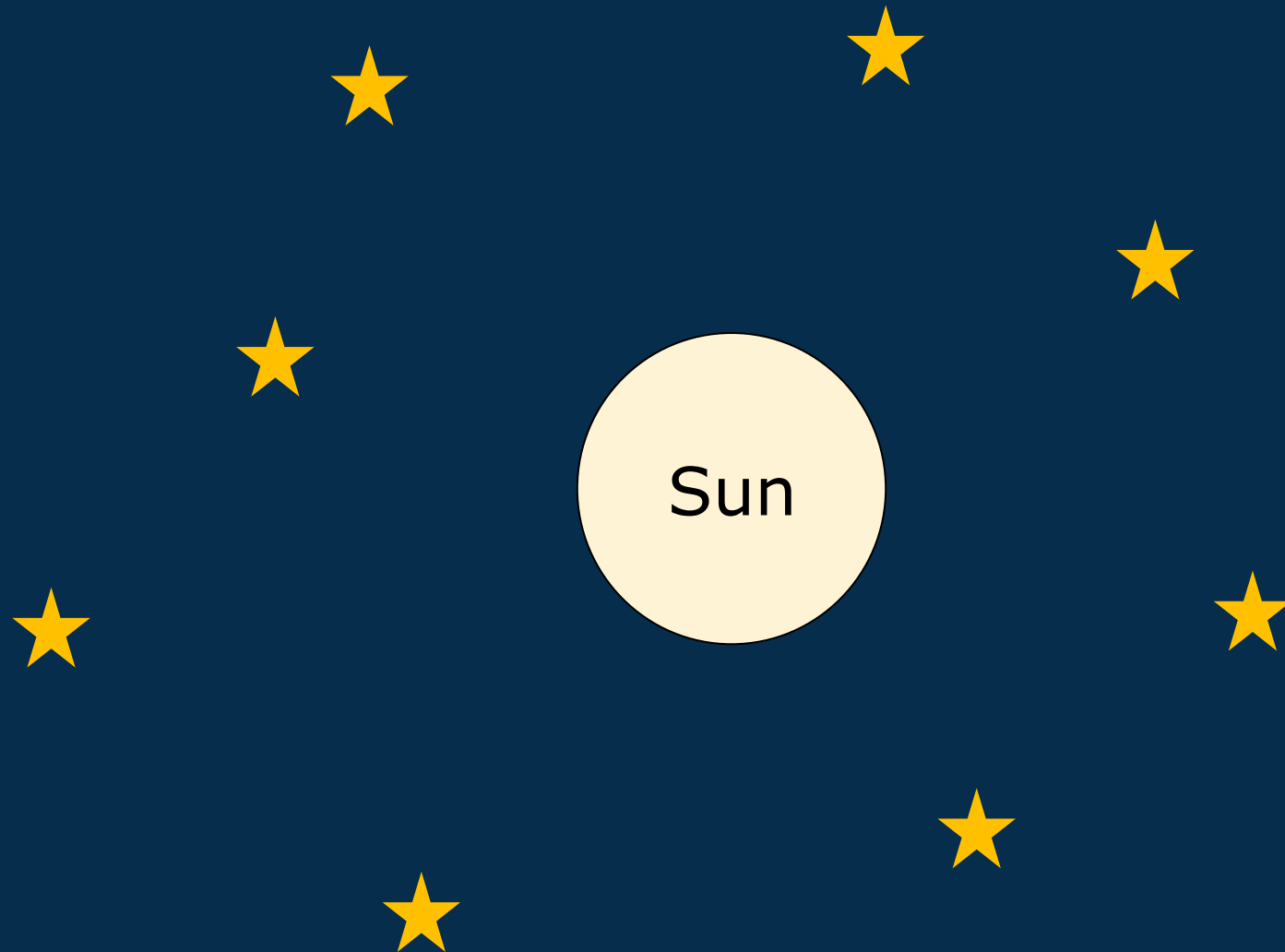
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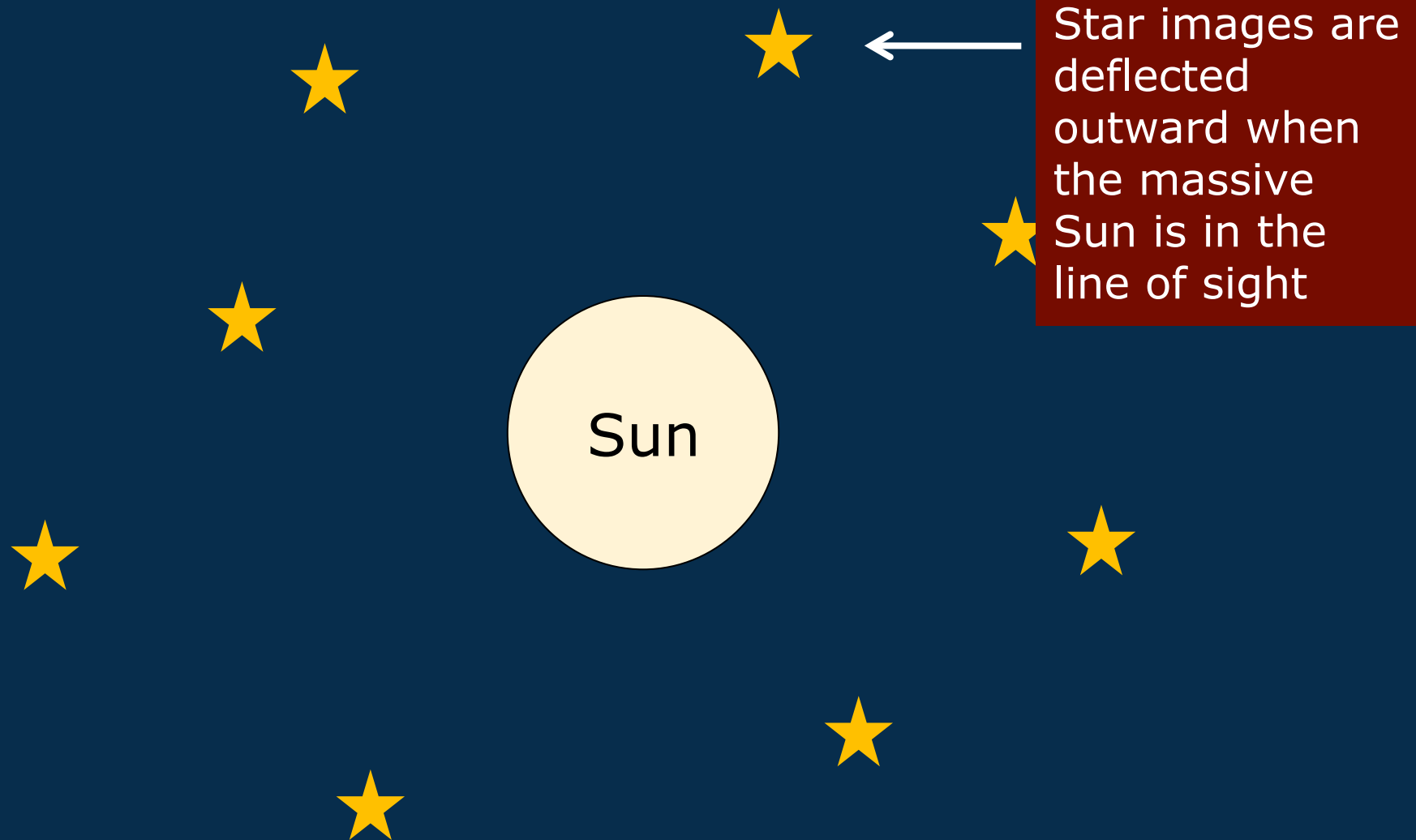
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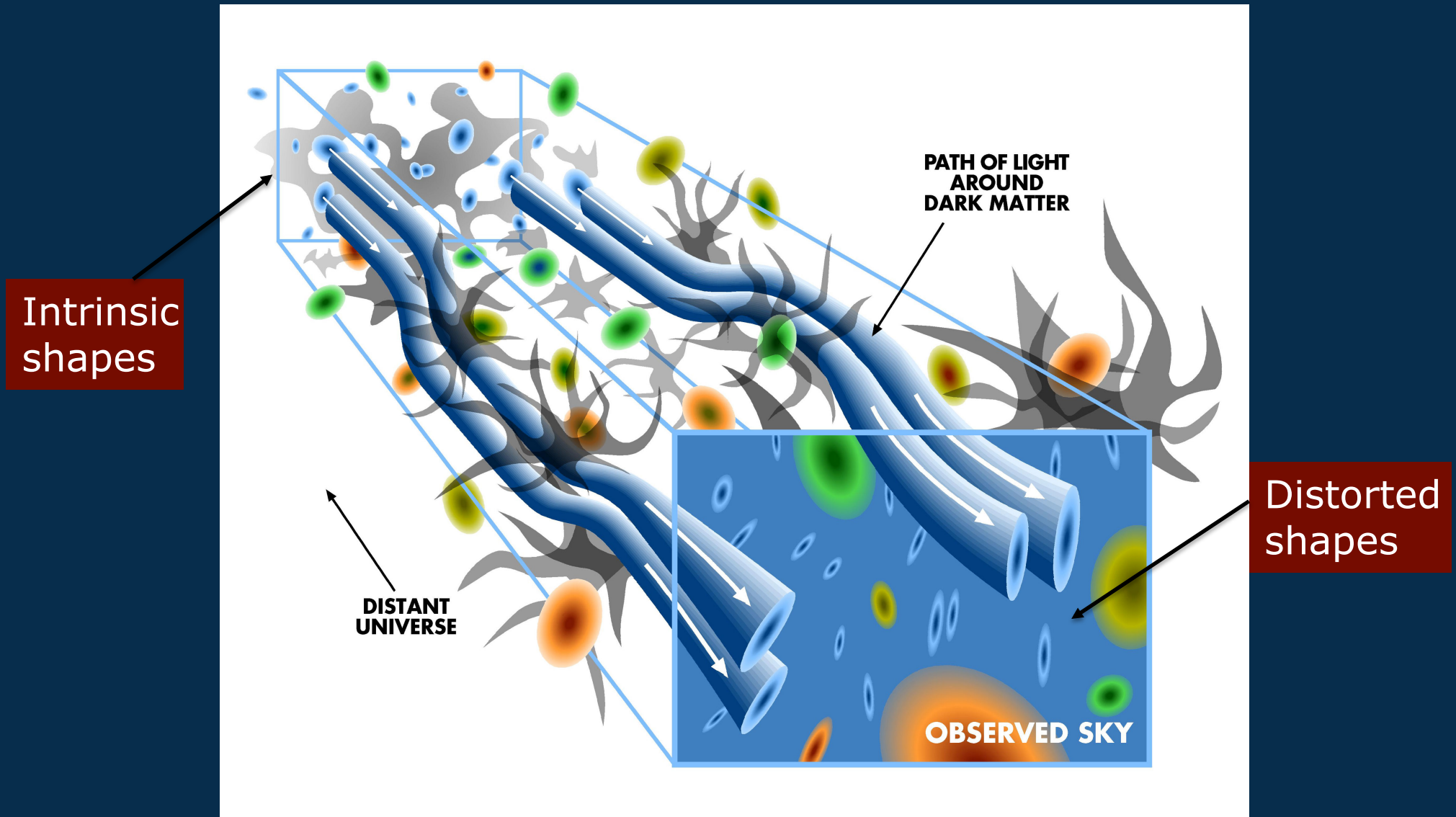
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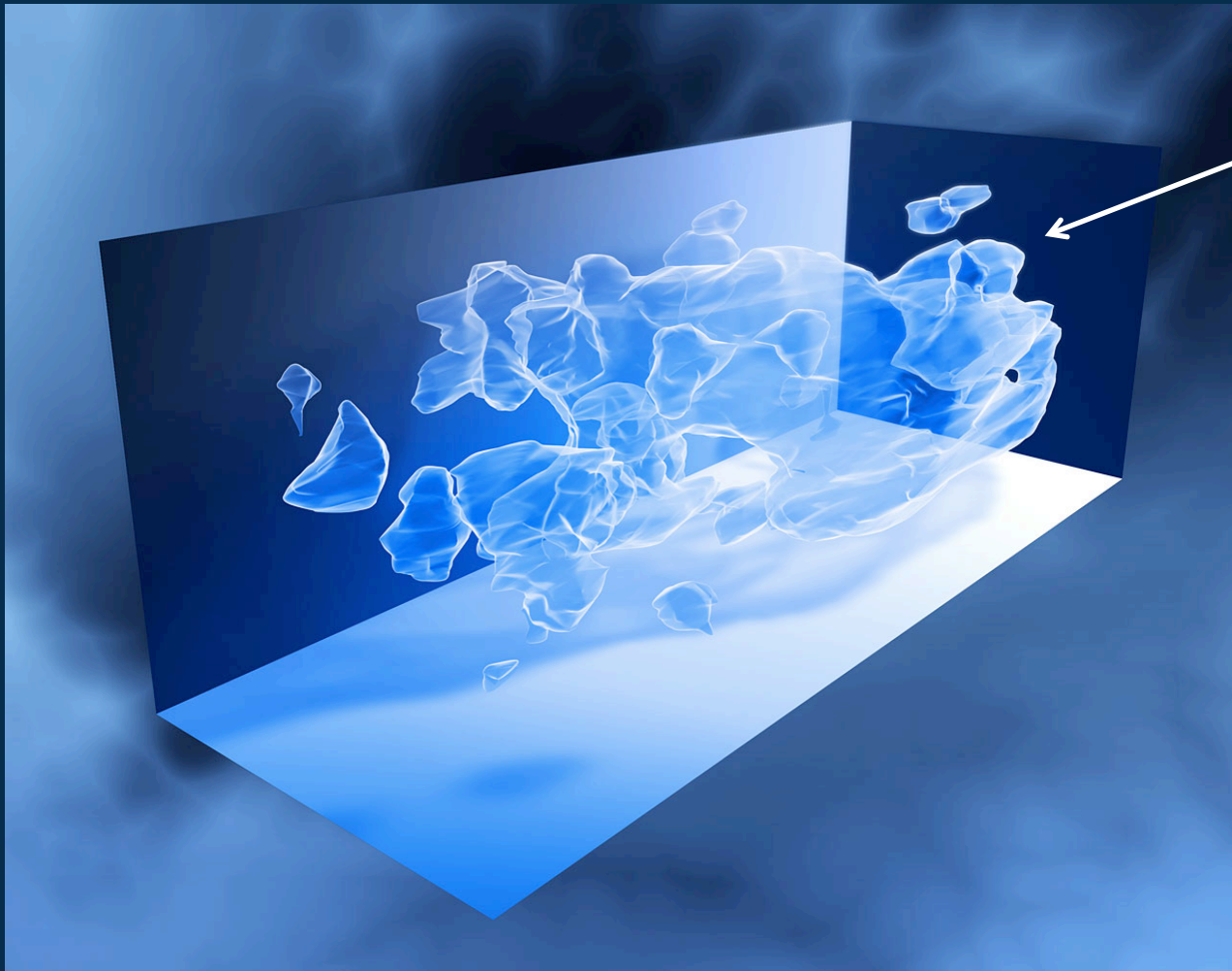


