

# Harvest Control Rules (The “Tier System”)

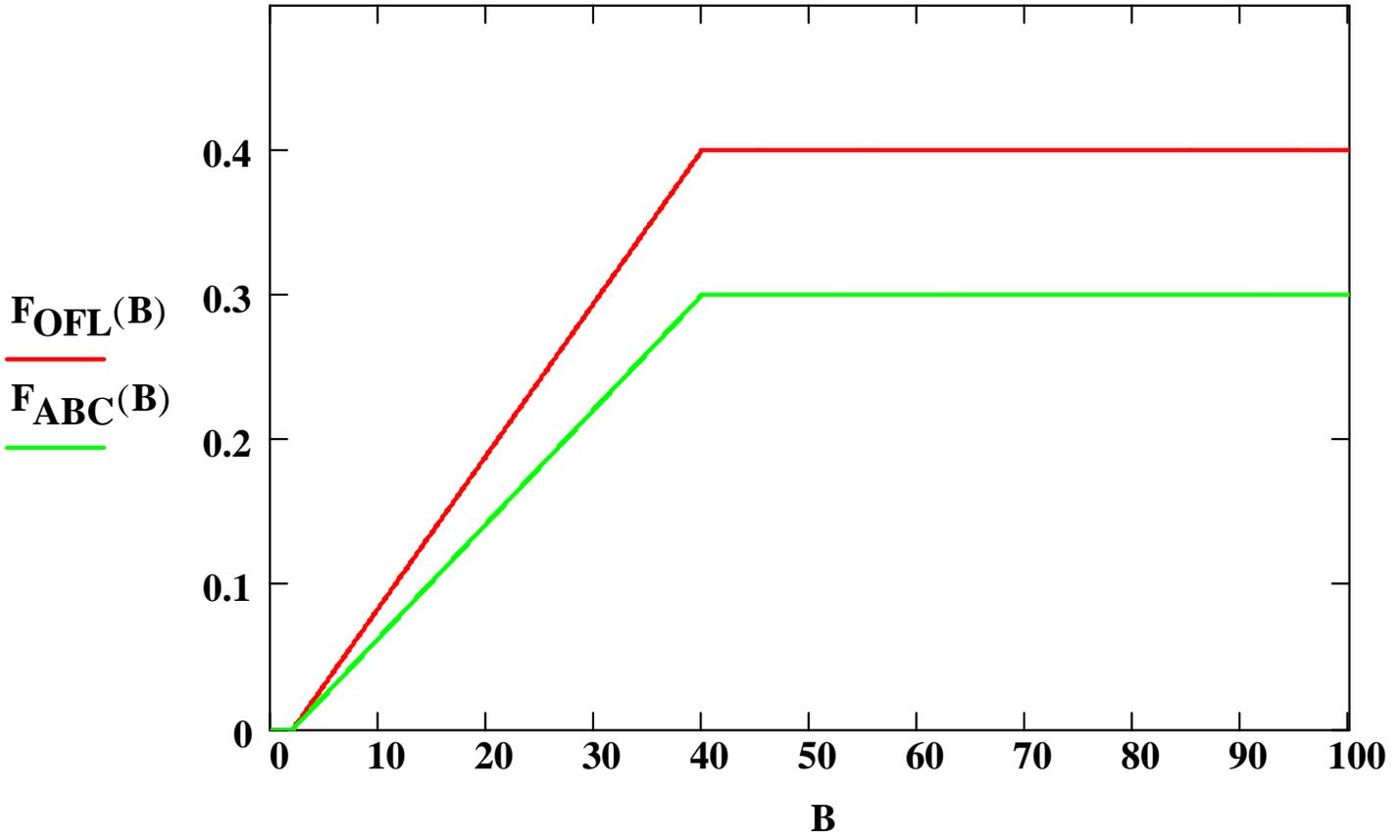
