

Estimating Soil Moisture Under Low Frequency Surface Irrigation Using Crop Water Stress Index

Paul D. Colaizzi¹; Edward M. Barnes²; Thomas R. Clarke³; Christopher Y. Choi⁴; and Peter M. Waller⁵

Abstract: The present study investigated the relationship between the crop water stress index (CWSI) and soil moisture for surface irrigated cotton (*Gossypium hirsutum*, Delta Pine 90b) at Maricopa, Arizona during the 1998 season. The CWSI was linked to soil moisture through the water stress coefficient K_s that accounts for reduced crop evapotranspiration when there is a shortage of soil water. A stress recovery coefficient K_{rec} was introduced to account for reduced crop evapotranspiration as the crop recovered from water stress after irrigation events. A soil water stress index (SWSI) was derived in terms of K_s and K_{rec} . The SWSI compared reasonably well to the CWSI, but atmospheric stability correction for the CWSI did not improve comparisons. When the CWSI was substituted into the SWSI formulation, it gave good prediction of soil moisture depletion (fDEP; when to irrigate) and depth of root zone depletion (D_r ; how much to irrigate). Disagreement was greatest for fDEP < 0.6 because cotton is less sensitive to water stress in this range.

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Introduction

The crop water stress index (CWSI) has been the subject of extensive research in the past 20 years to schedule irrigations using canopy temperature. By timing irrigations based on some threshold value, the CWSI can reduce water use without significant compromise to final yield (Wanjura et al. 1990; Shae et al. 1999). Furthermore, canopy temperature can be measured rapidly and non-invasively with portable infrared thermometers (IRTs), which are more reliable for detecting water stress than in situ soil moisture measurements (Jackson 1982). The CWSI and other canopy temperature-based indices, however, indicate when but not how much to irrigate. They are not uniquely correlated to the fraction of soil moisture depletion (fDEP), which is more practical and universally understood in timing and determining application depths (Martin et al. 1990) and for relating the effect of irrigation management strategies to yield (Hussman et al. 1998). Nonetheless, crop water use can be simulated because it is linked to mea-

sured canopy temperature, allowing estimates of fDEP through a soil water balance (Hatfield et al. 1984; Kjelgaard et al. 1996; Barnes et al. 2000). Within-field variation in crop water use has been found to contribute to variation in crop yield, which is of interest in site-specific crop management (Sadler et al. 2000).

The present research investigates a more direct approach of relating fDEP to the CWSI. Jackson et al. (1981) related the CWSI to crop evapotranspiration (ET_c), where CWSI values greater than zero indicate reductions in ET_c below atmospheric demand (i.e., water stress). The Food and Agriculture Organization Paper No. 56 (FAO 56) (Allen et al. 1998) procedures compute ET_c as the product of reference evapotranspiration ET_o and a crop coefficient K_c . Reductions in ET_c below atmospheric demand are accounted for through a water stress coefficient K_s that is included in the K_c term. In FAO 56, the K_s term for a given crop is a function of fDEP and atmospheric demand. Jensen et al. (1970) give another commonly used expression of K_s as a function only of fDEP. By deriving a soil water stress index (SWSI) in terms of K_s , it is hypothesized that the CWSI can be related to fDEP through the K_s term by assuming the SWSI and CWSI are equal. It is recognized, however, that the FAO 56 and Jensen formulations of the K_s term do not account for a stress recovery period following irrigations. The CWSI does not always drop to zero immediately after an irrigation because the plant must regenerate itself after sufficient stress has occurred (Jackson et al. 1981; Jackson 1982). It is also possible that plant transpiration can be reduced by the lack of oxygen in the root zone for several days after a large volume of water is applied (Reicosky et al. 1985). Therefore, a stress recovery coefficient K_{rec} is proposed to account for plant recovery.

The objectives of the present research are to investigate the relationship between the CWSI, K_s , and fDEP during a cotton season in Arizona, and to introduce the stress recovery coefficient K_{rec} . Additional objectives are to compare the CWSI using four calculation procedures (empirical CWSI and theoretical CWSI using three aerodynamic resistance models) and to evaluate two K_s methods (FAO 56 and Jensen). The ultimate goal is to estimate fDEP by combining the CWSI with FAO 56 procedures using the

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best CWSI and K_s calculation method. With fDEP known, the depth of root zone moisture depletion (D_r , how much to irrigate) can be estimated.

Calculation of Crop Water Stress Index

The CWSI can be defined as

$$\text{CWSI} = \frac{(T_c - T_a)_m - (T_c - T_a)_{ll}}{(T_c - T_a)_{ul} - (T_c - T_a)_{ll}} \quad (1)$$

where T_c = canopy temperature ($^{\circ}\text{C}$); T_a = air temperature ($^{\circ}\text{C}$); m indicates measured conditions, ll = lower limit (crop canopy transpiration not limited by available soil moisture); and ul = upper limit (nontranspiring crop). The empirical CWSI was computed according to Idso et al. (1981), where $(T_c - T_a)_{ll}$ and $(T_c - T_a)_{ul}$ were assumed functions of the atmospheric vapor pressure deficit using crop-specific, empirically determined coefficients. Empirical parameters for cotton were taken from the data presented by Idso (1982). The theoretical CWSI was computed according to Jackson et al. (1981), which uses surface energy balance relationships to define the lower and upper limits in Eq. (1). The lower and upper canopy resistance terms for cotton were assumed constant at 10 and 250 s m^{-1} , respectively (Ehler 1973; Keener and Gardner 1987).

