

**Programming Instructions for
Revenue Assurance Premium Calculations
For 2001**

American Farm Bureau Insurance Services, Inc

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1. Introduction

This document contains detailed instructions for calculating Revenue Assurance (RA) premiums in the 2001 crop year including fall crops planted in 2000. Unless otherwise indicated, results of arithmetic calculations should be rounded to 9 digits to the right of the decimal.

2. Data and Variable Definitions

Much of the data that is required for calculation of RA premiums can be found on the actuarial pages of the APH program. A subset of the APH data will need to be found on the new RA actuarial page. The definitions of the data that are to be located on the RA actuarial page are given below. The variable names will be indexed by j for a crop and i for a unit of the crop in the equations. For example, $rate(j,i)$ refers to the base premium unit rate for crop j , unit i where $j = c, s, w, cn, sf, b, ww$ refers to crop corn, soybeans, spring wheat, canola, sunflower, barley, winter wheat..

<i>yldREF</i>	The reference yield for a crop in a county.
<i>rateou</i>	The base premium rate for an optional unit for the APH program at the 65% coverage level calculated using premium rate using the first eight steps of the continuous rating method. This rate will include any adjustments required for high risk land involving the high risk land rating factor (associated Map Area, M13, rectype 11, field 20, Map Area, pos. 98) and the winter wheat endorsement factor.
<i>rate</i>	The base premium rate for a basic unit in the APH program to be used in the RA rating equations for all units.
<i>minratefactor</i>	A factor used to determine the minimum whole-farm premium rate
<i>APHp</i>	The APH price of the crop.
<i>PP65</i>	The APH prevented planting factor for a crop for 65% prevented planting coverage (associated Guarantee Reduction Factor, M13, rectype 11, field 33, Guarantee Reduction Factor, pos 173)
<i>PP70</i>	The APH prevented planting factor for a crop for 70% prevented planting coverage (associated Guarantee Reduction Factor, M13, rectype 11, field 33, Guarantee Reduction Factor, pos 173)
<i>psurc</i>	Premium surcharge for a cupped or capped yield (M13, rectype 11, field 49, Guarantee Reduction Factor, pos 303)

Other data used to calculate premiums are supplied by the farmer, supplied by the insurance agent, or supplied by the program. Data that is specific to each unit (basic or optional) is given below:

<i>fyld</i>	Approved yield for the basic (or optional) unit (M13 rectype 11, field 28, Yield, pos 128)
<i>acre</i>	Acres in the crop on the basic (or optional) unit (M13 rectype 11, field 34, reported acres, pos 176)

<i>share</i>	The farmer's share on a basic (or optional) unit of a crop (M13, rectype 11, field 38, insured share, pos. 210)
<i>revb</i>	The selected per-acre revenue level for a basic (or optional) unit of a crop (M13, rectype 11, field 29, Dollar Amount of Insurance, pos. 138)
<i>reve</i>	The selected per-acre revenue level for an enterprise unit (M13, rectype 11, field 29, Dollar Amount of Insurance, pos. 138)
<i>revwf</i>	The selected per-acre revenue level for the whole-farm unit (M13, rectype 11, field 29, Dollar Amount of Insurance, pos. 138)
<i>minreve</i>	The minimum selected per-acre revenue level for an enterprise unit
<i>minrevwf</i>	The minimum selected per-acre revenue level for whole-farm unit
<i>maxreve</i>	The maximum selected per-acre revenue level for an enterprise unit
<i>maxrevwf</i>	The maximum selected per-acre revenue level for whole-farm unit
<i>nsect</i>	Number of sections in which a crop is grown (M13, rectype 11, field 68, Number of sections, pos. 417)
<i>psurc</i>	APH premium surcharge for cupped APH yield (M13, rectype 11, field 49, Guarantee Reduction Factor, pos 303)

The prices that are supplied by RMA are:

<i>chip</i>	The projected harvest price of a crop (M13, rectype 11, field 36, Price Election Amount, pos. 194)
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And the price volatilities that are supplied by RMA are:

<i>cvp</i>	Price volatility of the crop
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Variables that are either calculated by the program or supplied by the user and directly used to calculate premiums are:

<i>cover</i>	Coverage level on a basic (or optional) unit (M13, rectype 11, field 31, Coverage Level Percent, pos. 158)
<i>ecover</i>	Coverage level on an enterprise unit (M13, rectype 11, field 31, Coverage Level Percent, pos. 158)
<i>covwf</i>	Coverage level on a whole-farm unit (M13, rectype 11, field 31, Coverage Level Percent, pos. 158)

Some other variables that are calculated by the program are:

<i>premr</i>	Base premium rate for a basic (or optional) unit (M13, rectype 11, field 42, Base Premium Rate, pos. 233)
<i>epremr</i>	Base premium rate for an enterprise unit (M13, rectype 11, field 42, Base Premium Rate, pos. 233)
<i>wfpremr</i>	Base premium rate for a whole-farm unit (M13, rectype 11, field 42, Base Premium Rate, pos. 233)

<i>wfprem</i>	Base per-acre premium for a whole-farm unit
<i>avgrate</i>	Weighted average BPR rate for an enterprise unit
<i>erate</i>	Adjusted average BPR rate for an enterprise unit
<i>efyld</i>	Weighted average APH yield for an enterprise unit
<i>perlia</i>	Percent of expected liability from a crop on a whole-farm unit
<i>LP</i>	Per-acre loaded premium for a basic (or optional) unit (M13 rectype 11, field 44, Loaded Premium Per Acre, pos. 249)
<i>TLP</i>	Total loaded premium for a basic (or optional) unit (M13 rectype 11, field 55, Total Premium, pos. 346)
<i>LEP</i>	Per-acre enterprise premium for a crop (M13 rectype 11, field 44, Loaded Premium Per Acre, pos. 249)
<i>TLEP</i>	Total loaded enterprise premium for a crop (M13, rectype 11, field 55, Total Premium, pos. 346)
<i>LWFP</i>	Per-acre loaded whole-farm unit premium (M13 rectype 11, field 44, Loaded Premium Per Acre, pos. 249)
<i>TLWFP</i>	Total loaded whole-farm unit premium (M13, rectype 11, field 55, Total Premium, pos. 346)
<i>subaphou</i>	Premium subsidy on an optional unit under the APH program
<i>subaphb</i>	Premium subsidy on a basic unit under the APH program
<i>subaphe</i>	Comparable APH premium subsidy for an enterprise unit
<i>subaphwf</i>	Comparable APH premium subsidy for a whole-farm unit
<i>subfact</i>	Premium subsidy factor on an optional or basic unit
<i>subfacte</i>	Premium subsidy factor on an enterprise unit
<i>subfactwf</i>	Premium subsidy factor on a whole-farm unit
<i>psubb</i>	Premium subsidy on a basic (or optional) unit
<i>psube</i>	Premium subsidy on an enterprise unit
<i>psubwf</i>	Premium subsidy on a whole-farm unit
<i>TLPsub</i>	Subsidized premium (M13, rectype 11, field 61, Producer Premium, pos. 338)
<i>TLEPsub</i>	Subsidized enterprise premium (M13, rectype 11, field 61, Producer Premium, pos. 338)
<i>WFPsub</i>	Subsidized whole-farm premium (M13, rectype 11, field 61, Producer Premium, pos.338)
<i>premb</i>	Producer paid premium per acre for a basic (or optional) unit
<i>preme</i>	Producer paid premium per acre for an enterprise unit
<i>premwf</i>	Producer paid premium per acre for a whole-farm unit

3. Minimum and Maximum Available Coverage Amounts

Revenue Assurance offers revenue guarantees that fall between 65% and 75% of the product of projected harvest price and approved yield for basic and optional units. The maximum coverage level for enterprise and whole-farm units is 85%.