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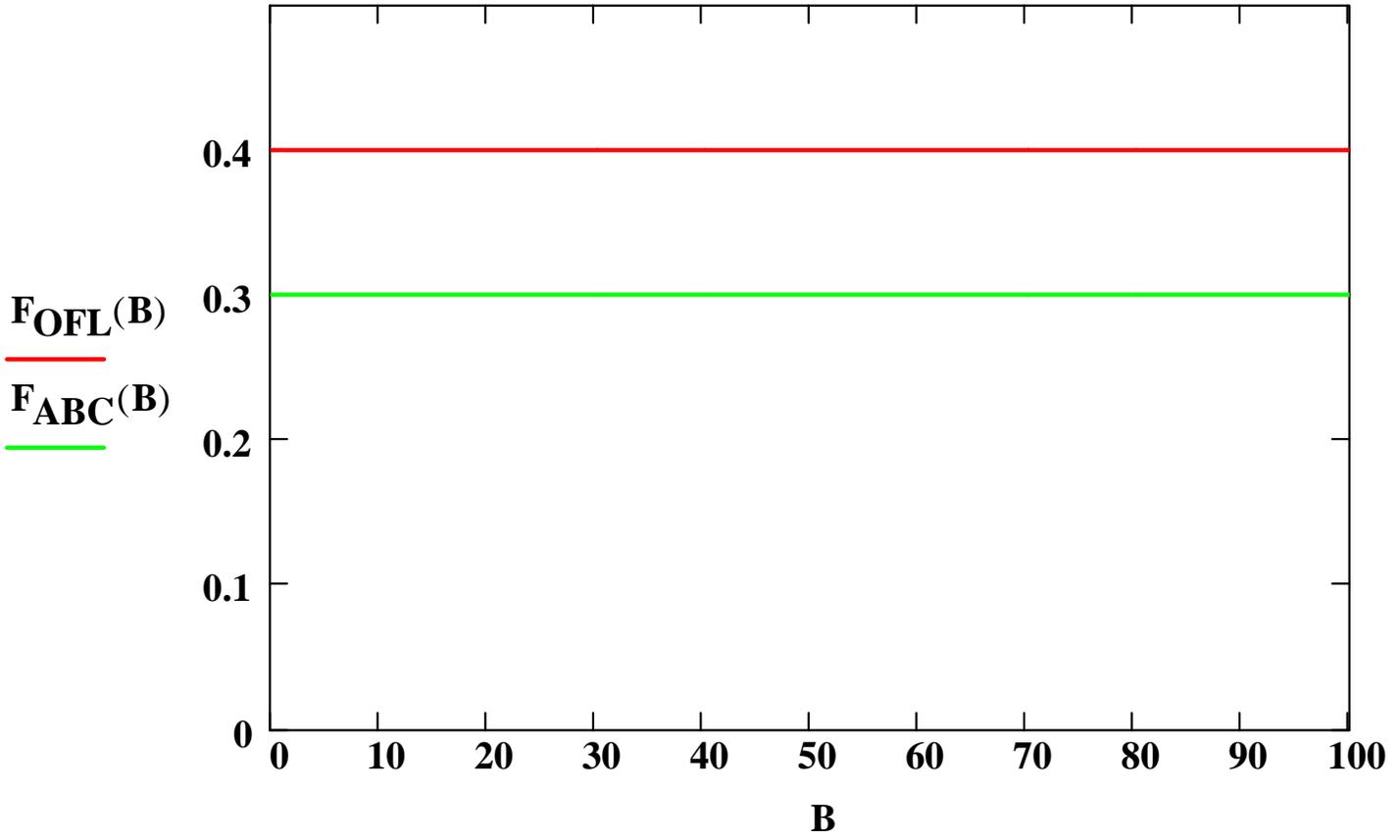
# Tiers Grouped by HCR Shape