The theoretical CWSI requires computation of the aerodynamic resistance r_a term, which quantifies the resistance to energy transfer between the crop canopy and atmosphere. In general, resistance to energy transfer is enhanced or suppressed by forced and free convection, where the latter is usually expressed by atmospheric stability correction terms. The simplest r_a models assume forced convection dominates and therefore neglect stability correction. This study compared three r_a models, consisting of the Campbell model (with and without stability correction) and the Monteith model. Calculation procedures were nearly identical to those used by Kjelgaard et al. (1996). The Campbell model is given as (Campbell 1977)

$$r_a = \frac{\left[\ln\left(\frac{z-d+z_H}{z_H}\right) + \psi_H \right] \left[\ln\left(\frac{z-d+z_M}{z_M}\right) + \psi_M \right]}{k^2 u} \quad (2)$$

where z = anemometer height (m), d = zero plane displacement (m), z_H and z_M = roughness lengths for sensible heat and momentum (m), ψ_H and ψ_M = stability correction factors for heat and momentum, respectively; k = von Karman constant (0.41); and u = wind speed at height z (2 m). Both terms d and z_M can be estimated as functions of canopy height h (1.2 m for cotton at full canopy), and z_H as a function of z_M ; i.e., $d = 0.67 h$, $z_M = 0.13 h$, and $z_H = 0.2z_M$.

The stability correction factors ψ_H and ψ_M account for buoyancy effects on heat and momentum transfer that are suppressed or enhanced from the canopy-air temperature difference (e.g., Kustas et al. 1989). For stable conditions, the canopy temperature is less than the air temperature, and ψ_H and ψ_M are positive, increasing r_a in Eq. (2). The opposite is the case for unstable (enhanced) conditions. The Campbell model without stability correction is simply $\psi_H = \psi_M = 0$.

An expression for stable conditions is (Businger 1975)

$$\psi_H = \psi_M = 4.7\zeta \quad (3)$$

where ζ = atmospheric stability correction parameter, defined as

$$\zeta = \frac{-kzgH}{\rho_a C_p T_a u^{*3}} \quad (4)$$

where g = gravitational constant (9.81 m s^{-2}); H = sensible heat (W m^{-2}); ρ_a = density of dry air (1.19 kg m^{-3}); C_p = specific heat of dry air ($1013 \text{ J kg}^{-1} \text{ }^{\circ}\text{C}^{-1}$), T_a = air temperature (K); and u^* = friction velocity (m s^{-1}). Like ψ_H and ψ_M , $\zeta > 0$ for stable and $\zeta < 0$ for unstable conditions. Sensible heat H is

$$H = \frac{\rho_a C_p (T_c - T_a)}{r_a} \quad (5)$$

and u^* is defined as (Campbell 1985)

$$u^* = \frac{ku}{\ln\left[\frac{z-d+z_M}{z_M}\right] + \psi_M} \quad (6)$$

Eq. (2) can be simplified by combining it with Eq. (6)

$$r_a = \frac{\ln\left(\frac{z-d+z_H}{z_H}\right) + \psi_H}{k^2 u^*} \quad (7)$$

For unstable conditions, ψ_H is given as (Kjelgaard et al. 1996)

$$\psi_H = -2 \ln\left(\frac{1 + \sqrt{1 - 16\zeta}}{2}\right) \quad (8)$$

and ψ_M is given as (Campbell 1985)

$$\psi_M = 0.6\psi_H \quad (9)$$

The Monteith aerodynamic resistance model has a more empirical and computationally simpler approach for stability correction. It has the form (Monteith 1973)

$$r_{aM} = \frac{\left[\ln\left(\frac{z-d}{z_M}\right) \right]^2}{k^2 u} (1 + n\text{Ri}) \quad (10)$$

where n = atmospheric condition number (assumed 5.2 and 4.5 for stable and unstable conditions, respectively); and Ri = Richardson number, defined as

$$\text{Ri} = \frac{(z-d)(T_a - T_c)}{Tu^2} \quad (11)$$

where T = average of the air and canopy temperature in Kelvin. For stable conditions, Ri is positive and results in an increase in r_{aM} from Eq. (10). The opposite is the case for unstable conditions, where Ri becomes negative. From Eq. (11), the magnitude of R indicates the relative roles of buoyancy (numerator) and forced convection (denominator).

Wind speeds below 2 m s^{-1} resulted in unrealistic values for r_a in all three models. Therefore, $u = 2 \text{ m s}^{-1}$ was the minimum value used when observed wind speed was less.