Basic (or optional) units

The farmer selects a coverage level between 65% and 75%. The values for the per-acre revenue guarantees are then calculated for all crops $j = c, s, w, cn, sf, b, ww$ and all units $i, i = 1, \dots, N(j)$:

$$(1) \quad revb(j,i) = cover(j) \cdot fyld(j,i) \cdot chip(j), i = 1, \dots, N(j), j = c, s, w, cn, sf, b, ww.$$

Enterprise units

The farmer selects the level of *reve*, rather than the coverage level, after being shown minimum and maximum values. The equations for these minimum and maximum values are somewhat complicated because we must sum over the number of crop units. The minimum and maximum values should be rounded to the nearest cent.

$$(2) \quad minreve(j) = .65 \frac{chip(j) \sum_{i=1}^{N(j)} share(j,i) acre(j,i) fyld(j,i)}{\sum_{i=1}^{N(j)} share(j,i) acre(j,i)}, j = c, s, w, cn, sf, b, ww.$$

$$(3) \quad maxreve(j) = .85 \frac{chip(j) \sum_{i=1}^{N(j)} share(j,i) acre(j,i) fyld(j,i)}{\sum_{i=1}^{N(j)} share(j,i) acre(j,i)}, j = c, s, w, cn, sf, b, ww.$$

Whole-farm unit

The farmer also selects *revwf* after being shown minimum and maximum values. The equations for these minimum and maximum values are even more complicated because we must sum over all crop units. If less than the maximum number of crops are insured in the whole-farm unit (because a farmer does not plant a covered crop in a county) then the summations are done only over the included crops.

$$(4) \quad minrevwf = .65 \left[\sum_{j=c,s,w,cn,sf,b} \frac{chip(j) \sum_{i=1}^{N(j)} share(j,i) acre(j,i) fyld(j,i)}{\sum_{j=c,s,w,cn,sf,b} \sum_{i=1}^{N(j)} share(j,i) acre(j,i)} \right]$$

$$(5) \quad maxrevwf = .85 \left[\frac{\sum_{j=c,s,w,cn,sf,b} \frac{chip(j) \sum_{i=1}^{N(j)} share(j,i) acre(j,i) fyld(j,i)}{\sum_{j=c,s,w,cn,sf,b} \sum_{i=1}^{N(j)} share(j,i) acre(j,i)}}{1} \right]$$

The minimum and maximum values should be rounded to the nearest cent.

4. Coverage Levels

Coverage levels are used to calculate base premium rates and revenue guarantees. Because a farmer can only select one unit structure (with the exception of optional units) the premium calculator should allow the farmer to have different coverage levels for basic (or optional) units, enterprise, and whole-farm units. The coverage levels for optional and basic units, *cover*, are supplied directly by the user. The coverage levels for enterprise and whole-farm units must be calculated by the following equations:

$$(6) \quad ecover(j) = \frac{reve(j)}{\frac{chip(j) \sum_{i=1}^{N(j)} share(j,i) acre(j,i) fyld(j,i)}{\sum_{i=1}^{N(j)} share(j,i) acre(j,i)}} \quad j = c, s, w, cn, sf, b, ww.$$

$$(7) \quad covwf = \frac{revwf}{\frac{\sum_{j=c,s,w,cn,sf,b} chip(j) \sum_{i=1}^{N(j)} share(j,i) acre(j,i) fyld(j,i)}{\sum_{j=c,s,w,cn,sf,b} \sum_{i=1}^{N(j)} share(j,i) acre(j,i)}} \quad j = c, s, w, cn, sf, b.$$

All coverage levels are rounded to four digits.

5. Basic Unit Premiums

For each basic (or optional) unit the farmer supplies the state and county where the insured crops reside and values for *fyld*, and *cover*. In addition, the farmer decides whether or not to choose the harvest price option (M13 retype 11, RA Fall Harvest Price option, pos. 268). The state, county and whether the farmer chooses the harvest price option identifies which set of rating coefficients to use in equation (9). All single crop rating coefficients can be found in an Excel spreadsheet that accompanies this document. The counties that should be allocated to Southern Minnesota, Northern Minnesota, in which they apply are given in the Appendix.

The program should provide (or, alternatively, the user should supply) *yldREF* and *rateou*. *YldREF* is found on the FCI-35 page for RA. *rateou* is calculated using the steps used to calculate base premium rates for an optional unit under the APH program. These values must be allowed to vary by type and practice to account for the situation where a basic unit has more than one type of practice. The per-acre base premiums are then calculated using long, but straightforward, formulas.

The optional unit rate must first be multiplied by 0.9 as in equation (8) to calculate to determine *rate(j,i)*. The result is rounded to eight digits.

$$(8) \quad rate(j,i) = 0.9 \cdot rateou(j,i) \cdot, \quad i=1,...,N(j); \quad j = c, s, w, cn, sf, b, ww$$

Base premium rate

$$(9) \quad \begin{aligned} premr(j,i) = & \beta(j,0) + \beta(j,1)rate(j,i) + \beta(j,2)rate(j,i)^2 + \beta(j,3)cover(j) \\ & + \beta(j,4)cover(j)^2 + \beta(j,5)\frac{fyld(j,i)}{yldREF(j)} + \beta(j,6)\left(\frac{fyld(j,i)}{yldREF(j)}\right)^2 \\ & + \beta(j,7)cvp(j) + \beta(j,8)cvp(j)^2 + \beta(j,9)rate(j,i) \cdot cover(j) \\ & + \beta(j,10)rate(j,i) \cdot \frac{fyld(j,i)}{yldREF(j)} + \beta(j,11)rate(j,i) \cdot cvp(j) \\ & + \beta(j,12)cover(j) \cdot \frac{fyld(j,i)}{yldREF(j)} + \beta(j,13)cover(j) \cdot cvp(j) \\ & + \beta(j,14)cvp(j) \cdot \frac{fyld(j,i)}{yldREF(j)} \quad i = 1,...,N(j); \quad j = c, s, w, cn, sf, b, ww. \end{aligned}$$

This formula is used to calculate the base premium rates for each basic unit and for each optional unit for each crop.

Each individual calculation is rounded to 9 digits to the right of the decimal place, and the variable *premr* is rounded to 4 digits.

The next step is to add a prevented planting load to these base premiums and find the per-acre premiums.

Loaded per-acre premiums

The base premium rates are increased for prevented planting coverage if the farmer opts for 65% or 70% prevented planting coverage. The per-acre premium is found by multiplying the premium rate by liability and rounding to two decimals.

