

SET INTERSECTION

PURPOSE

Carry out the intersection of 2 sets with numeric elements.

DESCRIPTION

The intersection of 2 sets is the set containing the elements common to both sets. For example, the intersection of the 5-element set 1 3 5 7 9 and the 4-element set 1 4 9 16 is the 2-element set 1 9.

SYNTAX

LET <v3> = SET INTERSECTION <v1> <v2> <SUBSET/EXCEPT/FOR qualification>

where <v1> is the variable containing the elements of the first set;

<v2> is the variable containing the elements of the second set;

<v3> is the variable containing the elements of the resultant set;

and where the <SUBSET/EXCEPT/FOR qualification> is optional and rarely used in this context.

EXAMPLES

LET Y3 = SET INTERSECTION Y1 Y2

LET Y3 = SET INTERSECTION Y1 Y2 SUBSET Y1 > 10

NOTE

If the elements of a mathematical “set” are numbers (or can be translated into numbers-- always possible), then a DATAPLOT variable can be used to store the items of the mathematical set. To store the set with the 12 elements 1 3 5 7 11 1 4 9 16 1 8 27, form the variable Y with the following command:

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LET Y = DATA 1 3 5 7 11 1 4 9 16 1 8 27
```

Larger sets can be created with the READ or SERIAL READ commands.

DEFAULT

None

SYNONYMS

None

RELATED COMMANDS

SET CARDINALITY	=	Computes the number of elements in a set.
SET UNION	=	Carries out a set union.
SET COMPLEMENT	=	Carries out a set complement.
SET CARTESIAN PRODUCT	=	Carries out a set Cartesian product.

APPLICATIONS

Mathematics

IMPLEMENTATION DATE

87/10

PROGRAM

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.PURPOSE--DETERMINE THE SOLUTIONS OF A DIOPHANTINE EQUATION--
.FIND THE INTEGER SOLUTIONS (X AND Y) OF  $X^{**2} + 1 = 2*Y^{**4}$ 
.ANALYSIS TECHNIQUE--EVALUATION AND SET INTERSECTION WITH INTEGERS
.SOURCE--STEEN, LYNN ARTHUR, MATHEMATICS TODAY,
.VINTAGE BOOKS, NEW YORK, 1980, PAGE 40.
.APPLICATION--
.
.-----START POINT-----
.
.STEP 1--DEFINE THE FUNCTION OF INTEREST IN  $Y = F(X)$  FORM.
.DEFINE A SEQUENCE OF X VALUES AND COMPUTE CORRESPONDING Y VALUES.
LET FUNCTION F = ((X**2+1)/2)**0.25
LET X = SEQUENCE 0 1 500
LET Y = F
.STEP 2--DETERMINE THE INTERSECTION OF THE Y VALUES
.WITH THE (INTEGER) X VALUES.
LET Y2 = SET INTERSECTION X Y
PRINT Y2
.STEP 3--IN ANOTHER FASHION, DETERMINE THE Y VALUES WHICH ARE
.INTEGER AND THE (NECESSARILY INTEGER) X VALUES
LET Y3 = FRACT(Y)
LINE SOLID BLANK
CHARACTER BLANK X
PLOT Y X AND
PLOT Y X SUBSET Y3 0

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