Crop Water Stress Index and Soil Moisture Relations

The CWSI can be expressed in terms of latent heat flux (Jackson et al. 1981)

$$\text{CWSI} = 1 - \frac{\lambda \text{ET}_c}{\lambda \text{ET}_p} \quad (12)$$

where λET_c and λET_p = instantaneous crop and potential crop evapotranspiration of a full canopy, respectively (W m^{-2}). "Potential" refers to conditions where latent heat flux is limited only by atmospheric demands (e.g., soil moisture depletion is not lim-

iting plant water uptake), so that as $\lambda ET_c \rightarrow \lambda ET_p$, $CWSI \rightarrow 0$. Crop water stress is most detectable when atmospheric demand is at a diurnal maximum; therefore, IRT measurements are generally taken during afternoon hours (Jackson 1982). The ratio ($\lambda ET_c / \lambda ET_p$) will therefore likely reach a daily minimum, particularly if a soil moisture deficit causes λET_c to fall below λET_p . Assuming the instantaneous latent heat flux ratio during the maximum diurnal atmospheric demand is similar to the daily latent heat flux ratio (Jackson et al. 1983), and converting latent heat flux to depth, the ratio (ET_c / ET_p) is substituted for ($\lambda ET_c / \lambda ET_p$) in Eq. (12). The resulting expression is termed the soil water stress index because ET_c will be related to soil moisture:

$$SWSI = 1 - \frac{ET_c}{ET_p} \quad (13)$$

The dual crop coefficient procedure of FAO 56 (Allen et al. 1998) gives ET_c as

$$ET_c = ET_o (K_{cb} K_s + K_e) \quad (14)$$

where ET_o = reference evapotranspiration (mm day^{-1}); K_{cb} = basal crop coefficient; K_s = water stress coefficient; and K_e = soil evaporation coefficient for sunlit bare soil. Since the CWSI is valid only for full canopy cover when soil background is absent (Jackson et al. 1981), evaporation from sunlit bare soil is negligible, and K_e can be omitted from Eq. (14) (Allen et al. 1998).

A stress recovery coefficient K_{rec} is proposed for this study to account for the time required for roots to regenerate and leaves to rehydrate following an irrigation, provided plants have become water stressed prior to the irrigation (Jackson et al. 1981; Jackson 1982). This is usually the case for low-frequency surface irrigation methods (i.e., 10–14 days) that prevail in Arizona; however, the K_{rec} term may not be necessary for high frequency irrigation systems (e.g., sprinkler or microirrigation) where soil moisture is ideally maintained above water stress thresholds. Including K_{rec} and omitting K_e in Eq. (14) results in

$$ET_c = ET_o (K_{cb} K_s K_{rec}). \quad (15)$$

Experimental data in the present study suggest that the recovery of ET_c is a logarithmic function of cumulative ET_o (CET_o), but only up to some maximum cumulative ET_o when recovery is complete (CET_{o-max}). Therefore, the K_{rec} term is defined as

$$K_{rec} = 1 - (a \ln(CET_o) + b) \quad CET_o \leq CET_{o-max}$$

$$K_{rec} = 1 \quad CET_o > CET_{o-max} \quad (16)$$

where a and b = regression coefficients. The justification for Eq. (16) and regression procedures for a and b are presented later.

The ET_p term in Eq. (13) describes conditions where ET_c reaches a maximum possible value that is limited only by atmospheric demand [i.e., $K_s = K_{rec} = 1$ in Eq. (15)], given by

$$ET_p = ET_o (K_{cb}) \quad (17)$$

Substituting Eqs. (15) and (17) into Eq. (13) and simplifying, the SWSI is

$$SWSI = 1 - K_s K_{rec} \quad (18)$$

Two methods of estimating K_s were investigated. The FAO 56 procedure assumes K_s is unity until the fDEP reaches a threshold p , then decreases linearly to zero when fDEP reaches 1.0

$$K_s = 1 \quad fDEP \leq p \quad (19)$$

$$K_s = \frac{1 - fDEP}{1 - p} \quad fDEP > p$$

where $p = \text{fDEP}$ threshold when the crop begins to experience water stress. If ET_c is different than 5 mm day^{-1} , p can be adjusted as a function of ET_c

$$p = p_{\text{table 22}} + 0.04(5 - ET_c) \quad (20)$$

where $p_{\text{table 22}}$ = crop-specific value given in Table 22 of FAO 56, and ET_c units are (mm day^{-1}). The $p_{\text{table 22}}$ values used in this study are 0.60 for initial and development stages (establishment to early boll formation) and 0.65 thereafter (Allen et al. 1998).

Jensen et al. (1970) give an expression for K_s that is an asymptotic function of fDEP but independent of ET_c

$$K_s = \frac{\ln[(1 - \text{fDEP})100 + 1]}{\ln[101]} \quad (21)$$

Eqs. (18) and (19) or (21) can be combined and solved for fDEP as a function of the SWSI. If the CWSI is substituted for the SWSI in the resulting expression, fDEP can be estimated using the CWSI. With fDEP known, the depth of root zone depletion D_r is the product of fDEP and total available water (TAW) in the root zone, where D_r is the basis of how much to irrigate. Total available water is (Allen et al. 1998)

$$TAW = 1,000(\theta_{fc} - \theta_{wp})Z_r \quad (22)$$

where 1,000 converts TAW to mm; θ_{fc} = soil moisture content (m m^{-3}) at field capacity; θ_{wp} = soil moisture content (m m^{-3}) at wilting point; and Z_r = effective rooting depth (m). Fig. 1 is a flow chart of the procedures given to estimate fDEP and D_r from the CWSI.