At 60% prevented planting

$$(10) \quad LP(j,i) = premr(j,i) \cdot revb(j,i); \quad j = c, s, w, cn, sf, b, ww.$$

At 65% prevented planting

$$(11) \quad LP(j,i) = premr(j,i) \cdot PP65(j) \cdot revb(j,i); \quad j = c, s, w, cn, sf, b, ww.$$

At 70% prevented planting

$$(12) \quad LP(j,i) = premr(j,i) \cdot PP70(j) \cdot revb(j,i); \quad j = c, s, w, cn, sf, b, ww.$$

Total basic unit premiums

The total premium for a basic unit is given by the equation (13). The premium is rounded to the nearest whole-dollar amount.

$$(13) \quad TLP(j,i) = LP(j,i) \cdot acre(j,i) \cdot share(j,i), \quad i = 1, \dots, N(j); \quad j = c, s, w, cn, sf, b, ww.$$

Total optional unit premiums

The per-acre premium for an optional unit is found by treating the optional unit as a basic unit and then applying a 10% surcharge for all crops. This 10% surcharge applies to all RA crops. They are rounded to the nearest whole-dollar amount.

$$(14) \quad TLP(j,i) = 1.1LP(j,i) \cdot acre(j,i) \cdot share(j,i), \quad i = 1, \dots, N(j); \quad j = c, s, w, cn, sf, b, ww.$$

6. Enterprise Unit Premiums

The premium for an enterprise unit is found by using the same coefficients that are used to find premiums for basic or optional units. Differences in the rating equations arise if a farmer has more than one basic unit or farms in more than one section of land. These two factors change the approved farm yield and APH rate used in the equations.

Before the premiums can be calculated, *avgrate*, and *efyld* must be calculated. These quantities are simply the acreage and share weighted average of the APH yields and APH premium rates for all units of a crop in a county.

$$(15) \quad avgrate(j) = \frac{\sum_{i=1}^{N(j)} share(j,i) acre(j,i) rate(j,i)}{\sum_{i=1}^{N(j)} share(j,i) acre(j,i)} \quad j = c, s, w, cn, sf, b, ww.$$

$$(16) \quad efyld(j) = \frac{\sum_{i=1}^{N(j)} share(j,i)acre(j,i)fyld(j,i)}{\sum_{i=1}^{N(j)} share(j,i)acre(j,i)} \quad j = c, s, w, cn, sf, b, ww.$$

avgrate is rounded to 9 digits to the right of the decimal. *efyld* is rounded to one digit to the right of the decimal.

We then need to adjust *avgrate* to reflect the number of sections.

$$erate(c) = avgrate(c) \cdot (1 - (nsect(c) - 1) \frac{0.4}{9}) \quad \text{if } nsect(c) \leq 10,$$

$$\text{else } erate(c) = 0.6avgrate(c)$$

$$erate(j) = avgrate(j) \cdot (1 - (nsect(j) - 1) \frac{0.5}{9}) \quad \text{if } nsect(j) \leq 10, \quad ; j = c, s, w, cn, sf, b, ww.$$

$$\text{else } erate(j) = 0.5avgrate(j)$$

erate is rounded to 4 digits.

And finally, if a farmer has multiple practices across within or between units then the values for *yldREF* to be used in equation (17) is the maximum applicable value.

Base premium rate for enterprise unit

(17)

$$\begin{aligned} epremr(j) = & \beta(j,0) + \beta(j,1)erate(j) + \beta(j,2)erate(j)^2 + \beta(j,3)ecover(j) \\ & + \beta(j,4)ecover(j)^2 + \beta(j,5)\frac{efyld(j)}{yldREF(j)} + \beta(j,6)(\frac{efyld(j)}{yldREF(j)})^2 + \beta(j,7)cvp(j) \\ & + \beta(j,8)cvp(j)^2 + \beta(j,9)erate(j) \cdot ecover(j) + \beta(j,10)erate(j) \cdot \frac{efyld(j)}{yldREF(j)} \\ & + \beta(j,11)erate(j) \cdot cvp(j) + \beta(j,12)ecover(j) \cdot \frac{efyld(j)}{yldREF(j)} \\ & + \beta(j,13)ecover(j) \cdot cvp(j) + \beta(j,14) \cdot \frac{efyld(j)}{yldREF(j)} \cdot cvp(j), j = c, s, w, cn, sf, b, ww. \end{aligned}$$

Each individual calculation is rounded to 9 digits, and the variable *epremr* is rounded to 4 digits.

Per-acre enterprise unit premiums

The next step is to convert these rates into per-acre base premiums. This is done by multiplying the rate by the appropriate prevented planting factor and liability (the per-acre revenue guarantee for enterprise units) and rounding to two digits.

At 60% prevented planting

$$(18) \quad LEP(j) = epremr(j) \cdot reve(j), \quad j = c, s, w, cn, sf, b, ww.$$

At 65% prevented planting

$$(19) \quad LEP(j) = epremr(j) \cdot PP65(j) \cdot reve(j), \quad j = c, s, w, cn, sf, b, ww.$$

At 70% prevented planting

$$(20) \quad LEP(j) = epremr(j) \cdot PP70(j) \cdot reve(j), \quad j = c, s, w, cn, sf, b, ww.$$

Total loaded enterprise premiums

Now we need to multiply the loaded per-acre premium by the number of insured acres on the each unit. The result will be rounded to whole-dollars. The total enterprise premium is found by summing over all units. This will be rounded on a record by record basis (M13 ,rectype 13, field 55, total premium, pos 346.

$$(21) \quad TLEP(j) = \sum_{i=1}^{N(j)} \text{round}(LEP(j) \cdot acre(j,i)share(j,i),0); \quad j = c, s, w, cn, sf, b, ww.$$

7. Whole-Farm Unit Premium

Calculation of whole-farm premium follows the same procedure as calculation of premium for the other unit structures. However, because there are up to six crops involved, the equations for whole-farm premiums are significantly longer. To facilitate programming, the rating coefficients and rating factors (variables) that are multiplied together and then added to come up with the whole-farm premium are presented as columns below.

The values for the coefficients in **betawf** depend on which crops are in the whole-farm unit and on whether the farmer chooses the harvest price option. Thus, a state that has corn, soybeans, and wheat eligible for whole-farm RA coverage will have eight sets of coefficients: two for a corn-soybean whole-farm unit, two for a corn-wheat whole-farm unit, two for a soybean-wheat whole-farm unit, and two for a corn-soybean-wheat

whole-farm unit. There are eight sets each for Iowa, Southern Minnesota, Northern Minnesota, Eastern South Dakota, Western South Dakota, and Idaho. There are two sets of coefficients for states with two crops eligible for whole-farm RA coverage, which includes Arkansas, Colorado, Illinois, Indiana, Kansas, Kentucky, Michigan, Missouri, Ohio, Oklahoma, and Tennessee. For North Dakota, which has six crops eligible for RA coverage, there are a total of 114 sets of whole-farm rating coefficients. The sets of whole-farm coefficients are given in an Excel spreadsheet that accompanies these programming instructions.

There are six additional rating factors used to calculate whole-farm rates. These are $perlia(j)$, which is calculated as

$$(22) \quad perlia(j) = \frac{\minrev(j) \sum_{i=1}^{N_j} acre(j,i)share(j,i)}{\sum_{j=1}^6 \minrev(j) \sum_{i=1}^{N_j} acre(j,i)share(j,i)} j = c, s, w, cn, sf, b.$$

$perlia$ should be rounded to four digits. If a crop is not grown, then set $minrev$ for that crop equal to zero in this equation.

Whole-farm base premium rate

Table 1. Whole-farm rating coefficients and rating factors (variables).