# Lensing changes image shapes



# Why is this useful?

Dark matter mapping:



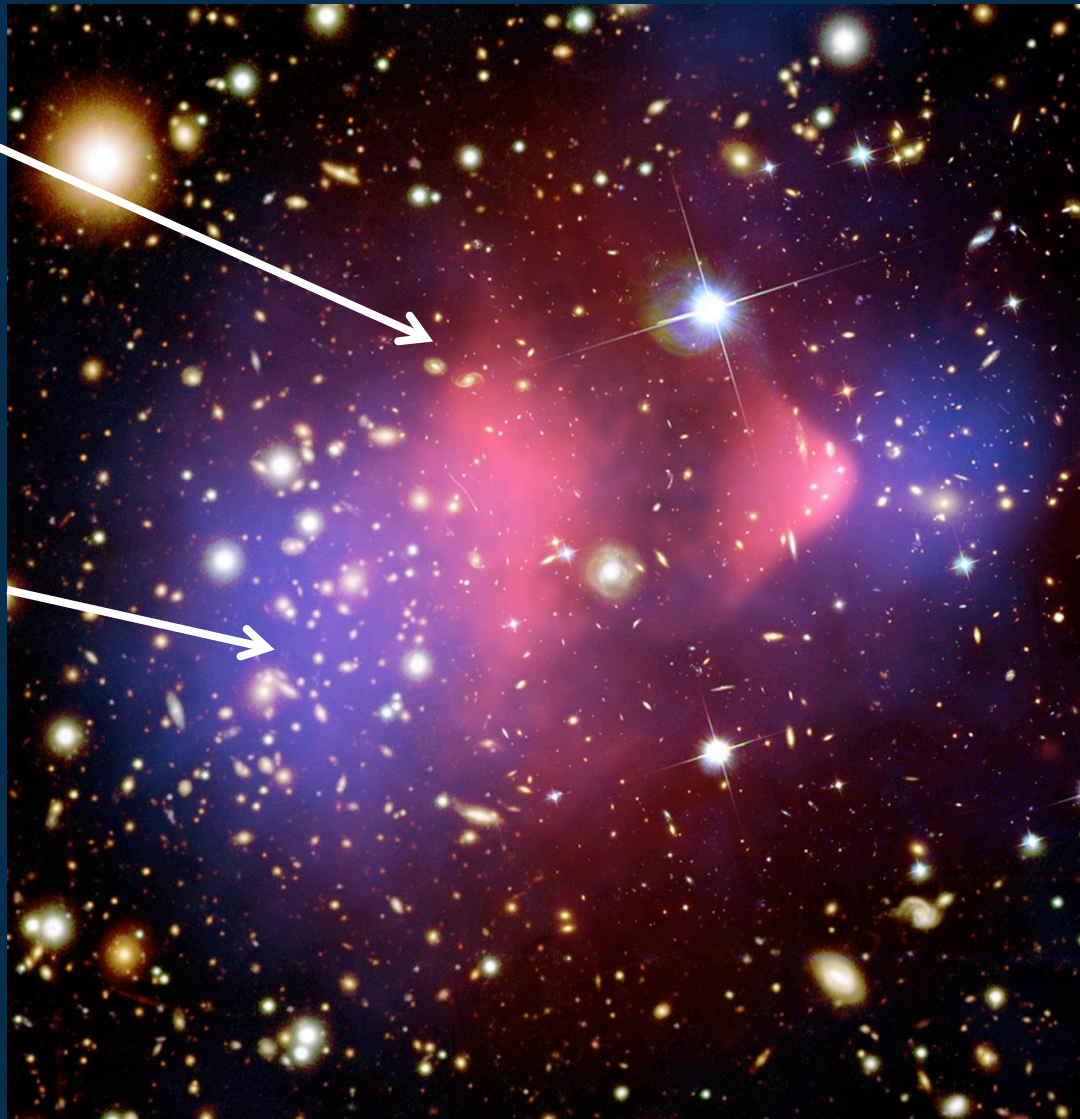
We think that about 85% of the matter in the Universe is dark

