# Real Time Data Assimilation at the University of Washington

### Ryan D. Torn and Gregory J. Hakim University of Washington



2005 Pacific Northwest Weather Workshop March 4, 2005 Most operational centers create ensemble members by perturbing around a deterministic estimate

- ECMWF singular vectors
- NCEP bred vectors
- UW multi-model analyses and/or physics

But, what if we could produce probabilistic analyses, with each ensemble analysis member an equally likely representation?

### **Ensemble Kalman Filter**

## Marriage of data assimilation and ensemble forecasting

$$\mathbf{X}^{a} = \mathbf{X}^{b} + \mathbf{K}(\mathbf{y} - \mathbf{H}\mathbf{X}^{b})$$
$$\mathbf{K} = \mathbf{P}^{b}\mathbf{H}^{T}(\mathbf{H}\mathbf{P}^{b}\mathbf{H}^{T} + \mathbf{R})^{-1}$$
$$\mathbf{P}^{b} \approx \frac{1}{N_{e} - 1}\mathbf{X}^{'b}\mathbf{X}^{'b^{T}}$$

Unlike operational methods, P<sup>b</sup> calculated from ensemble!

### Ensemble Covariances

#### 3D-VAR covariance

#### ensemble covariance



### System Specifications

- Weather Research and Forecasting model, (WRF) 45 km resolution, 33 vertical levels
- 90 ensemble members
- 6 hour analysis cycle
- ensemble forecasts to t+24 hrs at 00 and 12 UTC
- assimilate rawindsonde, ACARS, cloud drift winds, ASOS, buoy and ship data



### **Observation Densities**

#### aircraft obs.

#### cloud winds



### **Probabilistic Analyses**

#### sea-level pressure

#### 500 hPa height



500 hPa heights, height spread and rawindsonde obs valid 2005020612

Large uncertainty associated with shortwave approaching in NW flow

### Ensemble inliers/outliers

#### inlier



#### outlier

sea-level pressure for outlier valid 2005020612 (mem = 37: 2.9 hPa)



### Microphysical Analyses

-70 -65 -60 -55 -50 -45 -40 -35 -30

20 15 10

### 20 February 2005, 00 UTC





COMPOSITE REFLECTIVITY Sat 19 Feb 2005 16:06 PST

composite radar

#### model analysis

### **Ensemble Forecasts**

#### Analysis

#### 24-hour forecast



### Forecast Sensitivity

How does a one unit difference in the analysis field at one point alter the forecast of a given field at another point?

$$\Delta J^{f} = \frac{\operatorname{cov}(X_{i}^{a}, J^{f})}{\operatorname{var}(X_{i}^{a})} \times \Delta X_{i}^{a}$$

### Sensitivity Example

### analysis SLP

### 850 hPa temp.



### Analysis Verification



### Forecast Verification



#### University of Washington Real-Time Ensemble Kalman Filter

Analyses | Forecasts

Sea Level Pressure, spread and surface obs valid 2005030212

500 hPa heights, height spread and rawindsonde obs valid 2005030212



### http://www.atmos.washington.edu/~enkf



Filter status Wed Mar 2 09:27:57 PST 2005 : Analysis completed on: Wed Mar 2 07:16:14 PST 2005

Observations assimilated

Radiosonde verification (00 and 12 UTC)

Filter performance: E1/E2 = 0.758 (LOG)