

## Appendix B: Equations used to update municipal facility loadings

### Variable Definition

$Q_{mun,new}$  = updated municipal flow rate (MGD)

$Q_{mun,old}$  = original municipal flow rate (MGD)

$Q_{meat}$  = flow rate from the meat-processing facility (MGD)

$Q_o$  = flow rate to municipality from other (non-meat) sources (MGD)

$C_{mun,new}$  = updated municipal concentration (mg/L)

$C_{mun,old}$  = original municipal concentration (mg/L)

$C_{meat}$  = concentration in the meat-processing facility's effluent (mg/L)

$C_o$  = concentration in the flow from other (non-meat) sources (mg/L)

f = fraction of pollutant retained after treatment

### Flow Balance

$$Q_{mun,old} = Q_{mun,new} + Q_{meat}$$

Therefore

$$Q_{mun,new} = Q_{mun,old} - Q_{meat}$$

### Mass Balance

Mass in – Mass out – Mass depleted = 0 (Steady-state)

$$(Q_{meat} C_{meat} + Q_o C_o) - Q_{mun,old} C_{mun,old} - (1-f)(Q_{meat} C_{meat} + Q_o C_o) = 0$$

$$(Q_{meat} C_{meat} + Q_o C_o) f - Q_{mun,old} C_{mun,old} = 0$$

$$Q_o C_o = \frac{Q_{mun,old} C_{mun,old}}{f} - Q_{meat} C_{meat}$$

$$C_o = \left[ \frac{Q_{mun,old} C_{mun,old}}{f} - Q_{meat} C_{meat} \right] * \frac{1}{Q_o}$$

$$C_{mun,new} = f C_o = \frac{1}{Q_o} * [Q_{mun,old} C_{mun,old} - f Q_{meat} C_{meat}]$$

$$Q_o = Q_{mun,new}$$

