

Soft-gluon resummation for pseudoscalar Higgs boson production at hadron colliders

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José Francisco Zurita

¹Departamento de Física - FCEyN -
Universidad de Buenos Aires

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Work done in collaboration with Daniel de Florian

QCD corrections, at next-to-next-to-leading logarithmic accuracy, to production cross section of a pseudoscalar Higgs boson, in the heavy top mass limit, at proton-proton or proton anti-proton collider.

Outline

Introduction

Higgs production at colliders

Results

Conclusions

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Starting point

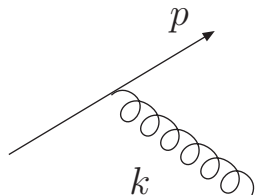
- ▶ New Physics \rightarrow QCD for both signal and background
- ▶ UV and IR divergences
- ▶ Regularization introduces μ_R and μ_F scales
- ▶ Predictions became scale dependent !!!

IR singularities

They come from

IR singularities

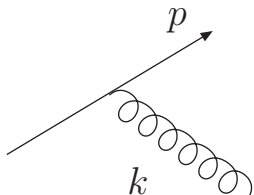
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$$\frac{1}{(p+k)^2} = \frac{1}{2E_q E_g (1 - \cos \theta)}$$

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Two kind of divergences

- ▶ Soft: $E_g \rightarrow 0$ *Soft gluon*
- ▶ Collinear: $\cos \theta = 1$ *Mass singularity*

When fixed order fails

Perturbative expansion reads

$$\sigma = \sigma^{(0)} + \alpha_S \sigma^{(1)} + \alpha_S^2 \sigma^{(2)} + \dots$$

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In processes with several scales, last condition might not hold

$$\sigma^{(i)} \sim \text{Log}^j(y) \equiv L^j; \quad L \rightarrow \infty \text{ when } y \rightarrow 0$$

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Where do these Logs appear? Two examples:

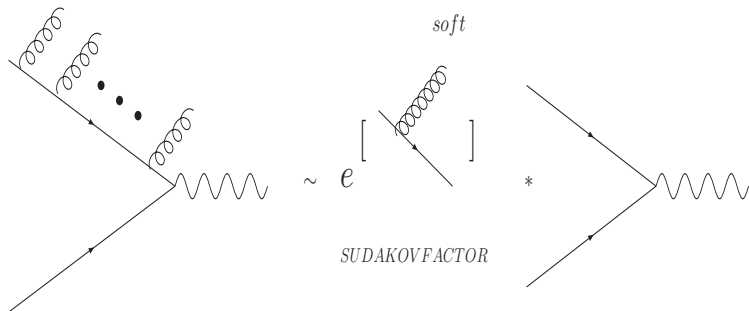
- ▶ Z production with q_t : $y = \frac{q_t^2}{M_Z^2}$
- ▶ Higgs production: $y = 1 - \frac{M_H^2}{sx_1 x_2} \rightarrow$ soft gluon radiation

Exponentiation

Soft gluon contributions can be exponentiated. Schematically

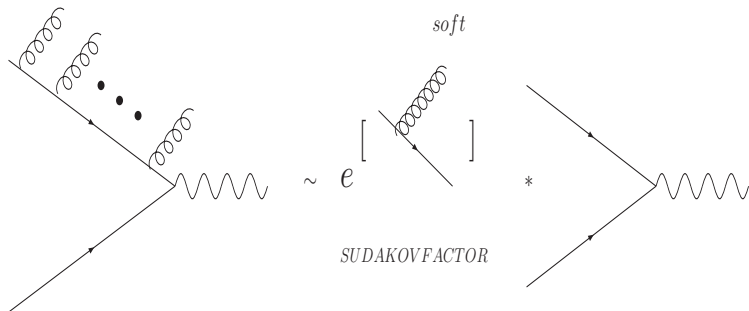
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$$\sigma = \sigma^{(0)} C_{q\bar{q}} \text{Exp}[\mathcal{G}] = \sigma^{(0)} \left(1 + \sum_i \alpha_S^i C_{q\bar{q}}^{(i)} \right) \text{Exp}[\mathcal{G}]$$

- ▶ $C_{q\bar{q}} \rightarrow$ Hard contribution: Process dependent
- ▶ $\mathcal{G} \rightarrow$ Sudakov Factor: Process independent

Structure of resummation

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|-------------------|--------------|----------------|------------------|------------------|------------------|----------------------|
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| ... | ... | ... | ... | ... | ... | |
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State of the art: g_4 **NLL** **LL**
S.Moch, J.Vermaseren, A.Vogt (2005)

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MSSM Higgs sector

MSSM requires two Higgs doublets

Initially, 8 d.o.f ; after EWSB, only 5 d.o.f left.