Experimental Methods

The experiment was conducted at the Univ. of Arizona, Maricopa Agricultural Center (latitude $33^\circ 04' N$, longitude $111^\circ 58' W$, 361 m mean sea level). Cotton (*Gossypium hirsutum*, cv. Delta Pine 90b, full season) was planted on 26 April 1998 [day of year (DOY) 116] on east–west raised beds spaced 1.0 m apart on a laser-leveled 1.3 ha field. The soil is classified as a Casa Grande series, with sandy loam or sandy clay loam textures (Post et al. 1988). The study was part of a larger remote sensing experiment consisting of two nitrogen levels in a random block design with 16 plots; however, measurements pertinent to this paper were made only in Plots 12 and 16 where nitrogen treatments were identical (140 kg ha^{-1} was the seasonal total). The field was surface (gravity) irrigated by six alfalfa valves located along the West boundary of the field. Irrigations varied from 100 to 150 mm per application and were the same for both plots for each event; a total of nine surface irrigations occurred during the season. A linear move irrigation system with drop hoses was under construction concurrently during the experiment, but was not operational until September when irrigations were essentially complete. An additional three applications (5, 25, and 20 mm) occurred during September using the linear system, but only the 5 mm application for Plot 12 occurred during the period considered in this paper.

A meteorological station was placed in Plot 12. Measurements consisted of incoming solar irradiance R_s , relative humidity, wind speed u , and air temperature T_a . Canopy temperature T_c was measured using stationary IRTs placed in Plots 12 and 16.

Table 1. Crop Development Stages and Basal Crop Coefficient K_{cb} . Development Stage Nomenclature is Taken from Food and Agricultural Organization Paper 56 for Generic Crop, and Agronomic Stages for Cotton Are in Parentheses

DOY	Date	Development stage	Cumulative GDD ($^{\circ}\text{C}$)	K_{cb}
114	24 Apr	Plant		
114–160	24 Apr–9 Jun	Initial (establishment, early vegetative)	0–440	0.15
161–218	10 Jun–6 Aug	Development (vegetative, flowering, early boll formation)	440–1,320	0.15→1.15
219–248	7 Aug–5 Sep	Mid-Season (late flowering, mid-late boll formation)	1,320–1,760	1.15
249–284	6 Sep–11 Oct	End (yield formation, ripening)	1,760–2,200	1.15→0.4
310	6 Nov	Harvest		

was estimated by weekly destructive plant sampling in three locations of each plot. The K_{cb} term is based on percentage of cumulative growing degree days (Slack et al. 1996) instead of percentage lengths of the growing season as specified in FAO 56. Values of K_{cb} vary linearly with cumulative growing degree days (GDDs) for the development (vegetative to early boll formation) and end (yield formation and ripening) stages; otherwise, K_{cb} is constant. Table 1 summarizes the crop development stage, cumulative GDDs, and basal crop coefficient K_{cb} values for the season. The mid-season K_{cb} value as given was corrected for local climatic conditions (Allen et al. 1998). Cumulative GDDs were calculated following the procedures of Snyder (1985), where the lower and upper threshold temperatures for cotton were 12.8 and 30.0 $^{\circ}\text{C}$, respectively (Brown 1991). Effective rooting depths Z_r were assumed to increase linearly from 0.15 to 1.4 m from planting up to the end of the mid-season development stage (Jensen et al. 1990). This assumption was supported by neutron scattering, in that soil moisture measurements remained fairly constant at depths beyond the assumed effective root zone.

The stress recovery coefficient K_{rec} described in the previous section was used in calculating ET_c following the three irrigation events that occurred during the end of the development and mid-season stages (late vegetative to late boll formation) when canopy cover was full ($f_c \approx 1$). At this period in the season, evaporation from sunlit bare soil is negligible, resulting in $K_e \approx 0$ (Allen et al. 1998), and Eq. (14) becomes (15).

The CWSI was compared to the SWSI; comparisons are given in terms of slope, intercept, r^2 , bias, and root mean squared error (RMSE). The CWSI was computed using four methods (empirical and theoretical using the three aerodynamic resistance models), and the SWSI was computed using two methods for K_s [FAO 56 and Jensen models; i.e., Eqs. (19) and (21), respectively], making a total of eight comparisons. Using the most favorable comparison, the fDEP was estimated by substituting CWSI for SWSI in Eq. (18), combining with Eqs. (19) or (21), and solving for fDEP. The depth of root zone depletion D_r was then computed as the product of fDEP and TAW in the root zone. The fDEP and D_r estimated from the CWSI were then compared to those estimated from soil moisture measurements and the soil water balance. Measurements spanned from DOY 205 to 262 (late flowering to boll formation to early yield formation).

Results and Discussion

Table 2 summarizes the seasonal totals of irrigation, precipitation, actual, and potential evapotranspiration (ET_c and ET_p), and final lint yield for both plots. ET_c was computed from Eqs. (14) or (15), and ET_p is the upper limit of ET_c (i.e., $K_s = K_{rec} = 1$). Irrigation totals for Plot 12 were 50 mm greater than Plot 16 because three irrigation events occurred in Plot 12 during September when

testing the newly constructed linear move system. There was a 19 and 16% reduction in ET_c below ET_p in Plots 12 and 16, respectively, suggesting water availability was limited during the season, as ET_c more closely matched total irrigation depths. Final lint yield was about 15% greater in Plot 16 than Plot 12, not surprising since there were similar differences in ET_c (Doorenbos and Kassam 1979). The differences in ET_c may have been influenced by root development, which in turn may have been influenced by soil texture. Plot 12, for example, had more sand in the top 0.9 m of the soil profile than Plot 16. The differences in ET_c were established by the middle of the mid-season stage (boll formation), and they may have been even greater without the linear move irrigations in Plot 12.

