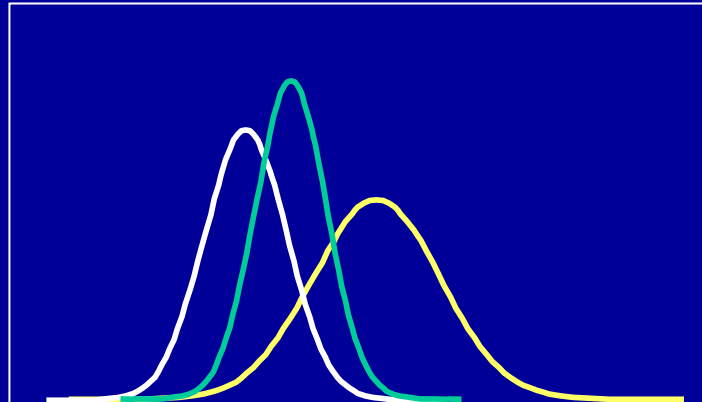


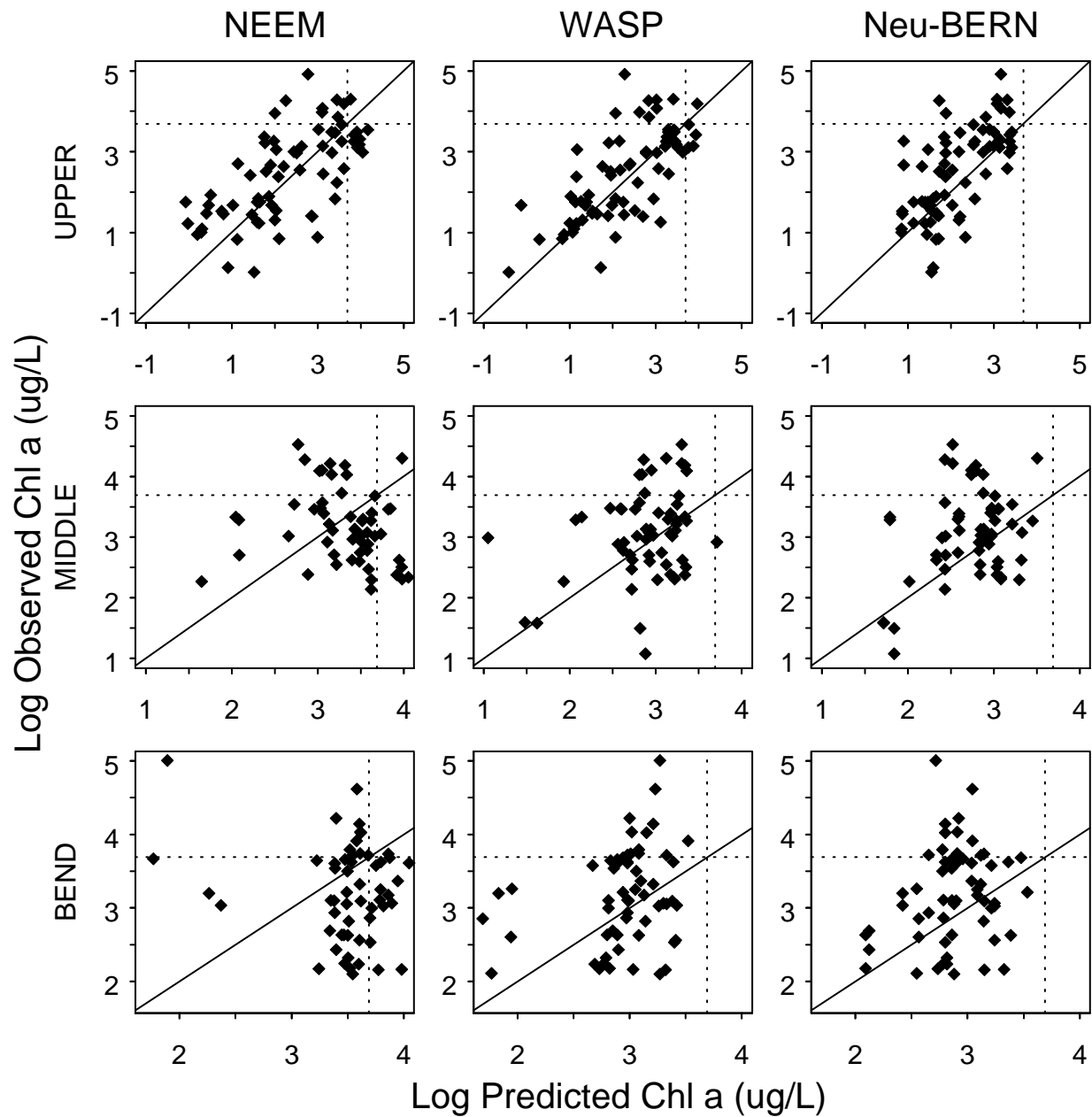
Adaptive Implementation Modeling and Monitoring for TMDL Refinement

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Duke University
November 3, 2005