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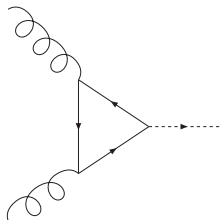
Tree level parameters: M_A and $\tan \beta = \frac{v_2}{v_1}$

Experimental constraints (LEP II):

- ▶ $M_A > 91.9 \text{ GeV}$
- ▶ $0.6 < \tan \beta < 2.4$ excluded

Higgs production

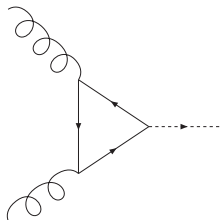
Main channel at hadron collider: gg fusion



Since Yukawa couplings are proportional to the fermion mass, in the SM case we only consider the top loop.

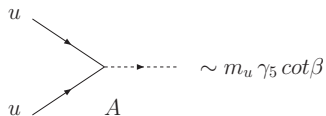
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In MSSM, the A Yukawa couplings to fermions go as



Naively, calculation reliable for $\tan\beta < 6.41$

Theoretical Status

- ▶ LO : known from a long time ago F. Wilczek (1977) ;
H. Georgi, S. Glashow, M. Machacek, D. Nanopoulos (1978) ;
J. Ellis, M. Gaillard, D. Nanopoulos, C. Sachrajda (1979) ;
T. Rizzo (1980)
- ▶ NLO (exact) give an increase of **almost 100 % !!!**
M. Spira, A. Djouadi, D. Graundenz, P.Zerwas (1995)
- ▶ NNLO (heavy M_t limit): moderate numerical impact
R. Harlander, W.Kilgore (2002); C. Anastasiou, K. Melnikov (2002);
V. Ravindran, J.Smith, W. L. van Neerven (2003)
- ▶ NNLL (h): scale dependence greatly reduced! (10 %)
S. Catani, D. De Florian, M. Grazzini, P.Nason (2003)

Missing piece: NNLL result for A production.

Large M_t approximation

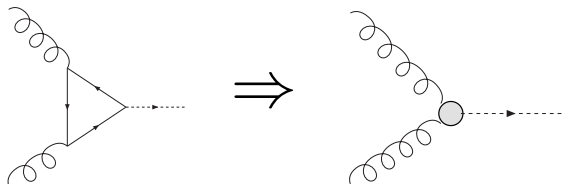
Effective Lagrangian, valid for $M_A < M_t$

$$\mathcal{L}_{\text{eff}} = \frac{1}{4} \left[1 - \frac{\alpha_S}{3\pi} \frac{H}{v} (1 + \Delta) \right] \text{Tr}(G_{\mu\nu} G^{\mu\nu})$$

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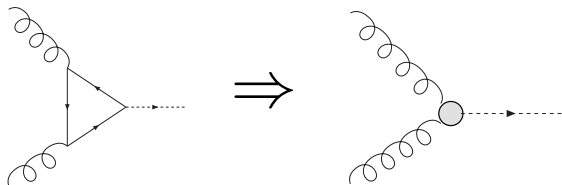
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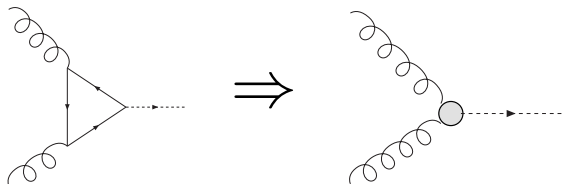
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We got rid of the Loop: *trainless Chicago!!!*

Large M_t approximation accuracy

- ▶ NLO and NNLO are very well approximated by large M_t limit.

S.Dawson (1991)

- ▶ The bulk of the QCD corrections comes from parton radiation at low transverse momenta: weakly sensitive to the top loop.