Coefficient	Variable
betawf(0)	1.0
betawf(1)	erate(c)
betawf(2)	erate(s)
betawf(3)	erate(w)
betawf(4)	erate(cn)
betawf(5)	erate(sf)
betawf(6)	erate(b)
betawf(7)	erate(c) ²
betawf(8)	erate(s) ²
betawf(9)	erate(w) ²
betawf(10)	erate(cn) ²
betawf(11)	erate(sf) ²
betawf(12)	erate(b) ²
betawf(13)	erate(c) x erate(s)
betawf(14)	erate(c) x erate(w)
betawf(15)	erate(c) x erate(cn)
betawf(16)	erate(c) x erate(sf)
betawf(17)	erate(c) x erate(b)
betawf(18)	erate(s) x erate(w)
betawf(19)	erate(s) x erate(cn)

betawf(20)	erate(s) x erate(sf)
betawf(21)	erate(s) x erate(b)
betawf(22)	erate(w) x erate(cn)
betawf(23)	erate(w) x erate(sf)
betawf(24)	erate(w) x erate(b)
betawf(25)	erate(cn) x erate(sf)
betawf(26)	erate(cn) x erate(b)
betawf(27)	erate(sf) x erate(b)
betawf(28)	covwf
betawf(29)	covwf ²
betawf(30)	covwf x erate(c)
betawf(31)	covwf x erate(s)
betawf(32)	covwf x erate(w)
betawf(33)	covwf x erate(cn)
betawf(34)	covwf x erate(sf)
betawf(35)	covwf x erate(b)
betawf(36)	perlia(c)
betawf(37)	perlia(s)
betawf(38)	perlia(w)
betawf(39)	perlia(cn)
betawf(40)	perlia(sf)
betawf(41)	perlia(b)
betawf(42)	perlia(c) ²
betawf(43)	perlia(s) ²
betawf(44)	perlia(w) ²
betawf(45)	perlia(cn) ²
betawf(46)	perlia(sf) ²
betawf(47)	perlia(b) ²
betawf(48)	perlia(c) ³
betawf(49)	perlia(s) ³
betawf(50)	perlia(w) ³
betawf(51)	perlia(cn) ³
betawf(52)	perlia(sf) ³
betawf(53)	perlia(b) ³
betawf(54)	perlia(c) x erate(c)
betawf(55)	perlia(c) x erate(s)
betawf(56)	perlia(c) x erate(w)
betawf(57)	perlia(c) x erate(cn)
betawf(58)	perlia(c) x erate(sf)
betawf(59)	perlia(c) x erate(b)
betawf(60)	perlia(s) x erate(c)
betawf(61)	perlia(s) x erate(s)
betawf(62)	perlia(s) x erate(w)
betawf(63)	perlia(s) x erate(cn)

betawf(64)	perlia(s) x erate(sf)
betawf(65)	perlia(s) x erate(b)
betawf(66)	perlia(w) x erate(c)
betawf(67)	perlia(w) x erate(s)
betawf(68)	perlia(w) x erate(w)
betawf(69)	perlia(w) x erate(cn)
betawf(70)	perlia(w) x erate(sf)
betawf(71)	perlia(w) x erate(b)
betawf(72)	perlia(cn) x erate(c)
betawf(73)	perlia(cn) x erate(s)
betawf(74)	perlia(cn) x erate(w)
betawf(75)	perlia(cn) x erate(cn)
betawf(76)	perlia(cn) x erate(sf)
betawf(77)	perlia(cn) x erate(b)
betawf(78)	perlia(sf) x erate(c)
betawf(79)	perlia(sf) x erate(s)
betawf(80)	perlia(sf) x erate(w)
betawf(81)	perlia(sf) x erate(cn)
betawf(82)	perlia(sf) x erate(sf)
betawf(83)	perlia(sf) x erate(b)
betawf(84)	perlia(b) x erate(c)
betawf(85)	perlia(b) x erate(s)
betawf(86)	perlia(b) x erate(w)
betawf(87)	perlia(b) x erate(cn)
betawf(88)	perlia(b) x erate(sf)
betawf(89)	perlia(b) x erate(b)
betawf(90)	perlia(c) ² x erate(c)
betawf(91)	perlia(c) ² x erate(s)
betawf(92)	perlia(c) ² x erate(w)
betawf(93)	perlia(c) ² x erate(cn)
betawf(94)	perlia(c) ² x erate(sf)
betawf(95)	perlia(c) ² x erate(b)
betawf(96)	perlia(s) ² x erate(c)
betawf(97)	perlia(s) ² x erate(s)
betawf(98)	perlia(s) ² x erate(w)
betawf(99)	perlia(s) ² x erate(cn)
betawf(100)	perlia(s) ² x erate(sf)
betawf(101)	perlia(s) ² x erate(b)
betawf(102)	perlia(w) ² x erate(c)
betawf(103)	perlia(w) ² x erate(s)
betawf(104)	perlia(w) ² x erate(w)
betawf(105)	perlia(w) ² x erate(cn)
betawf(106)	perlia(w) ² x erate(sf)
betawf(107)	perlia(w) ² x erate(b)

betawf(108)	$\text{perlia}(\text{cn})^2 \times \text{erate}(\text{c})$
betawf(109)	$\text{perlia}(\text{cn})^2 \times \text{erate}(\text{s})$
betawf(110)	$\text{perlia}(\text{cn})^2 \times \text{erate}(\text{w})$
betawf(111)	$\text{perlia}(\text{cn})^2 \times \text{erate}(\text{cn})$
betawf(112)	$\text{perlia}(\text{cn})^2 \times \text{erate}(\text{sf})$
betawf(113)	$\text{perlia}(\text{cn})^2 \times \text{erate}(\text{b})$
betawf(114)	$\text{perlia}(\text{sf})^2 \times \text{erate}(\text{c})$
betawf(115)	$\text{perlia}(\text{sf})^2 \times \text{erate}(\text{s})$
betawf(116)	$\text{perlia}(\text{sf})^2 \times \text{erate}(\text{w})$
betawf(117)	$\text{perlia}(\text{sf})^2 \times \text{erate}(\text{cn})$
betawf(118)	$\text{perlia}(\text{sf})^2 \times \text{erate}(\text{sf})$
betawf(119)	$\text{perlia}(\text{sf})^2 \times \text{erate}(\text{b})$
betawf(120)	$\text{perlia}(\text{b})^2 \times \text{erate}(\text{c})$
betawf(121)	$\text{perlia}(\text{b})^2 \times \text{erate}(\text{s})$
betawf(122)	$\text{perlia}(\text{b})^2 \times \text{erate}(\text{w})$
betawf(123)	$\text{perlia}(\text{b})^2 \times \text{erate}(\text{cn})$
betawf(124)	$\text{perlia}(\text{b})^2 \times \text{erate}(\text{sf})$
betawf(125)	$\text{perlia}(\text{b})^2 \times \text{erate}(\text{b})$
betawf(126)	$\text{perlia}(\text{c})^2 \times \text{covwf}$
betawf(127)	$\text{perlia}(\text{s})^2 \times \text{covwf}$
betawf(128)	$\text{perlia}(\text{w})^2 \times \text{covwf}$
betawf(129)	$\text{perlia}(\text{cn})^2 \times \text{covwf}$
betawf(130)	$\text{perlia}(\text{sf})^2 \times \text{covwf}$
betawf(131)	$\text{perlia}(\text{b})^2 \times \text{covwf}$
betawf(132)	$\text{perlia}(\text{c})^3 \times \text{covwf}$
betawf(133)	$\text{perlia}(\text{s})^3 \times \text{covwf}$
betawf(134)	$\text{perlia}(\text{w})^3 \times \text{covwf}$
betawf(135)	$\text{perlia}(\text{cn})^3 \times \text{covwf}$
betawf(136)	$\text{perlia}(\text{sf})^3 \times \text{covwf}$
betawf(137)	$\text{perlia}(\text{b})^3 \times \text{covwf}$
betawf(138)	$\text{efyld}(\text{c})/\text{yldREF}(\text{c})$
betawf(139)	$\text{efyld}(\text{s})/\text{yldREF}(\text{s})$
betawf(140)	$\text{efyld}(\text{w})/\text{yldREF}(\text{w})$
betawf(141)	$\text{efyld}(\text{cn})/\text{yldREF}(\text{cn})$
betawf(142)	$\text{efyld}(\text{sf})/\text{yldREF}(\text{sf})$
betawf(143)	$\text{efyld}(\text{b})/\text{yldREF}(\text{b})$
betawf(144)	$(\text{efyld}(\text{c})/\text{yldREF}(\text{c}))^2$
betawf(145)	$(\text{efyld}(\text{s})/\text{yldREF}(\text{s}))^2$
betawf(146)	$(\text{efyld}(\text{w})/\text{yldREF}(\text{w}))^2$
betawf(147)	$(\text{efyld}(\text{cn})/\text{yldREF}(\text{cn}))^2$
betawf(148)	$(\text{efyld}(\text{sf})/\text{yldREF}(\text{sf}))^2$
betawf(149)	$(\text{efyld}(\text{b})/\text{yldREF}(\text{b}))^2$
betawf(150)	$\text{perlia}(\text{c})/\text{perlia}(\text{s})$
betawf(151)	$\text{perlia}(\text{c})/\text{perlia}(\text{w})$