- Control rules in Tiers 1-3 have similar shape
  - Constant  $F$  if biomass above the reference level
  - $F$  varies with  $B$  below the reference level
  - $F=0$  if biomass extremely low
- Control rules in Tiers 4-5 have similar shape
  - Constant  $F$  regardless of biomass
- Control rules in Tier 6 are unique
  - Constant catch regardless of biomass
  - Unless the SSC has a better idea

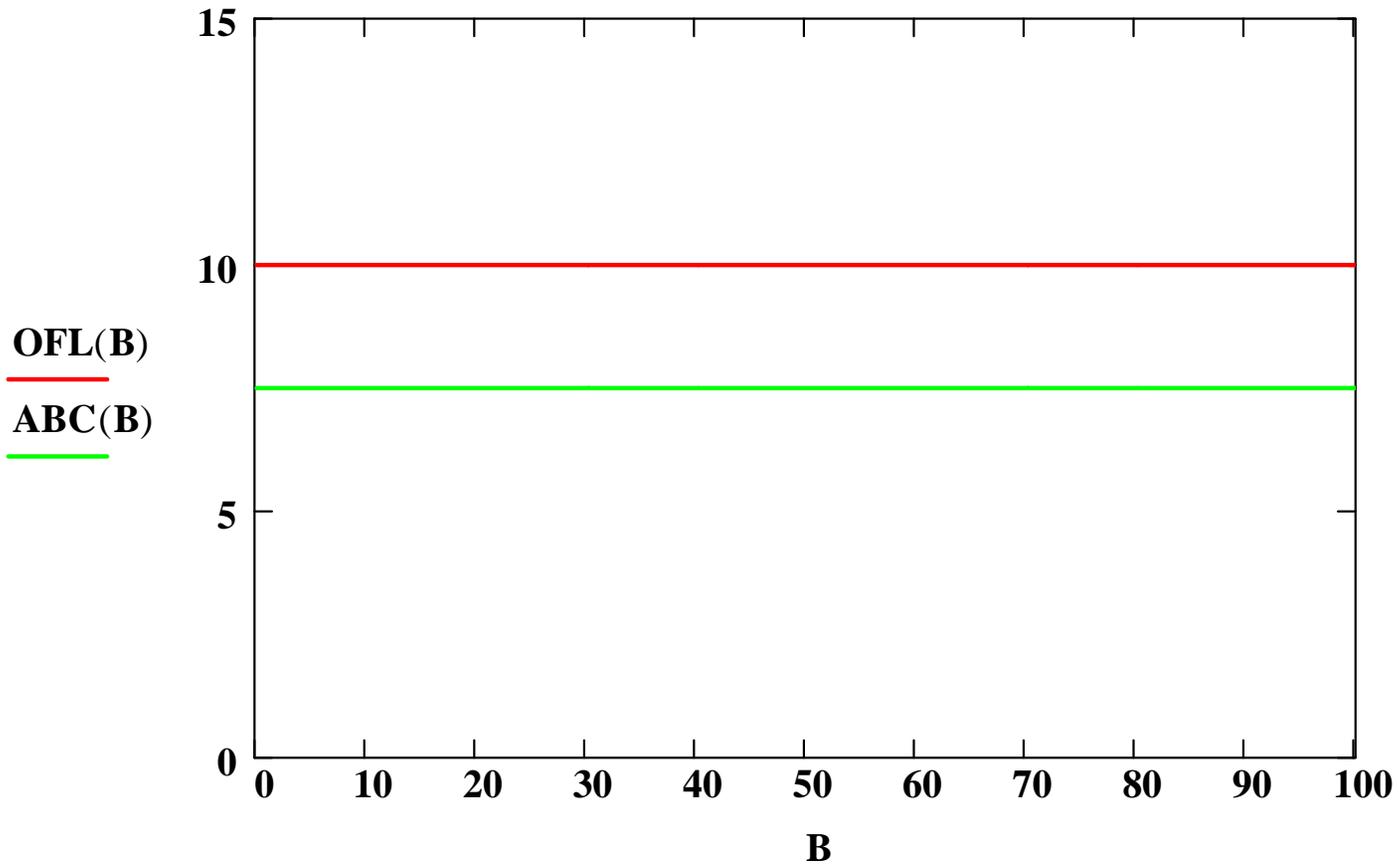
# Shape of Control Rules in Tiers 1-3



# Shape of Control Rules in Tiers 4-5



# Shape of Control Rules in Tier 6



# Tiers Grouped by Basis

- Tiers 1-2 based on MSY directly
  - Tier 1: use when **uncertainty** *can* be estimated
  - Tier 2: use when **uncertainty** *can't* be estimated
- Tiers 3-4 based on spawning per recruit
  - Tier 3: use when **recruitment** *can* be estimated
  - Tier 4: use when **recruitment** *can't* be estimated
- Tier 5 based on natural mortality rate
- Tier 6 based on average catch