# The bullet cluster – evidence for dark matter

Pink: hot gas



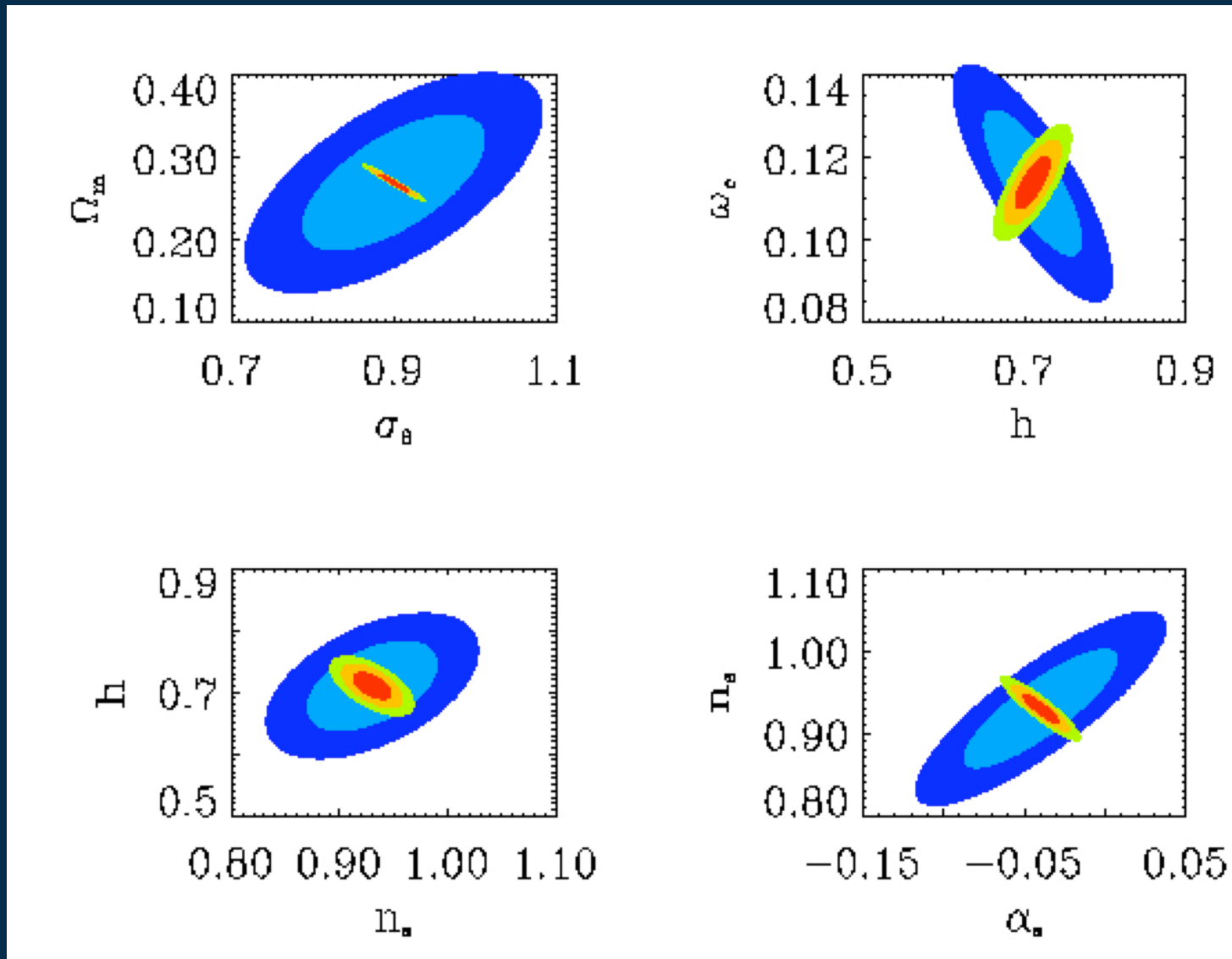
Blue: total matter



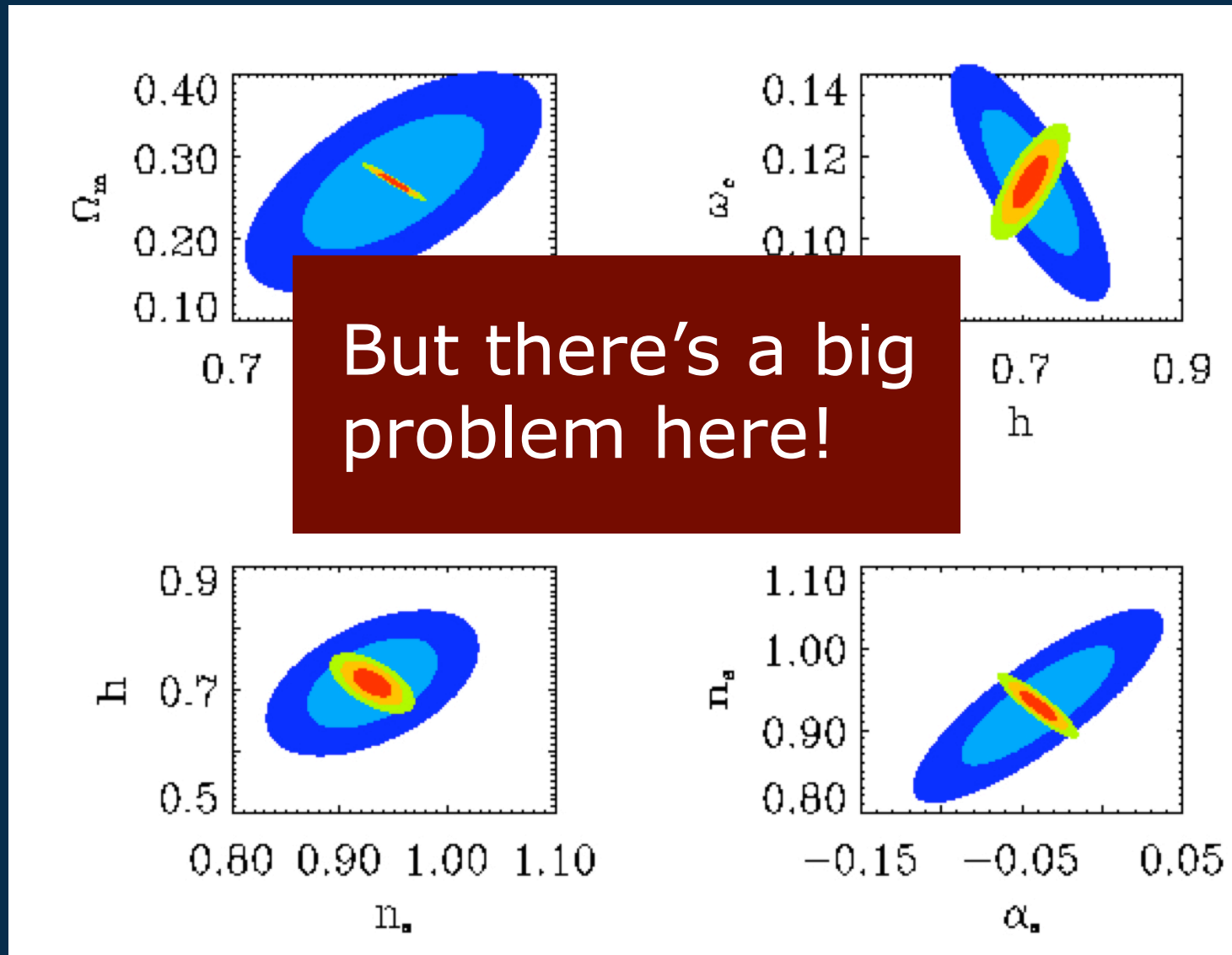
<http://ccapp.osu.edu>



# Lensing constrains other cosmological parameters



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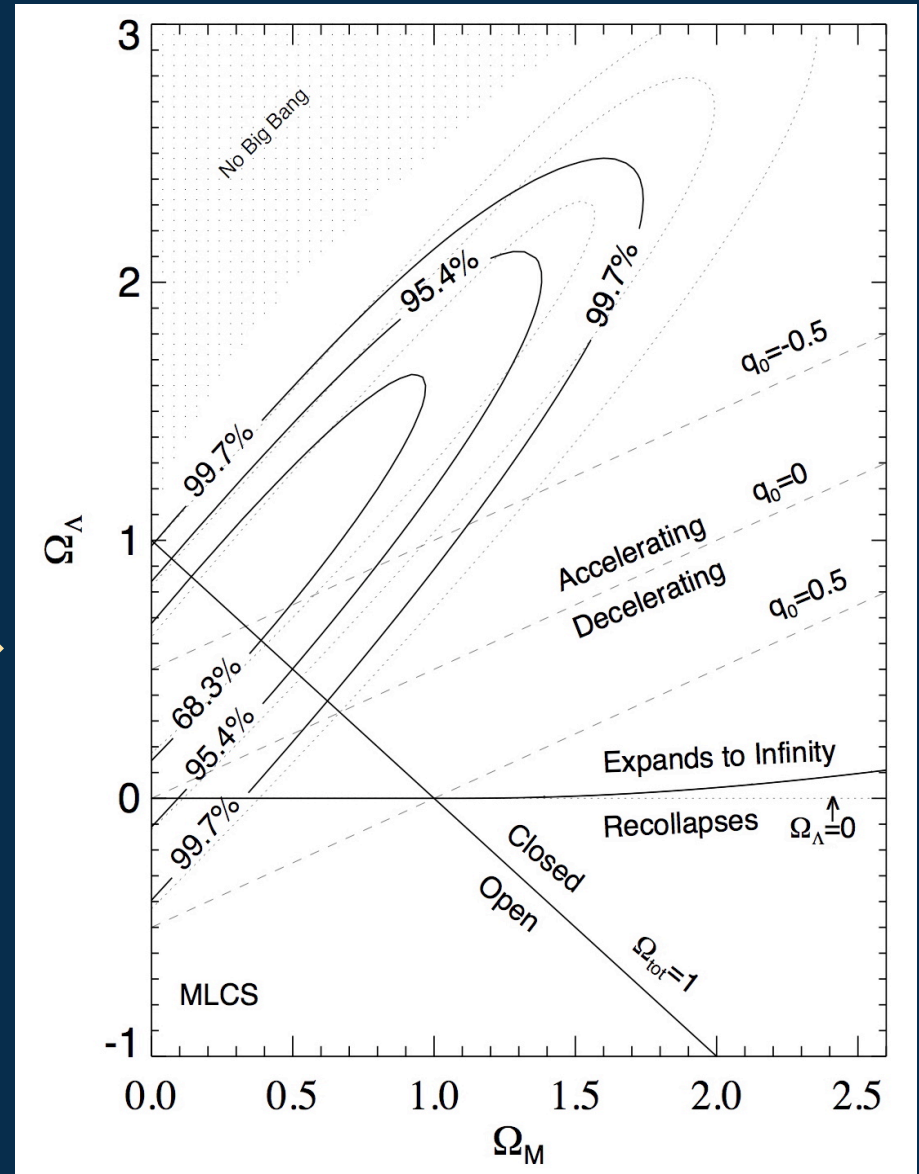
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Supernovae look  
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But we can fit the data if we add in some "dark energy" 