Fig. 2 shows the time series of CWSI (no stability correction), SWSI (Jensen K_s), and irrigation and rainfall events from DOY 204 to DOY 264 for both plots without the stress recovery coefficient K_{rec} . During this period, there were four surface irrigation events; these occurred on DOY 204 (150 mm), DOY 216 (100 mm), DOY 236 (90 mm), and DOY 247 (130 mm). There was also an irrigation on DOY 261 (5 mm) in Plot 12 using the linear move. Measurable rain occurred on DOY 229 (3 mm), DOY 240 (3 mm), and DOY 250 (5 mm). The 3 days when rain occurred were eliminated from the analysis because clouds and the corresponding cooling effect on canopy temperatures prevented the detection of water stress. DOY 245 was also eliminated because of drizzle and overcast skies, although total rain was too small to be measurable. Four other days (DOY 204, 224, 263, and 264) were eliminated because of instrument malfunctions. A total of 53 days were considered for this study. Immediately after the irrigations on DOY 204, 216, and 236, the SWSI dropped below 0.05; however, the CWSI remained above SWSI for about 5 days. This was not observed immediately after the irrigation on DOY 247, which was at the end of the mid-season stage (late boll formation). The level of stress reached on DOY 247 was somewhat less than on DOY 216 and 236 (possibly because of overcast skies on DOY 245 and intermittent clouds on DOY 246–247), and the root volume was probably more developed. Both factors may have influenced the much quicker recovery time. However, CWSI on DOY 247 was similar to that observed on DOY 216 for Plot 16, when a recovery time was noticeable.

Table 2. Total Water Application, Potential Crop Water Use (ET_p), actual Crop Water Use (ET_c), and Lint Final Yield

	Plot 12	Plot 16
Irrigation (mm)	1,120	1,070
Rain (mm)	25	25
ET_p (mm)	1,220	1,220
ET_c (mm)	990	1,020
Lint (kg/ha)	1,150	1,360

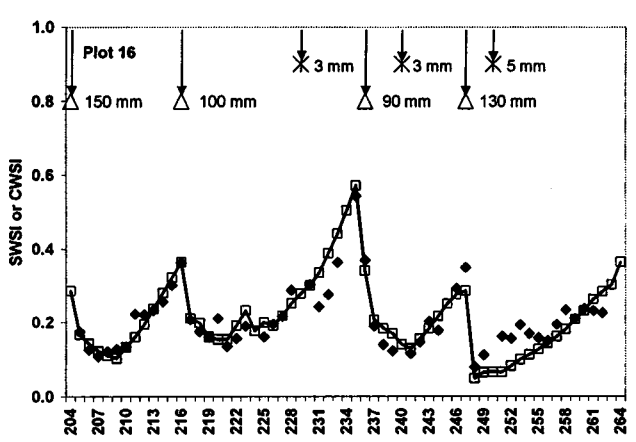
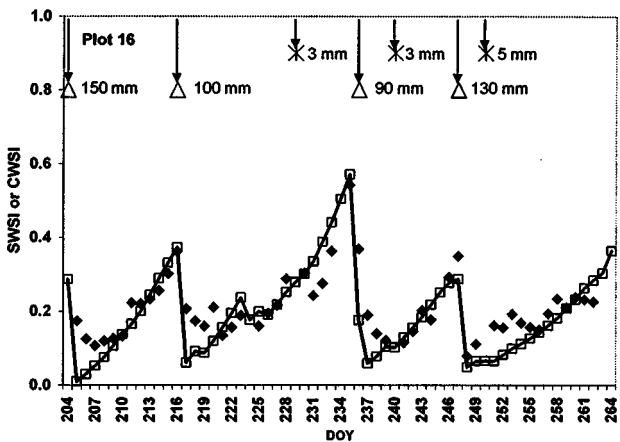
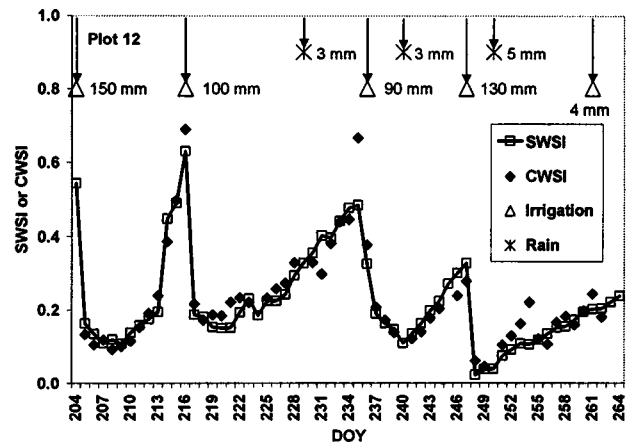
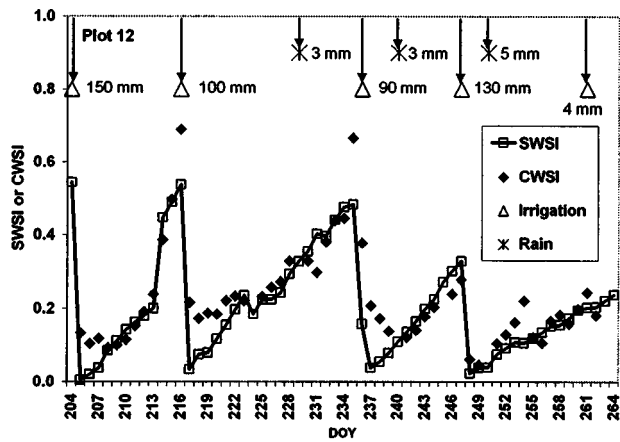