betawf(152)	perlia(c)/perlia(cn)
betawf(153)	perlia(c)/perlia(sf)
betawf(154)	perlia(c)/perlia(b)
betawf(155)	perlia(s)/perlia(w)
betawf(156)	perlia(s)/perlia(cn)
betawf(157)	perlia(s)/perlia(sf)
betawf(158)	perlia(s)/perlia(b)
betawf(159)	perlia(w)/perlia(cn)
betawf(160)	perlia(w)/perlia(sf)
betawf(161)	perlia(w)/perlia(b)
betawf(162)	perlia(cn)/perlia(sf)
betawf(163)	perlia(cn)/perlia(b)
betawf(164)	perlia(sf)/perlia(b)
betawf(165)	$(\text{perlia(c)/perlia(s)})^2$
betawf(166)	$((\text{perlia(c)/perlia(w)})^2$
betawf(167)	$(\text{perlia(c)/perlia(cn)})^2$
betawf(168)	$(\text{perlia(c)/perlia(sf)})^2$
betawf(169)	$(\text{perlia(c)/perlia(b)})^2$
betawf(170)	$(\text{perlia(s)/perlia(w)})^2$
betawf(171)	$(\text{perlia(s)/perlia(cn)})^2$
betawf(172)	$(\text{perlia(s)/perlia(sf)})^2$
betawf(173)	$(\text{perlia(s)/perlia(b)})^2$
betawf(174)	$(\text{perlia(w)/perlia(cn)})^2$
betawf(175)	$(\text{perlia(w)/perlia(sf)})^2$
betawf(176)	$(\text{perlia(w)/perlia(b)})^2$
betawf(177)	$(\text{perlia(cn)/perlia(sf)})^2$
betawf(178)	$(\text{perlia(cn)/perlia(b)})^2$
betawf(179)	$(\text{perlia(sf)/perlia(b)})^2$
betawf(180)	cvp(c)
betawf(181)	cvp(s)
betawf(182)	cvp(w)
betawf(183)	cvp(cn)
betawf(184)	cvp(sf)
betawf(185)	cvp(b)
betawf(186)	cvp(c)^2
betawf(187)	cvp(s)^2
betawf(188)	cvp(w)^2
betawf(189)	cvp(cn)^2
betawf(190)	cvp(sf)^2
betawf(191)	cvp(b)^2
betawf(192)	cvp(c) x erate(c)
betawf(193)	cvp(c) x erate(s)
betawf(194)	cvp(c) x erate(w)
betawf(195)	cvp(c) x erate(cn)

betawf(196)	cvp(c) x erate(sf)
betawf(197)	cvp(c) x erate(b)
betawf(198)	cvp(s) x erate(c)
betawf(199)	cvp(s) x erate(s)
betawf(200)	cvp(s) x erate(w)
betawf(201)	cvp(s) x erate(cn)
betawf(202)	cvp(s) x erate(sf)
betawf(203)	cvp(s) x erate(b)
betawf(204)	cvp(w) x erate(c)
betawf(205)	cvp(w) x erate(s)
betawf(206)	cvp(w) x erate(w)
betawf(207)	cvp(w) x erate(cn)
betawf(208)	cvp(w) x erate(sf)
betawf(209)	cvp(w) x erate(b)
betawf(210)	cvp(cn) x erate(c)
betawf(211)	cvp(cn) x erate(s)
betawf(212)	cvp(cn) x erate(w)
betawf(213)	cvp(cn) x erate(cn)
betawf(214)	cvp(cn) x erate(sf)
betawf(215)	cvp(cn) x erate(b)
betawf(216)	cvp(sf) x erate(c)
betawf(217)	cvp(sf) x erate(s)
betawf(218)	cvp(sf) x erate(w)
betawf(219)	cvp(sf) x erate(cn)
betawf(220)	cvp(sf) x erate(sf)
betawf(221)	cvp(sf) x erate(b)
betawf(222)	cvp(b) x erate(c)
betawf(223)	cvp(b) x erate(s)
betawf(224)	cvp(b) x erate(w)
betawf(225)	cvp(b) x erate(cn)
betawf(226)	cvp(b) x erate(sf)
betawf(227)	cvp(b) x erate(b)
betawf(228)	cvp(c) ² x erate(c)
betawf(229)	cvp(c) ² x erate(s)
betawf(230)	cvp(c) ² x erate(w)
betawf(231)	cvp(c) ² x erate(cn)
betawf(232)	cvp(c) ² x erate(sf)
betawf(233)	cvp(c) ² x erate(b)
betawf(234)	cvp(s) ² x erate(c)
betawf(235)	cvp(s) ² x erate(s)
betawf(236)	cvp(s) ² x erate(w)
betawf(237)	cvp(s) ² x erate(cn)
betawf(238)	cvp(s) ² x erate(sf)
betawf(239)	cvp(s) ² x erate(b)