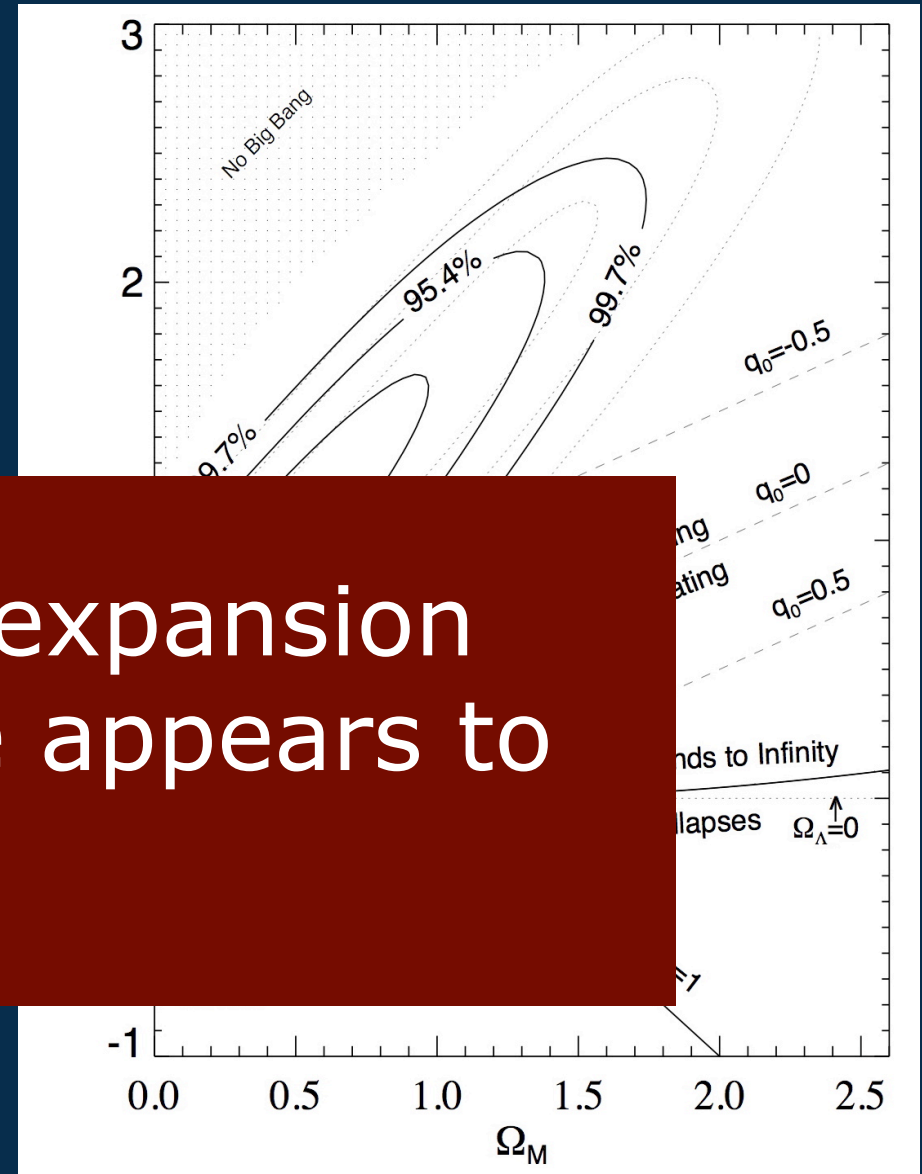
Riess et al. 1998

# The dark energy problem

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But  
data  
some

**Problem**: the expansion of the Universe appears to be accelerating



# Potential explanations

- **Measurement error** – maybe we did the measurements or data analysis wrong? (Unlikely)

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How do we measure these modifications?

GR

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How do we measure these modifications?  
One way:  
Gravitational lensing

- Large scale incompatible with GR



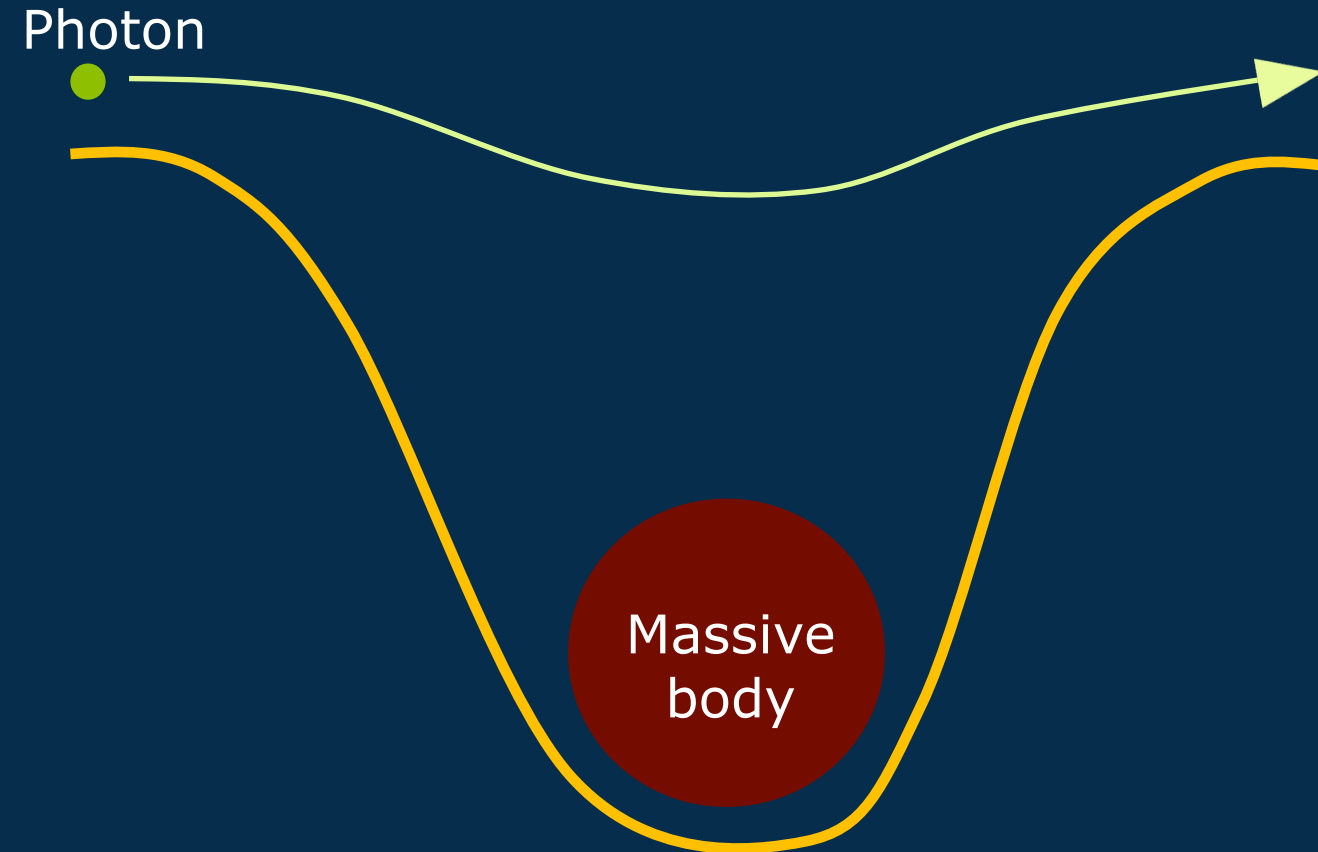
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GR

ged



# Lensing in GR



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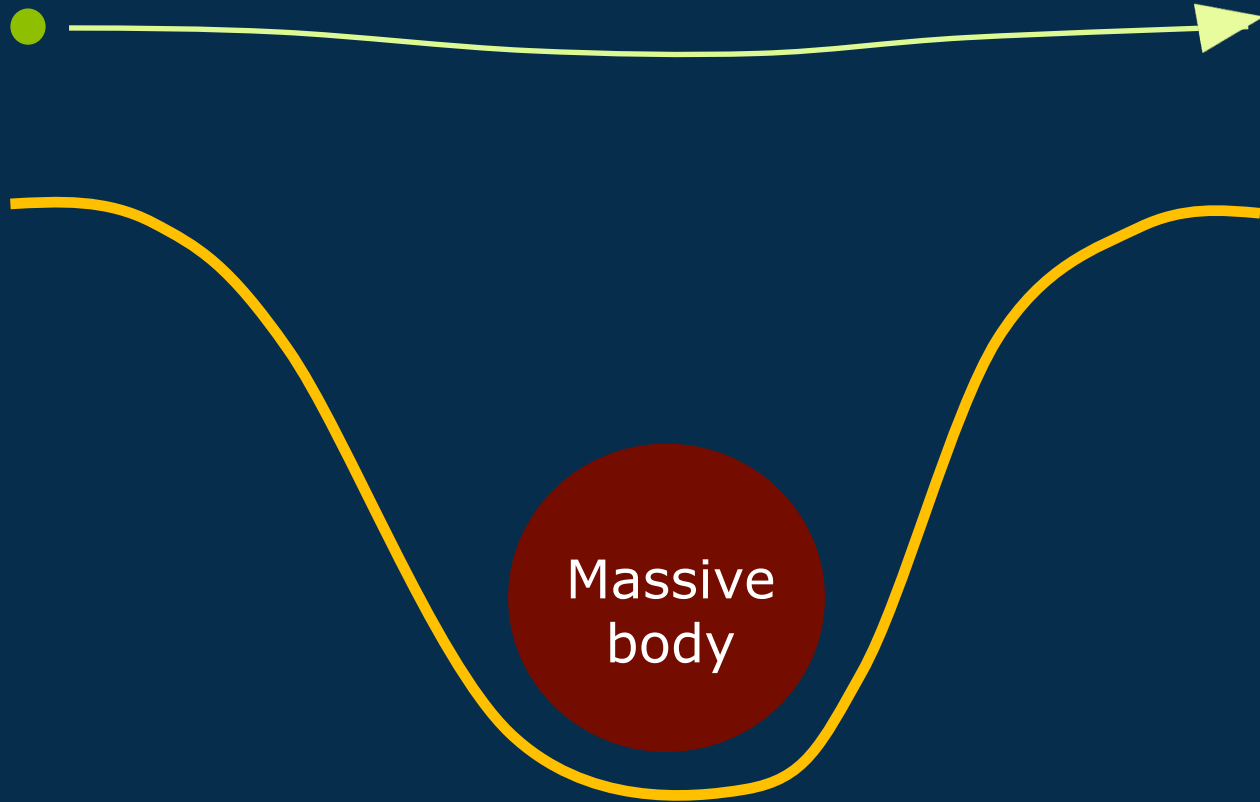
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# Lensing in modified gravity