Fig. 2. Time series of soil water stress index (Jensen K_s), crop water stress index (no stability correction), irrigation applications, and rainfall events for 1998 season without recovery coefficient (K_{rec}).

Fig. 4. Time series of soil water stress index (Jensen K_s), crop water stress index (no stability correction), irrigation applications, and rainfall events for 1998 season with recovery coefficient K_{rec} .

Fig. 3 shows (CWSI–SWSI) from Fig. 2 versus cumulative ET_o after the three irrigations on DOY 205, 216, and 236 for both plots. The difference appears to decrease logarithmically until the cumulative ET_o reaches about 55 mm, then levels off. Regressions of CWSI–SWSI were performed for cumulative ET_o from 40 to 120 mm in 5 mm increments, and the highest r^2 (0.80)

occurred when cumulative ET_o was 55 mm. The resulting empirical constants a and b were -0.08 and 0.32 , respectively. Another regression was performed for CWSI–SWSI when cumulative ET_o was equal to or greater than 55 mm, and no relationship between CWSI–SWSI and cumulative ET_o was observed. The a and b values obtained from regression were used in Eq. (15), and the SWSI was recomputed using Eq. (17). Fig. 4 is identical to Fig. 2, except the SWSI now reflects the computations using K_{rec} . Comparing Figs. 2 and 4 during the 5 days after the irrigations on DOY 204, 216, and 236 shows closer agreement between SWSI and CWSI, and suggests the importance of accounting for stress recovery. The present study, however, is merely an initial attempt, and future efforts should focus on more rigorous development of the K_{rec} term under a variety of irrigation management schemes.

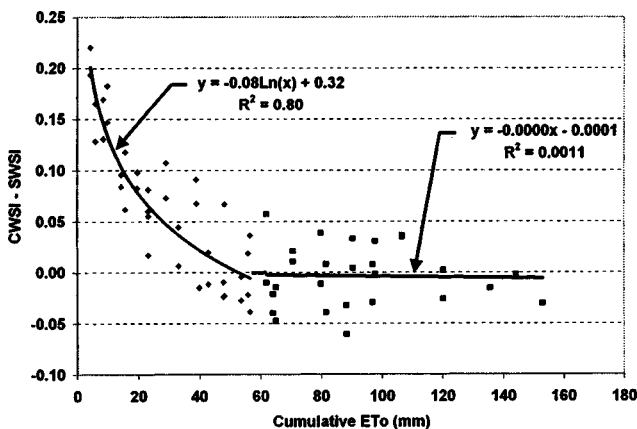


Fig. 3. Plot of (crop water stress index–soil water stress index) versus cumulative reference evapotranspiration ET_o after irrigations, with regression coefficients used for the recovery coefficient K_{rec} .

In Fig. 4, the CWSI was greater than the SWSI several times despite the inclusion of K_{rec} . One instance occurred in Plot 12 just before the irrigation on DOY 236, but not in Plot 16. It was noted in Table 2 that total ET_c for the season was less for Plot 12, possibly the result of different root volumes and soil textures, which may explain this difference. Differences also occurred on DOY 211 (Plot 16), DOY 219–222 (DOY 220 only for Plot 16), DOY 249 (Plot 16), and DOY 251–254. High winds may have broken the stems of outer leaves, which could increase plant stress. The average daily wind run was 48.5 km day^{-1} from DOY 204 to 264. Wind runs recorded on DOY 211, 219, 246, 252, and

Table 3. Linear Regression Analysis Between Soil Water Stress Index and Crop Water Stress Index

CWSI method	r_a method	K_s method	Slope	Intercept	r^2	Bias	RMSE
Empirical	N/A	FAO 56	0.41	-0.04	0.50	-0.193	0.260
Theoretical	No Stabil. Corr.	FAO 56	0.39	0.12	0.70	-0.044	0.166
Theoretical	Campbell	FAO 56	0.42	0.06	0.65	-0.094	0.185
Theoretical	Monteith	FAO 56	0.41	0.14	0.62	-0.013	0.163
Empirical	N/A	Jensen	0.94	-0.13	0.59	-0.144	0.169
Theoretical	No Stabil. Corr.	Jensen	0.91	0.02	0.86	0.005	0.044
Theoretical	Campbell	Jensen	1.00 ^a	-0.04	0.82	-0.045	0.070
Theoretical	Monteith	Jensen	0.96 ^a	0.04	0.77	0.036	0.069

^aSlopes were not significantly different than 1.0 ($\alpha = 0.05$).