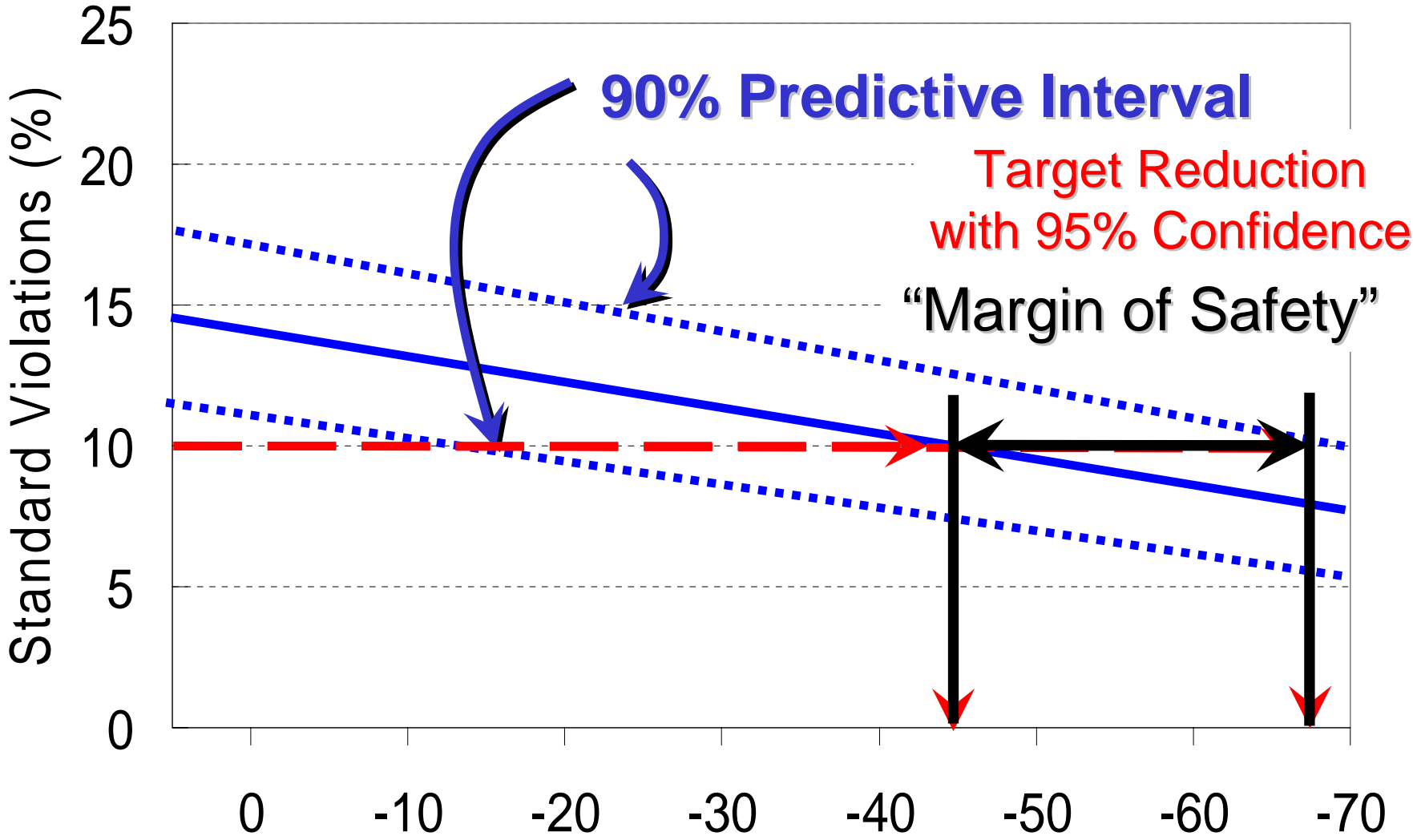


Project Objectives

- **Develop an adaptive implementation modeling and monitoring strategy (AIMMS) for TMDL improvement.**
- **Apply and evaluate AIMMS on the Neuse Estuary TMDL in North Carolina.**