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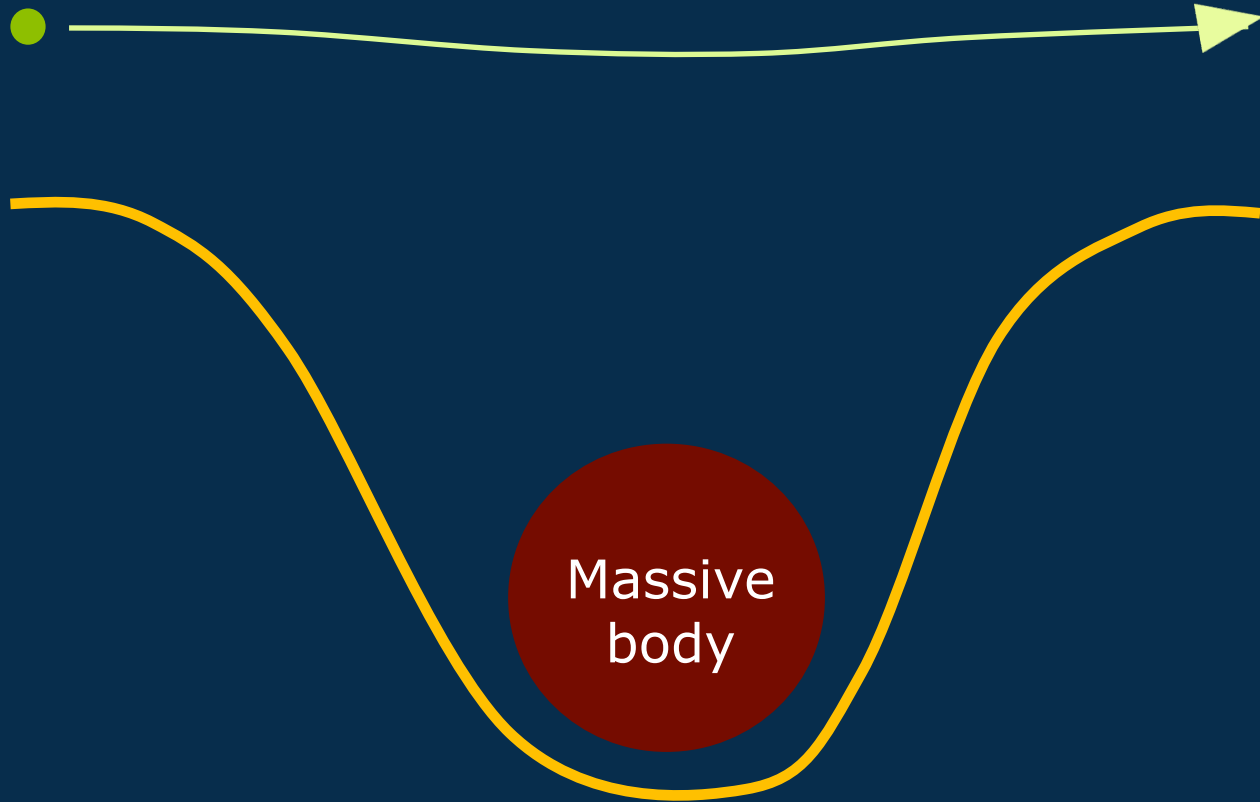
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# Lensing in modified gravity

Photon



The potential is a function of the matter distribution:

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The light bending angle is a function of this potential:

$$\alpha = \bar{G}(\Phi)$$

Changes how matter produces potentials  
Changes how photons move in those potentials

**Big question**: How do we best use gravitational lensing observations to constrain modifications of GR on very large scales?

# Lessons from “small” scales

The parameterized post-Newtonian formalism –

the gravitational potentials of GR are modified, for instance:

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Can constrain the parameter  $\gamma$

# PPN parameters

Parameter	What it measures relative to GR	Value in GR	Value in semi-conservative theories	Value in fully conservative theories
$\gamma$	How much space-curvature produced by unit rest mass?	1	$\gamma$	$\gamma$
$\beta$	How much “nonlinearity” in the superposition law for gravity?	1	$\beta$	$\beta$
$\xi$	Preferred-location effects?	0	$\xi$	$\xi$
$\alpha_1$	Preferred-frame effects?	0	$\alpha_1$	0
$\alpha_2$		0	$\alpha_2$	0
$\alpha_3$		0	0	0
$\alpha_3$	Violation of conservation of total momentum?	0	0	0
$\zeta_1$		0	0	0
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$\zeta_4$		0	0	0



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Framework for parameterizing deviations from GR in “weak field” gravity:

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(2) Large scale cosmology

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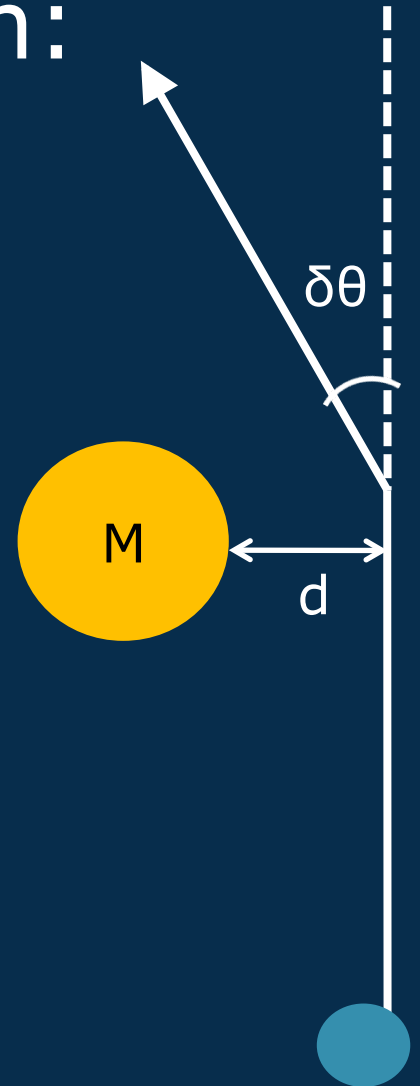
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# Solar system constraints

Light deflection due to the Sun:

$$\delta\theta = \frac{1}{2} (1 + \gamma) \frac{4M}{d}$$

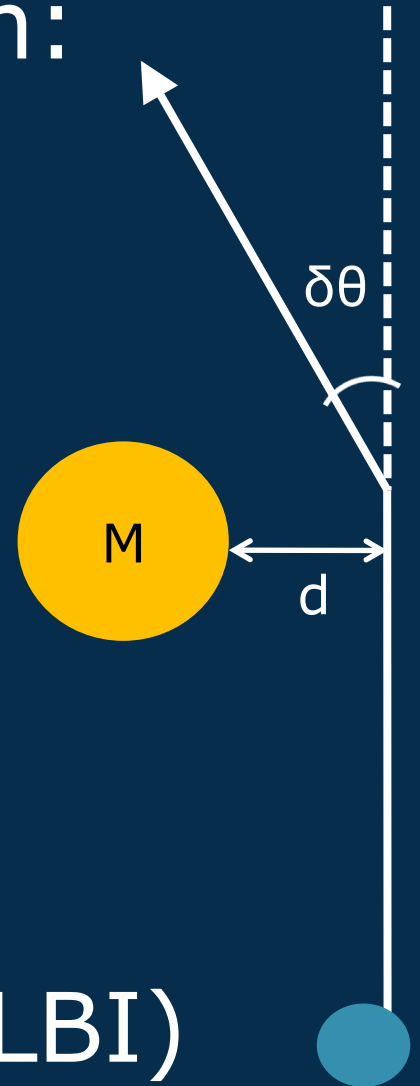




# Solar system constraints

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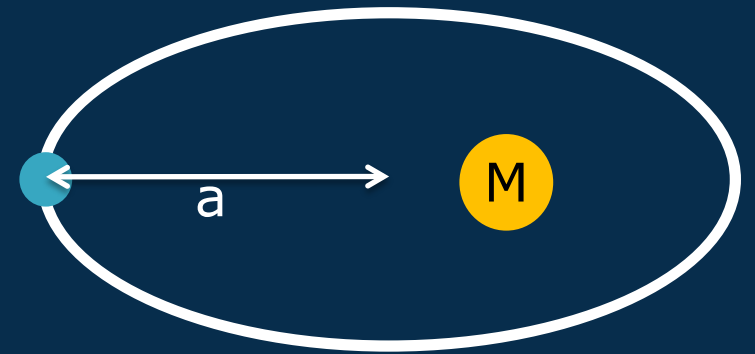
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➔  $\gamma - 1 = (-1.7 \pm 4.5) \times 10^{-4}$  (VLBI)

# Solar system constraints

Perihelion precession of Mercury:

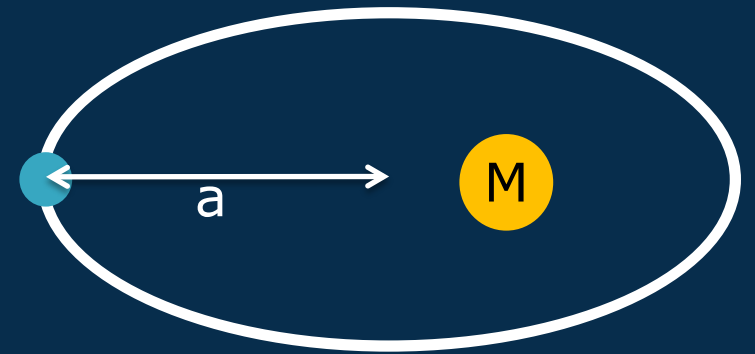


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➔  $|2\gamma - \beta - 1| < 3 \times 10^{-3}$  (Shapiro, 1990)

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If not  **modified gravity**