# Spawning Per Recruit

- Usually expressed in relative (%) terms
- Ratio between two lifetime egg productions
  - Numerator: assume the cohort is fished
  - Denominator: assume cohort is *not* fished
- Ranges between 0 and 1, depending on  $F$ 
  - Numerator is small if  $F$  is large
  - Numerator = denominator if  $F=0$

# Example SPR Calculations

Age	Nos.	Expl.	Catch	Wt.	Yield	Surv.	Mat.	Spawn.	Mort.	Deaths
1	1,000	0.00	0	0.8	0	1,000	0	0	0.2	200
2	800	0.00	0	1.8	0	800	0	0	0.2	160
3	640	0.19	122	2.8	340	518	0	0	0.2	104
4	415	0.19	79	3.8	299	336	0	0	0.2	67
5	269	0.19	51	4.8	245	218	1	1,045	0.2	44
6	174	0.19	33	5.8	192	141	1	818	0.2	28
7	113	0.19	21	6.8	146	91	1	622	0.2	18
8	73	0.19	14	7.8	108	59	1	462	0.2	12
9	47	0.19	9	8.8	79	38	1	338	0.2	8
10	31	0.19	6	9.8	57	25	1	244	1.0	25
Sum	3,562		335		1,467	3,227		3,528		665

Age	Nos.	Expl.	Catch	Wt.	Yield	Surv.	Mat.	Spawn.	Mort.	Deaths
1	1,000	0.00	0	0.8	0	1,000	0	0	0.2	200
2	800	0.00	0	1.8	0	800	0	0	0.2	160
3	640	0.00	0	2.8	0	640	0	0	0.2	128
4	512	0.00	0	3.8	0	512	0	0	0.2	102
5	410	0.00	0	4.8	0	410	1	1,966	0.2	82
6	328	0.00	0	5.8	0	328	1	1,901	0.2	66
7	262	0.00	0	6.8	0	262	1	1,783	0.2	52
8	210	0.00	0	7.8	0	210	1	1,636	0.2	42
9	168	0.00	0	8.8	0	168	1	1,476	0.2	34
10	134	0.00	0	9.8	0	134	1	1,315	1.0	134
Sum	4,463		0		0	4,463		10,077		1000

Recruits don't matter in SPR%  
(so long as they're the same)

$$\frac{\left(\frac{3528}{1000}\right)}{\left(\frac{10077}{1000}\right)} = \left(\frac{3528}{1000}\right) \cdot \left(\frac{1000}{10077}\right) = \frac{3528}{10077} = \mathbf{0.35}$$

# What is B40%?

- 40% of biomass that would result from an average cohort if fishing were eliminated
  - “average cohort” computed over current regime
  - product of  $SPR(F40\%)$  and average recruitment
- *Not* 40% of historic biomass
  - historic regime may differ from current
- *Not* 40% of equilibrium biomass
  - equilibrium recruitment may differ from average