N Reductions Relative to 1991-95



**We need predictions to guide
TMDL decision making, so what
should we do?**

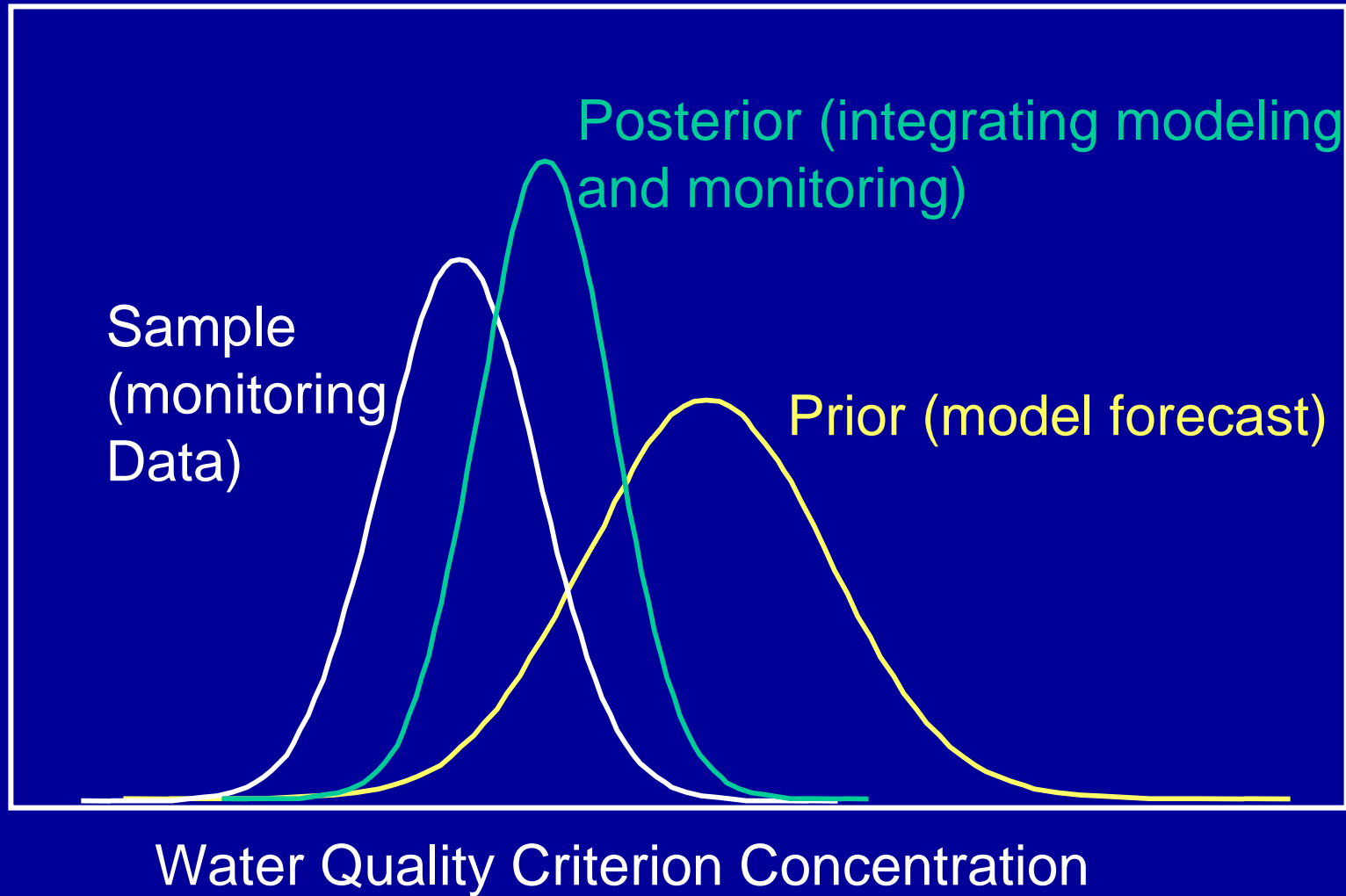
Adaptive Implementation

We can “learn while doing;” that is, we can observe how the real system (the actual waterbody) responds, and then use that information to augment and improve the prediction for the modeled system.

How might we conduct adaptive implementation?

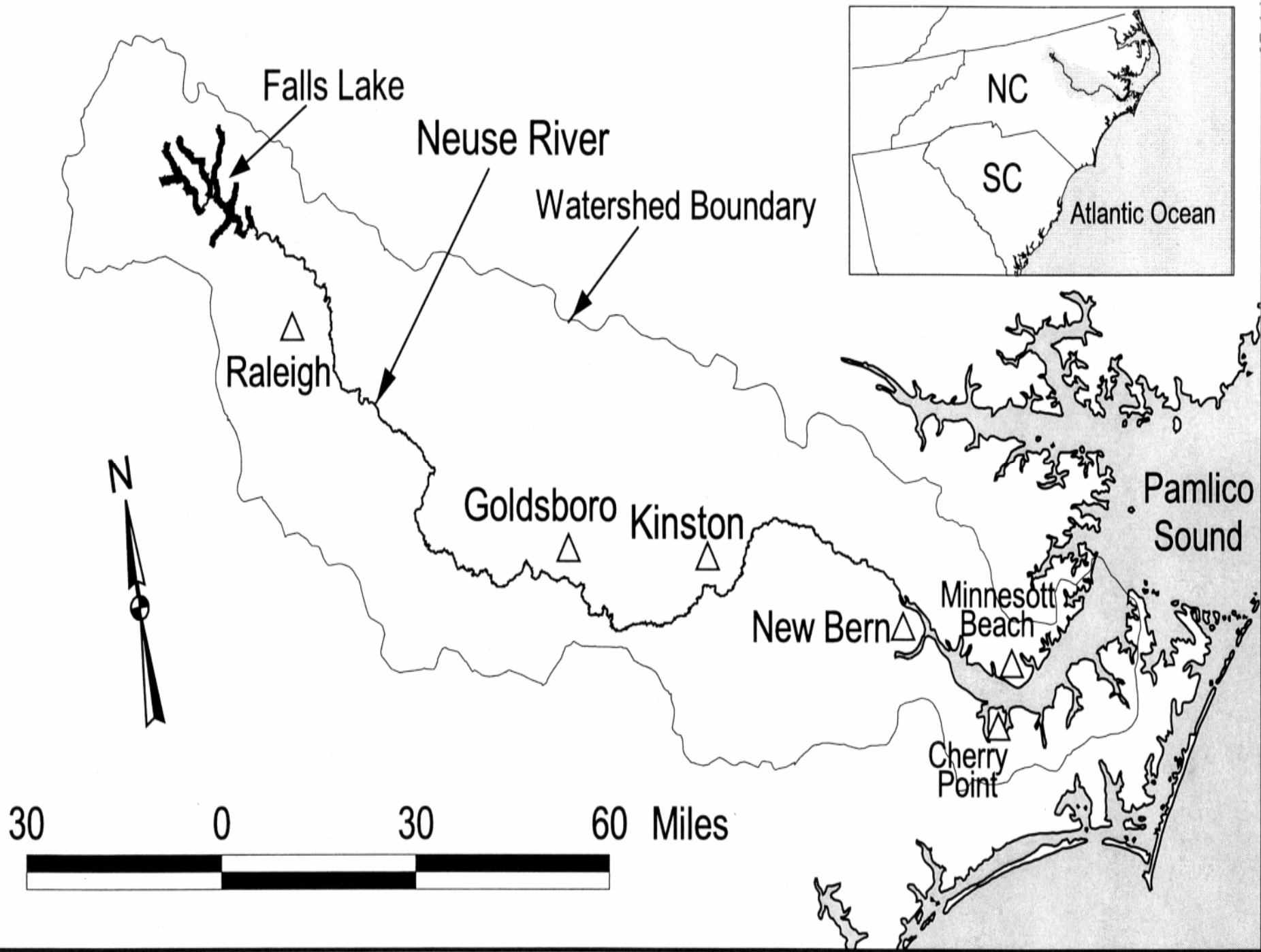
- *Step 1:* To define the allowable pollutant load (the TMDL), a water quality model is applied; the forecast from this model provides the initial estimate of how the waterbody will respond to the pollutant load reductions required in the TMDL.
- *Step 2:* After the TMDL is implemented (i.e., nonpoint & point source pollution controls in place), a *properly-designed* monitoring & research program is established; this program can be focused on assessment of particular pollutant controls and/or on overall waterbody compliance with standards.
- *Step 3:* The pre-implementation model forecast (from step 1) is combined with the post-implementation monitoring (from step 2); this provides the best overall estimate of TMDL success and provides the basis for any necessary revisions to the TMDL.

Adaptive Implementation: Bayesian Analysis



Example: TN in Neuse Estuary

- Prior distribution of log TN concentration assessed from the Bayesian SPARROW model
- TN monitoring data collected from 1992 – 2000
- The log TN distribution is updated using one year's data at a time to illustrate sequential updating.