254 were all greater than 80 km day^{-1} . The CWSI was less than the SWSI on DOY 231–233 (following rain on DOY 229), and on DOY 246–247 for Plot 12 (following drizzle on DOY 245). These underestimates may have been caused by intermittent clouds during the time of measurement. Cloud passages reduced R_s by 50% or more, and several minutes may be required for the canopy temperature to reach equilibrium following a change in R_s (Pennington and Heatherly 1989).

Table 3 gives regression statistics between CWSI and SWSI. The CWSI without stability correction compared most favorably to the SWSI using the Jensen K_s model, having an intercept closest to zero, the best correlation, the least bias, and least RMSE. Fig. 5 shows the xy scatter. The Campbell stability correction method, however, resulted in a slope closest to one. Only the Campbell and Monteith stability correction methods using the Jensen K_s model had slopes that were not significantly different from one; intercepts for all methods were significantly different from zero ($\alpha = 0.05$). Stability correction did not improve CWSI comparisons. Kjelgaard et al. (1996) reached a similar conclusion after comparing the canopy temperature energy balance to the Bowen ratio energy balance.

Eqs. (18) and (21) (Jensen K_s model) were combined and solved for fDEP, where the CWSI without stability correction was substituted for SWSI in Eq. (18). The resulting fDEP was com-

pared to that estimated from in situ soil moisture measurements and the soil water balance. Fig. 6 shows the xy scatter. With TAW known from Eq. (22), D_r was estimated as the product of TAW and fDEP, and a similar comparison can be made (Fig. 7). Statistical results of these comparisons are summarized in Table 4. Correlation (r^2) was similar to the comparisons between CWSI and SWSI; however, for fDEP the intercept, bias, and RMSE were about two times greater. The slope and intercept values for the fDEP and D_r comparisons were both significantly different from one and zero, respectively ($\alpha = 0.05$).

In Fig. 6, greater error is observed for in situ fDEP below 0.6. A similar trend is observed in Fig. 7 for D_r less than about 80 mm. This can be explained by Fig. 8, where K_s is plotted as a function of fDEP. The FAO 56 and Jensen models are shown along with K_s points estimated from the CWSI by substituting CWSI for SWSI in Eq. (18) and solving for K_s . When fDEP is less than about 0.6, K_s is relatively insensitive; however, K_s falls off rapidly as fDEP increases over 0.6. This results in a similar relationship between the CWSI and fDEP, in that small errors of CWSI will lead to larger errors in fDEP when soil moisture in the root zone is relatively plentiful. In a cotton cultivar study, Lacape et al. (1998) also observed that the CWSI did not change appreciably until fDEP reached 0.5–0.6. Finally, Fig. 8 shows that K_s points estimated from the CWSI agree more closely with the

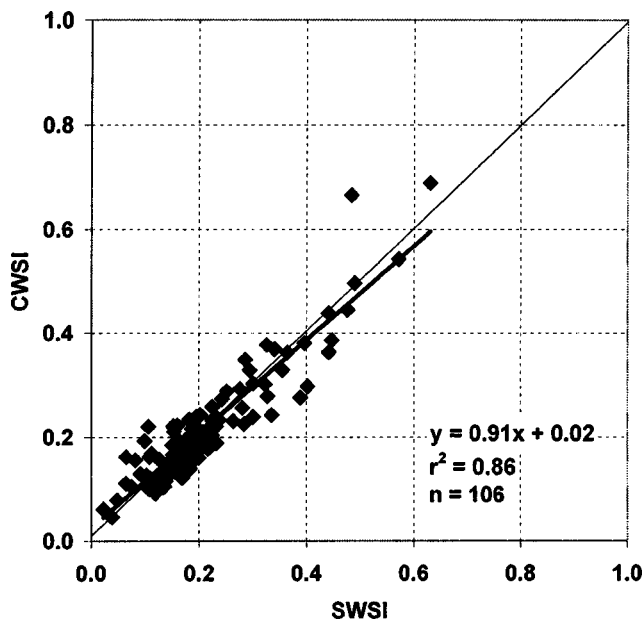


Fig. 5. Scattergram of crop water stress index (no stability correction) versus soil water stress index (Jensen K_s)

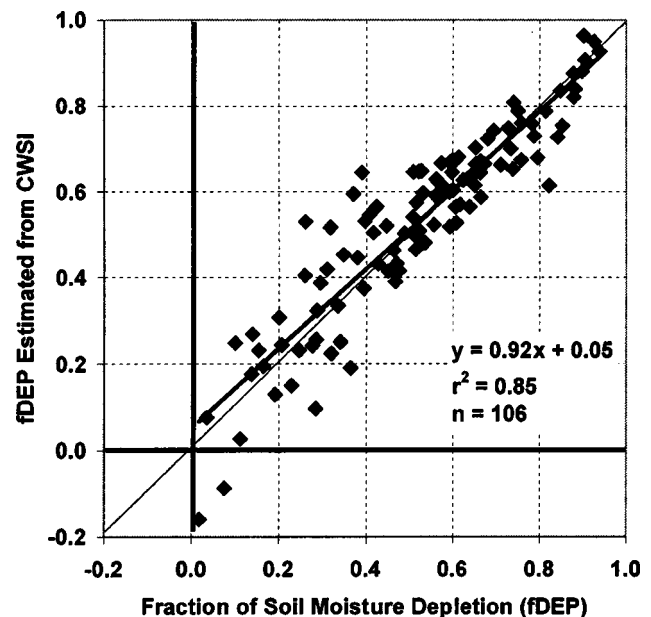


Fig. 6. Scattergram of fraction of soil moisture depletion (estimated from crop water stress index) versus in situ measurements