# Example SY Calculations

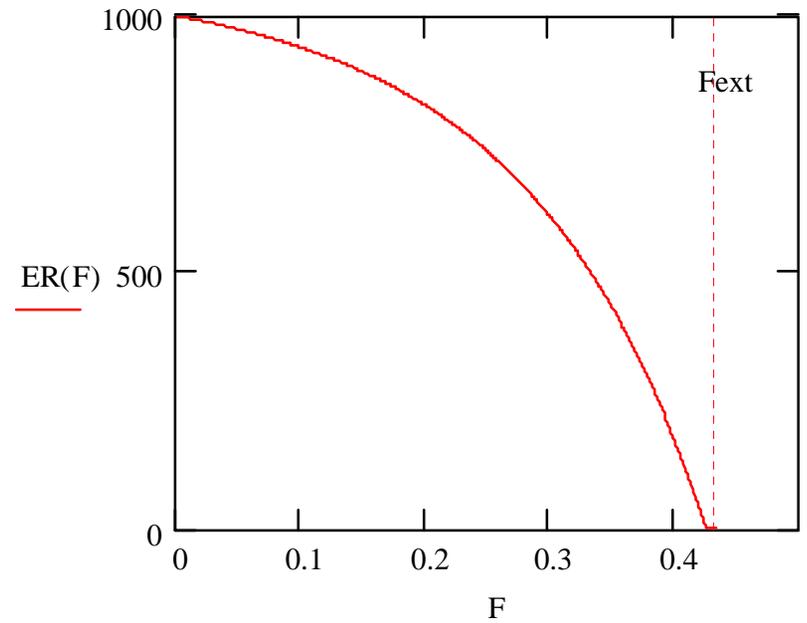
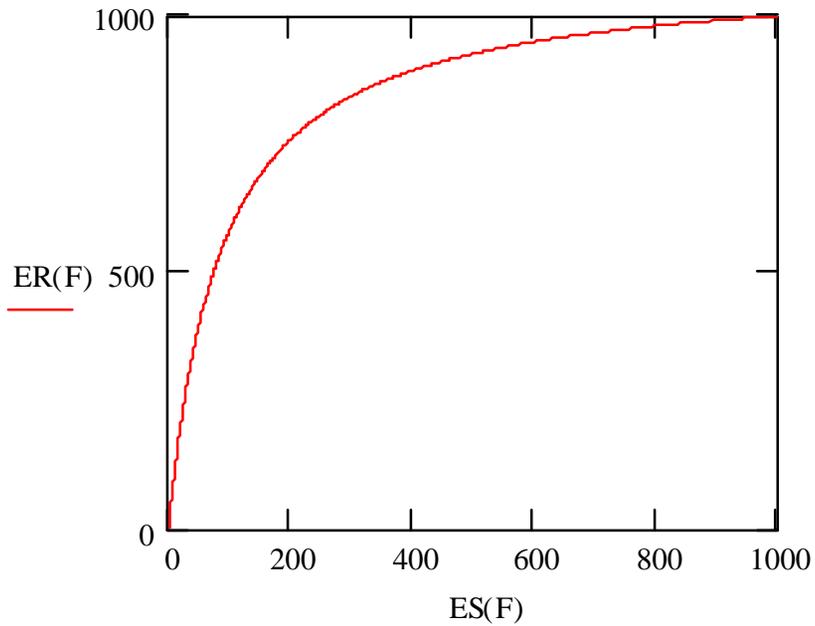
Age	Nos.	Expl.	Catch	Wt.	Yield	Surv.	Mat.	Spawn.	Mort.	Deaths
1	809	0.00	0	0.8	0	809	0	0	0.2	162
2	648	0.00	0	1.8	0	648	0	0	0.2	130
3	518	0.21	109	2.8	305	409	0	0	0.2	82
4	327	0.21	69	3.8	261	259	0	0	0.2	52
5	207	0.21	43	4.8	209	163	1	785	0.2	33
6	131	0.21	27	5.8	159	103	1	599	0.2	21
7	83	0.21	17	6.8	118	65	1	444	0.2	13
8	52	0.21	11	7.8	86	41	1	322	0.2	8
9	33	0.21	7	8.8	61	26	1	229	0.2	5
10	21	0.21	4	9.8	43	16	1	162	1.0	16
Sum	2,829		288		1,241	2,541		2,541		521

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1	1,000	0.00	0	0.8	0	1,000	0	0	0.2	200
2	800	0.00	0	1.8	0	800	0	0	0.2	160
3	640	0.00	0	2.8	0	640	0	0	0.2	128
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6	328	0.00	0	5.8	0	328	1	1,901	0.2	66
7	262	0.00	0	6.8	0	262	1	1,783	0.2	52
8	210	0.00	0	7.8	0	210	1	1,636	0.2	42
9	168	0.00	0	8.8	0	168	1	1,476	0.2	34
10	134	0.00	0	9.8	0	134	1	1,315	1.0	134
Sum	4,463		0		0	4,463		10,077		1000

Recruits *do* matter in SY  
(because they're *not* equal)

$$\frac{\left(\frac{2541}{809}\right)}{\left(\frac{10077}{1000}\right)} = \left(\frac{2541}{809}\right) \cdot \left(\frac{1000}{10077}\right) = \mathbf{0.312}$$

# Equilibrium Recruitment



# Per-Recruit and Equilibrium