Neuse SPARROW Model

$$\text{TN Load}_i = \sum_{j \in J(i)} \sum_{n=1}^N \beta_n S_{n,j} \exp(-\alpha' Z_j) H^r_{i,j} H^s_{i,j} \epsilon_i$$

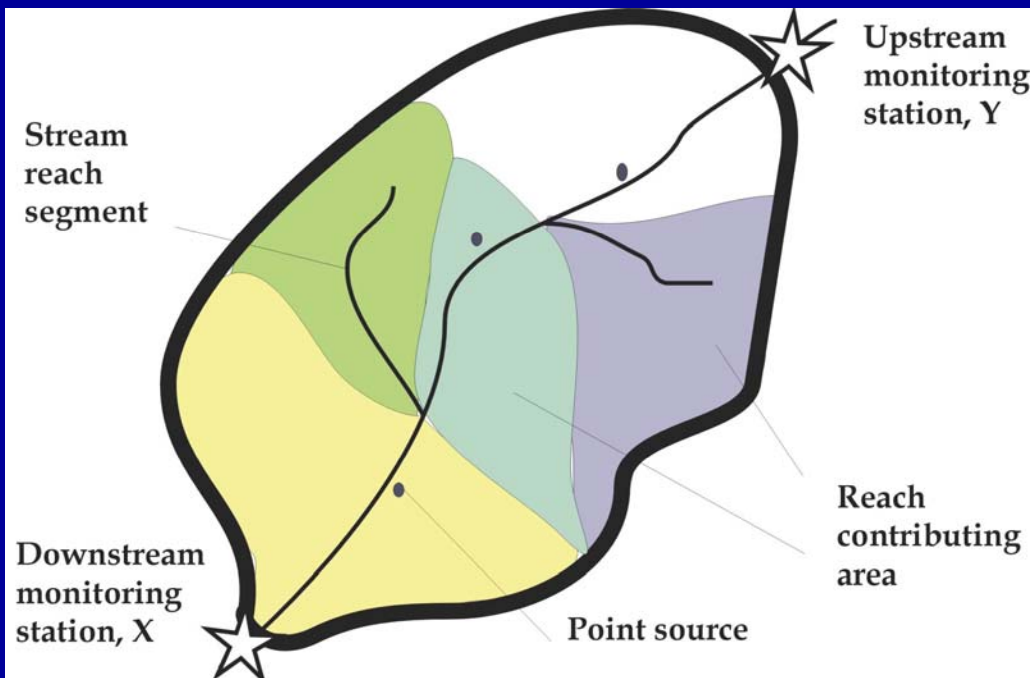
Stream
Load at
reach i

Sources

Land-to-water
transport

Aquatic
transport

Error



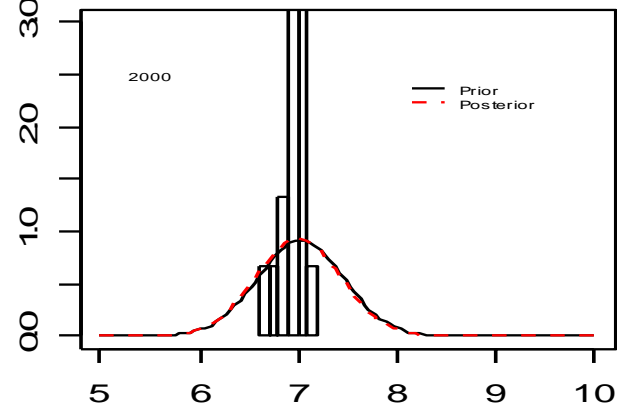
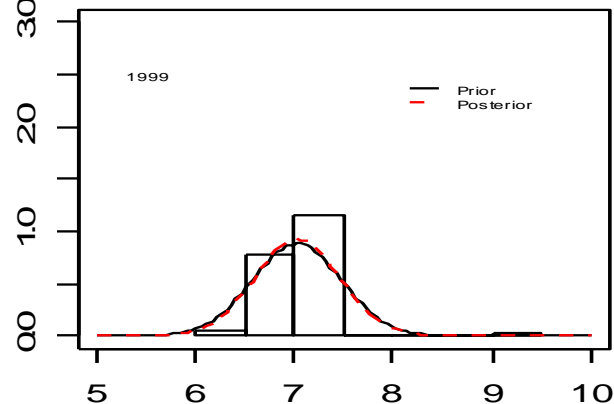
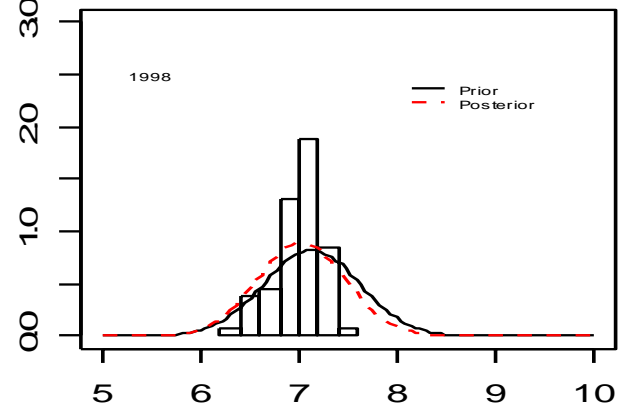
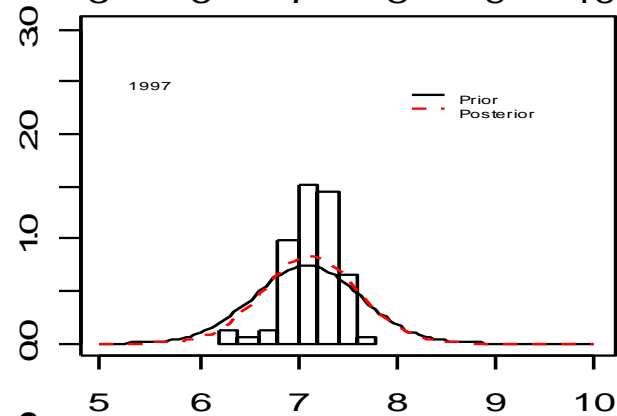
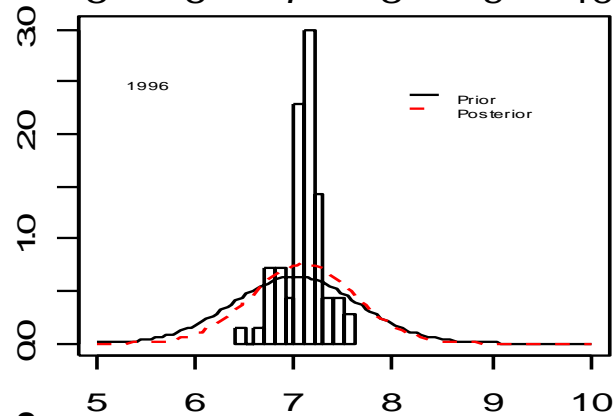
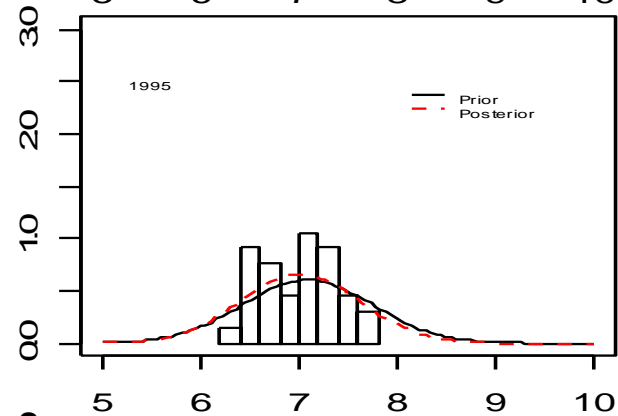