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Constrain PPN parameters

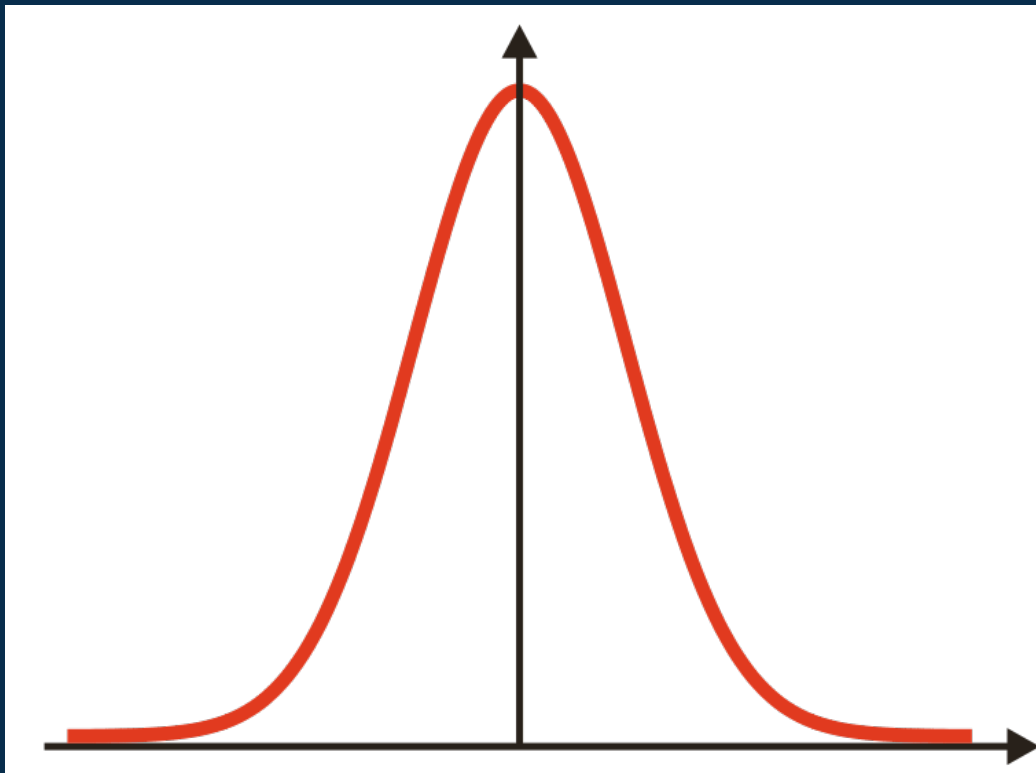
# Weak lensing observables in modified gravity

Through the SURP program, we are working with Prof. Robert Caldwell at Dartmouth to compute:

- Light bending and image distortions
- Weak lensing power spectrum
- Higher-order statistics, such as the bispectrum

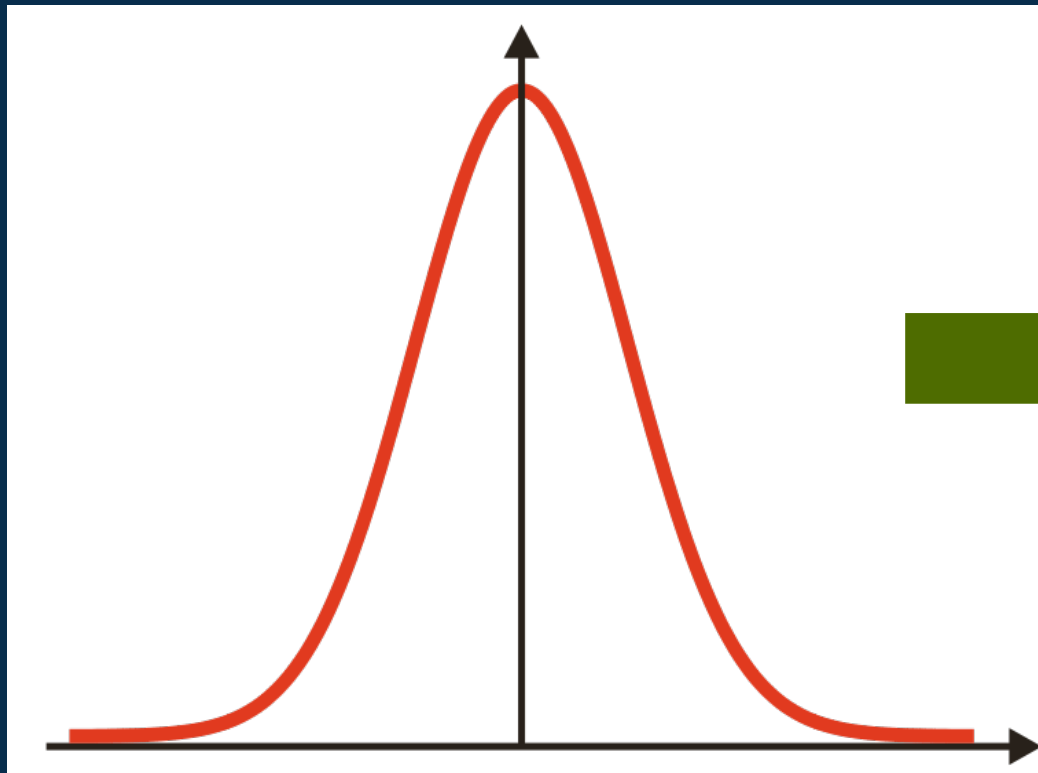
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If density fluctuations are very small, they can be approximated as a random field with a Gaussian distribution:



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Weak lensing distortions will also be random

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Modified gravity theories have different levels of nonlinearity via the PPN parameter  $\beta$



# Non-Gaussianity from modified gravity

Gaussian distributions have zero skewness

$$S_3 \equiv \frac{\langle \mathbf{K}^3 \rangle}{\langle \mathbf{K}^2 \rangle^{3/2}}$$

= a measure of asymmetry of the distribution

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Measure the weak lensing skewness



Constrain  $\beta$

# Non-Gaussianity from modified gravity

Gaussian distribution  
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Get one step closer to finding the cause of cosmic acceleration

the distribution

Measure the weak lensing skewness

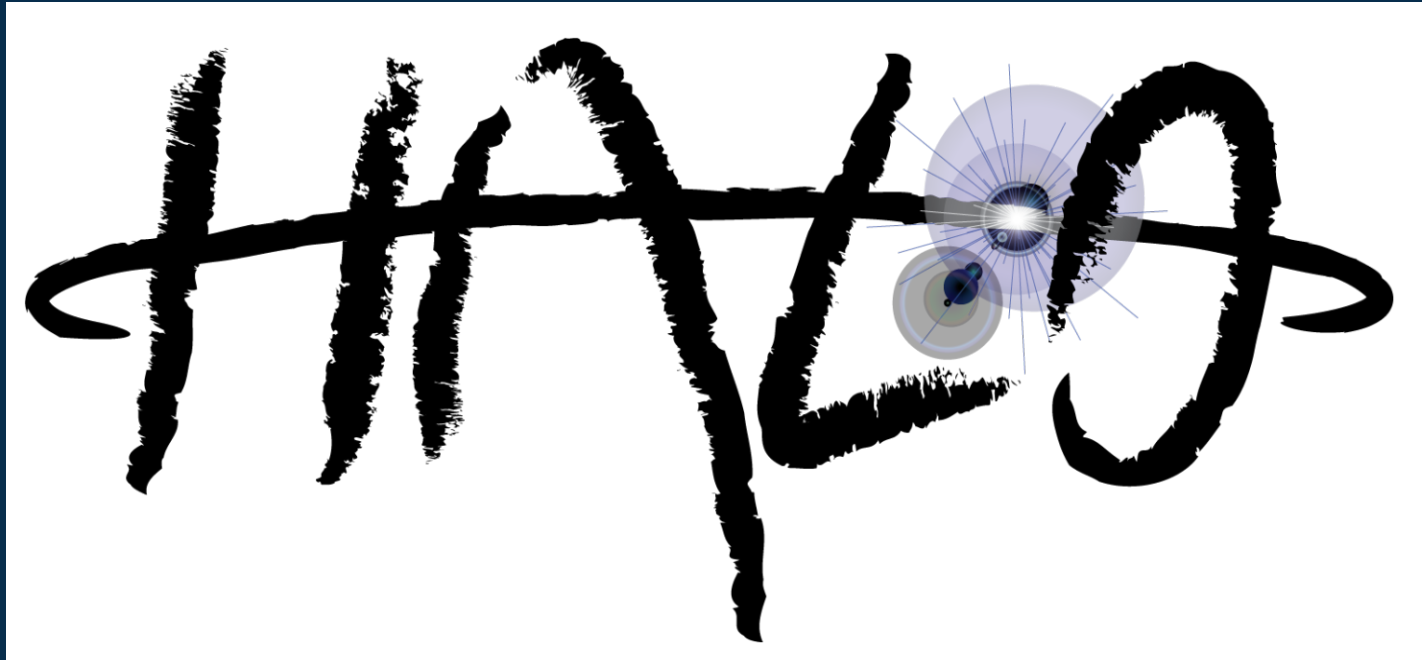


Constrain  $\beta$



**Another big question**: How do we obtain these weak lensing observations?

# The High Altitude Lensing Observatory

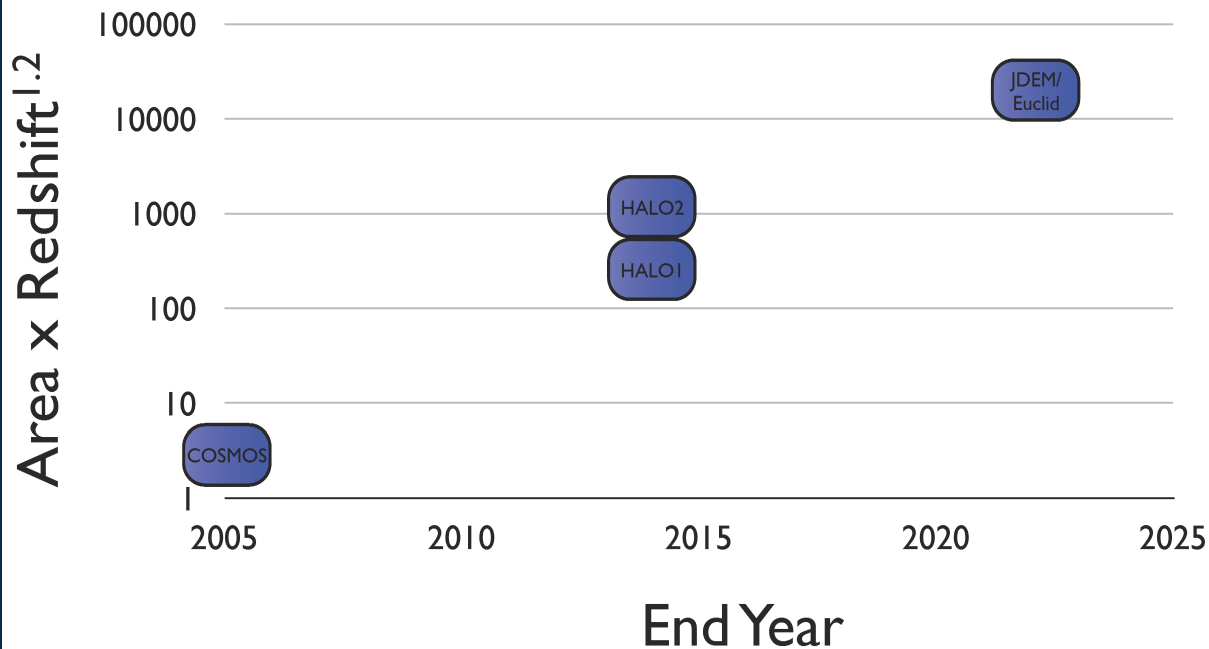


PI: Jason Rhodes

Jeff Booth (JPL), Kurt Liewer (JPL), Michael Seiffert (JPL), Wesley Traub (JPL), Richard Key (JPL), Adam Amara (ETH Zurich), Richard Ellis (Caltech), Richard Massey (University of Edinburgh), Satoshi Miyazaki (NOAJ Japan), Harry Teplitz (Spitzer Science Center, Caltech), Calvin Barth Netterfield (University of Toronto), Alexandre Refregier (CEA Saclay, Paris), Roger Smith (Caltech)