S. Catani, D. de Florian, M. Grazzini (2001)

- ▶ Hard effects (most sensitive to heavy quark loop) are about 2% at LHC and 4% at Tevatron (NNLO calculations).

- ▶ M_t approximation works with accuracy better than 10% for $M_h \leq 1 \text{ TeV}$.

M. Kramer, E.Laenen, M. Spira (1998)

Framework

By virtue of the factorization theorem, the cross section for $h_a h_b \rightarrow A + X$ may be written as a convolution of the partonic cross section $\hat{\sigma}_{ab}$ with the PDFs.

$$\sigma(s, M_A^2) = \sum_{a,b} \int_0^1 dx_1 dx_2 f_{a/h_1}(x_1, \mu_F^2) f_{b/h_2}(x_2, \mu_F^2) \int_0^1 dz \delta\left(z - \frac{M_A^2}{s x_1 x_2}\right) \hat{\sigma}_{ab}(z, \alpha_S(\mu_R^2), M_A^2/\mu_R^2, M_A^2/\mu_F^2)$$

High precision requires a good knowledge of both PDF's and partonic cross sections.

Mellin transform technique

Convolutions are disentangled with the aid of *Mellin transforms*

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In N space, σ has a very simple (**factorized!**) form

$$\sigma_N(M_A^2) = \sum_{a,b} f_{a/h_1,N}(\mu_F^2) f_{b/h_2,N}(\mu_F^2) \hat{\sigma}_{ab,N}(\alpha_S(\mu_R^2), M_A^2/\mu_R^2, M_A^2/\mu_F^2)$$

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and the resummed cross section also factorizes

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Threshold limit: $z = \frac{M_A^2}{s x_1 x_2} \rightarrow 1 \equiv N \rightarrow \infty$

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Singular contributions at threshold

Soft:
$$M\left[\left[\frac{\ln^k(1-z)}{1-z}\right]_+\right] = \frac{(-1)^{k+1}}{k+1} \ln^{k+1} N + \mathcal{O}(\ln^k N)$$

Virtual:
$$M\left[\left[\delta(1-z)\right]_+\right] = 1$$

Collinear:
$$M\left[\left[\ln^k(1-z)\right]_+\right] = \frac{(-1)^k}{N} \ln^k N + \mathcal{O}\left(\frac{1}{N} \ln^{k-1} N\right)$$

where $\int_0^1 f(w)[g(w)]_+ dw = \int_0^1 (f(w) - f(1))g(w) dw$

Matching

How can we profit from the fixed order result?

$$\sigma^{f.o} = \sigma^{(0)} + \alpha_S \sigma^{(1)} + \alpha_S^2 \sigma^{(2)}$$

$$\sigma^{res} = \sum_{i=0}^{\infty} \alpha_S^i R^{(i)}$$

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The matching is performed by computing the $C_{gg}^{(i)}$ coefficients.

Moreover, we can include the dominant collinear terms by doing

$$C_{gg}^{(1)} \rightarrow C_{gg}^{(1)} + 6 \frac{\ln N}{N}$$

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FORTRAN code that computes Higgs production cross sections:

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- ▶ PDF in Mellin

Toy PDF: $f(x) = (1 - x)^\alpha x^\beta$

Simple expression: $M[f(x)] = \frac{\Gamma(b+1)\Gamma(a+N)}{\Gamma(a+b+N+1)}$

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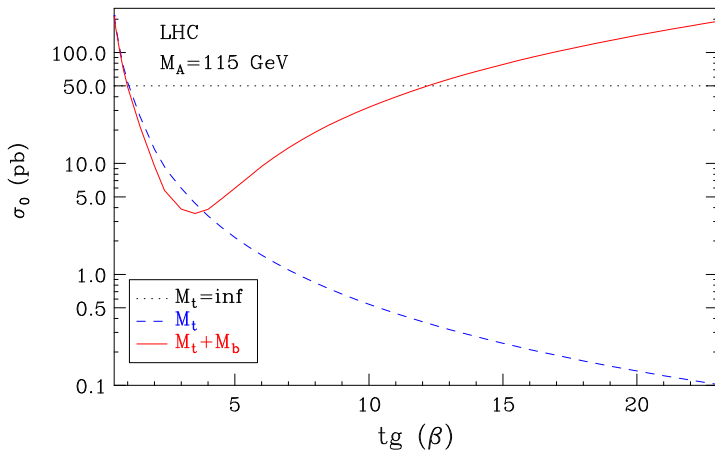
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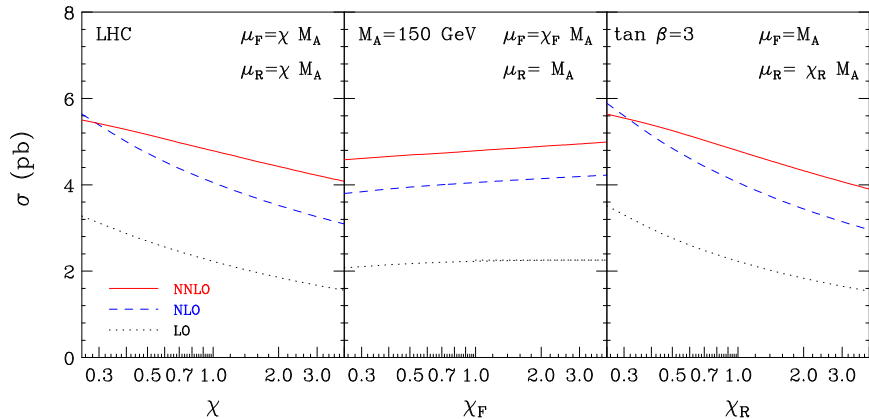
Heavy quark mass effects

One can add finite M_t (and M_b) effects in Born cross section.



+ compare at NLO: exact result (HIGLU) with large M_t limit.