betawf(240)	$\text{cvp}(w)^2 \times \text{erate}(c)$
betawf(241)	$\text{cvp}(w)^2 \times \text{erate}(s)$
betawf(242)	$\text{cvp}(w)^2 \times \text{erate}(w)$
betawf(243)	$\text{cvp}(w)^2 \times \text{erate}(\text{cn})$
betawf(244)	$\text{cvp}(w)^2 \times \text{erate}(\text{sf})$
betawf(245)	$\text{cvp}(w)^2 \times \text{erate}(b)$
betawf(246)	$\text{cvp}(\text{cn})^2 \times \text{erate}(c)$
betawf(247)	$\text{cvp}(\text{cn})^2 \times \text{erate}(s)$
betawf(248)	$\text{cvp}(\text{cn})^2 \times \text{erate}(w)$
betawf(249)	$\text{cvp}(\text{cn})^2 \times \text{erate}(\text{cn})$
betawf(250)	$\text{cvp}(\text{cn})^2 \times \text{erate}(\text{sf})$
betawf(251)	$\text{cvp}(\text{cn})^2 \times \text{erate}(b)$
betawf(252)	$\text{cvp}(\text{sf})^2 \times \text{erate}(c)$
betawf(253)	$\text{cvp}(\text{sf})^2 \times \text{erate}(s)$
betawf(254)	$\text{cvp}(\text{sf})^2 \times \text{erate}(w)$
betawf(255)	$\text{cvp}(\text{sf})^2 \times \text{erate}(\text{cn})$
betawf(256)	$\text{cvp}(\text{sf})^2 \times \text{erate}(\text{sf})$
betawf(257)	$\text{cvp}(\text{sf})^2 \times \text{erate}(b)$
betawf(258)	$\text{cvp}(b)^2 \times \text{erate}(c)$
betawf(259)	$\text{cvp}(b)^2 \times \text{erate}(s)$
betawf(260)	$\text{cvp}(b)^2 \times \text{erate}(w)$
betawf(261)	$\text{cvp}(b)^2 \times \text{erate}(\text{cn})$
betawf(262)	$\text{cvp}(b)^2 \times \text{erate}(\text{sf})$
betawf(263)	$\text{cvp}(b)^2 \times \text{erate}(b)$
betawf(264)	$\text{perlia}(c) \times \text{cvp}(c)$
betawf(265)	$\text{perlia}(c) \times \text{cvp}(s)$
betawf(266)	$\text{perlia}(c) \times \text{cvp}(w)$
betawf(267)	$\text{perlia}(c) \times \text{cvp}(\text{cn})$
betawf(268)	$\text{perlia}(c) \times \text{cvp}(\text{sf})$
betawf(269)	$\text{perlia}(c) \times \text{cvp}(b)$
betawf(270)	$\text{perlia}(s) \times \text{cvp}(c)$
betawf(271)	$\text{perlia}(s) \times \text{cvp}(s)$
betawf(272)	$\text{perlia}(s) \times \text{cvp}(w)$
betawf(273)	$\text{perlia}(s) \times \text{cvp}(\text{cn})$
betawf(274)	$\text{perlia}(s) \times \text{cvp}(\text{sf})$
betawf(275)	$\text{perlia}(s) \times \text{cvp}(b)$
betawf(276)	$\text{perlia}(w) \times \text{cvp}(c)$
betawf(277)	$\text{perlia}(w) \times \text{cvp}(s)$
betawf(278)	$\text{perlia}(w) \times \text{cvp}(w)$
betawf(279)	$\text{perlia}(w) \times \text{cvp}(\text{cn})$
betawf(280)	$\text{perlia}(w) \times \text{cvp}(\text{sf})$
betawf(281)	$\text{perlia}(w) \times \text{cvp}(b)$
betawf(282)	$\text{perlia}(\text{cn}) \times \text{cvp}(c)$
betawf(283)	$\text{perlia}(\text{cn}) \times \text{cvp}(s)$

betawf(284)	$\text{perlia}(\text{cn}) \times \text{cvp}(\text{w})$
betawf(285)	$\text{perlia}(\text{cn}) \times \text{cvp}(\text{cn})$
betawf(286)	$\text{perlia}(\text{cn}) \times \text{cvp}(\text{sf})$
betawf(287)	$\text{perlia}(\text{cn}) \times \text{cvp}(\text{b})$
betawf(288)	$\text{perlia}(\text{sf}) \times \text{cvp}(\text{c})$
betawf(289)	$\text{perlia}(\text{sf}) \times \text{cvp}(\text{s})$
betawf(290)	$\text{perlia}(\text{sf}) \times \text{cvp}(\text{w})$
betawf(291)	$\text{perlia}(\text{sf}) \times \text{cvp}(\text{cn})$
betawf(292)	$\text{perlia}(\text{sf}) \times \text{cvp}(\text{sf})$
betawf(293)	$\text{perlia}(\text{sf}) \times \text{cvp}(\text{b})$
betawf(294)	$\text{perlia}(\text{c})^2 \times \text{cvp}(\text{c})$
betawf(295)	$\text{perlia}(\text{c})^2 \times \text{cvp}(\text{s})$
betawf(296)	$\text{perlia}(\text{c})^2 \times \text{cvp}(\text{w})$
betawf(297)	$\text{perlia}(\text{c})^2 \times \text{cvp}(\text{cn})$
betawf(298)	$\text{perlia}(\text{c})^2 \times \text{cvp}(\text{sf})$
betawf(299)	$\text{perlia}(\text{c})^2 \times \text{cvp}(\text{b})$
betawf(300)	$\text{perlia}(\text{s})^2 \times \text{cvp}(\text{c})$
betawf(301)	$\text{perlia}(\text{s})^2 \times \text{cvp}(\text{s})$
betawf(302)	$\text{perlia}(\text{s})^2 \times \text{cvp}(\text{w})$
betawf(303)	$\text{perlia}(\text{s})^2 \times \text{cvp}(\text{cn})$
betawf(304)	$\text{perlia}(\text{s})^2 \times \text{cvp}(\text{sf})$
betawf(305)	$\text{perlia}(\text{s})^2 \times \text{cvp}(\text{b})$
betawf(306)	$\text{perlia}(\text{w})^2 \times \text{cvp}(\text{c})$
betawf(307)	$\text{perlia}(\text{w})^2 \times \text{cvp}(\text{s})$
betawf(308)	$\text{perlia}(\text{w})^2 \times \text{cvp}(\text{w})$
betawf(309)	$\text{perlia}(\text{w})^2 \times \text{cvp}(\text{cn})$
betawf(310)	$\text{perlia}(\text{w})^2 \times \text{cvp}(\text{sf})$
betawf(311)	$\text{perlia}(\text{w})^2 \times \text{cvp}(\text{b})$
betawf(312)	$\text{perlia}(\text{cn})^2 \times \text{cvp}(\text{c})$
betawf(313)	$\text{perlia}(\text{cn})^2 \times \text{cvp}(\text{s})$
betawf(314)	$\text{perlia}(\text{cn})^2 \times \text{cvp}(\text{w})$
betawf(315)	$\text{perlia}(\text{cn})^2 \times \text{cvp}(\text{cn})$
betawf(316)	$\text{perlia}(\text{cn})^2 \times \text{cvp}(\text{sf})$
betawf(317)	$\text{perlia}(\text{cn})^2 \times \text{cvp}(\text{b})$
betawf(318)	$\text{perlia}(\text{sf})^2 \times \text{cvp}(\text{c})$
betawf(319)	$\text{perlia}(\text{sf})^2 \times \text{cvp}(\text{s})$
betawf(320)	$\text{perlia}(\text{sf})^2 \times \text{cvp}(\text{w})$
betawf(321)	$\text{perlia}(\text{sf})^2 \times \text{cvp}(\text{cn})$
betawf(322)	$\text{perlia}(\text{sf})^2 \times \text{cvp}(\text{sf})$
betawf(323)	$\text{perlia}(\text{sf})^2 \times \text{cvp}(\text{b})$
betawf(324)	$\text{perlia}(\text{b})^2 \times \text{cvp}(\text{c})$
betawf(325)	$\text{perlia}(\text{b})^2 \times \text{cvp}(\text{s})$
betawf(326)	$\text{perlia}(\text{b})^2 \times \text{cvp}(\text{w})$
betawf(327)	$\text{perlia}(\text{b})^2 \times \text{cvp}(\text{cn})$

betawf(328) perlia(b)² x cvp(sf)
betawf(329) perlia(b)² x cvp(b)

The whole-farm premium rate (*wfpremr*) is found by multiplying each coefficient by the corresponding value of the variable and then summing the results. Each individual calculation should be rounded to 9 digits. The sum should be rounded to 4 digits. If a crop is not used, care must be taken to avoid divide-by-zero errors in the rating variables.