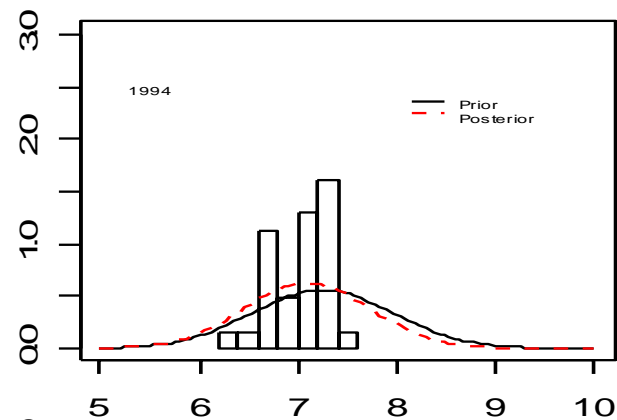
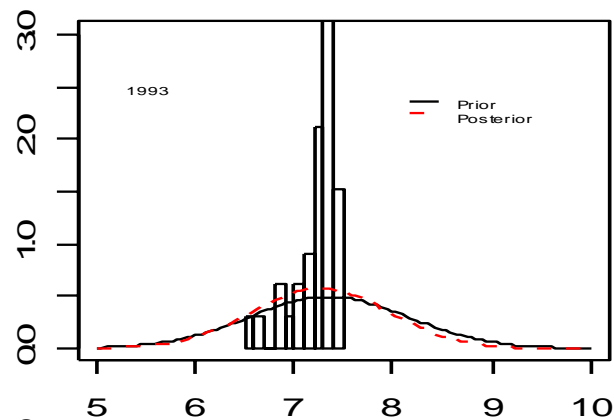
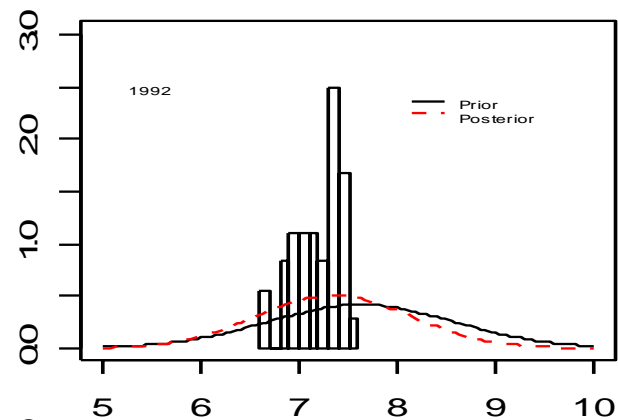
n = number of sources
 j = reaches in the set $J(i)$

Neuse Estuary: Prior Parameters

Using the Bayesian SPARROW model to create the prior distribution, we generated 10,000 pairs of samples of the mean and variance for log TN.

Sequential Updating

- Repeated use of the Bayes theorem
- Current posterior becomes prior when new data are available.