# Space quality weak lensing past and future

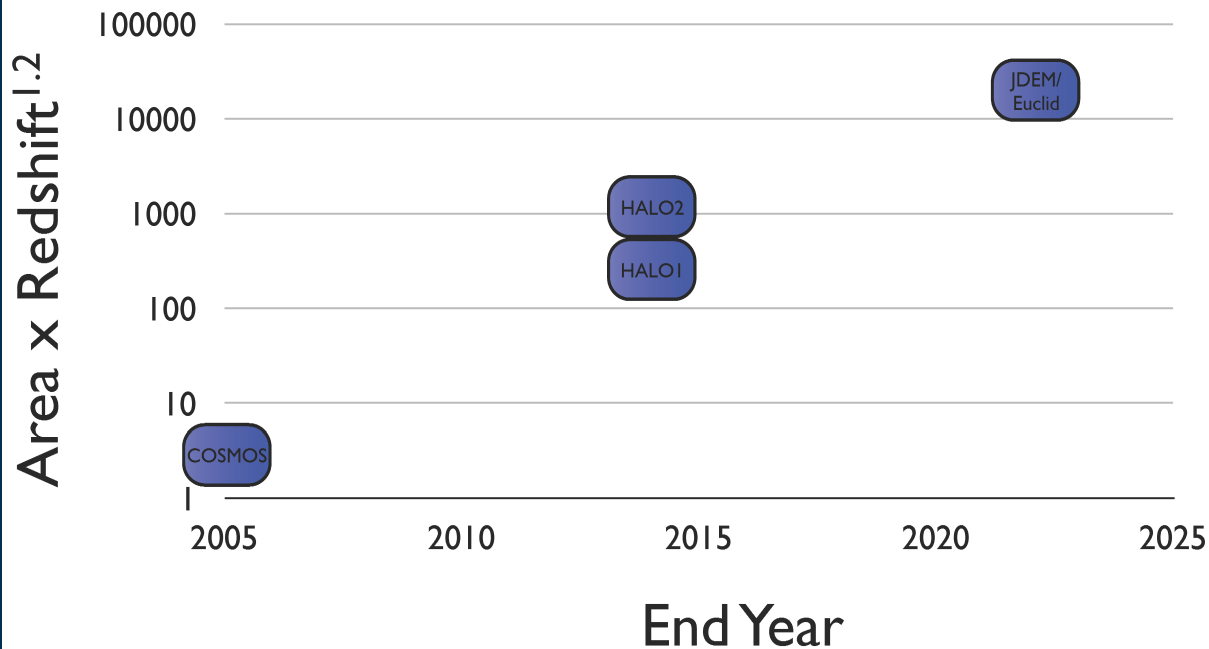
Statistical Potential of Space Quality Surveys



**Past**: COSMOS  
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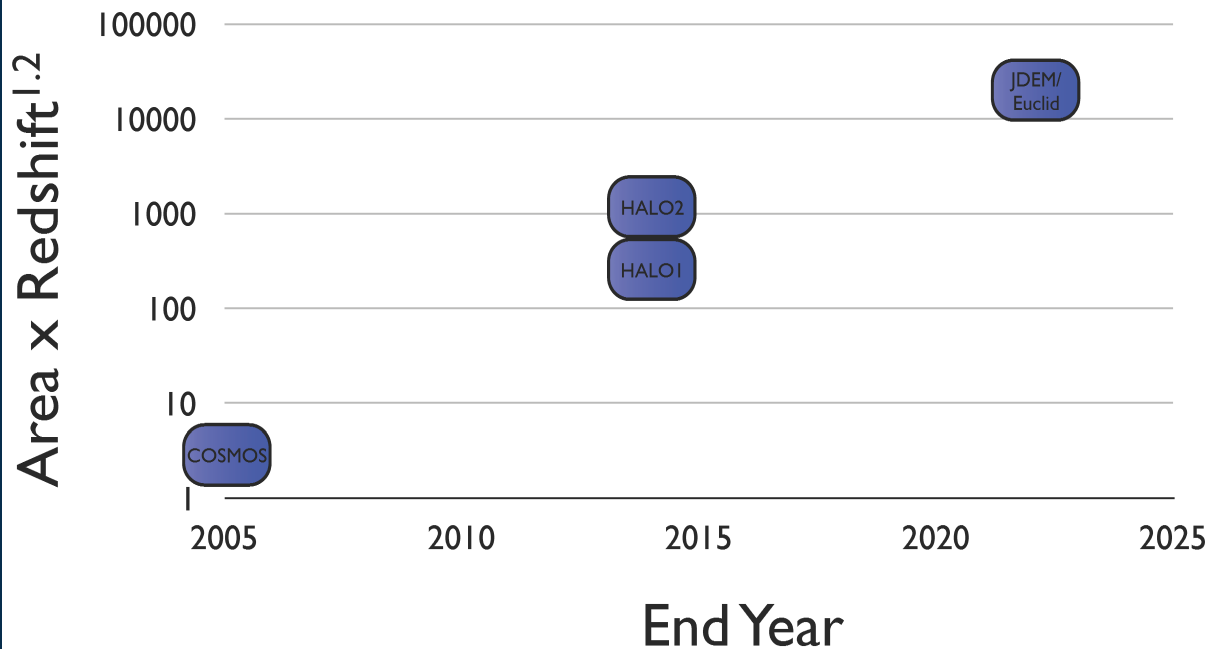
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**Past**: COSMOS  
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**Now**: the balloon-based High Altitude  
Lensing Observatory (HALO) fills the gap

# Why do weak lensing, and why from a balloon?

The Dark Energy Task Force (Albrecht et al. 2006)

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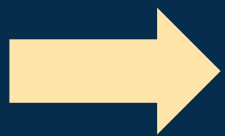
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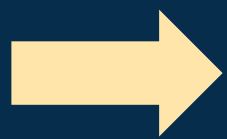
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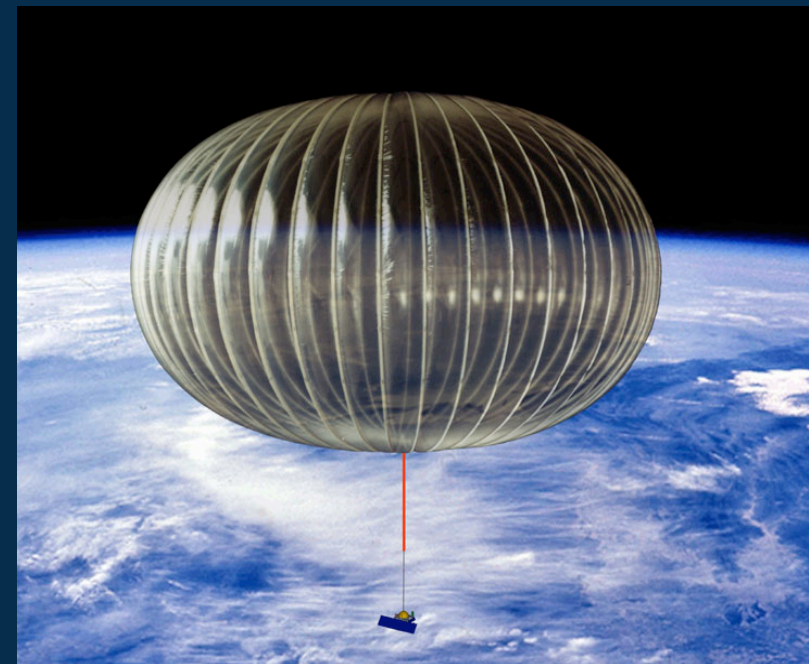
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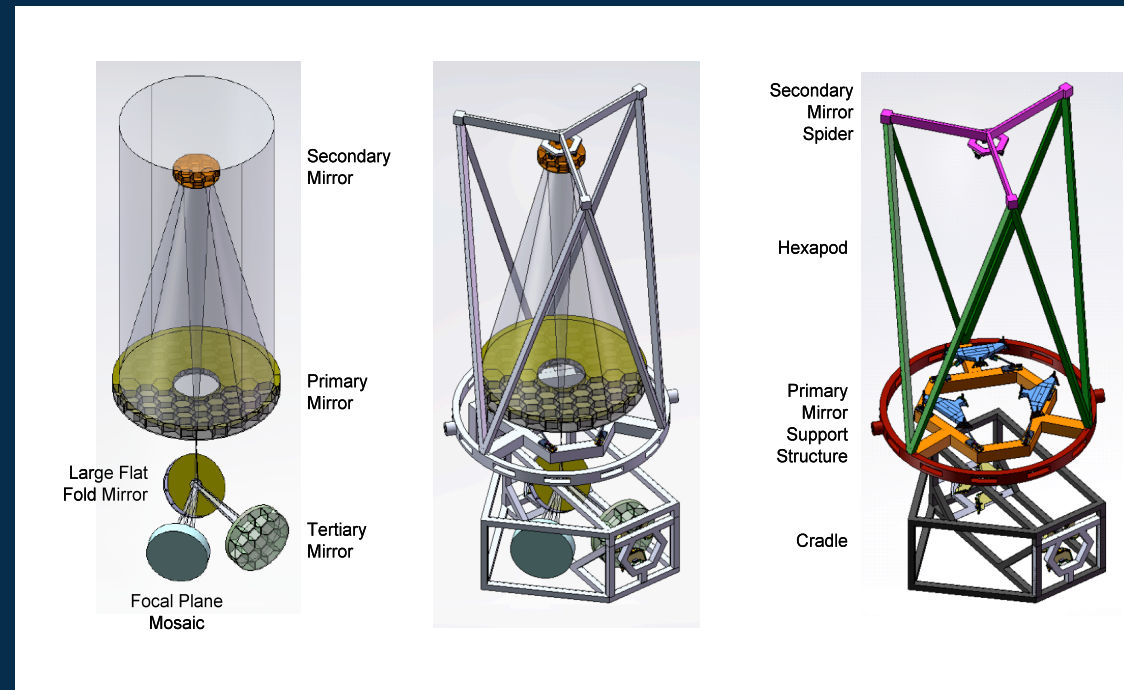
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➔ Use a balloon!