Checking to See if Maximum Whole-Farm Discount is Exceeded

RA whole-farm premium rates cannot be less than *minratefactor* times the average premium rate had the producer bought enterprise unit coverage, where *minratefactor* = .5, if two crops are included in the whole-farm unit, = .475 if three crops, = .45 if four crops, = .425 if five crops, and = .4 if six crops are include. To determine if this limit has been exceeded we need to use the whole-farm coverage level, *covwf*, in the enterprise unit premium equations for the crops in the whole-farm unit. The enterprise equations with *covwf* is reproduced below. Each individual calculation is rounded to 9 digits to the right of the decimal place, and the variable *epremrw* is rounded to 4 digits. *epremrw(j)* is rounded to four digits.

(23)

$$\begin{aligned} epremrw(j) = & \text{beta}(j,0) + \text{beta}(j,1)erate(j) + \text{beta}(j,2)erate(j)^2 + \text{beta}(j,3)covwf \\ & + \text{beta}(j,4)covwf^2 + \text{beta}(j,5)\frac{efyld(j)}{yldREF(j)} + \text{beta}(j,6)(\frac{efyld(j)}{yldREF(j)})^2 + \text{beta}(j,7)cvp(j) \\ & + \text{beta}(j,8)cvp(j)^2 + \text{beta}(j,9)erate(j) \cdot covwf + \text{beta}(j,10)erate(j) \cdot \frac{efyld(j)}{yldREF(j)} \\ & + \text{beta}(j,11)erate(j) \cdot cvp(j) + \text{betac}(j,12)covwf \cdot \frac{efyld(j)}{yldREF(j)} \\ & + \text{betac}(j,13)covwf \cdot cvp(j) + \text{beta}(j,14) \cdot \frac{efyld(j)}{yldREF(j)} \cdot cvp(j), j = c, s, w, cn, sf, b. \end{aligned}$$

Now we need to take the weighted average of *epremrw* to determine if the maximum discount has been exceeded.

$$(24) \quad wfpremr = \frac{\sum_{j=c,s,w,cn,sf,b} (\sum_{i=1}^{N(j)} \text{round}(epremrw(j) \cdot acre(j,i)share(j,i),0))}{(\sum_{j=c,s,w,cn,sf,b} \sum_{i=1}^{N(j)} acre(j,i)share(j,i))}$$

Now set *wfpremr* equal to *minratefactor* times the weighted average of the enterprise unit premium rate if the maximum discount is exceeded, otherwise leave it

alone. The product of *minratefactor* times the weighted average of the enterprise unit premium rate is rounded to four digits before the comparison is done.

$$(25) \quad wfpremr = \max(wfpremr, \text{round}(\text{minratefactor} \cdot wfpremr), 4)$$

Per-acre whole-farm unit premiums

The next step is to add the prevented planting load. The resulting per-acre premium is rounded to two digits. The prevented planting load is the share and acreage weighted average of the prevented planting load for corn and soybeans.

At 60% prevented planting

$$(26) \quad LWFP = wfpremr \cdot revwf$$

At 65% prevented planting (27)

$$LWFP = wfpremr \cdot revwf \cdot \frac{\sum_{j=c,s,w,cn,sf,b} PP65(j) \left(\sum_{i=1}^{N(j)} \text{acre}(j,i) \text{share}(j,i) \right)}{\sum_{j=c,s,w,cn,sf,b} \sum_{i=1}^{N(j)} \text{acre}(j,i) \text{share}(j,i)}$$

At 70% prevented planting (28)

$$LWFP = wfpremr \cdot revwf \cdot \frac{\sum_{j=c,s,w,cn,sf,b} PP70(j) \left(\sum_{i=1}^{N(j)} \text{acre}(j,i) \text{share}(j,i) \right)}{\sum_{j=c,s,w,cn,sf,b} \sum_{i=1}^{N(j)} \text{acre}(j,i) \text{share}(j,i)}$$

Total whole-farm unit premiums

Total loaded premium is then found by multiplying *LWFP* by insured acres on each unit (or record) and then summing up over all records. This will be rounded on a record by record basis (M13, rectype 13, field 55, total premium, pos 346).

$$(29) \quad TLWFP = \sum_{j=c,s,w,cn,sf,b} \sum_{i=1}^{N(j)} \text{round}(LWFP \cdot \text{acre}(j,i) \cdot \text{share}(j,i), 0)$$

8. Premium Subsidy

Note: It is anticipated that Congress will change the method by which premium subsidy is calculated, doing away with the provision that RA subsidies cannot exceed subsidies available under APH. Thus this section of the programming instructions will need to be redone.

The premium subsidy cannot exceed the premium subsidy available had the farmer purchased a comparable APH policy. All premium subsidies are rounded to whole-dollar amounts.

The variable $ppfact(j)$ is the prevented planting factor for crop j . If the farmer does not buy up prevented planting coverage then $ppfact(j) = 1$.

Optional units

First calculate the subsidy available under a comparable APH policy. One rounding rule has to be followed in this calculation. The product of approved yield and 0.65 is rounded to one digit to the right of the decimal.

$$(30) \quad \begin{aligned} subaphou(j,i) &= 0.417 \cdot \text{round}[\text{round}(0.65 \cdot fyld(j,i),1) \cdot rateou(j,i) \cdot APHp(j) \\ &\quad share(j,i) \cdot ppfact(j) \cdot acre(j,i) \cdot psurc(j,i),0] \quad i = 1, \dots, N(j); j = c, s, w, cn, sf, b, ww \end{aligned}$$

$$psurc = 1.05 \quad \text{if } fyld(j,i) \text{ is cupped, else } psurc = 1.0$$

The RA premium subsidy equals the minimum of an RA subsidy factor times the total loaded RA premium and the subsidy available under a comparable APH policy.

$$(31) \quad \begin{aligned} psubou(j,i) &= \min(subaphou(j,i), \text{round}(subfact(j) \cdot TLP(j,i),0)), \\ &\quad i = 1, \dots, N(j); j = c, s, w, cn, sf, b, ww \end{aligned}$$

where

$$(32) \quad subfact(j) = 3.7074 - 7.90314 \cdot cover(j) + 4.371429 \cdot cover(j)^2$$

$subfact(j)$ is rounded to three digits.

