Report as of FY2006 for 2006TX230B: "Modeling the Effect of Urbanization and Optimizing Land Use For Estuarine Environmental Flows"

Publications

Project 2006TX230B has resulted in no reported publications as of FY2006.

Report Follows



Monitoring the Effect of Urban Growth on Freshwater Inflows using Wavelet Analysis

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Introduction

Estuaries are the connecting link between terrestrial and marine ecosystems, and provide a critical coastal habitat that is essential ecologically and economically to the world economy. Therefore, it is important to maintain the productivity and ecological integrity of estuarine ecosystems. The productivity of these systems depends on the timing and magnitude of freshwater inflow (NRC, 2005) along with the associated nutrients such as N and P, metals, and organic matter from the terrestrial environment. Freshwater inflows help in ecological processes such as dilution of salt water that creates a unique environment: creation of habitats for several species; regulation of bay water temperature and are essential for marine bio-geochemical cycles. Variations in freshwater inflows can alter the ecology of estuarine environment, potentially hampering productivity. Freshwater inflow, nutrient, and metal delivery are influenced by the land use/land cover and water management practices in the contributing watershed, particularly in watersheds that are experiencing rapid human induced disturbances. San Antonio, TX, the 8th largest city in the US, is situated in the San Antonio River basin. The San Antonio River Basin encompasses 4180 square miles from the headwaters to the point at which this river joins with the Guadalupe River, before draining into Gulf of Mexico, Rapid urbanization has changed the land use and land cover in this river basin. Studies in the river basin suggest that change in land use has primarily been an increase in impervious surface. Increase in impervious surface can change the flow regime by altering timing, magnitude, scale, and frequency of freshwater inflows.

This study used continuous wavelet transformation (CWT) on the geo-physical signal (environmental flow) to analyze changes in frequency and scale in the San Antonio River flow regime (seasonal flows in particular) using 63 years (1940-2003) of average daily discharge obtained from USGS gauging station number 8188500 situated most downstream in the river. This study also applied similar technology on seasonal baseflow, which was separated from total flow.

Wavelet analysis of the hydrologic stream flow data helps to understand the cyclic changes and patterns present in the time series. It helps to link these cyclic changes to river basin water management to maintain estuarine ecological health.

Methodology

from daily average flow were aggregated into three distinct seasonal Data periods (Dec-Mar, Apr-Jul, and Aug-Nov), for each year. From this aggregated datasets, maximum, minimum, and total seasonal flows were calculated. Baseflow was estimated from total flow using a baseflow separation program (digital filter technique) developed by Arnold, and Allen, 1999. Similar analysis was conducted on baseflow

Wavelet analysis was conducted using MATLAB. For the current analysis, a complex Morlet wavelet function was used. The wavelet transformation Wn is the convolution of a vector x (with time dimension n) with a wavelet function w

$$\sum_{n(s)}^{N-1} \sum_{n'=0}^{N-1} x_n \psi \left[\frac{(n'-n)\overline{\alpha}}{\overline{s}} \right]$$

(1)

where s is the scale, or dilation, n' - n shows the number of points from time series origin (translation), ot is the time interval, N is the number of points, and the overbar designates the complex conjugate. Scale is the width of the wavelet; a larger scale means that more of the time series is included in the calculation and that finer details are ignored. Scale is approximately equal to the Fourier period (inverse of frequency). Translation of the wavelet is accomplished by calculating the convolution from n' = 0. N-1. In other words, a wavelet of varying width (scale) is moved, or translated, through the entire time series. The wavelet transformation is therefore localized in both time (through the translation) and frequency (through the range of scales). Wavelets are advantageous in that they simultaneously localize frequency and time, allowing for the detection of variations in the amplitude and timing of periodic signals present in the time series (White et al., 2005),

In this analysis, a complex Morlet wavelet function $\psi O(n)$, which is commonly used for signals with strong wave-like features (such as streamflow data), was used and is calculated as: (2)

$$\psi(\eta) = \pi^{-1/4} e^{i\omega_0 \eta} e^{-\eta/2}$$

where $\omega 0$ is the non-dimensional wave number and η is a time parameter (nondimensional, also could represent other metrics such as distance)

The continuous wavelet transform can then be calculated using a fast Fourier transform (FFT). The wavelet power spectrum (WPS), as for the Fourier power spectrum, is defined as | Wn(s) |2. In addition to viewing the entire wavelet power spectrum, wavelets can be averaged in time and space.