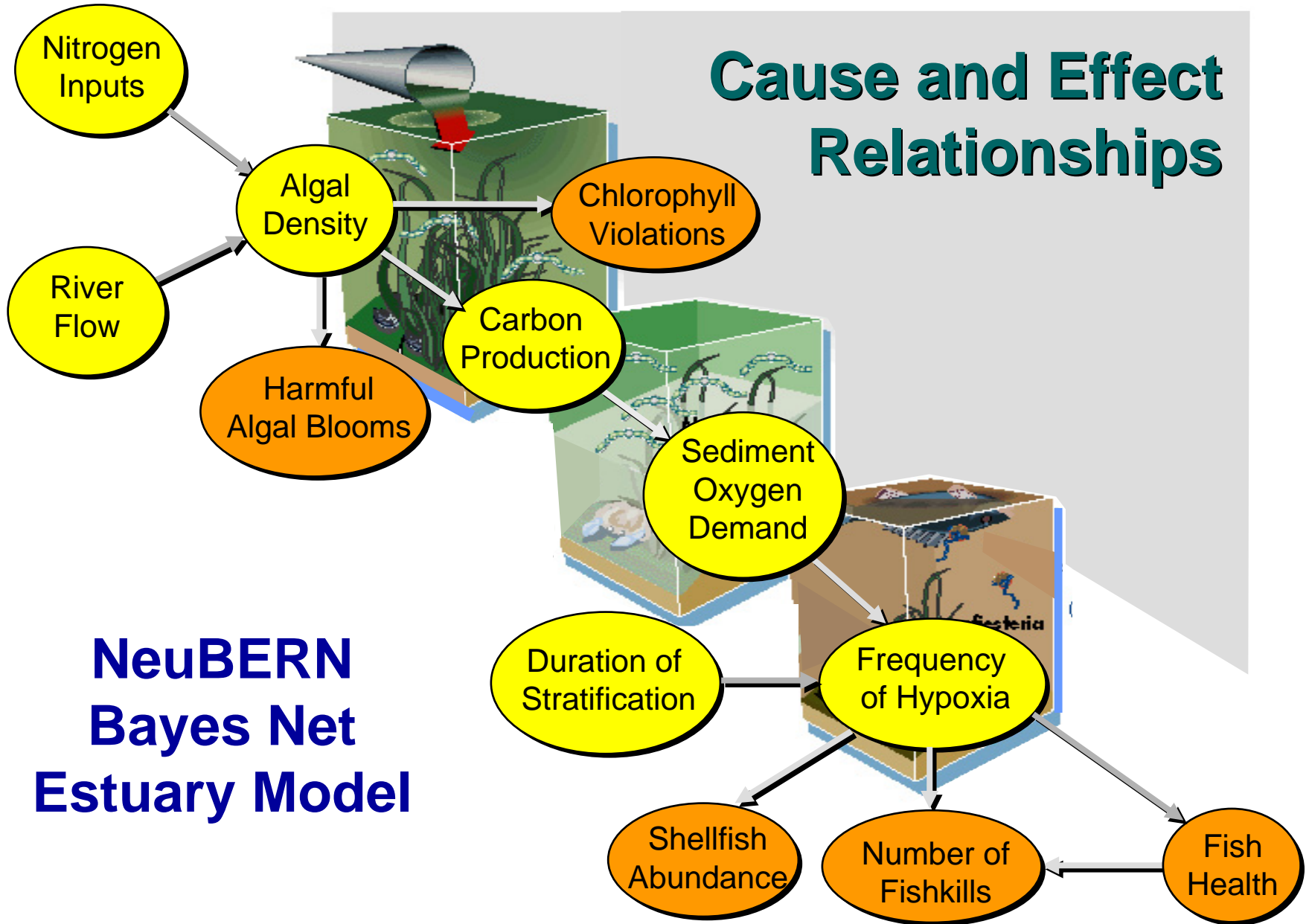
Log TN Concentration

Example: Chl a in Neuse Estuary

The Chlorophyll model in NeuBERN:

$$\log(chla) = \begin{cases} \beta_1 + \log(\theta)(T - 20) + \beta_2(15.7 - \text{Log}(\text{Flow})) + \beta_4 e^{TN}, & \text{Log}(\text{Flow}) \leq 15.7 \\ \beta_1 + \log(\theta)(T - 20) + \beta_3(\text{Log}(\text{Flow}) - 15.7) + \beta_4 e^{TN}, & \text{Log}(\text{Flow}) > 15.7 \end{cases}$$