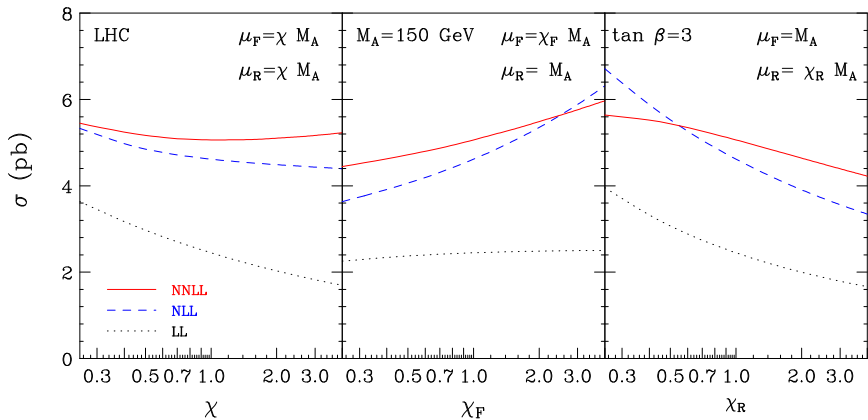
Fixed order σ scale dependence at LHC



$$\mu_F = \chi_F M_A$$

$$\mu_R = \chi_R M_A$$

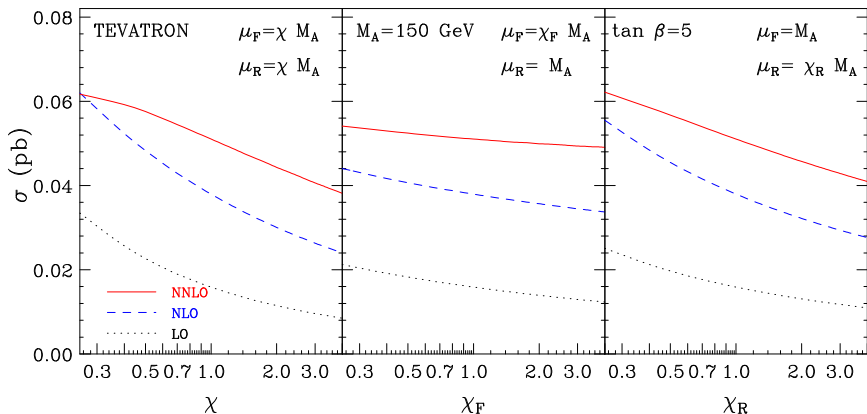
Resummed σ scale dependence at LHC



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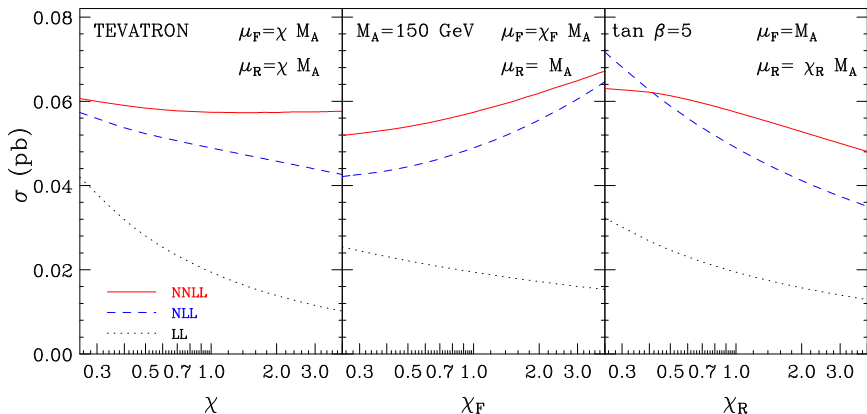
Fixed order σ scale dependence at Tevatron



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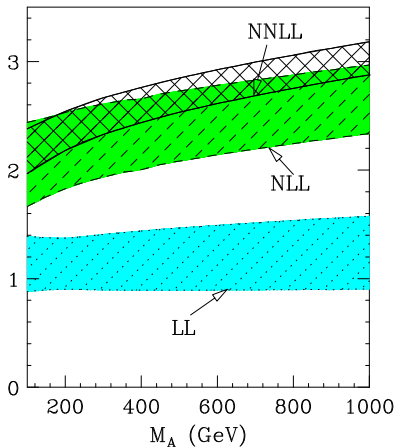
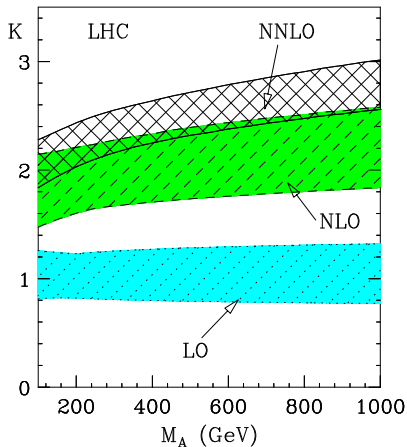
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K factors at LHC

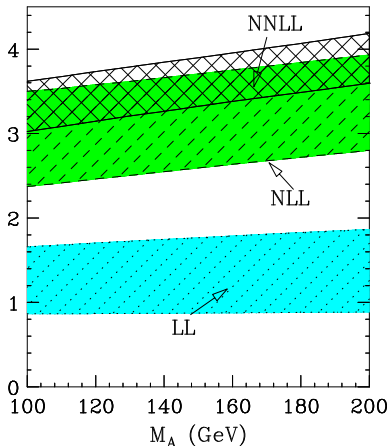
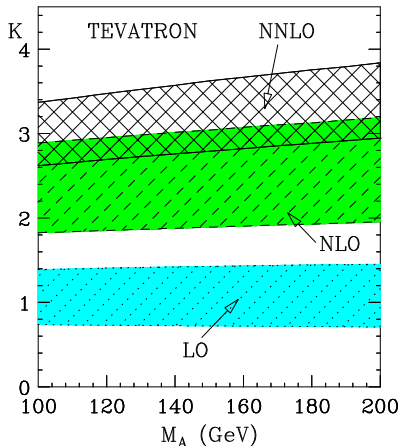


$$K_{NLO} = \frac{\sigma_{NLO}}{\sigma_{LO}}$$

$$K_{NNLO} = \frac{\sigma_{NNLO}}{\sigma_{LO}}$$

TH Uncertainty: $0.5 \leq \chi_{F,R} \leq 2$ but $0.5 \leq \chi_F/\chi_R \leq 2$

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- ▶ Resummation provides not only more accurate predictions, but it also reduces the scale dependence.
- ▶ Explicit results for inclusive A production at both Tevatron and LHC were shown.
- ▶ Scale dependence is lower than 10%.
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"We haven't the money, so we've got to think"



Ernest Rutherford (1871-1937)