# HALO

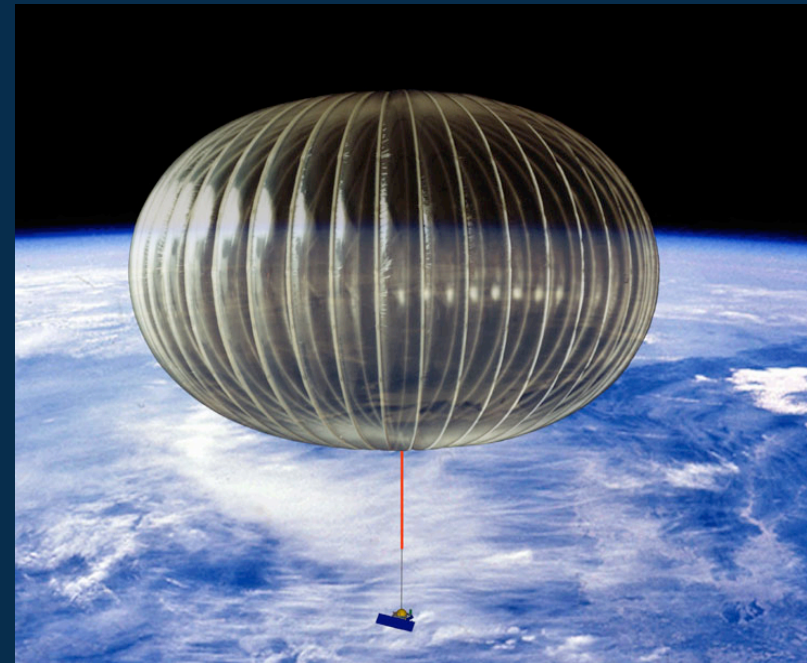
- 15-20 day flight  
Australia to  
Australia (can stop  
in South America if  
needed)
- 1.2m lightweight  
primary mirror
- 48 2k×4k  
Hamamatsu CCDs
- Single wide optical  
filter
- Solar panel to  
recharge batteries



- Need to pick up the  
disk drives (2 Tb)  
afterwards to do the  
science

# Survey strategy

- 500-720 nm filter
- 1500 second integration time
- 13 square degrees per night
- 15-20 galaxies per square arcminute
- Redshifts from the ground





# Science reach

## **Understand dark matter:**

- Amount and distribution
- Weak and strong lensing

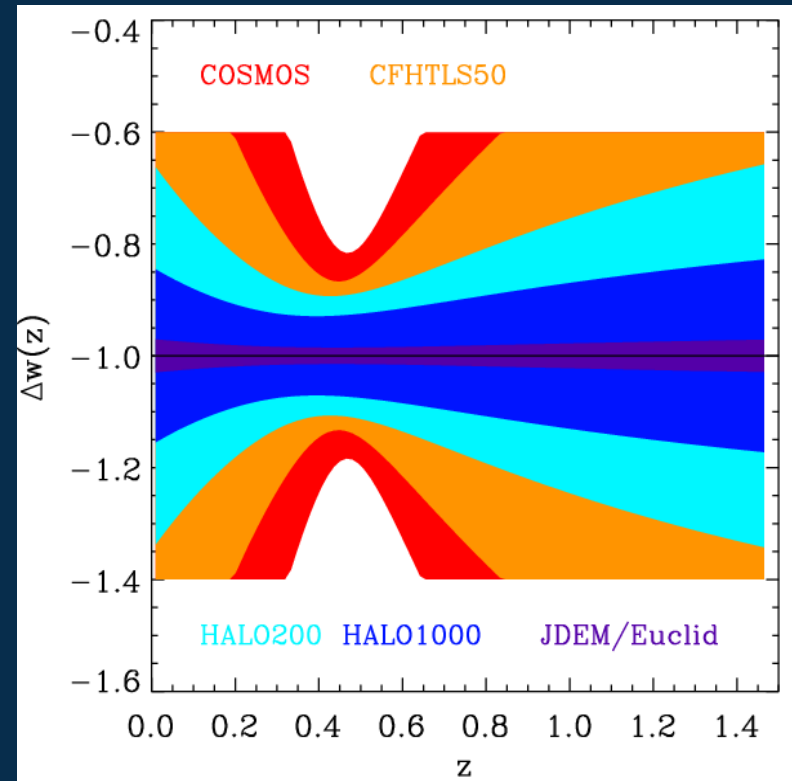
# Science reach

## Understand dark matter:

- Amount and distribution
- Weak and strong lensing

## Explore dark energy and modified gravity:

- Examine expansion history
- Growth of structure



# Science reach

## Understand dark matter:

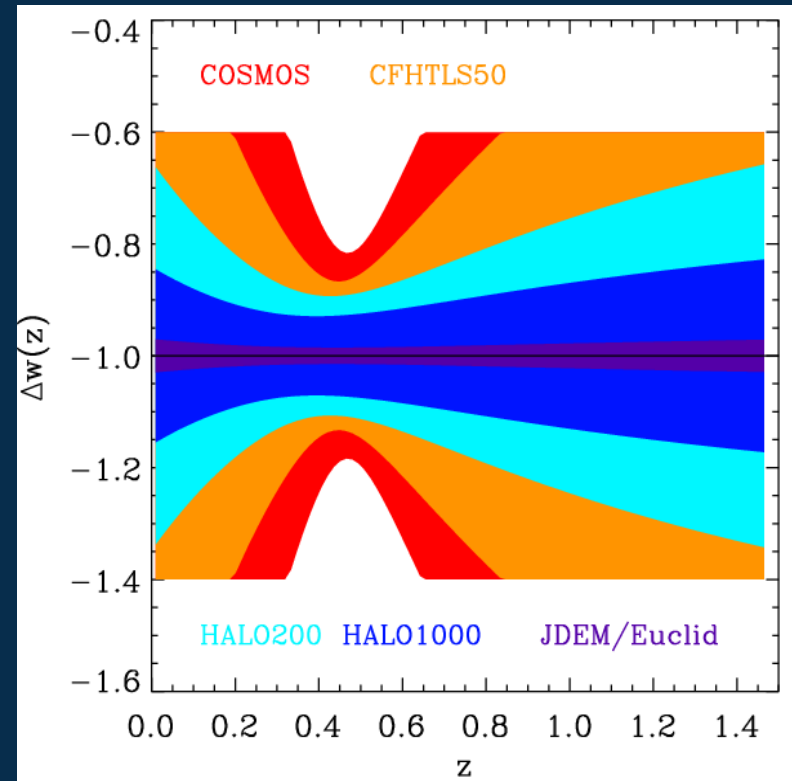
- Amount and distribution
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## Ancillary science:

- Galaxy morphology and evolution
- Stellar counts
- Surface brightness fluctuations



# Science reach

## Understand dark matter:

- Amount and distribution
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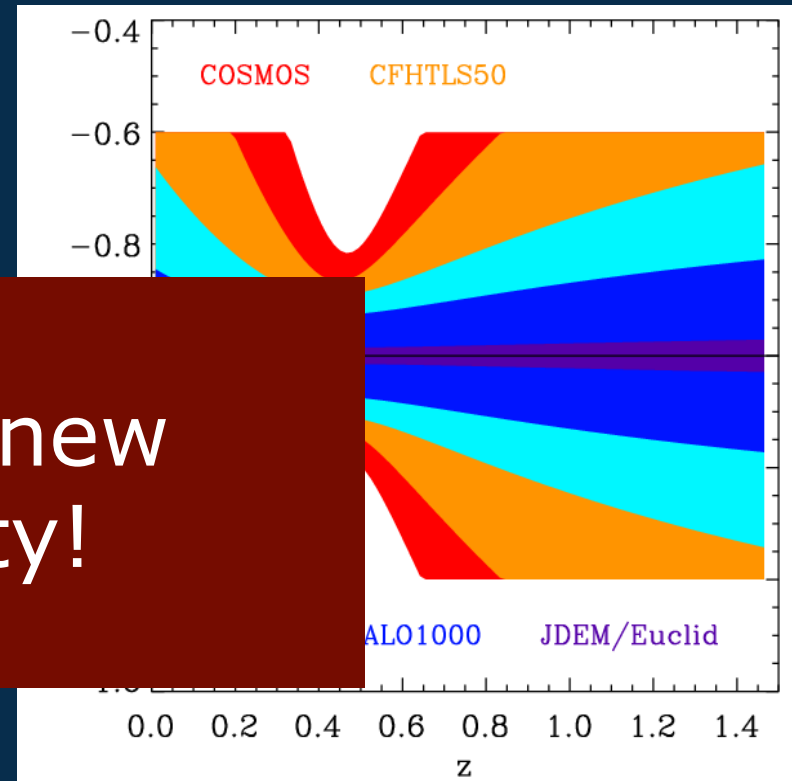
## Explore dark matter modified gravity

- Examine ex
- Growth of s

An exciting new  
opportunity!

## Ancillary science:

- Galaxy morphology and evolution
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# Conclusions

- Modifications of GR on cosmological scales could explain cosmic acceleration
- Weak lensing is an excellent probe of modified gravity
- The High Altitude Lensing Observatory (HALO) will produce the high-quality weak lensing data needed to carry this out in the near term