Basic units

First calculate the subsidy available under a comparable APH policy.

$$(33) \quad \begin{aligned} subapbh(j,i) = & 0.417 \cdot \text{round}[\text{round}(0.65 \cdot fyl(j,i),1) \cdot rate(j,i) \cdot APHp(j) \cdot share(j,i) \\ & \cdot ppfact(j) \cdot acre(j,i) \cdot psurc(j,i),0] \quad i = 1, \dots, N(j); j = c, s, w, cn, sf, b, ww \end{aligned}$$

$subapbh(j,i)$ is rounded to whole dollar amounts.

$psurc = 1.05$ if $fyl(j,i)$ is cupped, else $psurc = 1.0$

$$(34) \quad \begin{aligned} psubb(j,i) = & \min(subapbh(j,i), \text{round}[subfact(j) \cdot TLP(j,i),0]), \\ & i = 1, \dots, N(j); j = c, s, w, cn, sf, b, ww \end{aligned}$$

Enterprise unit

First calculate the premium subsidy available had the farmer purchased APH basic units.

$$(35) \quad subaphe(j) = \sum_{i=1}^{N(j)} subapbh(j,i), j = c, s, w, cn, sf, b, ww$$

Now calculate the premium subsidy for RA using the RA premium subsidy factor for enterprise units. This premium subsidy is calculated on a record by record basis, and then summed. Note that the record premium needs to be rounded before it is multiplied by the RA premium subsidy factor.

$$(36) \quad \begin{aligned} psube(j) = & \sum_{i=1}^{N(j)} \text{round}(subfacte(j) \cdot \text{round}(LEP(j) \cdot acre(j,i) \cdot share(j,i)),0,0)), \\ & j = c, s, w, cn, sf, b, ww \end{aligned}$$

where

$$(37) \quad subfacte(j) = 3.7074 - 7.90314 \cdot covere(j) + 4.371429 \cdot covere(j)^2$$

$subfacte(j)$ is rounded to three digits.

The final step is to compare $subaphe(j)$ and $psube(j)$. If $subaphe(j)$ is less than $psube(j)$, then $subapbh(j,i)$ is used to calculate producer premium on a record by record basis. If $subaphe(j)$ is greater than $psube(j)$, then the quantity $\text{round}(subfacte(j) \cdot \text{round}(LEP(j) \cdot acre(j,i) \cdot share(j,i)),0,0)$ is used to calculate producer premium on a record by record basis.

Whole-farm unit

First calculate the premium subsidy available had the farmer purchased APH basic units.

$$(38) \quad subapwhf = subaphe(c) + subaphe(s) + subaphe(w) + subaphe(cn) + subaphe(sf) + subaphe(b)$$

Now calculate the premium subsidy for RA using the RA premium subsidy factor for whole-farm units. This premium subsidy is calculated on a record by record basis, and then summed. Note that the record premium needs to be rounded before it is multiplied by the RA premium subsidy factor.

(39)

$$psubwf = \sum_{c,s,w,cn,sf,b} \sum_{i=1}^{N(j)} \text{round}(subfactwf \cdot \text{round}(LWFP \cdot acre(j,i) \cdot share(j,i)),0,0),$$

where

(40)

$$subfactwf = 3.7074 - 7.90314 \cdot covwf + 4.371429 \cdot covwf^2$$

subfactwf is rounded to three digits.

The final step is to compare *subaphwf* and *psubwf*. If *subaphwf* is less than *psubwf*, then *subaphb(j,i)* is used to calculate producer premium on a record by record basis. If *subaphwf* is greater than *psubwf*, then the quantity $\text{round}(subfactwf \cdot \text{round}(LWFP \cdot acre(j,i) \cdot share(j,i)),0,0)$ is used to calculate producer premium on a record by record basis.

9. Producer Paid Premiums

The following equations are used to calculate the subsidized producer-paid premiums for each unit structure. Because both the unsubsidized and subsidized premiums are rounded to whole-dollar amounts, there will be no need to round producer paid premium.

Optional units

(41)

$$TLPSub(j,i) = TLP(j,i) - psubou(j,i), i = 1, \dots, N(j); j = c, s, w, cn, sf, b, ww.$$

Basic units

$$(42) \quad TLPSub(j,i) = TLP(j,i) - psubb(j,i), i = 1, \dots, N(j); j = c, s, w, cn, sf, b, ww$$

Enterprise unit

If *subaphe(j)* is less than *psube(j)*, then

$$(4) \quad TLEP_{sub}(j,i) = \text{round}(LEP(j) \cdot acre(j,i) \cdot share(j,i),0) - subaphe(j,i)$$

3) $i = 1,...,N(j); j = c,s,w,cn,sf,b,ww.$

If $subaphe(j)$ is greater than $p_{sube}(j)$, then

$$(44) \quad TLEP_{sub}(j,i) = \text{round}(LEP(j) \cdot acre(j,i) \cdot share(j,i),0) - \text{round}(subfacte(j) \cdot \text{round}(LEP(j) \cdot acre(j,i) \cdot share(j,i),0),0)$$

$i = 1,...,N(j); j = c,s,w,cn,sf,b,ww.$

Whole-farm unit

If $subaphwf$ is less than p_{subwf} , then

$$(4) \quad TLWFP_{sub}(j,i) = \text{round}(LWFP \cdot acre(j,i) \cdot share(j,i),0) - subaphe(j,i)$$

5) $i = 1,...,N(j); j = c,s,w,cn,sf,b.$

If $subaphwf$ is greater than p_{subwf} , then

$$(46) \quad TLWFP_{sub}(j,i) = \text{round}(LWFP(j) \cdot acre(j,i) \cdot share(j,i),0) - \text{round}(subfactwf(j) \cdot \text{round}(LWFP(j) \cdot acre(j,i) \cdot share(j,i),0),0)$$

$i = 1,...,N(j); j = c,s,w,cn,sf,b.$

10. Appendix. Identification of Counties in Southern Minnesota and South Dakota

Table A1. Minnesota counties that make up Southern Minnesota and South Dakota counties that make up Eastern South Dakota.

FIPS	Southern Minn	FIPS	E. South Dakota
27011	Big Stone	46009	Bon Homme
27013	Blue Earth	46011	Brookings
27015	Brown	46027	Clay
27019	Carver	46029	Codington
27023	Chippewa	46035	Davison
27033	Cottonwood	46039	Deuel
27037	Dakota	46051	Grant
27039	Dodge	46057	Hamlin
27041	Douglas	46061	Hanson
27043	Faribault	46067	Hutchinson
27045	Fillmore	46077	Kingsbury
27047	Freeborn	46079	Lake
27049	Goodhue	46083	Lincoln
27051	Grant	46087	McCook
27053	Hennepin	46097	Miner
27055	Houston	46099	Minnehaha
27063	Jackson	46101	Moody
27067	Kandiyohi	46111	Sanborn
27073	Lac Qui Parle	46125	Turner
27079	Le Sueur	46127	Union
27081	Lincoln	46135	Yankton
27083	Lyon		
27085	McLeod		
27091	Martin		
27093	Meeker		
27099	Mower		
27101	Murray		
27103	Nicollet		
27105	Nobles		
27109	Olmsted		
27117	Pipestone		
27121	Pope		
27127	Redwood		
27129	Renville		
27131	Rice		

27133	Rock
27139	Scott
27143	Sibley
27145	Stearns
27147	Steele
27149	Stevens
27151	Swift
27155	Traverse
27157	Wabasha
27161	Waseca
27165	Watsonwan
27169	Winona
27171	Wright
27173	Yellow Medicine