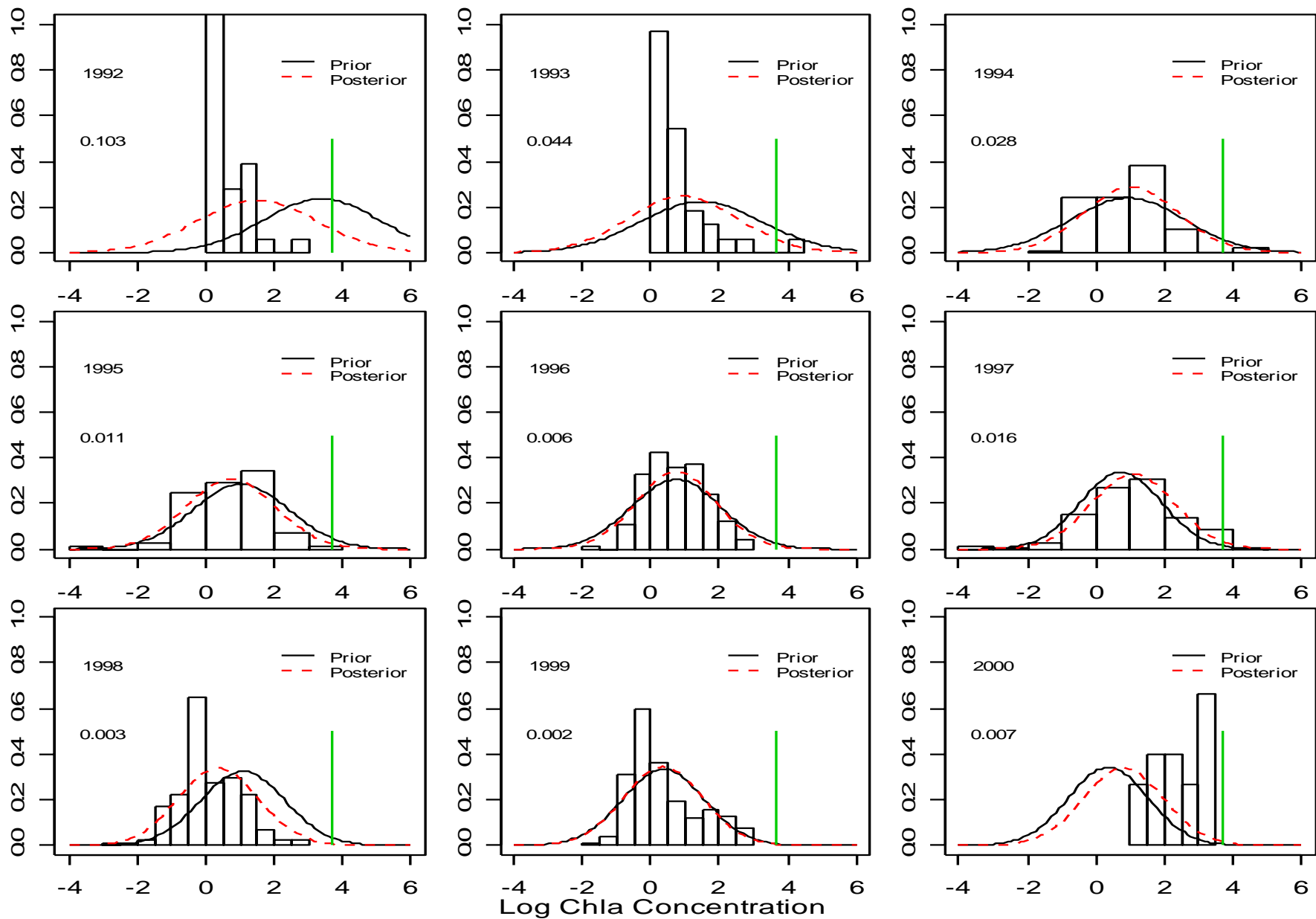
Cause and Effect Relationships

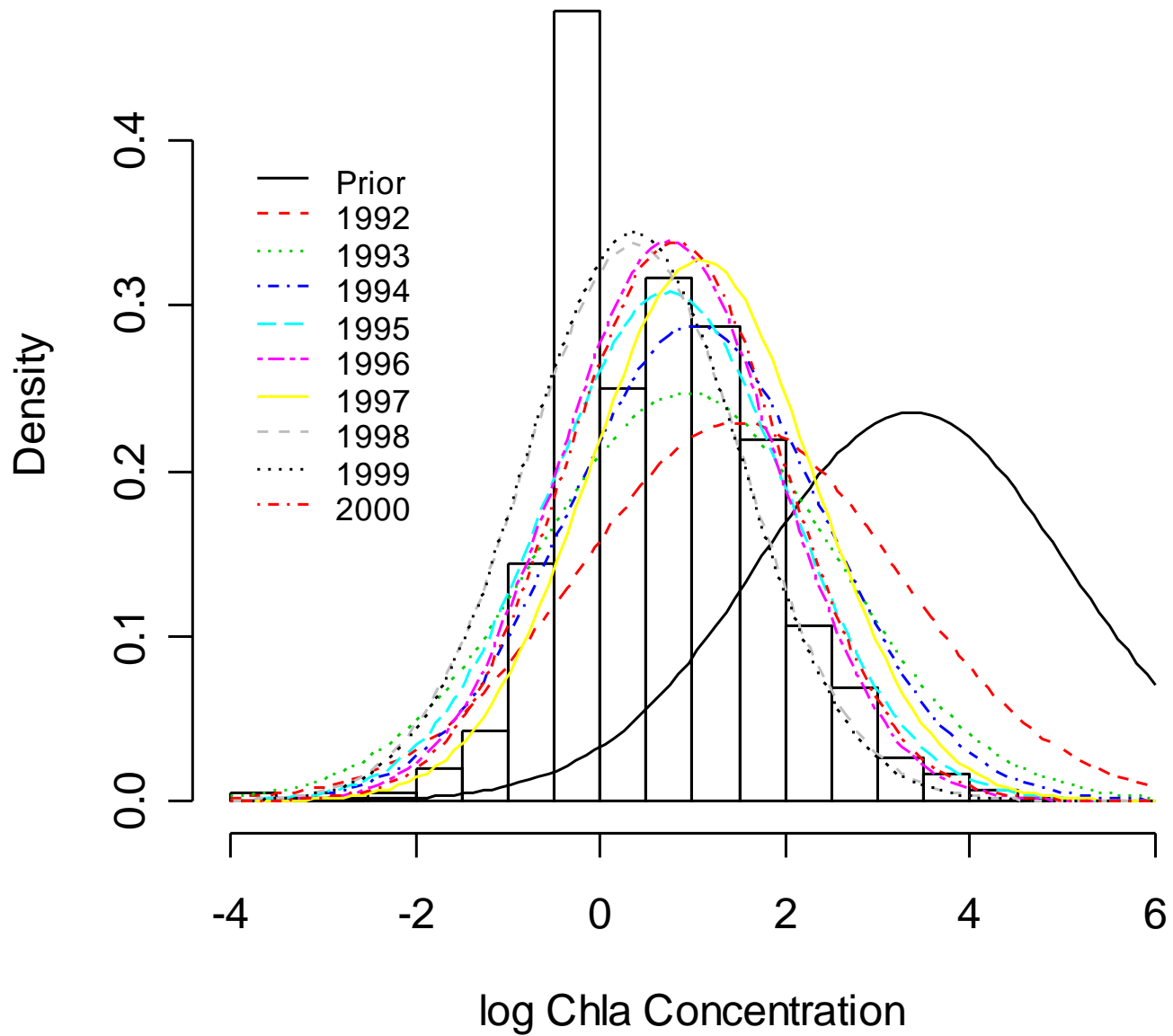


**NeuBERN
Bayes Net
Estuary Model**

Prior Information

- TN: random samples from Bayesian SPARROW
- β 's: original NeuBERN regression analysis
- Model error: original regression analysis
- Monte Carlo simulation: random samples of $\log(chla)$
- Assume $\log(chla) \sim N(\mu, \sigma^2)$





Example: Chla Model Updating

- Using yearly data to update model parameters

$$\log(chla) = \begin{cases} \beta_1 + \log(\theta)(T - 20) + \beta_2(Ch - \text{Log}(\text{Flow})) + \beta_4 e^{TN}, & \text{Log}(\text{Flow}) \leq Ch \\ \beta_1 + \log(\theta)(T - 20) + \beta_3(\text{Log}(\text{Flow}) - Ch) + \beta_4 e^{TN}, & \text{Log}(\text{Flow}) > Ch \end{cases}$$

Example: Chla Model Updating

- Probabilistic expression:

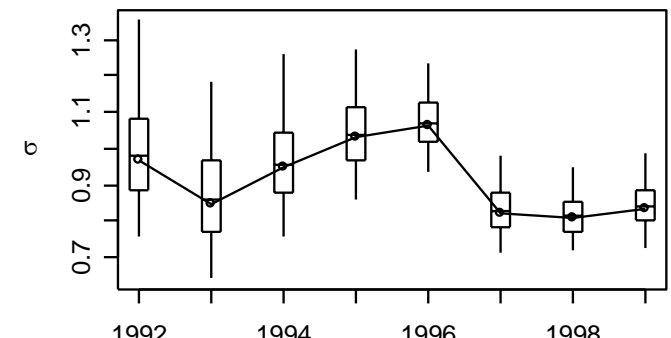
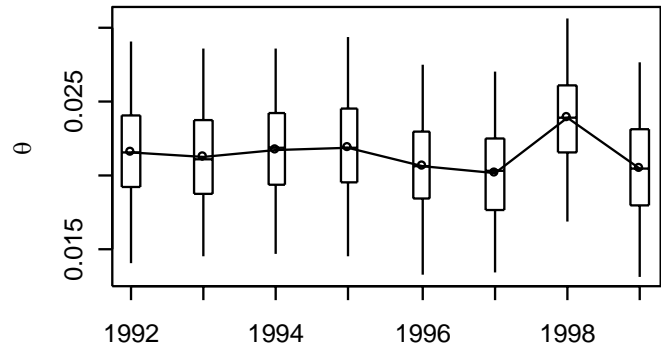
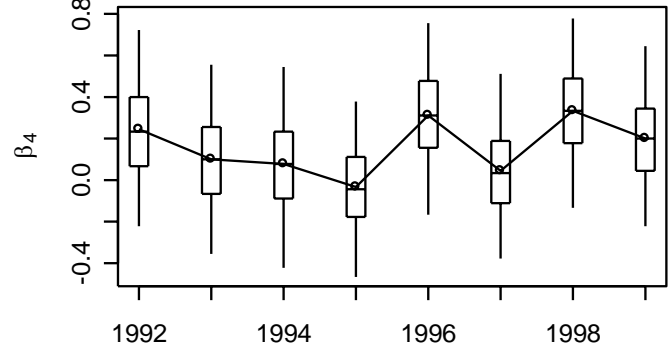
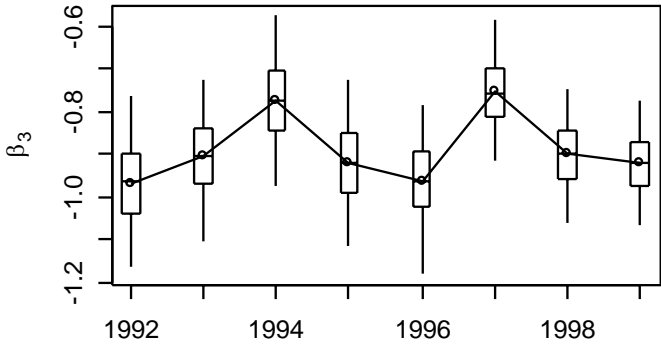
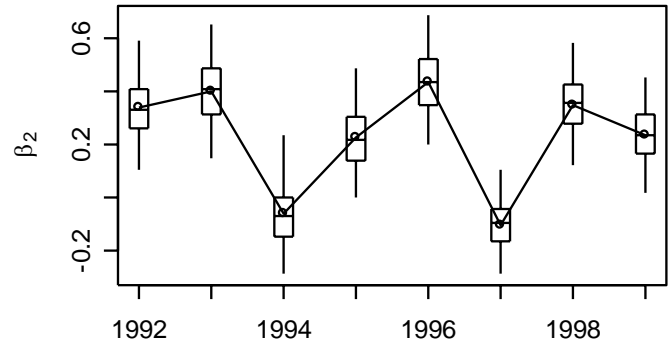
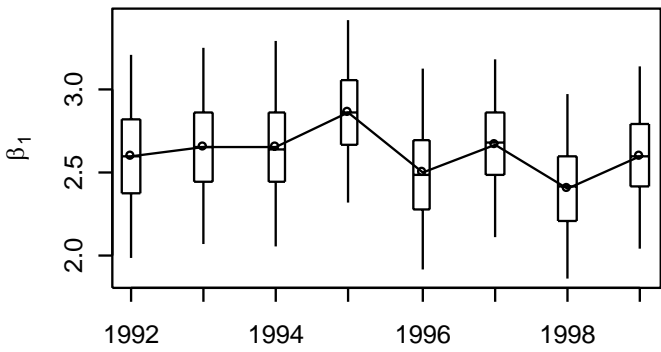
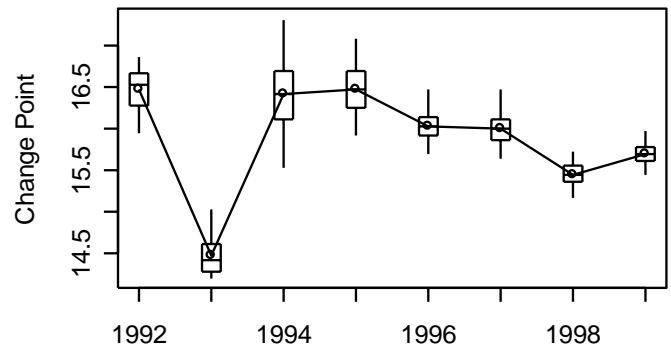
$$\log(\text{Chla}) \sim N(\mu, \sigma^2)$$

Where: $\mu = f(\beta, \theta, Ch, T, TN)$

Same general setting under Bayes Theorem, but
with a large number of parameters

Example: Chla Model Updating

- No conjugate family of priors
- No analytical solutions for posteriors
- Numerical solution using Markov chain Monte Carlo simulation



Post (TMDL) Implementation Questions

- **Has compliance with the water quality standard been achieved?**
- **If compliance has not been achieved, what pollutant reduction actions did not respond as predicted?**

Tasks Completed or Underway

- **NeuBERN and SPARROW models have been linked within a Bayesian framework (WinBUGS)**
- **NeuBERN is being re-specified to add more mechanism.**
- **SPARROW has been re-calibrated to address spatial correlation and improve parameter estimators. Ultimately, it will be further revised to allow for subwatershed-specific parameters.**

Issues to Address in Year 3

- **Use the CUAHSI “digital watershed” to efficiently link SPARROW and NeuBERN**
- **Represent land use (pollutant load) change in SPARROW**
- **Characterize prior probabilities for SPARROW parameters**
- **Design monitoring program (sensitivity analysis)**
- **Assess role of stakeholders**

Expected Outcomes

- **Re-assessment of the Neuse nitrogen TMDL for NC Division of Water Quality**
- **Development of guidelines and procedures for adaptive implementation of TMDLs**
- **Determination of effective roles for stakeholders**