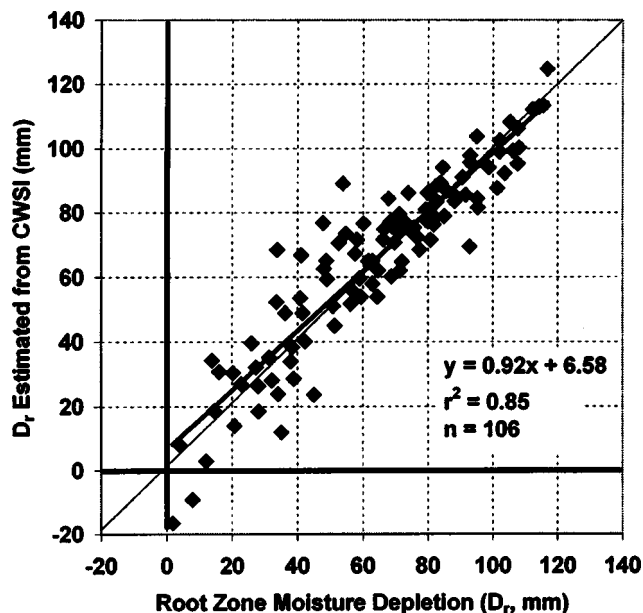


Fig. 7. Scattergram of fraction of root zone depletion (D_r) (estimated from crop water stress index versus in situ measurements)

Jensen than the FAO 56 K_s model, which explains the better comparisons between the CWSI and the SWSI using the Jensen K_s model.

Conclusions

A procedure to estimate soil moisture depletion (fDEP, when to irrigate) and the fraction of root zone depletion (D_r , how much to irrigate) using the remotely sensed CWSI was demonstrated. The procedure was tested for low frequency surface irrigated cotton in Maricopa, Ariz., and performed reasonably well. Stability correction in calculating aerodynamic resistance r_a did not improve estimates. The CWSI was linked to in situ measurements of soil moisture through the water stress coefficient K_s . The Jensen K_s model resulted in much better correlation between the CWSI and soil moisture than the FAO 56 K_s model.

A water stress recovery coefficient K_{rec} was introduced and accounted for about 20% reduction in actual to potential evapotranspiration immediately after irrigations as observed through the remotely sensed CWSI. The K_{rec} term should undergo more rigorous development; however, it may not be necessary under high frequency irrigation, such as sprinkler or drip, where fDEP is maintained at levels above water stress thresholds.

Disagreement was greater for fDEP ranges below about 0.6 because K_s is less sensitive to changes in fDEP in this range. Consequently, this procedure may not perform well for high frequency irrigation because soil moisture is usually maintained at higher levels. Other possible sources of error included intermit-

Table 4. Regression Statistics for Estimating Fraction of Soil Moisture Depletion and Root Zone Depletion D_r Using Theoretical Crop Water Stress Index (No Stability Correction, Jensen K_s Method)

	Slope	Intercept	r^2	Bias	RMSE
fDEP	0.92	0.05	0.85	0.01	0.08
D_r (mm)	0.92	6.58	0.85	1.51	10.52

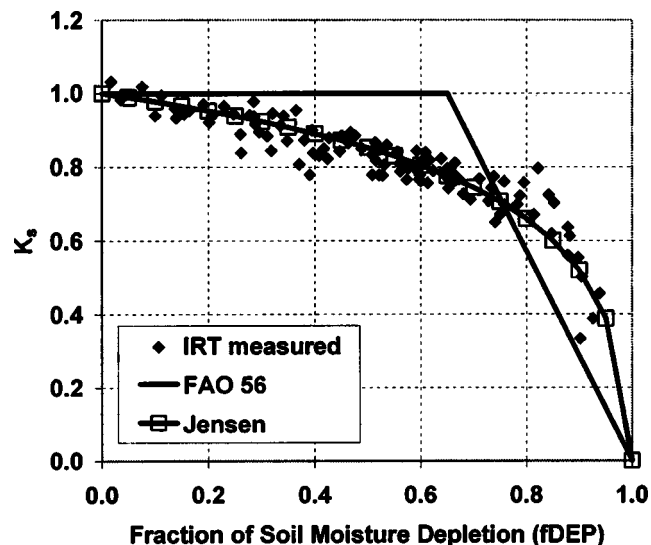


Fig. 8. Water stress coefficient K_s versus measured fraction of soil moisture depletion in root zone.

tent clouds, broken leaf stems following high winds, low atmospheric demand following rain, and estimates of effective root depths used in the soil water balance.

The use of the CWSI, which is a remote sensing technique, to estimate fDEP and D_r could greatly improve irrigation management and lead to greater water use efficiency. This is an important goal for irrigated agriculture as competition for water resources, land, and pressure to lessen environmental impacts are expected to increase in the coming decades. The next step is to test this procedure in real-time irrigation management for different crops, locations, climates, and irrigation practices.

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